

HIFI spectroscopic flux calibration

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Madrid 14-Dec-2010



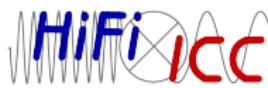
Introduction

Relevant documentation:

- *HIFI Observers' Manual*, HERSCHEL-HSC-DOC-0784
- *The intensity calibration for HIFI*, V. Ossenkopf, ALMA Memo 442.1
- *HIFI Observing Modes Calibration Document*, V. Ossenkopf and A. Marston, ICC/2003-010

HIPE internal documentation:

- *The HIFI User's Manual*, C. McCoey et al, HIPE Help System
- *HIFI Pipeline Specification*, D. Kester et al, HIPE Help System



HIFI properties

- no atmosphere
- seven independent mixer bands \times two polarizations
- 480–1250 and 1410–1910 GHz (625–240 and 213–157 microns)
- bands 1–5 use SIS mixers, 6 and 7 use HEB mixers
- bands 1,2 and 5 use beam splitters, bands 3,4 and 6,7 use diplexer for coupling to LO signal
- large instantaneous bandwidth of 4 GHz (2.4 GHz in HEB bands)
- 12 GHz sideband separation, DSB operation
- one WBS (acousto-optic spectrometer) and HRS (correlator) per polarization
- very high spectral resolution: 1 MHz up to 140 kHz
- two internal calibration loads
- point, mapping and frequency scan observing modes using different referencing schemes

Phases of integration

Zero dark current of CCD; WBS only

Cold Load cold calibration load at $T_C \approx 13\text{ K}$ with coupling $\eta_C \approx 1$

Hot Load hot calibration load at $T_H \approx 100\text{ K}$ with coupling $\eta_H \approx 1$

Cold Sky spectrum taken towards empty sky (*REF*)

- for frequency switched data, an on-source observation at a second frequency is taken as *REF*
- for load chopped data, the cold load serves as *REF*

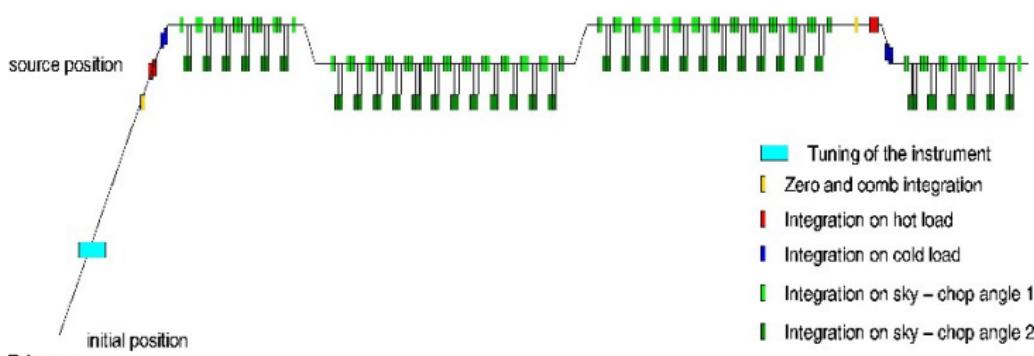
On Source spectrum taken towards source (*SIG*)

Off Source additional observations for baseline correction (*OFF*)

