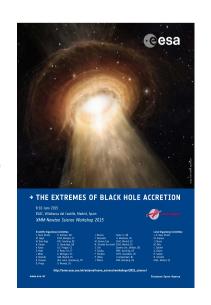
Gabi A. Matzeu

PhD supervisor: Dr James Reeves

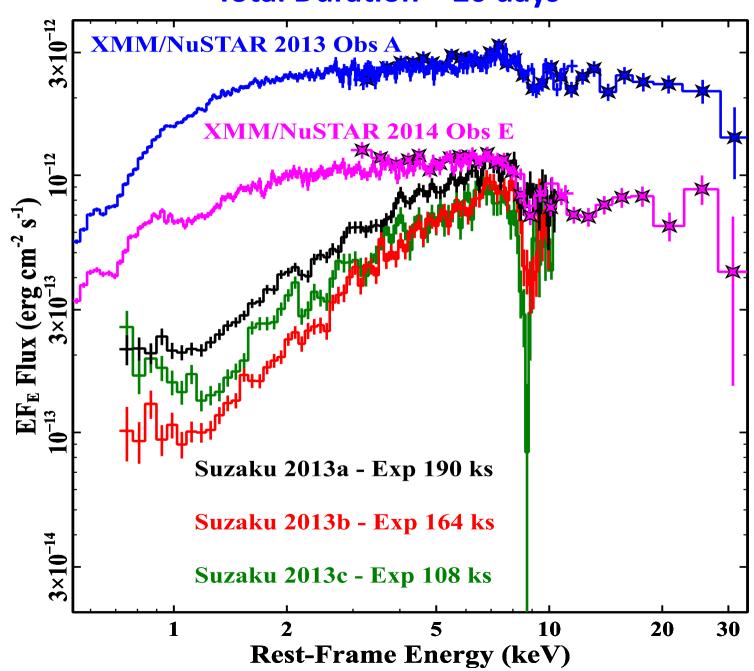
Collaborators - The PDS 456 team including: James Reeves, Emanuele Nardini, Valentina Braito, Michele Costa, Francesco Tombesi, Martin Ward, Paul O'Brien

