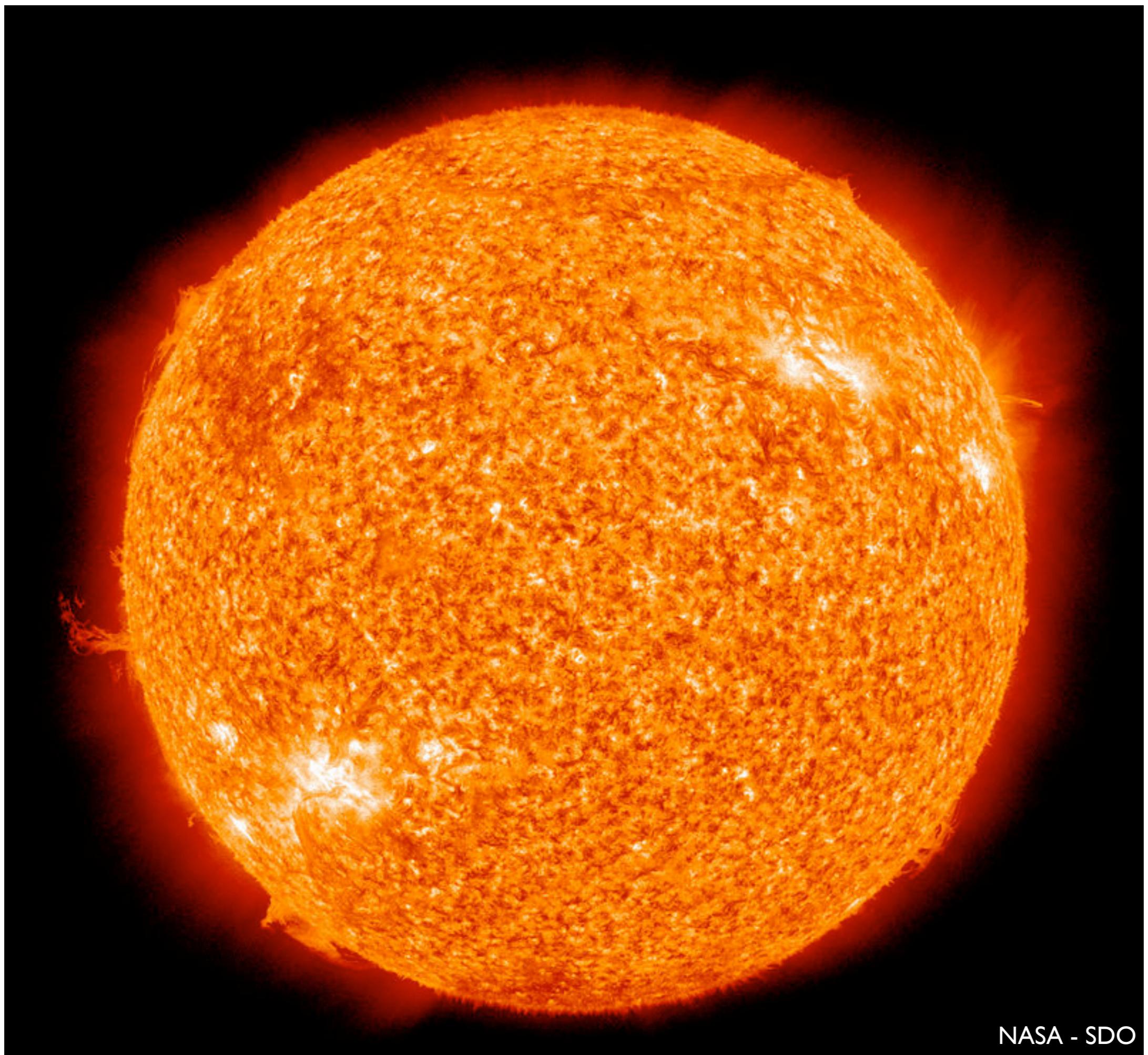


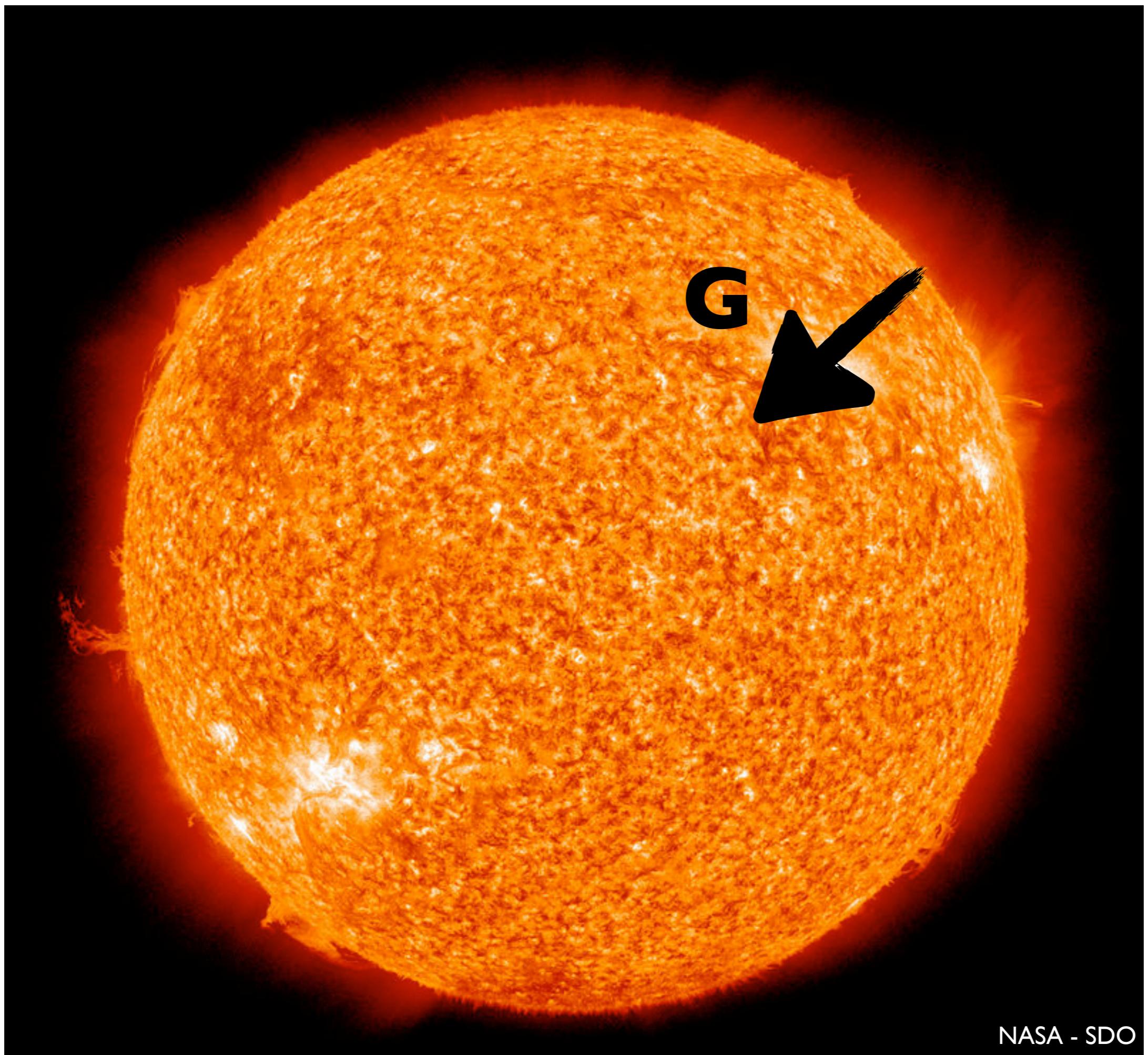
Neutron star atmospheres enriched with nuclear burning ashes

Joonas Nättilä
joonas.a.nattila@utu.fi

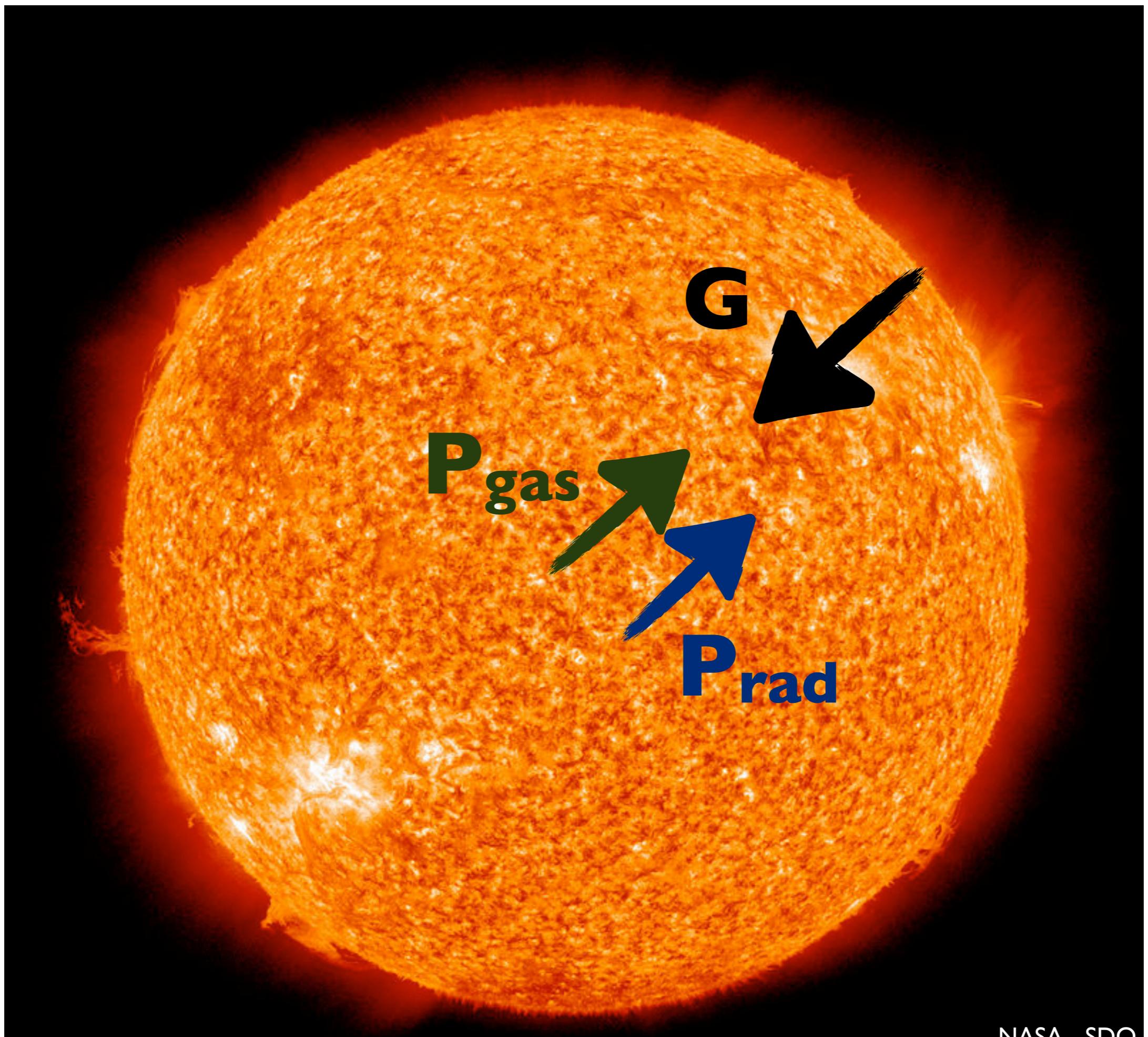
Collaborators:
Jari Kajava (ESAC)
Valery Suleimanov (Tübingen)
Juri Poutanen (Tuorla Observatory)