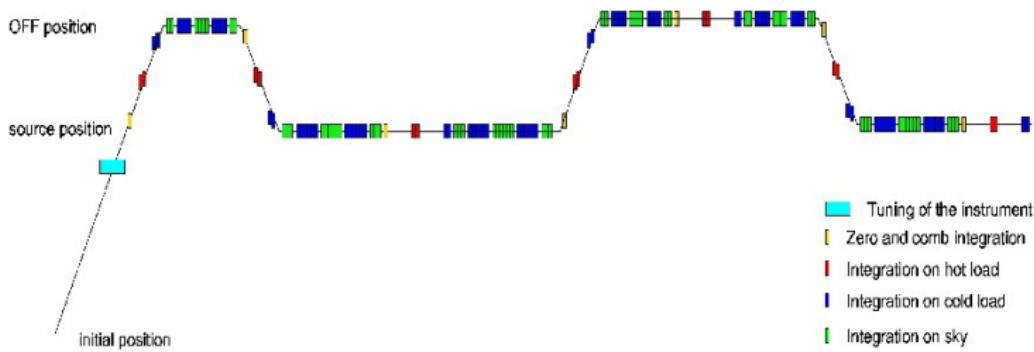


Timing

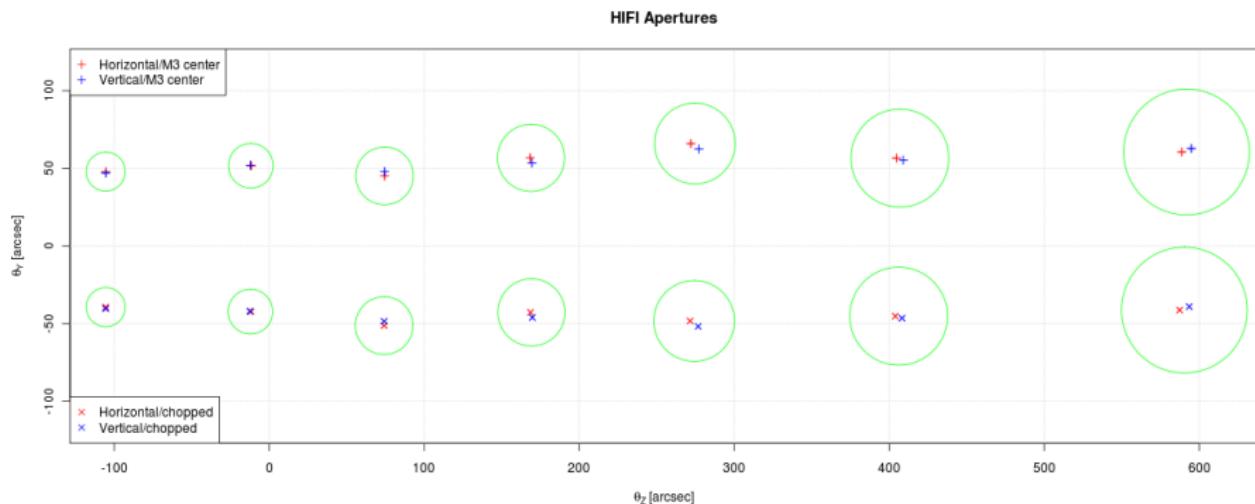
Telescope:



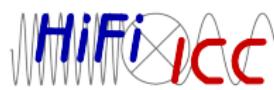
Telescope:



Pointing



7 mixers \times 2 polarisations \times 2 LO sub-bands \times 2 chopper positions = 56 entries



$$\begin{aligned} c &= \gamma_{ssb} \left\{ \eta_{I,ssb} [\eta_{sf,ssb} J_{S,ssb} + (1 - \eta_{sf,ssb}) J_{R,ssb}] + (1 - \eta_{I,ssb}) J_{T,ssb} \right\} \\ &+ \gamma_{isb} \left\{ \eta_{I,isb} [\eta_{sf,isb} J_{S,isb} + (1 - \eta_{sf,isb}) J_{R,isb}] + (1 - \eta_{I,isb}) J_{T,isb} \right\} \\ &+ \gamma_{rec} J_{rec} + z \end{aligned}$$

$$J_{rec} = \frac{(\eta_h + Y\eta_c - Y) J_{h,eff} - (\eta_h + Y\eta_c - 1) J_{c,eff}}{Y - 1} \approx \frac{J_{h,eff} - Y J_{c,eff}}{Y - 1}$$