Broad-band short term X-ray spectral variability of quasar PDS 456

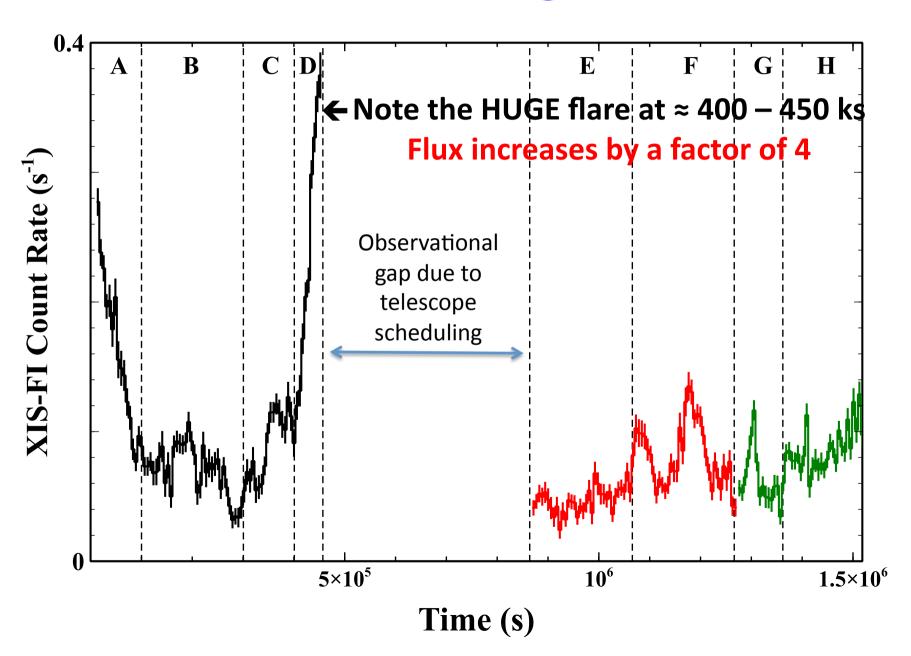




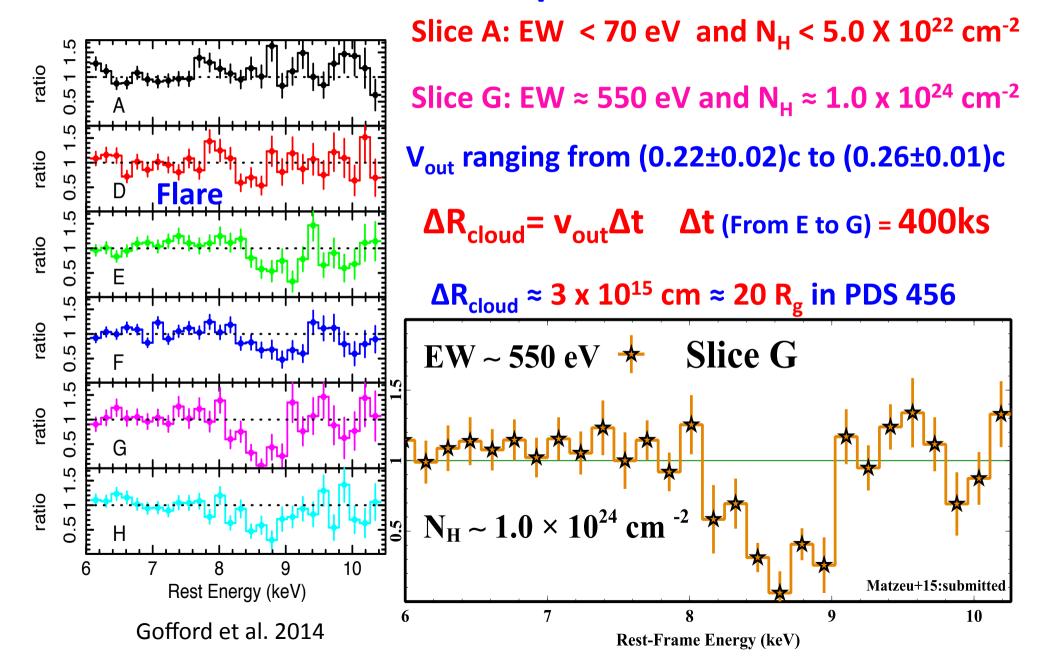
PDS 456 – 500 ks net exposure *Suzaku* campaign in early 2013 Total Duration ≈ 20 days