NASA - SDO



NASA - SDO



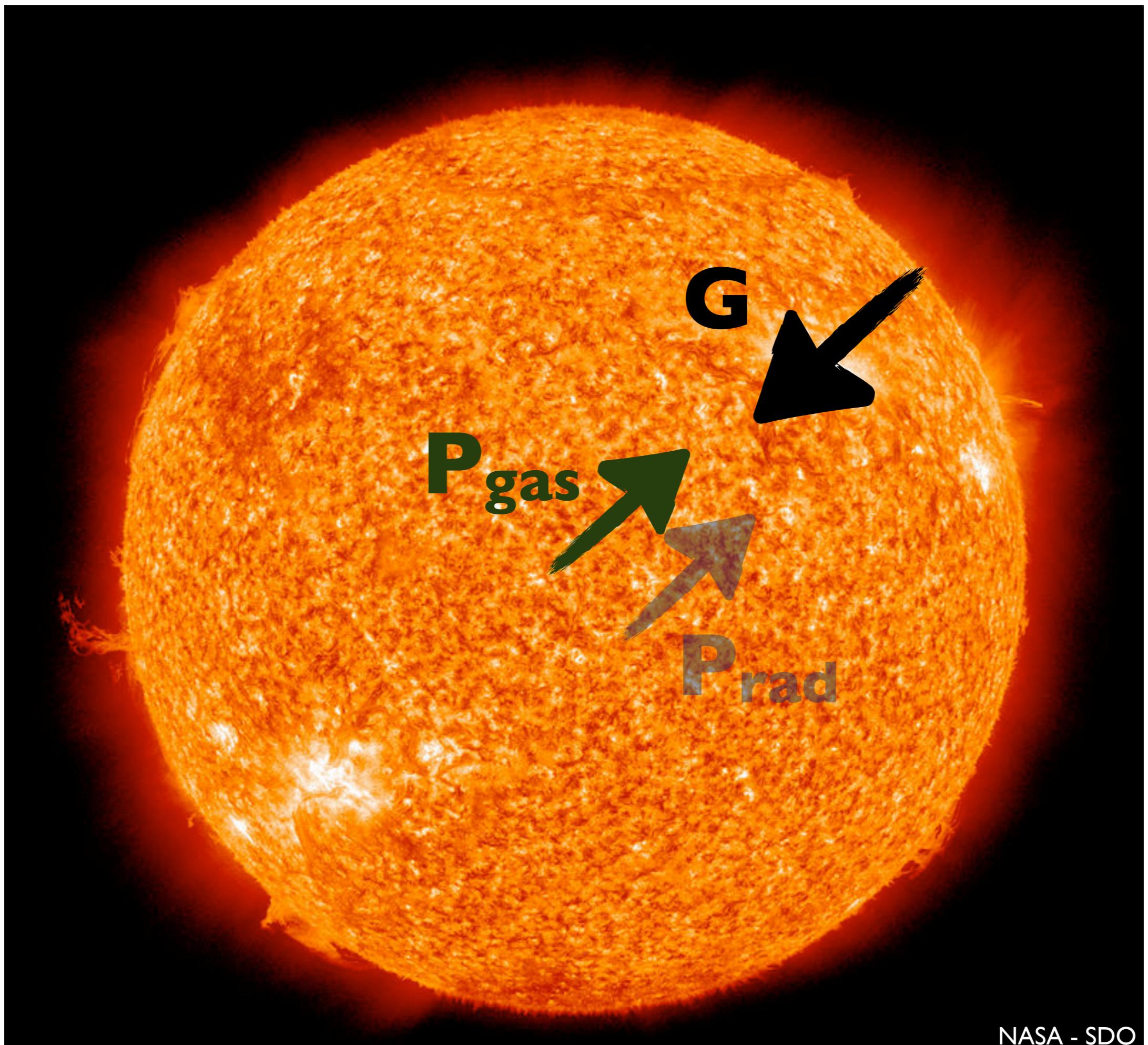
FUEL

1/2

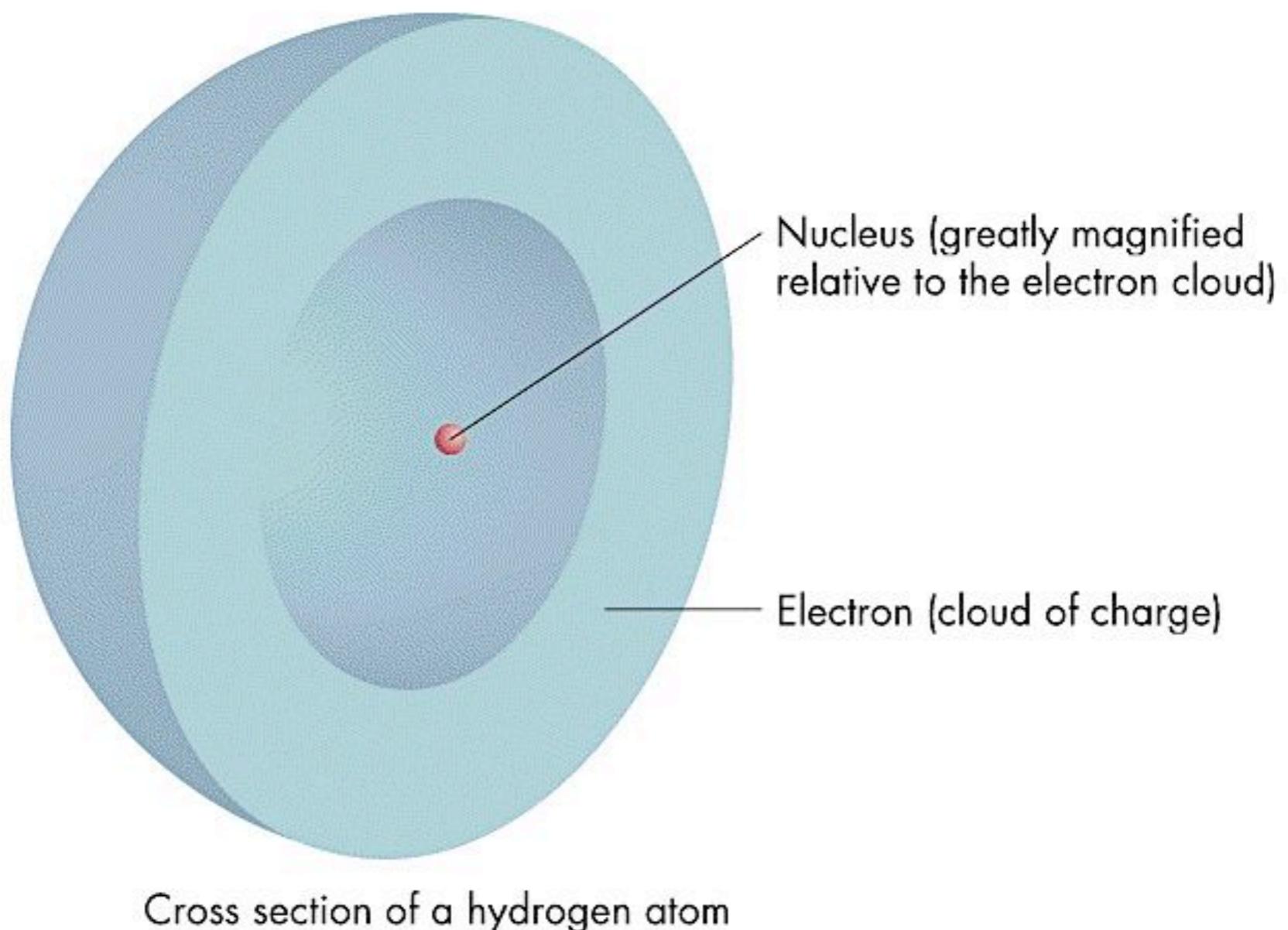
E

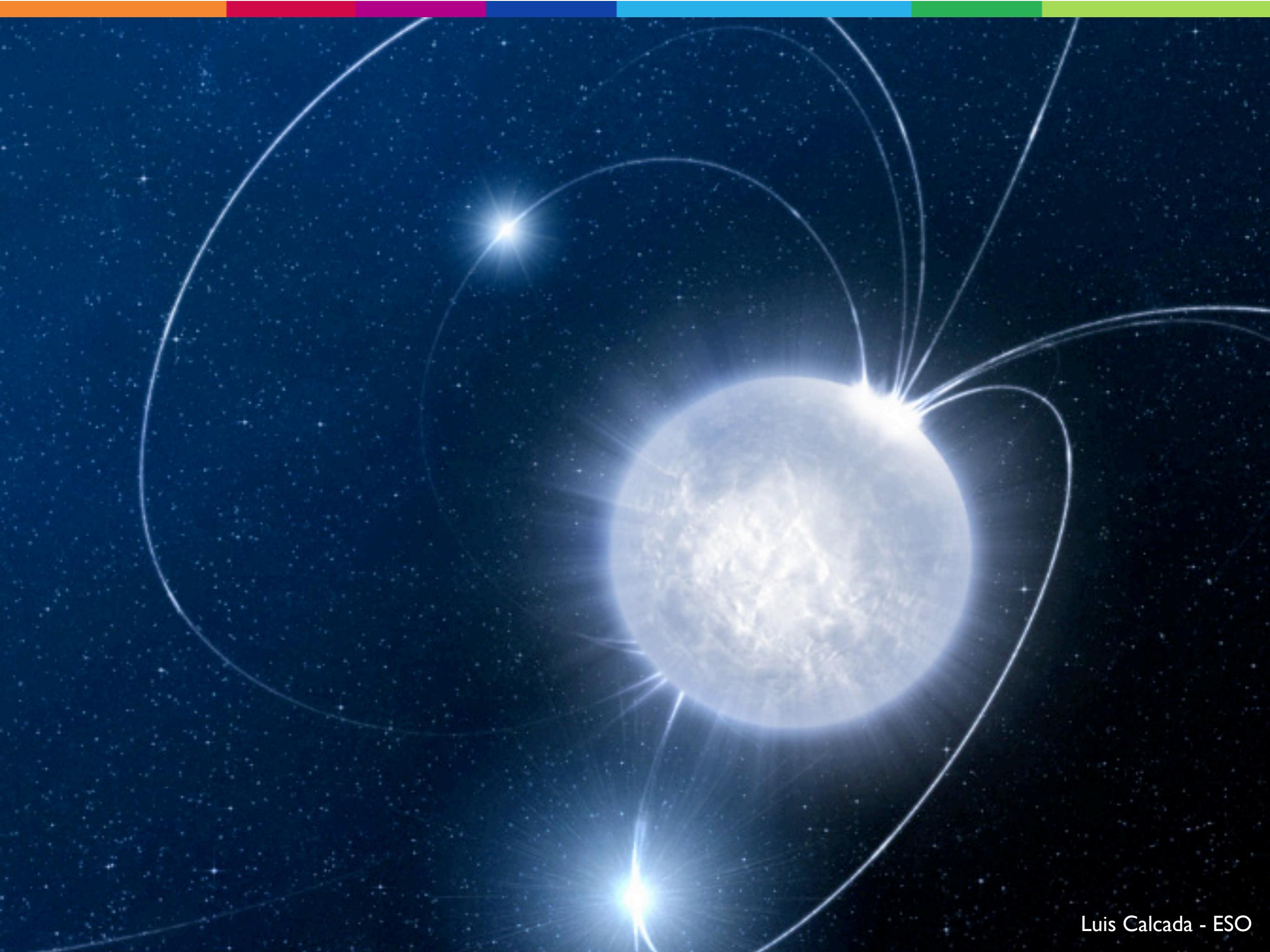
F