$$Y = \frac{C_{hot} - z}{C_{cold} - z} \quad J_{eff} = G_{ssb} J_{ssb} + (1 - G_{ssb}) J_{isb} \quad G_{ssb} = \frac{\gamma_{ssb}}{\gamma_{ssb} + \gamma_{isb}}$$

symbol *explanation*

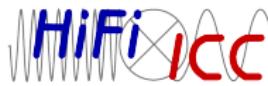
c spectrometer count rate

γ bandpass

η efficiency

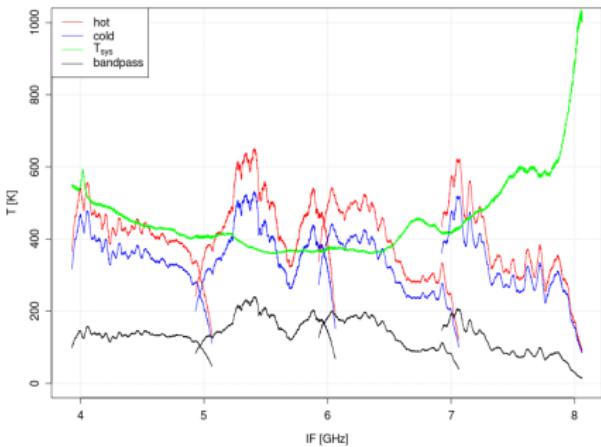
G sideband gain

J radiation intensity (temperature)

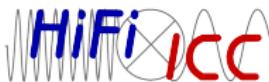


System temperature

- use measurements towards hot and cold calibration loads
- calculate Y -factor: $Y = \frac{\text{hot}}{\text{cold}}$
- translate to Rayleigh-Jeans:
 $T_C \rightarrow J(T_C)$, $T_H \rightarrow J(T_H)$
- calculate $T_{\text{sys}} \approx \frac{J(T_H) - J(T_C)Y}{Y-1}$
- coupling efficiencies to loads enter
- T_{sys} typically varying significantly over IF-band
- usually average T_{sys} over IF is quoted

