

The HI-to-H₂ Photodissociation Transition

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Bialy & Sternberg (2016, ApJ in press)
arXiv: 1601.02608

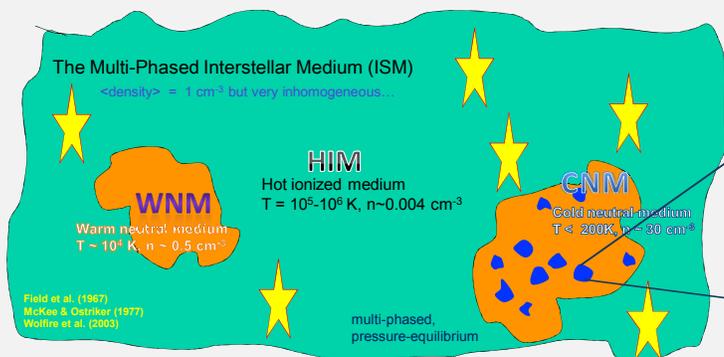


Sternberg et al. (2014, ApJ 790 10)
arXiv: 1404.5042

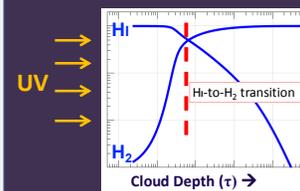


Motivation

The atomic (HI) to molecular transition (H₂) is fundamental for star-formation, and also initiates molecular chemistry, and the production of molecules such as CO, OH and H₂O.



- H₂ is formed on dust-grains
- H₂ is destroyed by photodissociation (11.2-13.6 eV)
- UV radiation is absorbed by dust and H₂
- With increasing column \rightarrow HI-to-H₂ conversion
- \rightarrow Star-formation! + molecule-formation!



We present HI/H₂ density profiles and an analytic formula for the HI-to-H₂ transition point

Physics coupled radiative transfer + H₂ formation-destruction

$$Rn n_1 = \frac{1}{2} D_0 f_{\text{shield}}(N_2) e^{-\tau_g} n_2$$

H₂ formation (left), H₂ photodissociation (right)

R - H₂ formation coefficient
 n - volume density
 n₁ - HI volume density

D₀ - H₂ free-space photo-dissociation rate
 f_{shield} - H₂ self-shielding factor ≤ 1 , depend on the H₂ column
 $\tau = \sigma_g N$ - dust opacity
 n₂ - H₂ volume density

Controlling Dimensionless parameter

$$\alpha G \equiv \frac{\alpha D_0}{Rn} - \text{H}_2 \text{ photodissociation to H}_2 \text{ formation rate ratio}$$

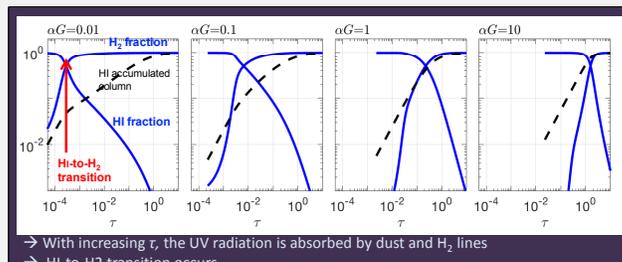
$$G \equiv \sigma_f d N_2 f_{\text{shield}} e^{-2\alpha N} - \text{average shielding factor.}$$

For various astrophysically relevant conditions αG may be small ($\ll 1$) or large ($\gg 1$).
 In terms of volume density (n), UV field intensity (I_{UV}) and dust absorption cross section (σ_g):

$$\alpha G = 0.59 I_{\text{UV}} \left(\frac{100 \text{ cm}^{-3}}{n} \right) \left(\frac{9.9}{1 + 8.9 \sigma_g} \right)^{0.37}$$

The HI-to-H₂ density profiles

Solving the H₂ formation-destruction equation we obtain the HI-to-H₂ density profiles. These are the HI and H₂ fractions n_1/n and $2n_2/n$ as function of the optical depth τ (or visual extinction A_V).



The profile shapes and the HI-to-H₂ transition points are determined by αG

$\alpha G \ll 1$ "weak field limit"

Transition occurs at smaller columns.
 Transition induced by H₂ self-shielding
 HI column is built up after the transition

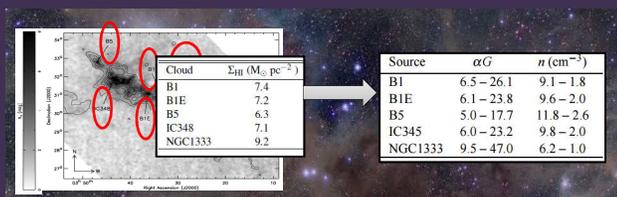
$\alpha G \gg 1$ "strong field limit"

Transition occurs at large gas columns.
 Transition induced by dust absorption
 HI column is built up before the transition

Observational example - The Perseus molecular cloud

We used observations of HI (21 cm) and H₂ (IR) column densities, for several 100s of sight lines toward Perseus to constrain the αG parameter and the average volume density n.

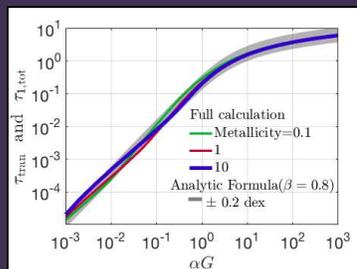
(Bialy et al. 2015, ApJ 809, 122)



Large $\alpha G \rightarrow$ HI-to-H₂ transition dominated by dust absorption.

$n_{\text{WNM}} < n < n_{\text{CNM}} \rightarrow$ the volume density falls within the unstable-neutral medium (UNM)

The HI-to-H₂ Transition point



Analytic formula for the HI-to-H₂ transition point

$$\tau_{\text{tran}} = \beta \ln \left[\left(\frac{\alpha G}{2} \right)^{1/\beta} + 1 \right]$$

The formula is useful for interpreting observations and as a sub-grid model in hydrodynamics simulations

* For $\alpha G \gg 1$: $\tau_{\text{tran}} \sim \ln(\alpha G/2)$ and the dust opacity is regulated to ~ 1 (transition is induced by dust absorption)

* For $\alpha G \ll 1$: $\tau_{\text{tran}} \sim (\alpha G)^{1/\beta} \ll 1$ and dust absorption is negligible (transition is induced by H₂ self-shielding)

* The required gas column to convert HI-to-H₂ is

$$N_{\text{tran}} = \tau / \sigma_g = 4 \times 10^{20} \ln[(\alpha G/2)^{1/\beta} + 1] / Z' \text{ cm}^{-2}$$