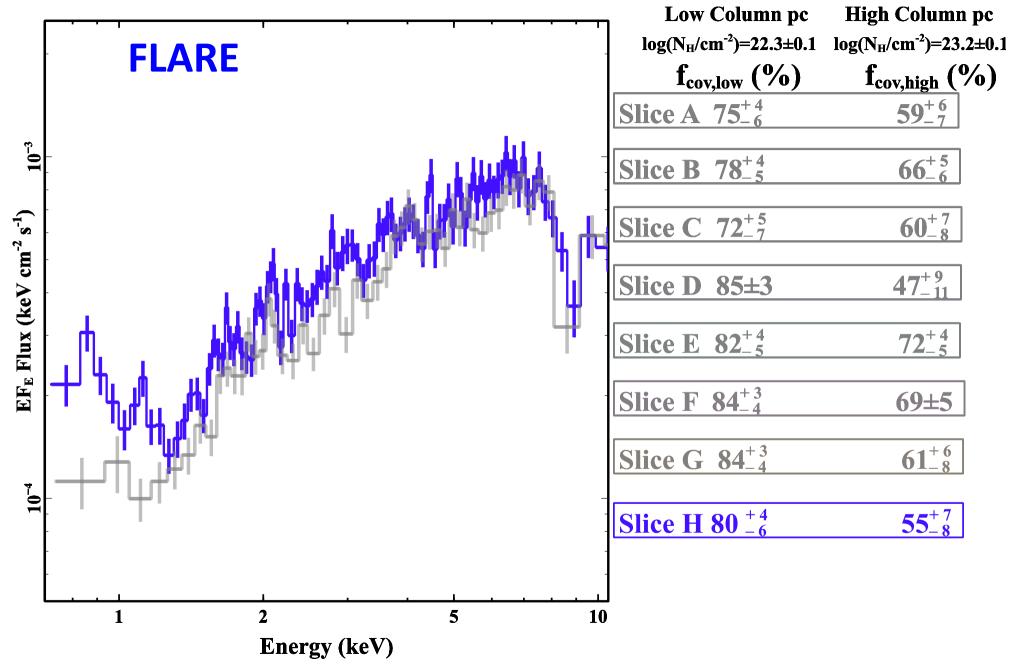
PDS 456 – 2013 lightcurve



PDS 456 – Short time scale X-ray variability of the Fe K absorption feature



PDS 456 Broad-band Analysis – Partial Covering Variability

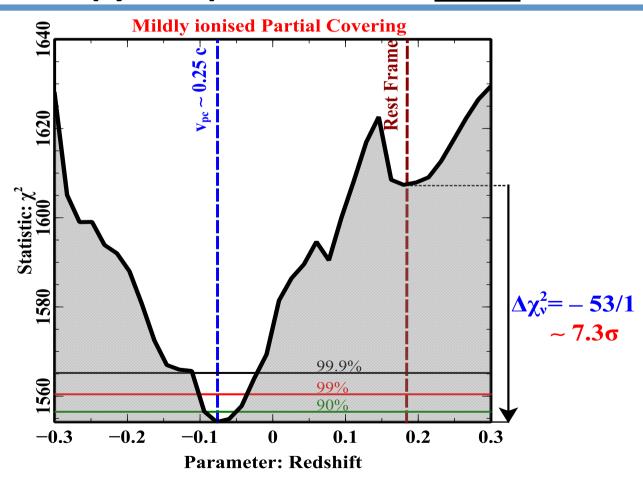


Matzeu+2015:submitted

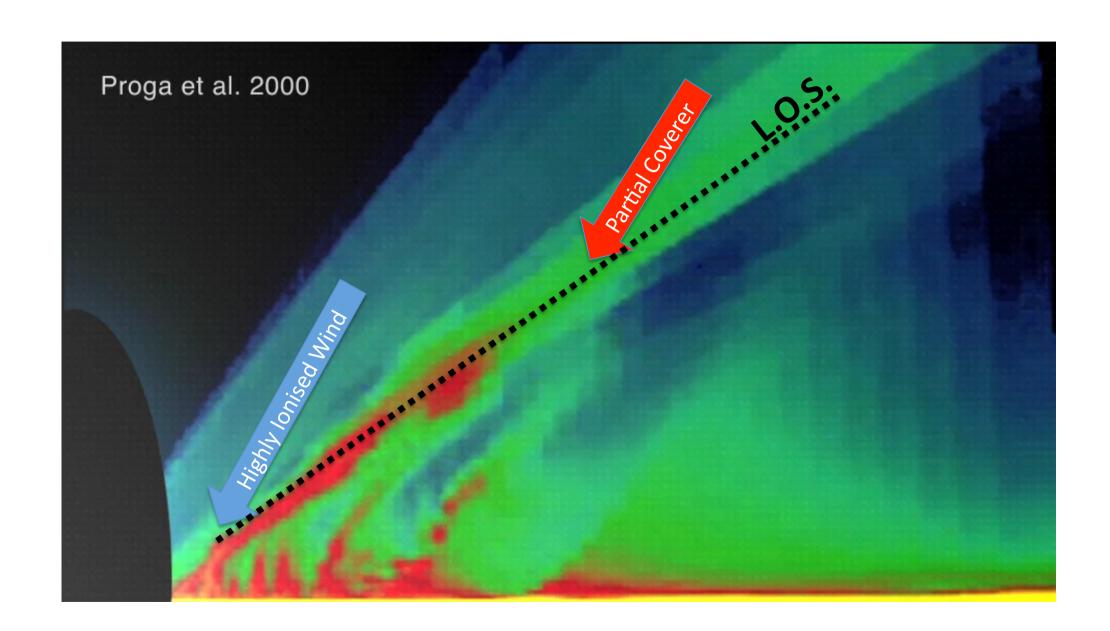
PDS 456 - Properties of The Partial Covering

The global minima indicates that the pc layers are outflowing at $v_{pc} \approx 0.25c$ at least 99.9% confidence level.

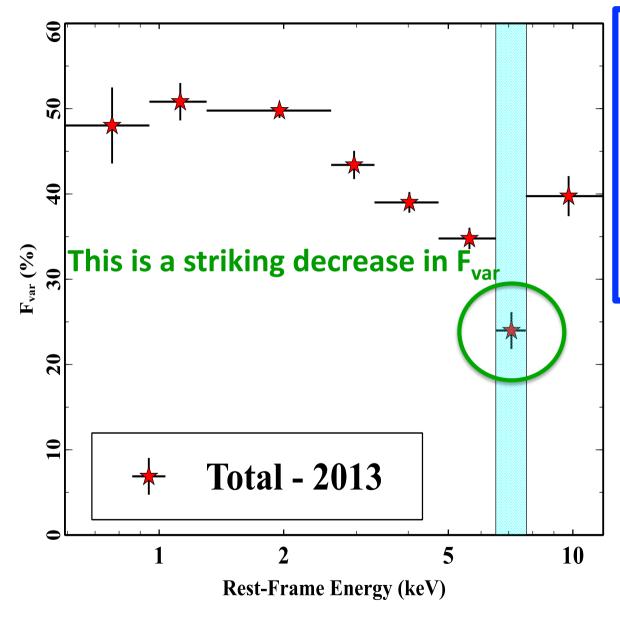
This suggests that the pc may be the less ionised and more dense clumpy component of the <u>same</u> wind.