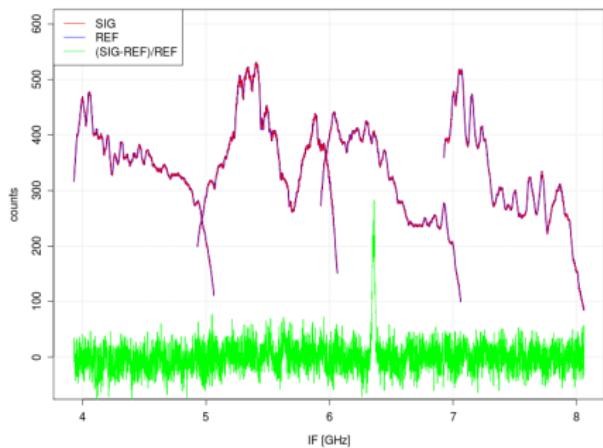


$$J(T) \equiv T_{RJ} = \frac{h\nu}{k} \frac{1}{\exp(\frac{h\nu}{kT}) - 1}$$

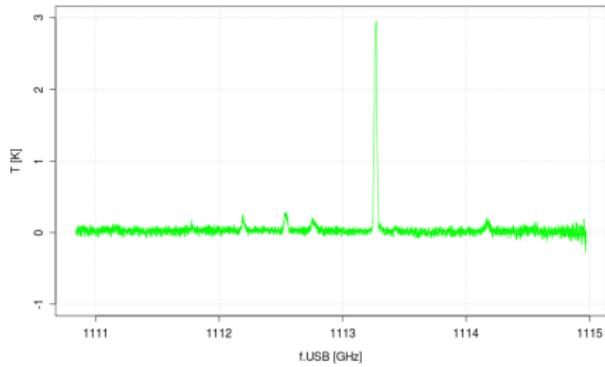
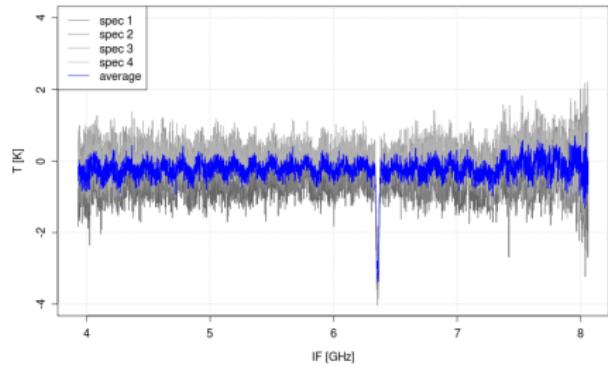
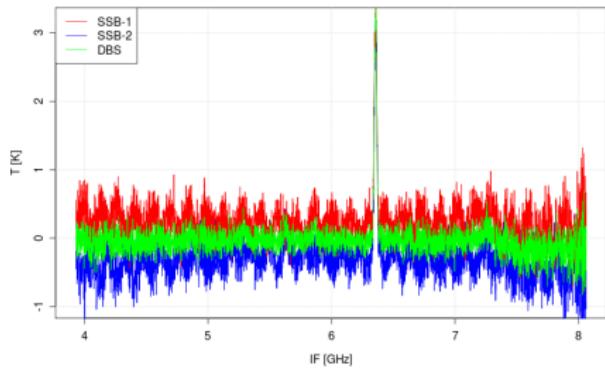
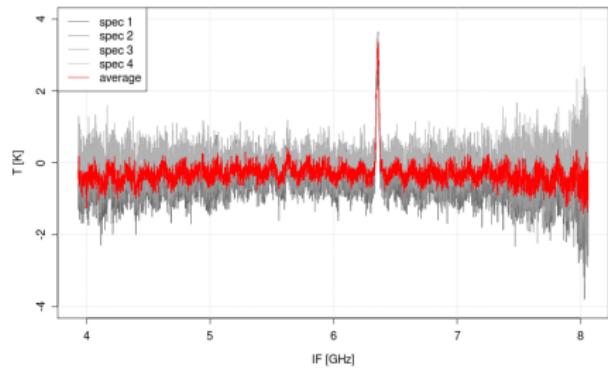


SIG-REF Switching

- line emission typically adds tiny amount to overall signal
- in case of no continuum, the contrast between *SIG* and *REF* is expected to be very small
- some modes “less symmetric”: frequency switching, load chop which may introduce baseline ripple
- double differencing techniques used to improve baseline quality, e.g. DBS switching or additional OFF measurements



Averaging



Level 0 to 0.5

Level 0 pipeline

- DoHkCheck
- DoPointingTask

HRS pipeline

- DoHrsSubbands
- DoHrsOffsetPow
- DoHrsNorm
- DoHrsQDCFull
- DoHrsPowCorr
- DoHrsWindow
- DoHrsSymm
- DoHrsFFT
- DoHrsSmooth
- DoHrsFreq
- DoHrsCorrSP
- DoHrsCutBandEdges

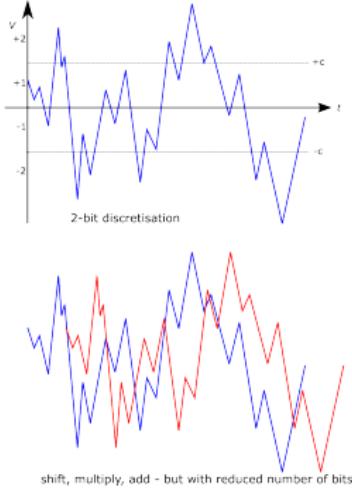
WBS pipeline

- DoWbsScanCount
- DoWbsBadPixels
- DoWbsDark
- DoWbsNonLin
- DoWbsZero
- DoWbsFreq
- DoWbsSubbands