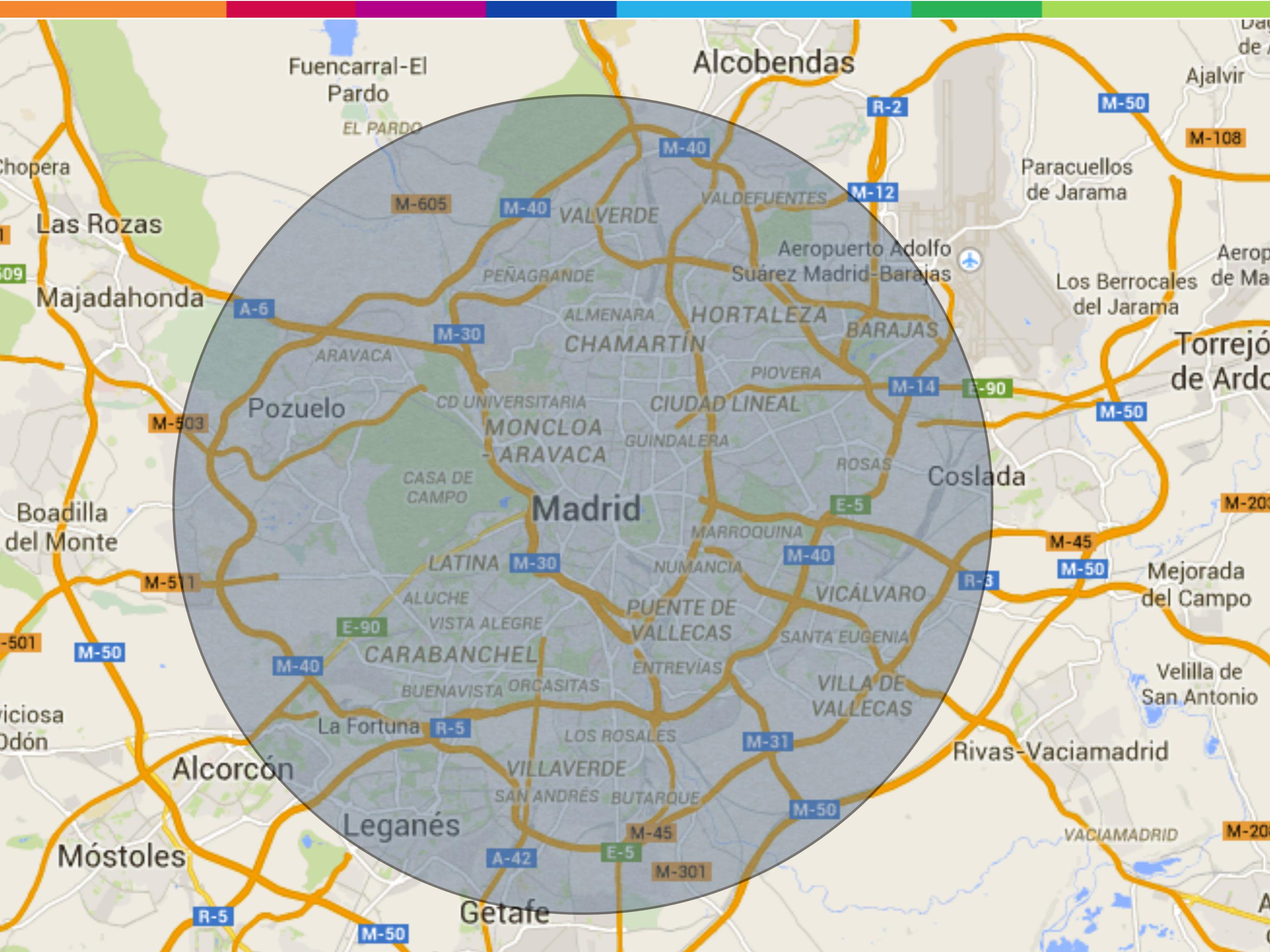


From atoms to neutrons

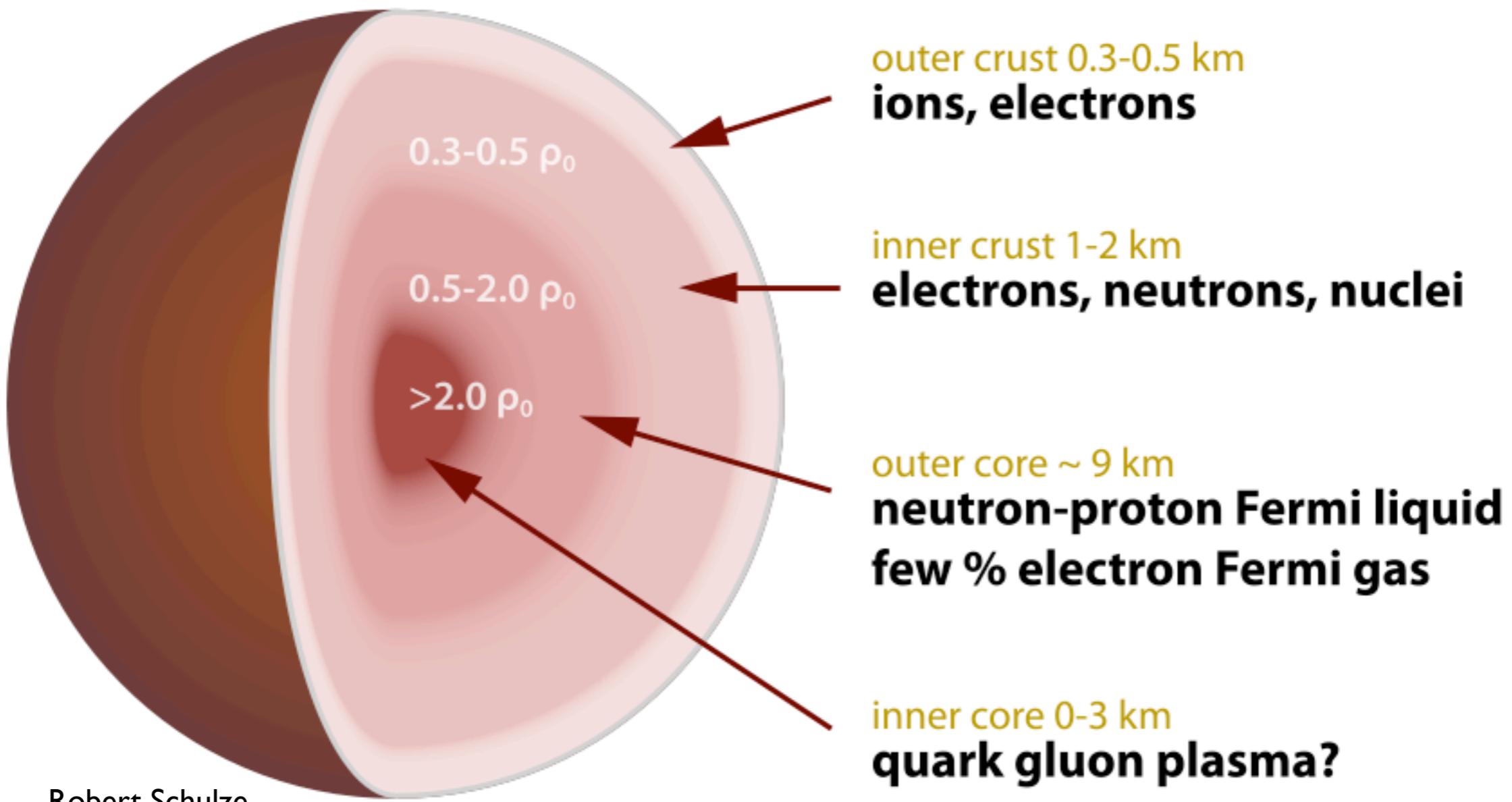




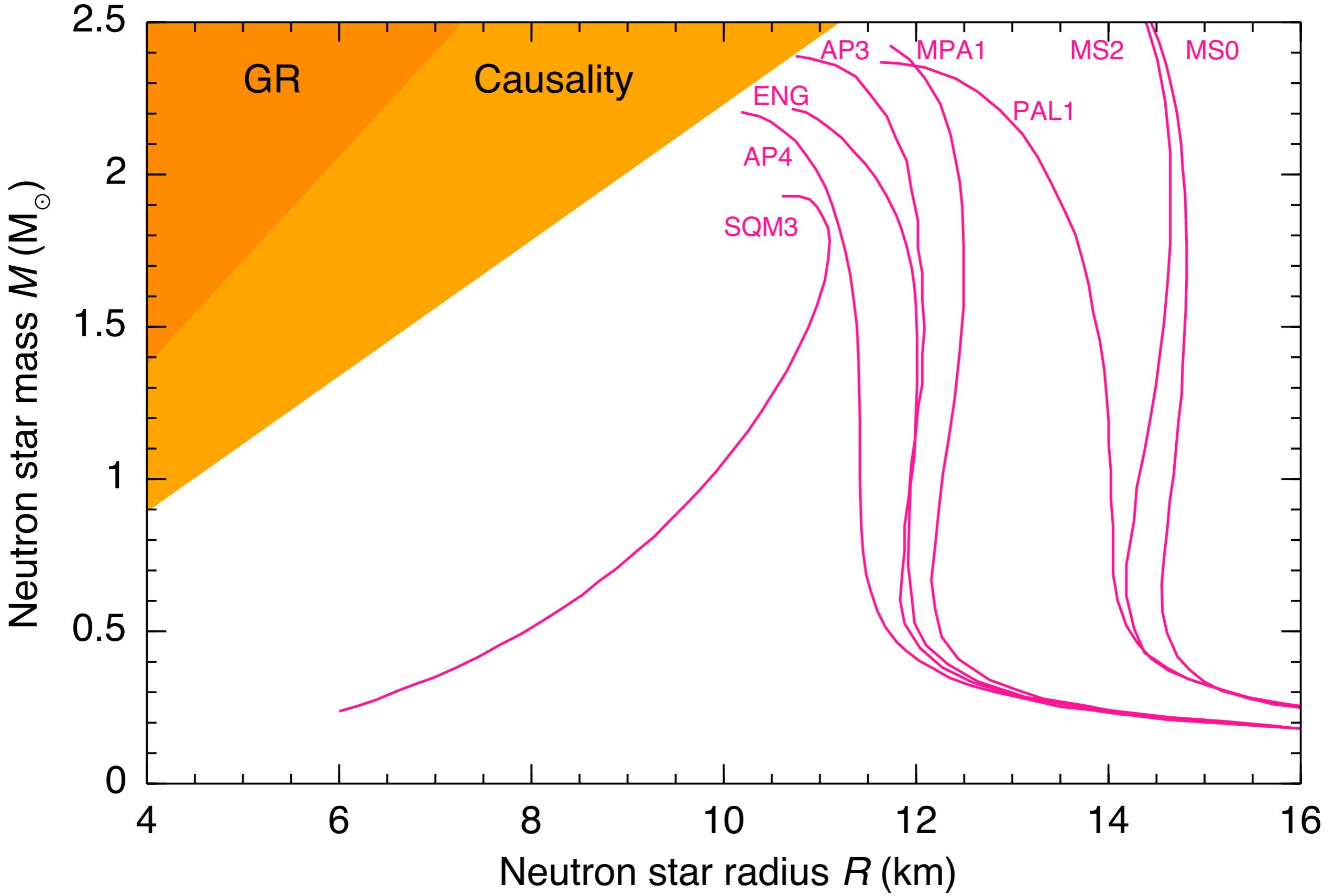
Luis Calcada - ESO



But what exactly is inside?



