Low energy protostellar cosmic rays in protoplanetary disks

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Angular Momentum Transport

Two main options if the mechanism is magnetic:

Magnetorotational instability (Balbus & Hawley 1991)

Magnetocentrifugally launched winds (Blandford & Payne 1982)

Both require a certain level of ionisation



Recent clues...

Observational:

- Ceccarelli et al. (2014) Herschel observations
- Ainsworth et al. (2014) Bow shock of DG Tau

Theoretical:

- Cleeves et al. (2014) exclusion of galactic CRs
- Padovani et al. (2015) Acceleration sites
- Turner & Drake (2009) Modelling of CRs

Cosmic ray density from the protostar

Solar x-ray luminosity: $L_{\odot}^{X} \sim 5 \times 10^{27} \text{erg/s}$ (Peres et al 2002)

Solar cosmic rays (solar wind):

$$L_{\odot}^{\rm CR} \sim L_{\odot}^{\rm SW} \sim 1 \times 10^{27} \rm erg/s$$

YSOs are more magnetically active (Feigelson & Montemerle 1999) $L_*^{\rm X} \sim 1 \times 10^{29} {\rm erg/s}$

$$L_{*}^{\mathrm{CR}} \sim L_{\odot}^{\mathrm{CR}} \frac{L_{*}^{\mathrm{X}}}{L_{\odot}^{\mathrm{X}}} \sim 1 \times 10^{28} \mathrm{erg/s}$$

How to model cosmic rays

Propagation of cosmic rays:

- Can be treated as a diffusive process
- Simplest analytic model gives $\sim \frac{1}{r}$ distribution

X-rays give
$$\sim rac{1}{r^2}$$
 distribution

CRs: More effective ionisation at large radii

Sites of acceleration: Inner edge of accretion disk, accretion shock, knots in jets...

Formulation + diffusion equation

Calculate for GeV particles (minimally ionising but very abundant):

$$\frac{\partial n_{\rm CR}(r,z)}{\partial t} = \nabla (D(r,z)\nabla n_{\rm CR}) - \frac{1}{\tau(r,z)}n_{\rm CR}$$

D(r,z) - diffusion coefficient; $~~\tau(r,z)$ - sink term [Inhomogeneous but isotropic]

 \sim

$$D \propto \left(\frac{\delta B}{B}\right)^2 R_{\rm L}(\lambda) \qquad \frac{1}{\tau(r,z)} \propto \rho(r,z)$$

Formulation + diffusion equation

Steady-state

$$\frac{\partial n_{\rm CR}(r,z)}{\partial t} = \nabla (D(r,z)\nabla n_{\rm CR}) - \frac{1}{\tau(r,z)}n_{\rm CR}$$

D(r,z) - diffusion coefficient; $\tau(r,z)$ - sink term [Inhomogeneous but isotropic]



Results: Cosmic ray densities



Results:
$$n_{\rm CR}(r,z) \rightarrow \zeta_{\rm CR}(r,z)$$

Adapted from Umebayashi & Nakano (1981), Eq. 23:

$$\zeta_{\mathrm{p}}(x) = \frac{2\Omega}{\overline{\mathcal{E}}_{k}} \int \left(-\frac{dE}{dx}\right)_{\mathrm{p}} \frac{dn_{\mathrm{CR}}(x)}{dE} dE$$

Intensity of cosmic rays, Eq. 21:

 $\frac{dn_{\rm CR}}{dE} = 9.4 \times 10^{-1} (E_0 + E)^{-2.6} {\rm cm}^{-2} {\rm s}^{-1} {\rm sr}^{-1} {\rm GeV}^{-1}$

 $\overline{\mathcal{E}}_k = 36\,\mathrm{eV}\,$ - average energy loss per ionisation

Results: $n_{\rm CR}(r,z) \rightarrow \zeta_{\rm CR}(r,z)$

Adapted from Umebayashi & Nakano (1981), Eq. 23:

$$\zeta_{\rm p}(x) = \frac{2\Omega}{\mathcal{E}_k} \int \left(-\frac{dE}{dx}\right) \int \frac{dn_{\rm CR}(x)}{dE} dE \\ \sim 10^{-13} \,{\rm GeV cm}^{-1}$$

$$\zeta_{\rm p}(r,z) \sim 10^{-17} {\rm s}^{-1} \left(\frac{n_{\rm CR}(r,z)}{4 \times 10^{-10} {\rm cm}^{-3}} \right)$$



lonisation fraction: $x_e(r, z) =$

(Fromang et al., 2002)



Ionisation fraction: Colour scale

Contours: Plasma density

Ionisation fraction is sufficiently high

Observational evidence

Pros:

Herschel observations (Aresu et al., 2014) Podio et al. 2014, Ceccarelli et al. 2014

Cons: TW Hya (Cleeves et al., 2015)

Conclusions & Future work

- Preliminary results: low energy protostellar cosmic rays are an effective source of ionisation
- Will lead to changes in the strength of non-ideal MHD effects & efficacy of the MRI/MCWs

And up next....

- Calculate ζ(r,z) for x-rays to compare qualitatively
- Investigate different density profiles
- Resolution study