⇒ Level 0.5:
all backend specific calibrations done



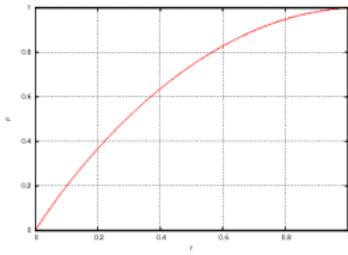
Principle of an auto-correlator



- FFT of auto-correlation function yields wanted power spectrum
- measured correlation coefficients $r(\tau)$ need to be corrected for effect of discretisation to get true coefficients $\rho(\tau)$:

$$r(\tau) = \frac{2}{\pi} \int_0^{\rho(\tau)} \frac{1}{\sqrt{1-x^2}} \exp\left(-\frac{c^2}{(1+x)}\right) dx$$

- $\rho(\tau) = Ar - \frac{(c^2-1)^2}{6}(Ar)^3$ for $|\rho| < 0.86$
- use the fact that $r(\tau) \propto \rho(\tau)$ for small $\rho(\tau)$



Level 0.5 to 1

- CheckDataStructure
- CheckFreqGrid
- CheckPhases
- `MkFluxHotCold` compute system temperature/bandpass
- `DoChannelWeights`
- `DoRefSubtract` subtract reference from signal
- `MkOffSmooth`
- `DoOffSubtract` subtract OFF for baseline correction
- `DoFluxHotCold` transform to units of Kelvin, i.e. $\rightarrow T'_A$
- `DoVelocityCorrection`
- `DoRadialVelocity`

Level 1 to 2

- DoCleanUp
- DoAntennaTemp convert $T'_A \rightarrow T_A^*$
- MkSidebandGain calculate sideband gains...
- DoSidebandGain ... and apply
- ConvertFrequencyTask
- MkFreqGrid
- DoFreqGrid
- DoAverage calculate weighted average
- DoFold
- DoSpurs
- DoStitch



Theoretical framework

Antenna and main beam temperature scales:

$$T_A^* = \frac{1}{\eta_I} T'_A \Rightarrow T_{mb} = \frac{\eta_I}{\eta_{mb}} T_A^* = \frac{1}{\eta_{mb}} T'_A$$

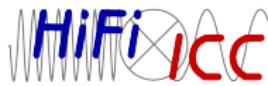
temperature and flux density from a point source:

$$T_A^* = \frac{\eta_A}{\eta_I} \frac{S_{\nu,tot} A_{geom}}{2k} K = \left(\frac{\eta_A}{\eta_I} \frac{A_{geom}}{2k} \right) (S_{\nu,tot} K) = \frac{1}{\chi_{PSS}} S_{\nu,beam}$$

with point source sensitivity χ_{PSS} (≈ 460 K/Jy), flux density per beam $S_{\nu,beam}$ and where K describes a correction for non point-like sources:

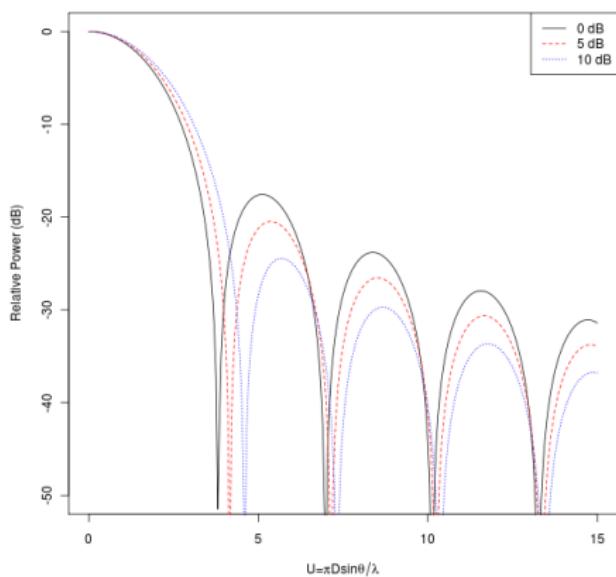
$$K = \frac{\int_{source} P \Psi d\Omega}{\int_{source} \Psi d\Omega} = \begin{cases} \frac{1}{1+x^2} & x = \frac{\theta_s}{\theta_b} \quad \text{for Gaussian source} \\ \frac{1-\exp(-x^2)}{x^2} & x = \frac{\phi \ln 2}{\theta_b} \quad \text{for disk source} \end{cases}$$