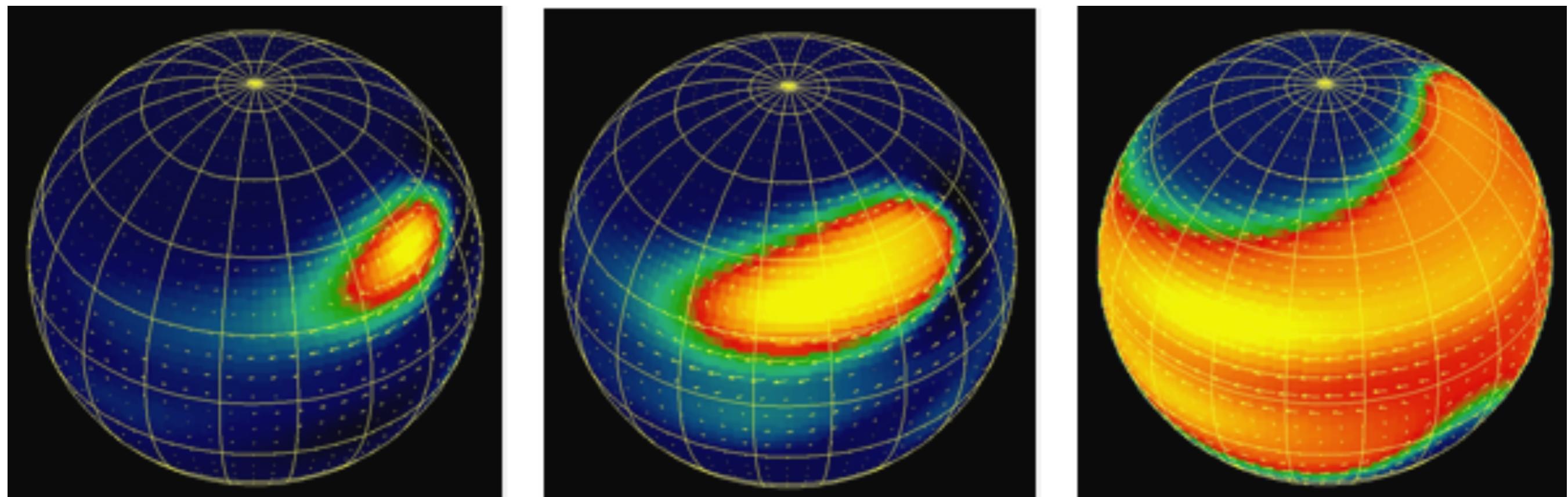
Robert Schulze



Hot neutron stars in LMXB systems



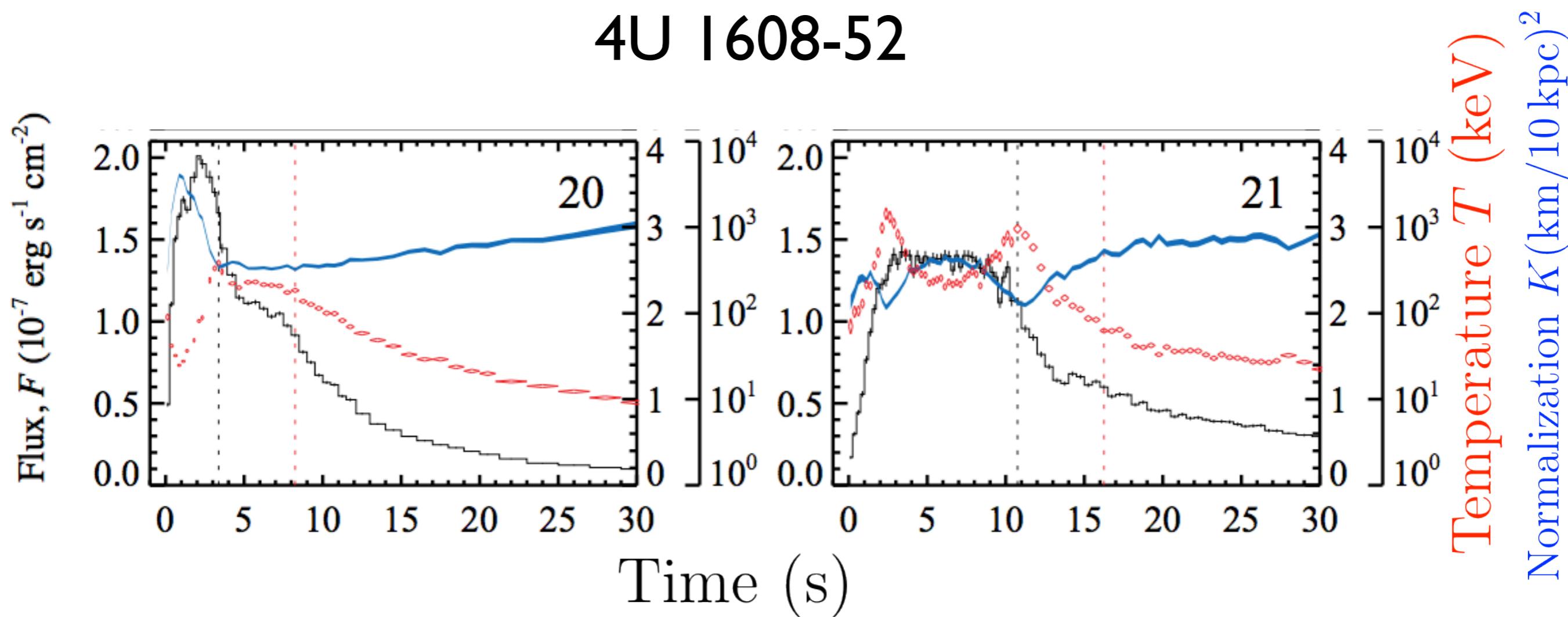
Origin of X-ray bursts



A. Spitkovsky

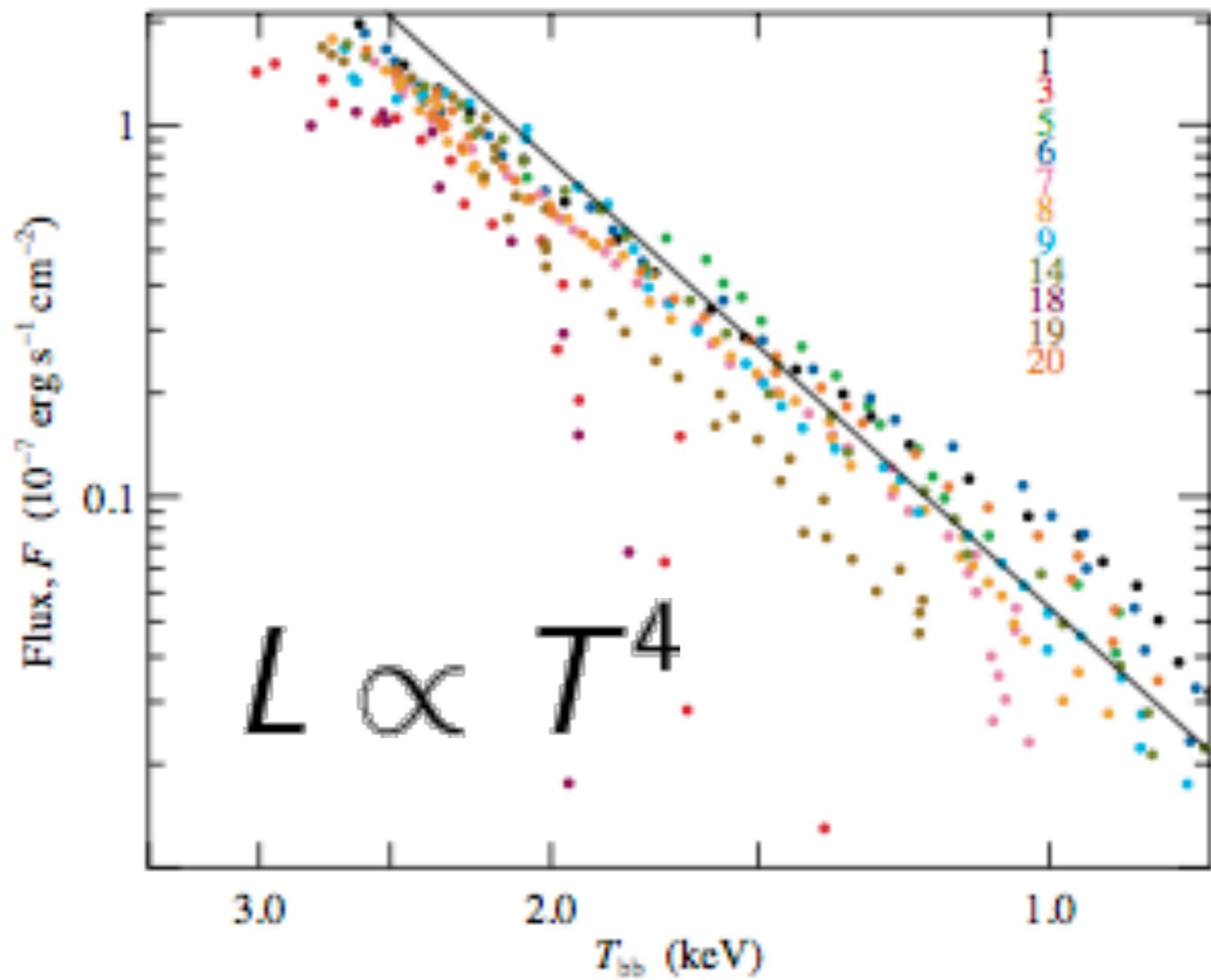
Photospheric Radius Expansion bursts

4U 1608-52

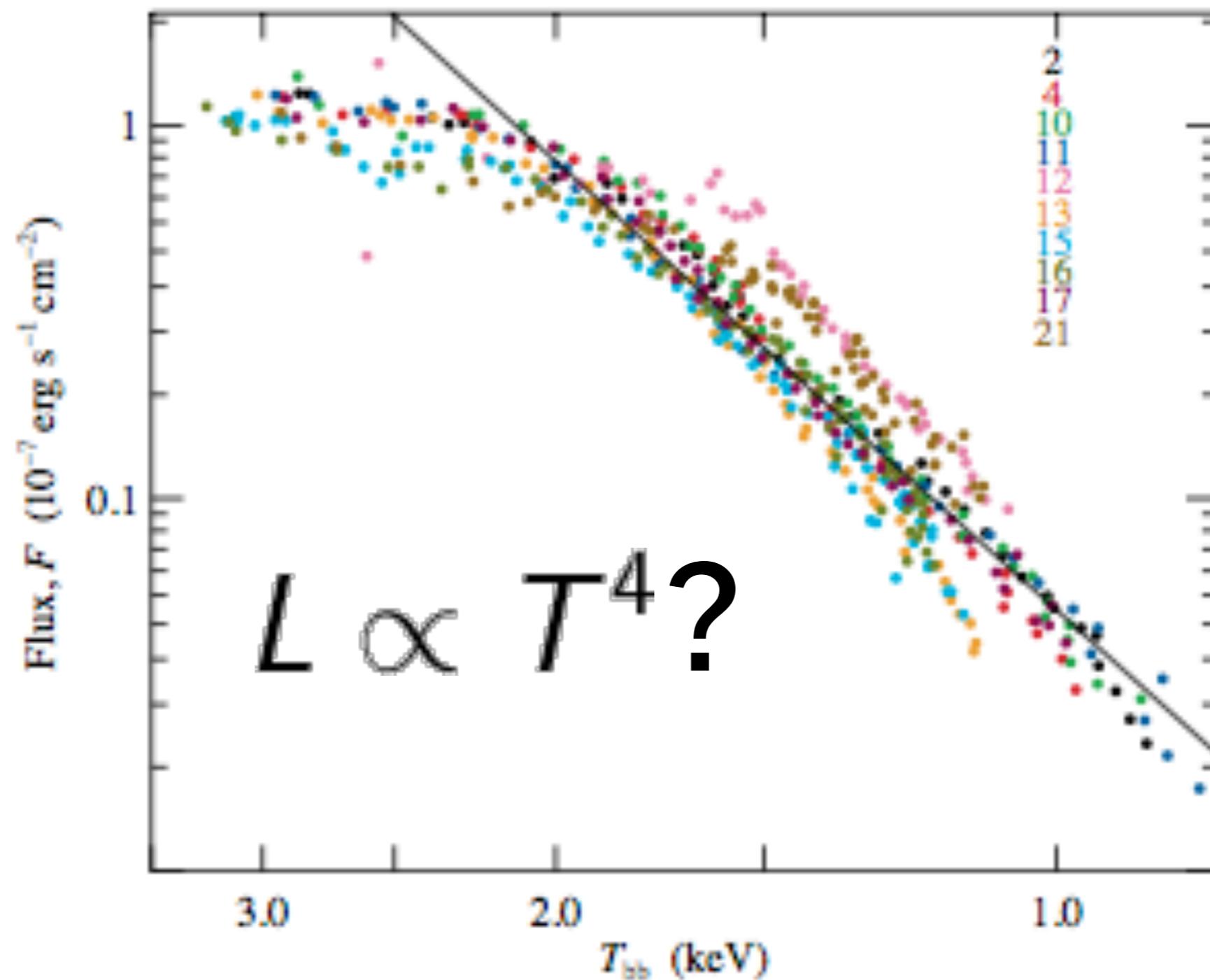


Data from RXTE/PCA instrument

Soft state bursts



Hard state bursts



Which one is right?