Matzeu+15:submitted



PDS 456 – Fractional Variability



Matzeu+2015: submitted

The Fe K line flux is
less variable than
the continuum or is
not varying on the
same short timescale
i.e. ≈ 100 ks

We tested two scenarios:

- (i) Fe K emission line flux fixed
- (ii) Fe K emission line flux vary with constant EW

Scenario (ii) produced a worse fit

$$\Delta \chi^2 / \Delta \nu = 100/8$$

$$\dot{p}_{
m w}=\dot{M}_{
m w}v_{
m w}= aurac{L_{
m flare}}{c},\; au\sim 1\;{
m when}\;N_{
m H}\sim 10^{24}\;{
m cm}^{-2}$$

where $\dot{p}_{
m w}$ is the momentum rate of the wind

 $\dot{M}_{
m w}$ is the mass outflow rate of the wind

 $v_{
m w}$ is the outflow velocity $v_{
m w} \sim 0.25~c$

$$\dot{E}_{
m w} = rac{1}{2}\dot{M}_{
m w}v_{
m w}^2 = \left(rac{v_{
m w}}{2c}
ight)L_{
m flare}, ext{integrating} \quad E_{
m w} = \left(rac{v_{
m w}}{2c}
ight)E_{
m flare}.$$

$$\dot{E}_{
m w} \sim 0.15 \; \dot{E}_{
m flare}$$

Theoretical prediction suggests that

only 15 % of the radiative power of the flare is transferred directly to the wind.

$$\dot{p}_{
m w}=\dot{M}_{
m w}v_{
m w}= aurac{L_{
m flare}}{c},\,\, au\sim\,1\,$$
 when $N_{
m H}\sim10^{24}~{
m cm}^{-2}$

c where $\dot{p}_{
m w}$ is the momentum rate of the wind

 $\dot{M}_{
m w}$ is the mass outflow rate of the wind

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m flare}$$

Theoretical prediction suggests that

only 15 % of the radiative power of the flare is transferred directly to the wind.

From the best fit model we estimated L_{flare(1-1000Ryd)} ≈ 10⁴⁶ erg s⁻¹

We assume the flare is <u>symmetric</u> with total duration ≈ 100 ks

The Radiative energy of the flare is ≈10⁵¹ erg.

$$\dot{M}_{w} = \Omega m_{p} N_{H} v_{w} R_{in}$$

 $\Omega = 2\pi \text{ sr} - \text{from Nardini+15}$

 $N_{\rm H} = 7.9 \times 10^{23} \, {\rm cm}^{-2}$ – the average column density between slices E – H

 $R_{in} > 32 R_g - launch radius (conservative)$

 $V_w \approx 0.25$ C – the average outflow velocity between the observations.

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 $m V_w pprox 0.25$ C — the average outflow velocity between the observations. We estimated that $\dot{M}_{
m w} \gtrsim 0.5 \dot{M}_{
m Edd}$

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 $V_{\rm w} \approx 0.25$ C – the average outflow velocity between the observations.

We estimated that
$$\dot{M}_{
m w} \gtrsim 0.5 \dot{M}_{
m Edd}$$

It follows that the kinetic luminosity of the outflow is $> 1.5 \times 10^{46} \text{ erg s}^{-1}$

 Δt of the outflow is at least 700 ks

The mechanical energy of the outflow is at least $\approx 10^{52}$ erg.

PDS 456 - Can the Flare Radiatively Drive The Outflow?

The Radiative energy imparted by the flare is ≈ 10⁵¹ erg

The mechanical energy of the outflow is at least ≈ 10⁵² erg

The mechanical energy deposited in the wind in <u>at least</u> one order of magnitude higher than the radiative energy imparted by the flare.

Thus the answer is probably NOT!

PDS 456: Summary

- Following an obscuration event in slice G, we could constrain the size of the X-ray emitting region which cannot be larger than ≈ 20 R_g
- The Fractional Variability suggest that the Fe K emission is less variable compared to the continuum on short time-scale i.e ≈ 100 ks implying that the origin of Fe K emission may be from the outer disc or ≥ 100 Rg if associated with the wind!
- The model suggests that the pc may be the less ionised more dense component of the <u>SAME</u> wind i.e. v_{pc} ≈ v_w ≈ 0.25 c at 99.9% confidence level
- We found that the radiative power from the flare may <u>NOT</u> be sufficient enough to drive the wind, so other physical mechanism may be also involved e.g., magnetically driven wind.

Thank you for listening!