where Ψ is source distribution, P is beam pattern

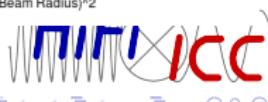
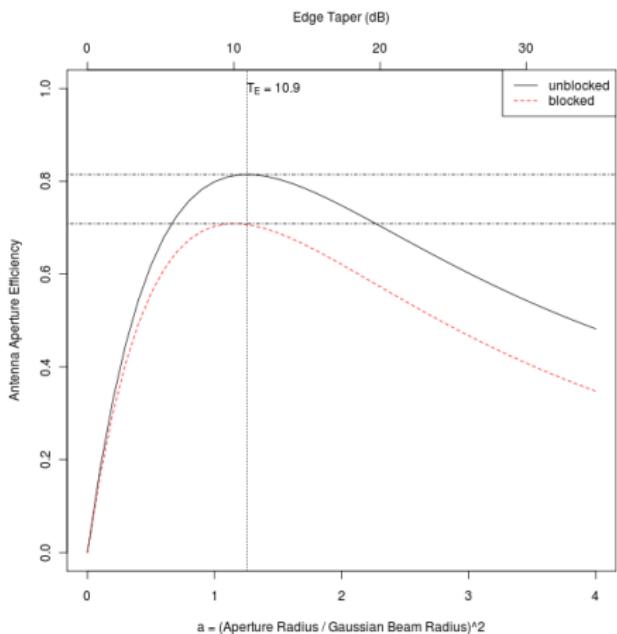