Soft state bursts - large accretion rates?

Hard state bursts - small accretion rates?

What does the theory say?

Atmosphere models

$$\frac{dP_g}{dm} = g - g_{\text{rad}}, \quad dm = -\rho ds, \quad g = \frac{GM}{R^2}(1+z), \quad L_{\text{Edd}} = \frac{4\pi G M c}{\kappa_e}(1+z),$$

$$\mu \frac{dI(x, \mu)}{d\tau(x, \mu)} = I(x, \mu) - S(x, \mu),$$

$$g_{\text{rad}} = \frac{dP_{\text{rad}}}{dm} = \frac{2\pi}{c} \frac{d}{dm} \int_0^\infty dx \int_{-1}^{+1} \mu^2 I(x, \mu) d\mu \\ = \frac{2\pi}{c} \int_0^\infty dx \int_{-1}^{+1} [\sigma(x, \mu) + k(x)] [I(x, \mu) - S(x, \mu)] \mu d\mu,$$

$$\sigma(x, \mu) = \kappa_e \frac{1}{x} \int_0^\infty x_1 dx_1 \int_{-1}^1 d\mu_1 R(x_1, \mu_1; x, \mu) \left(1 + \frac{C I(x_1, \mu_1)}{x_1^3} \right),$$

$$\int_0^\infty dx \int_{-1}^{+1} [\sigma(x, \mu) + k(x)] [I(x, \mu) - S(x, \mu)] d\mu = 0, \quad \kappa_e = \sigma_T \frac{N_e}{\rho} \approx 0.2 (1 + X) \text{ cm}^2 \text{ g}^{-1}$$

$$F_{\text{Edd}}^* = \frac{L_{\text{Edd}}}{4\pi R^2} = \frac{GMc}{R^2 \kappa_e} (1+z).$$

$$P_g = N_{\text{tot}} kT,$$

$$S(x, \mu) = \frac{k(x)}{\sigma(x, \mu) + k(x)} B_x + \frac{\kappa_e}{\sigma(x, \mu) + k(x)} \\ \times \left(1 + \frac{C I(x, \mu)}{x^3} \right) x^2 \int_0^\infty \frac{dx_1}{x_1^2} \int_{-1}^1 d\mu_1 R(x, \mu; x_1, \mu_1) I(x_1, \mu_1),$$

Atmosphere models

$$\frac{dP_g}{dm} = g - g_{\text{rad}}, \quad dm = -\rho ds,$$

Hydrostatic equilibrium

Atmosphere models

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Radiative transfer

Atmosphere models

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Energy balance

Atmosphere models

$$\frac{dP_g}{dm} = g - g_{\text{rad}}, \quad dm = -\rho ds,$$

Hydrostatic equilibrium

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Radiative transfer

$$\sigma(x, \mu) = \kappa_e \frac{1}{x} \int_0^\infty x_1 dx_1 \int_{-1}^1 d\mu_1 R(x_1, \mu_1; x, \mu) \left(1 + \frac{C I(x_1, \mu_1)}{x_1^3} \right), \quad \text{Electron opacity}$$

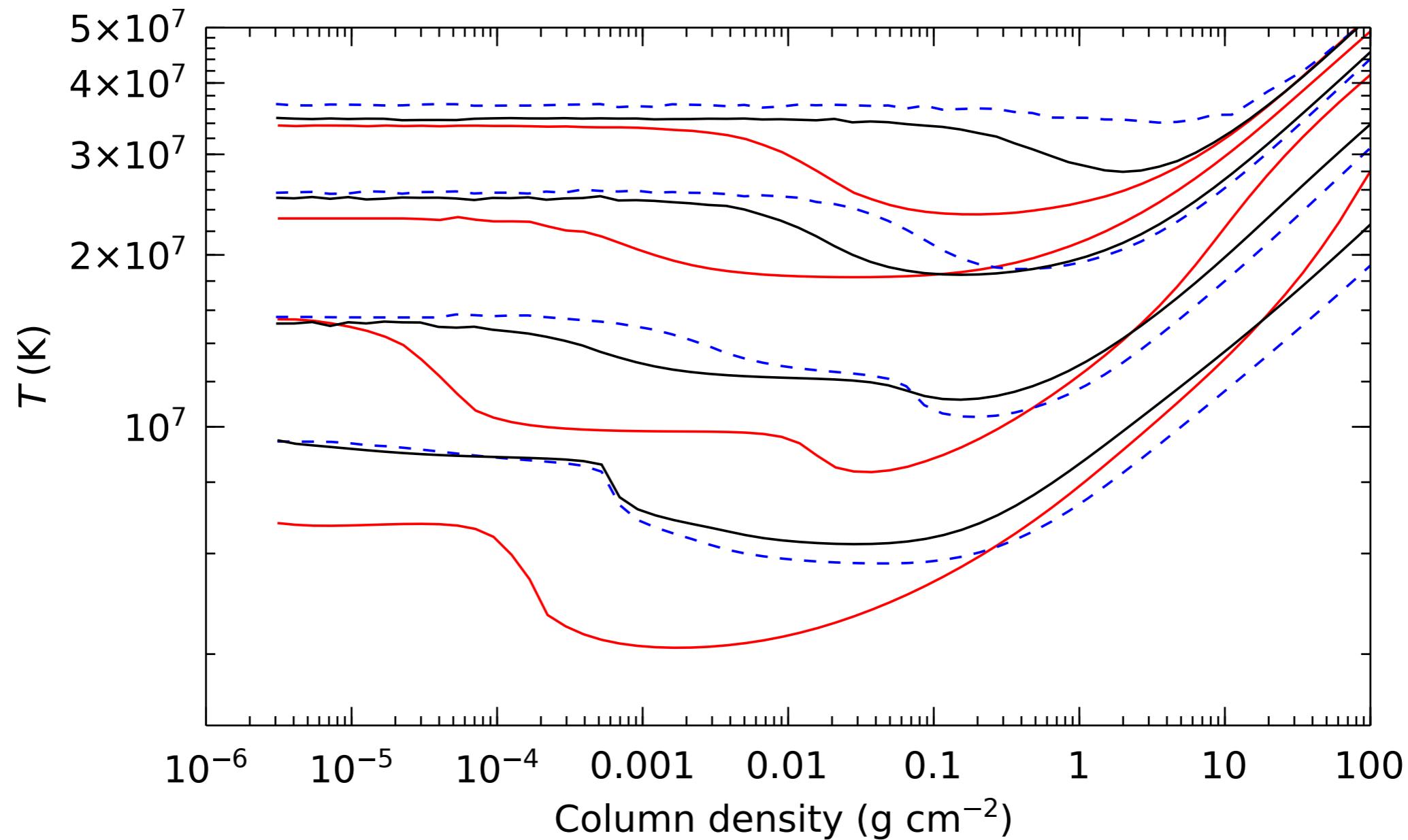
$$\int_0^\infty dx \int_{-1}^{+1} [\sigma(x, \mu) + k(x)] [I(x, \mu) - S(x, \mu)] d\mu = 0,$$

Energy balance

$$P_g = N_{\text{tot}} kT,$$

Ideal gas law

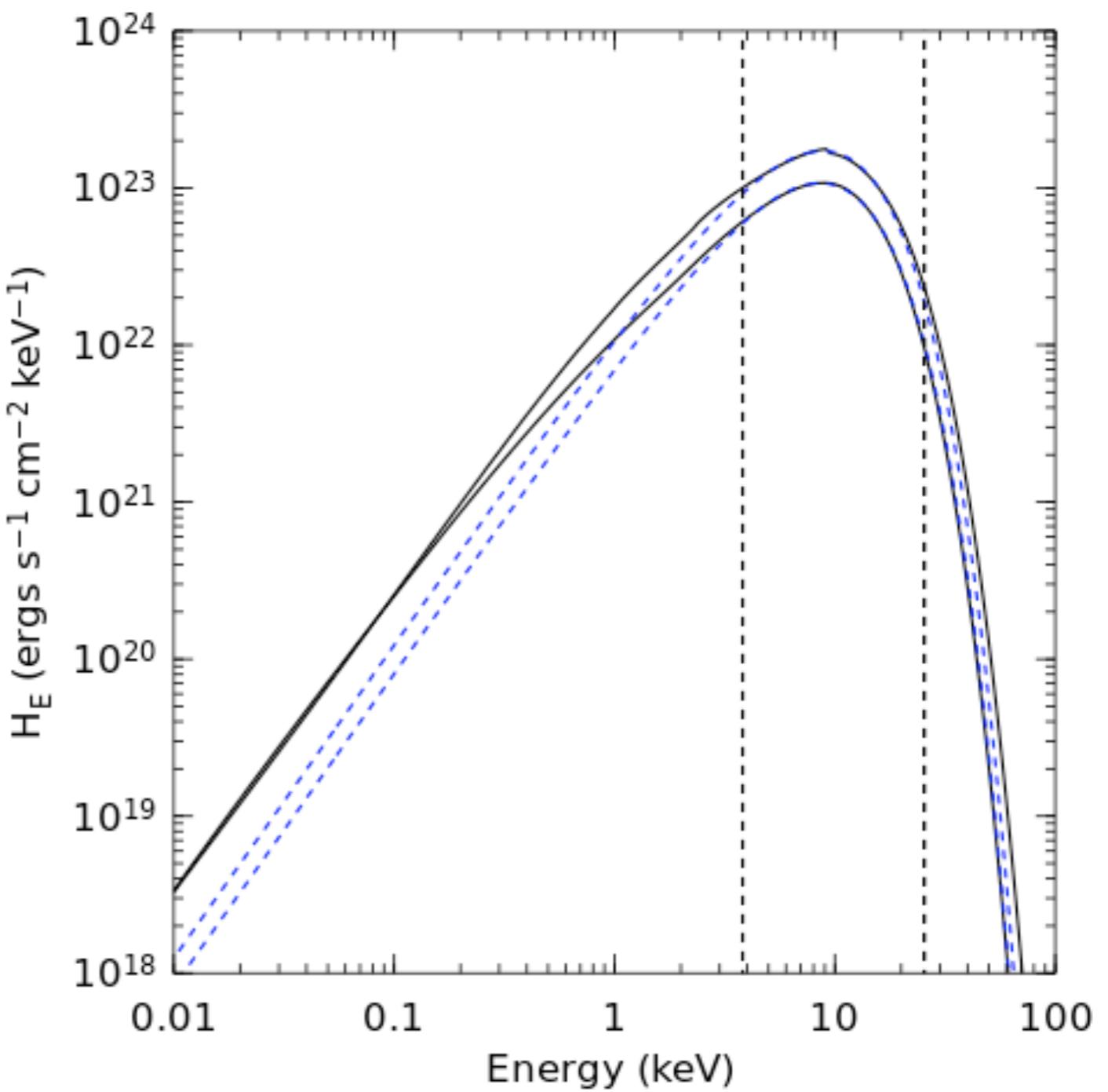
Atmosphere structure: temperature profile