Theoretical expectations

- theoretical beam profiles for different edge taper



- theoretical aperture efficiency and blockage



Validation against ground based telescopes

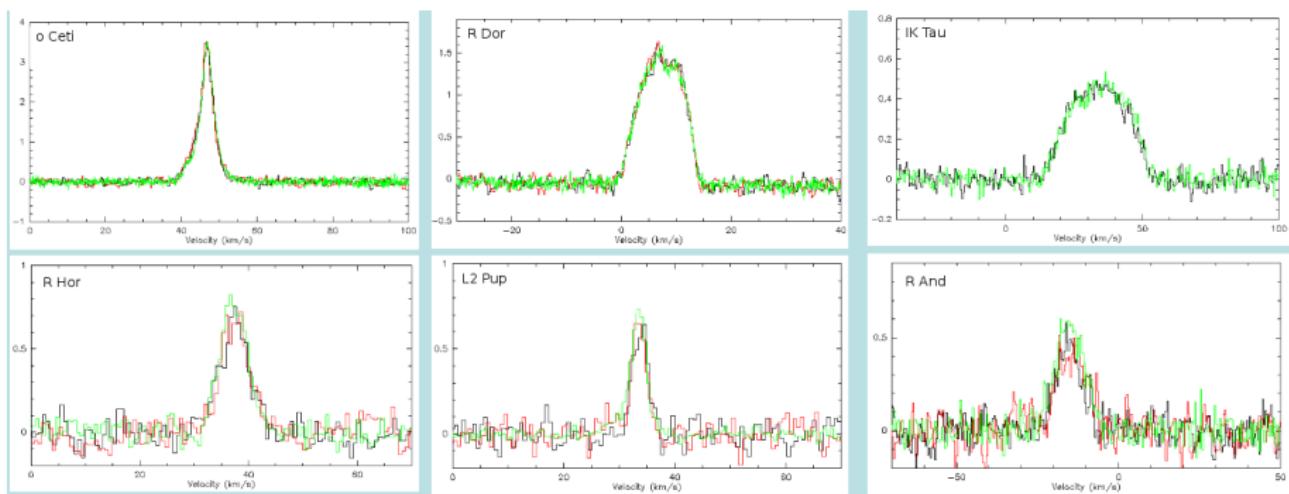
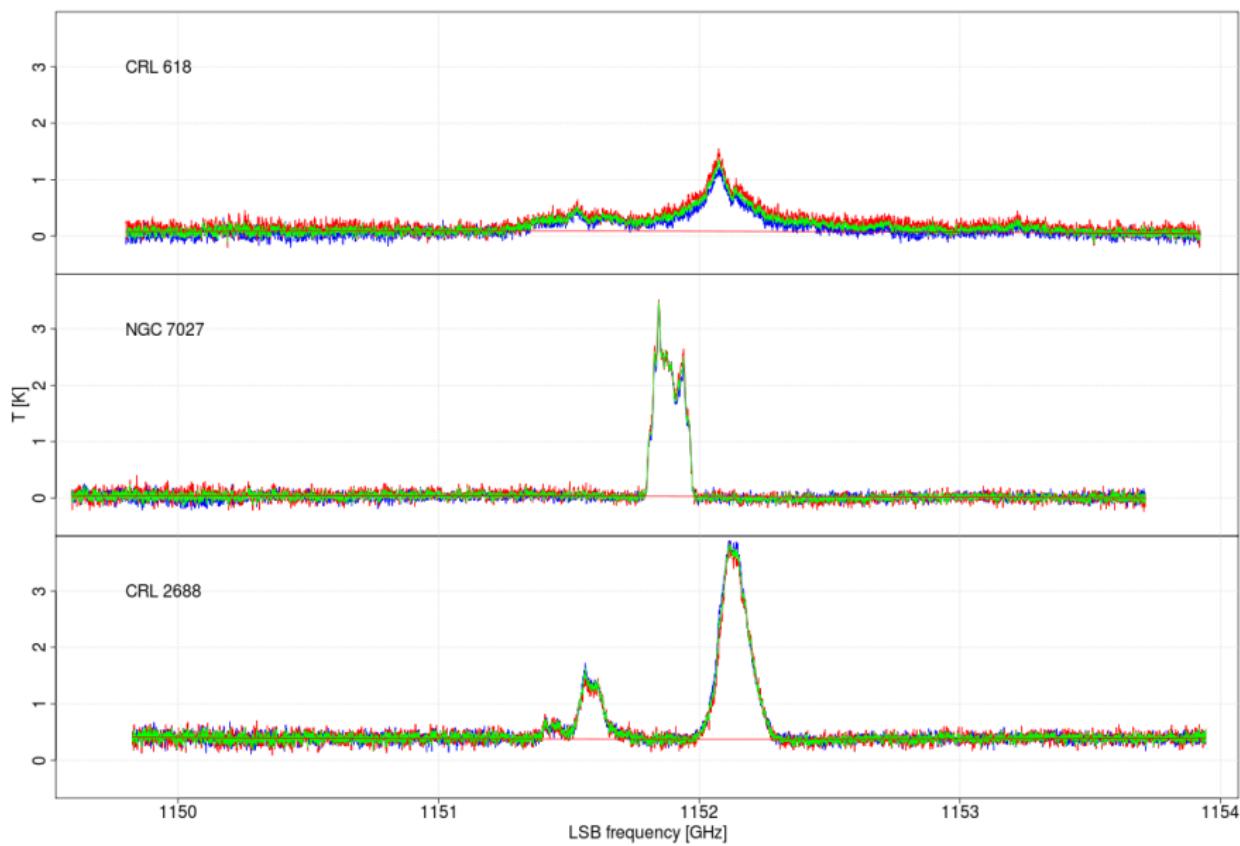
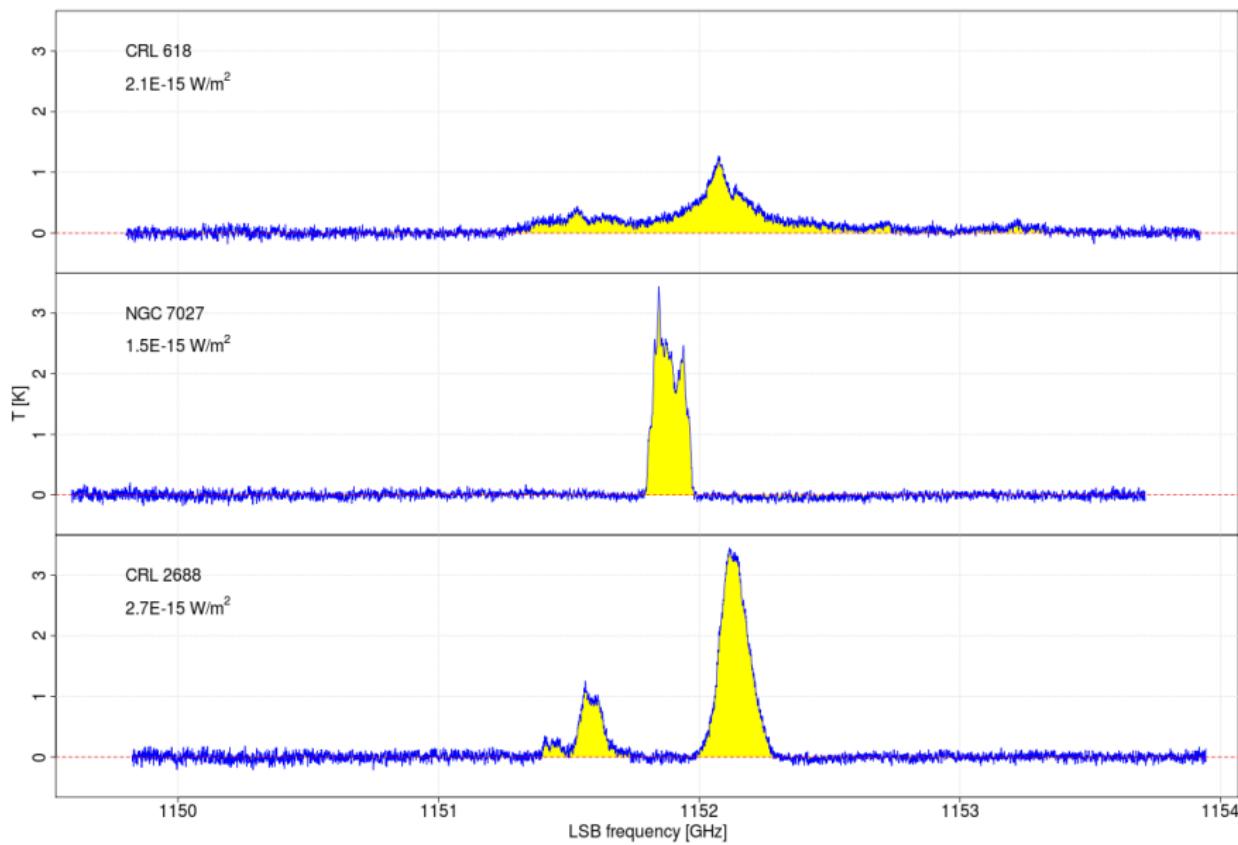


Figure: Measurements performed with HIFI of 6 AGB stars, in the CO(6-5) transition at 691 GHz. Black and red: HIFI, green: APEX







Ongoing work

- optimize pipeline for all switching schemes: matching techniques, order of operations
- understand H/V differences in terms of pointing, different beam efficiencies and/or sideband gains
- understand and treat baseline ripple (standing waves)
- derive a less pessimistic upper limit on sideband gain uncertainties
- make HIFI beam maps available
- LO warm-up studies, stability