Emerging spectrum

Well described by
diluted black body
(in range 2.5 - 25.0 keV)

$$F_E = \frac{1}{f_c^4} B_E(T_c = f_c T_{\text{eff}})$$

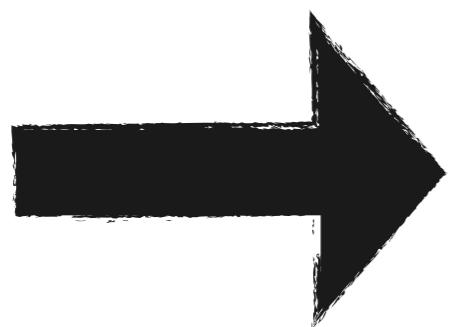


Color-correction factor f_c

Models:

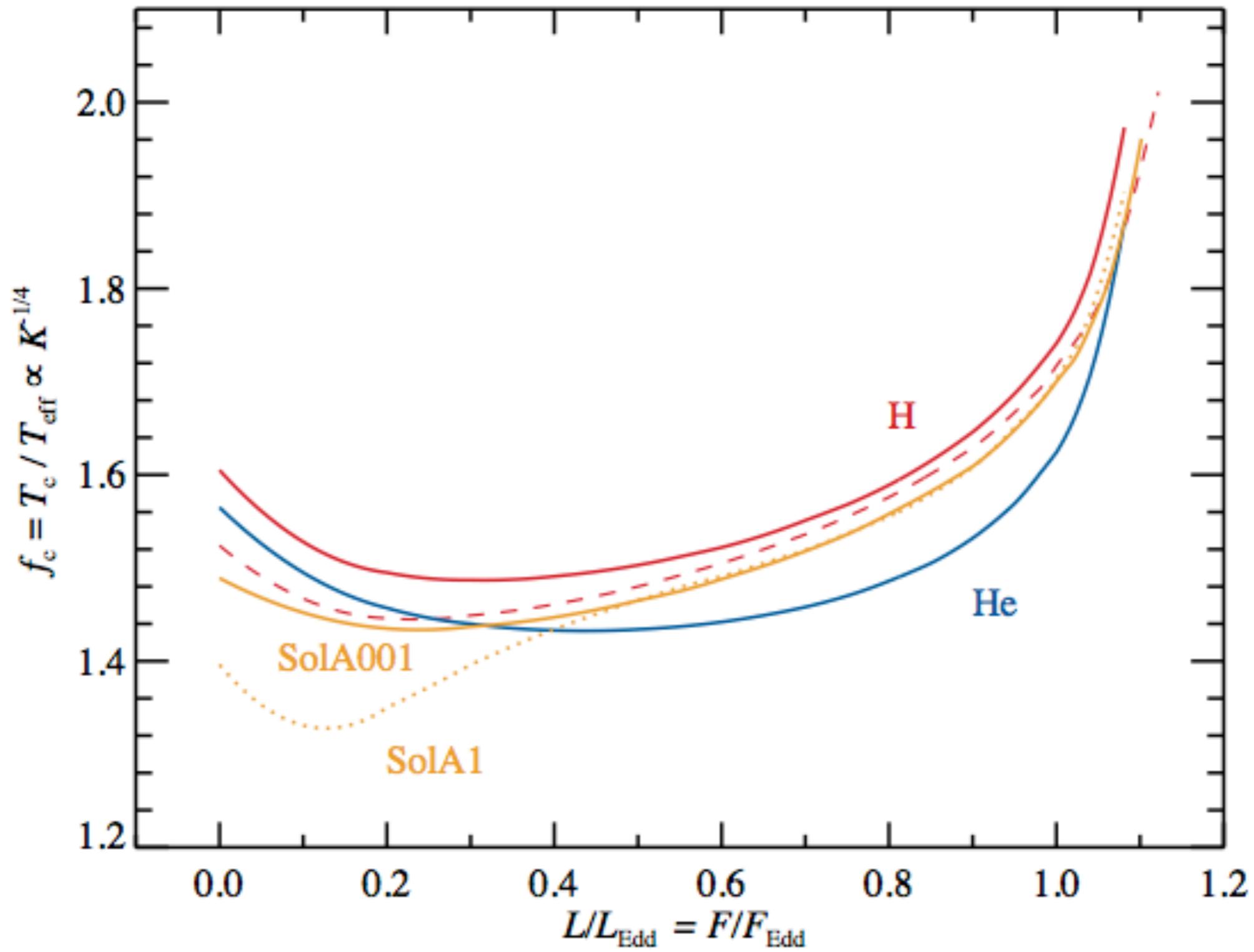
$$F_E = \frac{1}{f_c^4} B_E(T_c = f_c T_{\text{eff}})$$

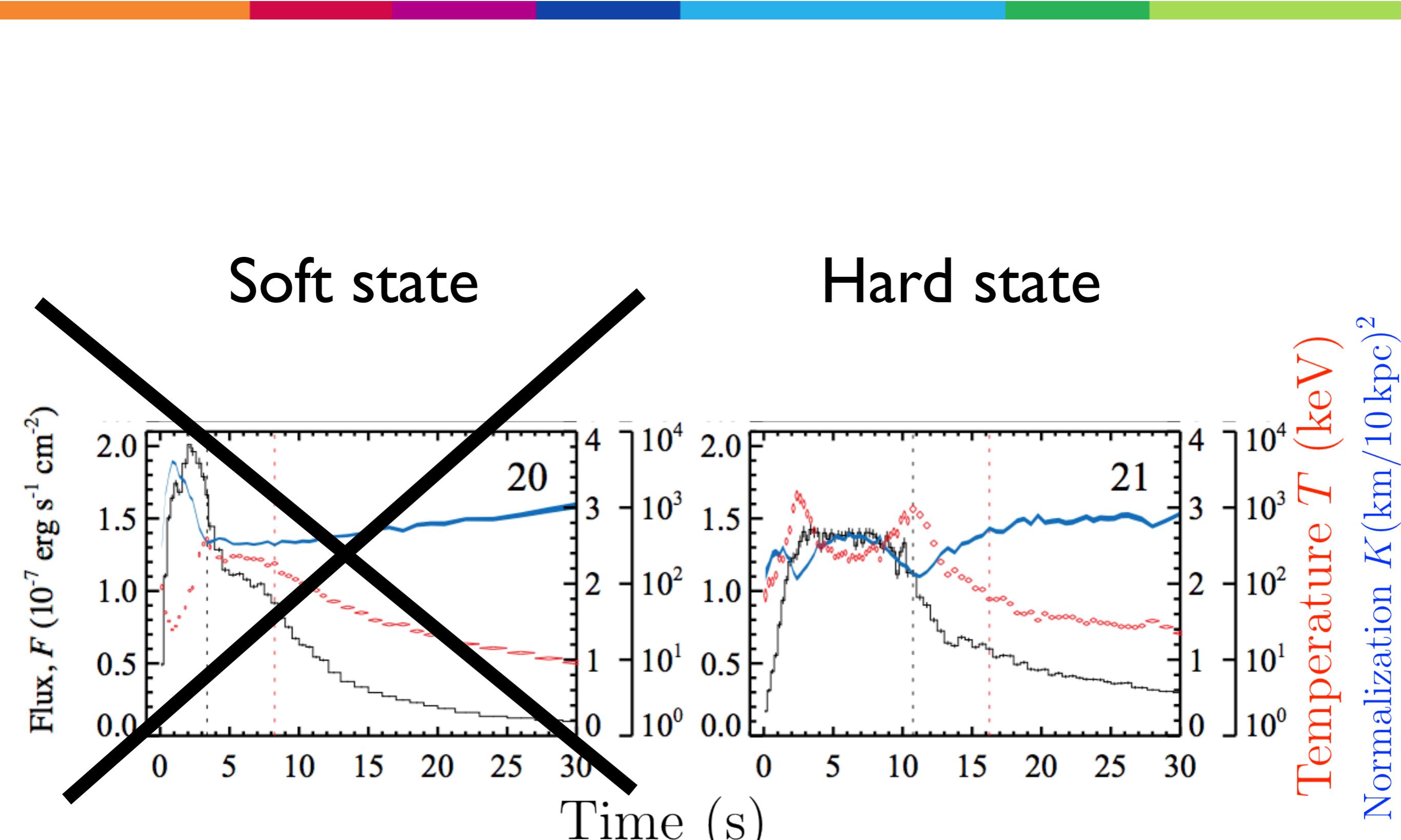
Observations: $F_E = K \times B_E(T)$



$$f_c \propto K^{-1/4}$$

Color-correction factor f_c



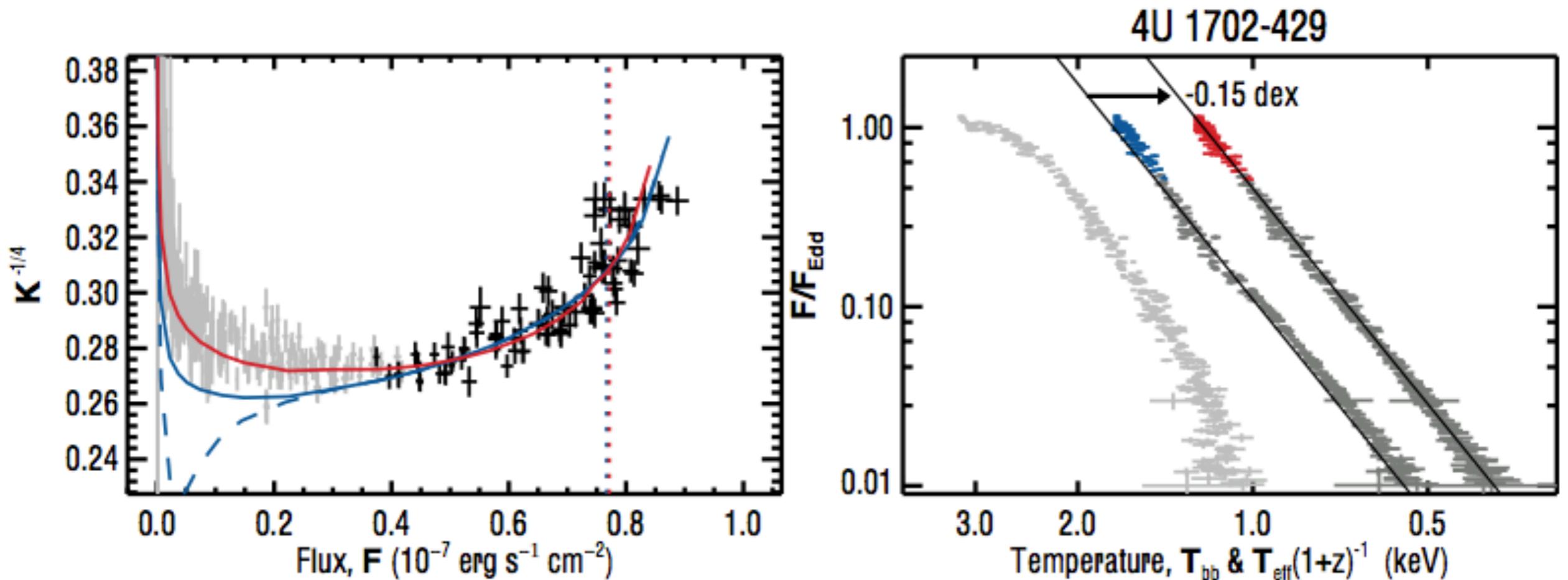


Large accretion rate

Small accretion rate

Normalization K (km/10 kpc) 2

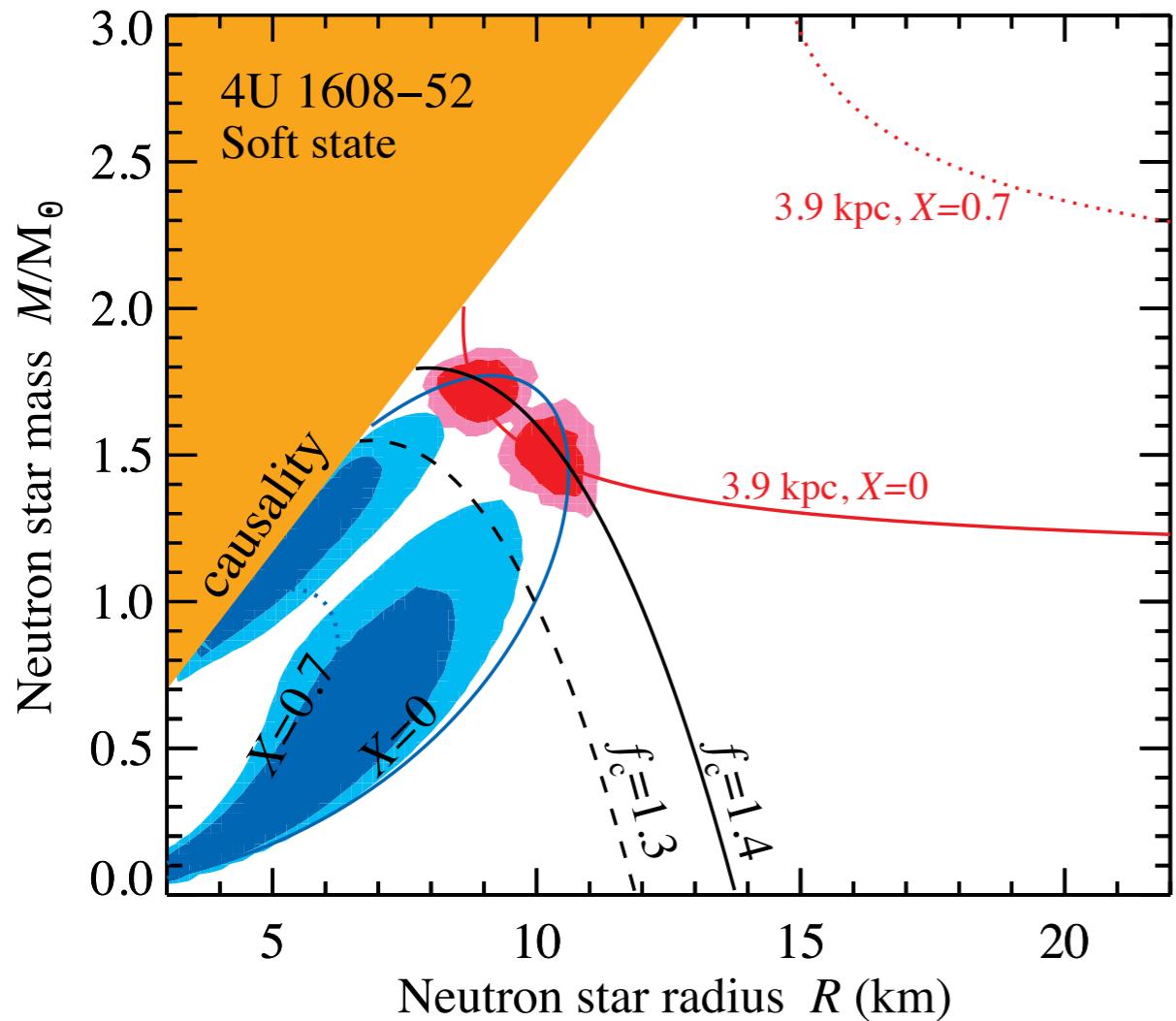
Observations with hard state bursts



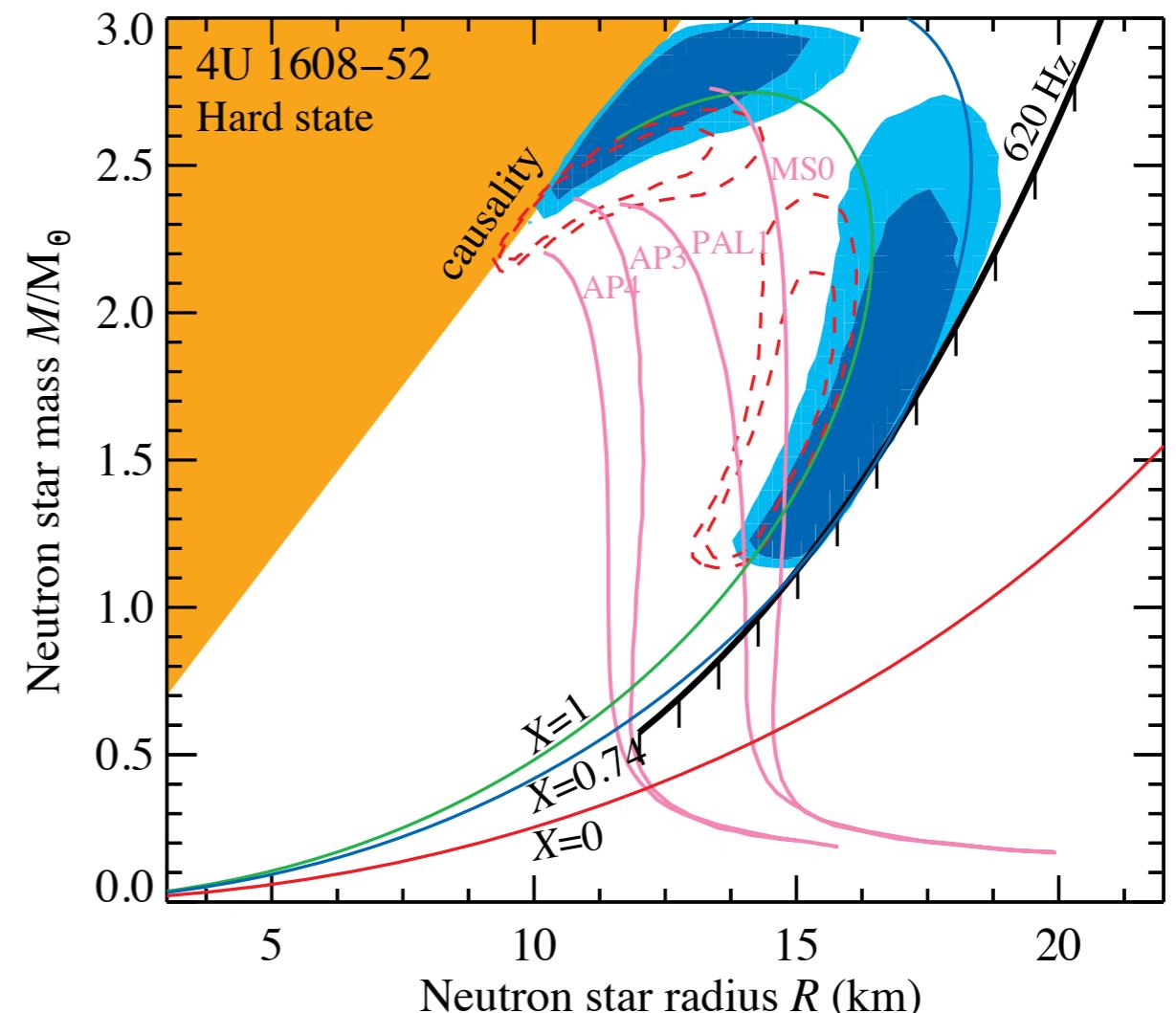
Agree! → Mass and radius

Mass & Radius

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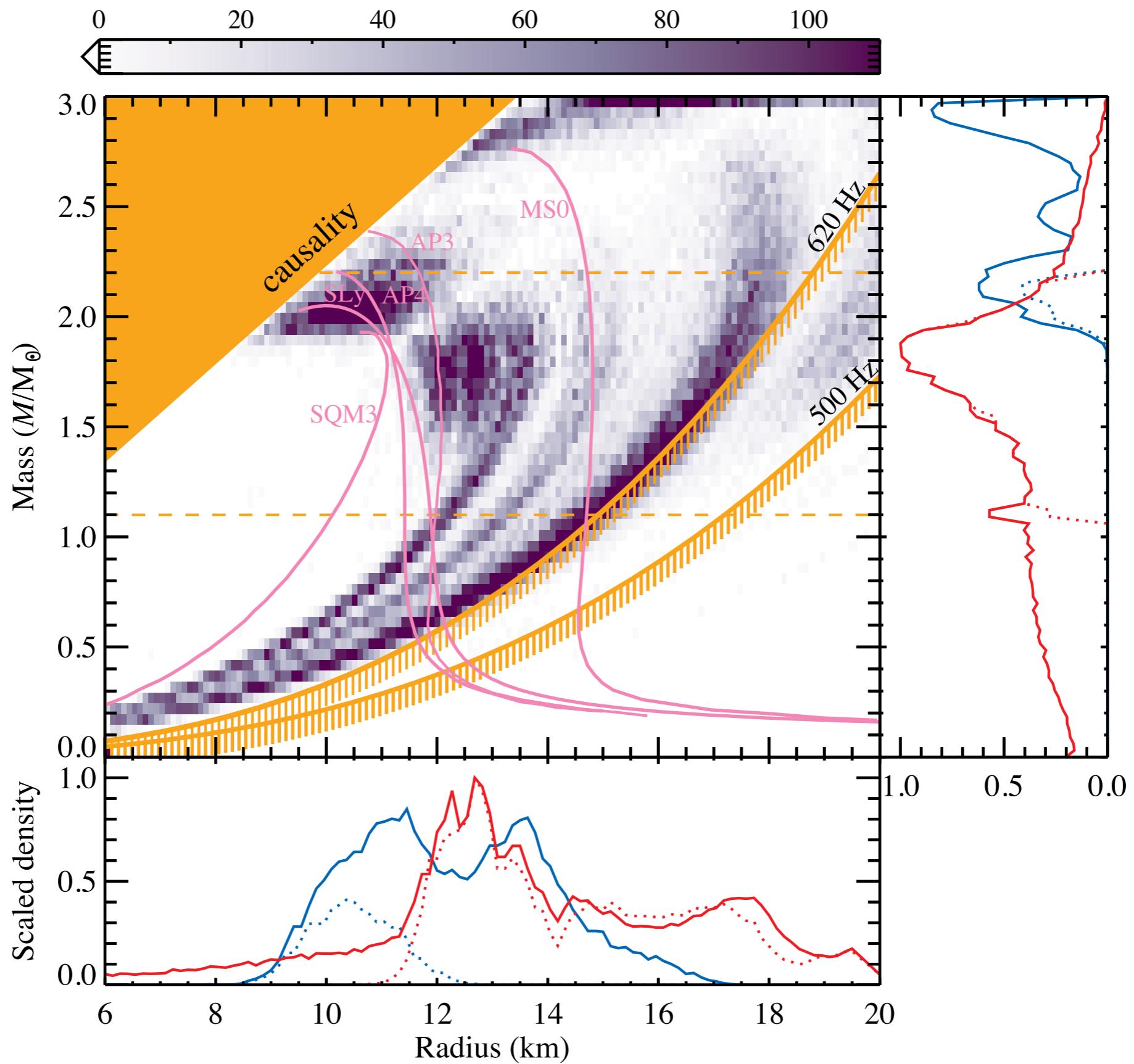


Soft state - Wrong!



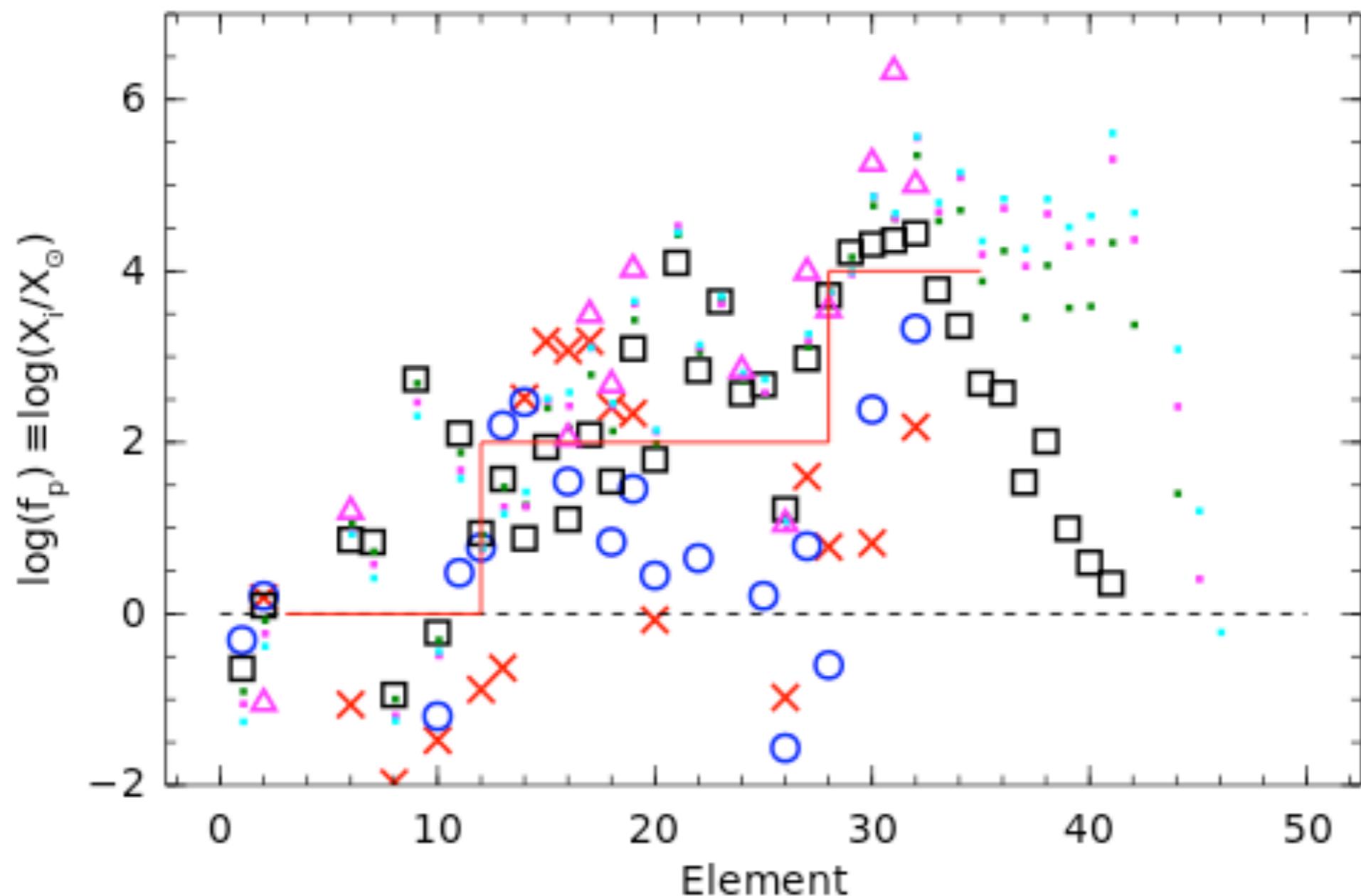
Hard state

Mass & Radius

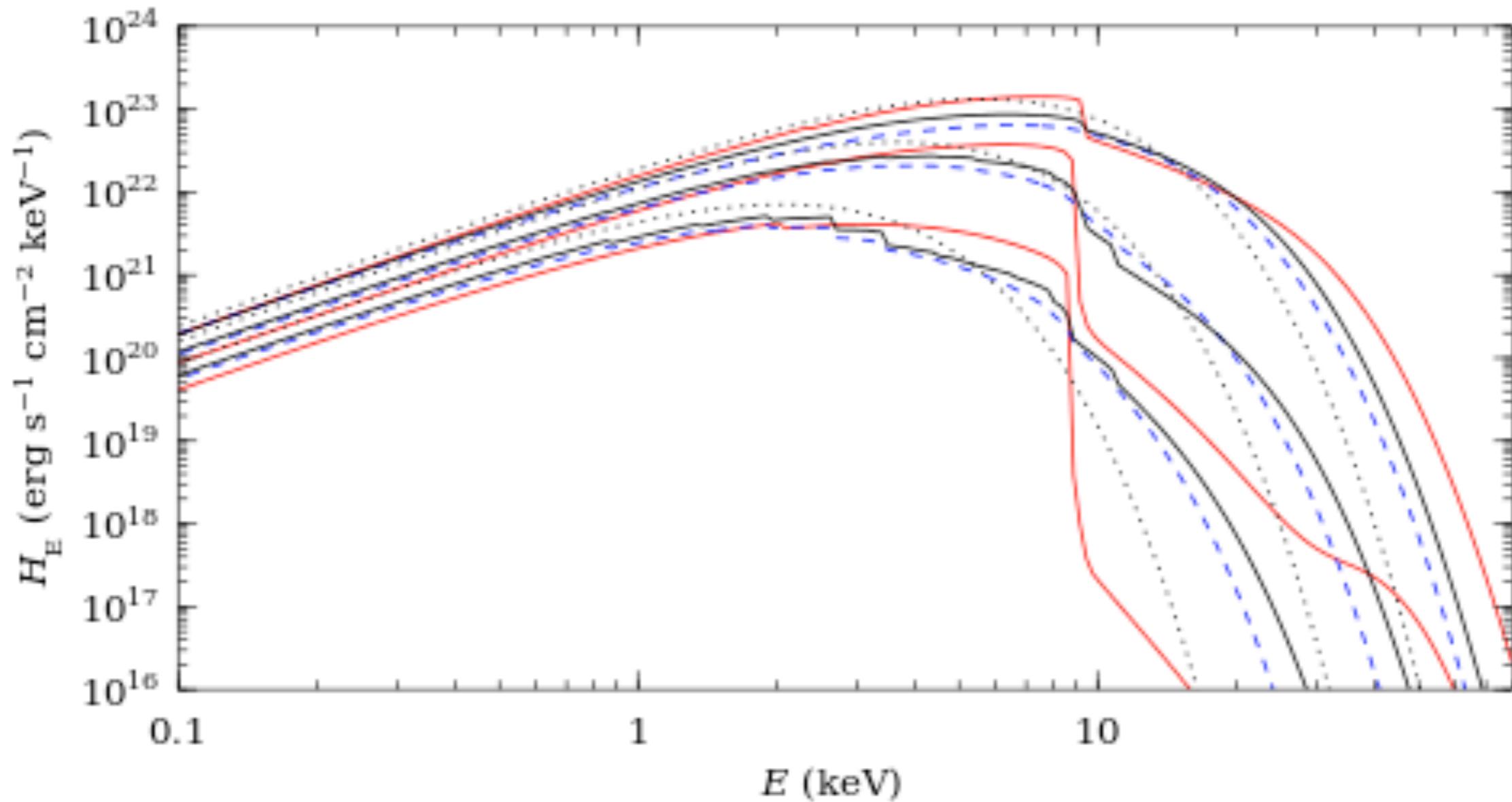


What about metals?

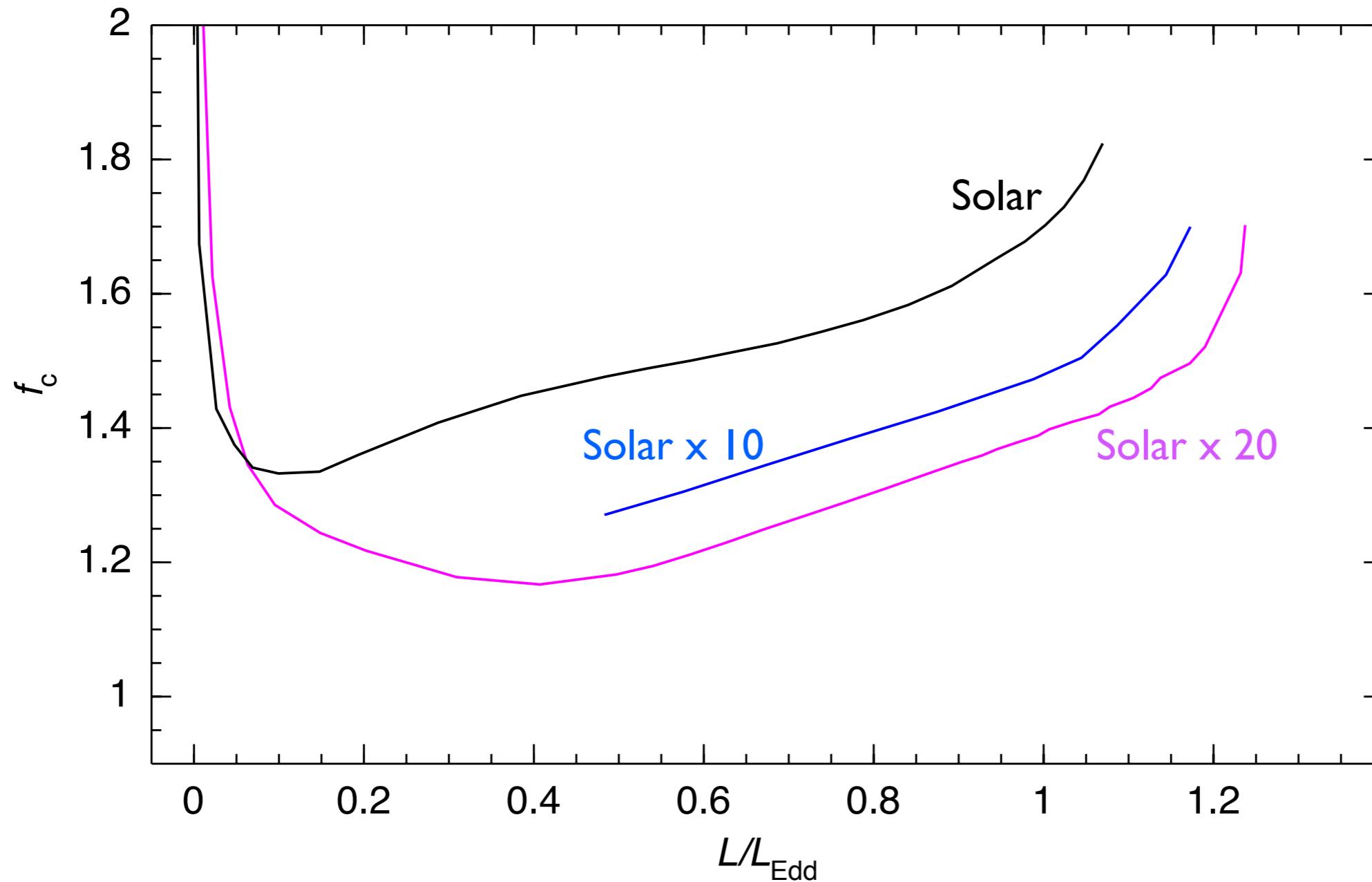
What about metals?



Metal rich atmospheres

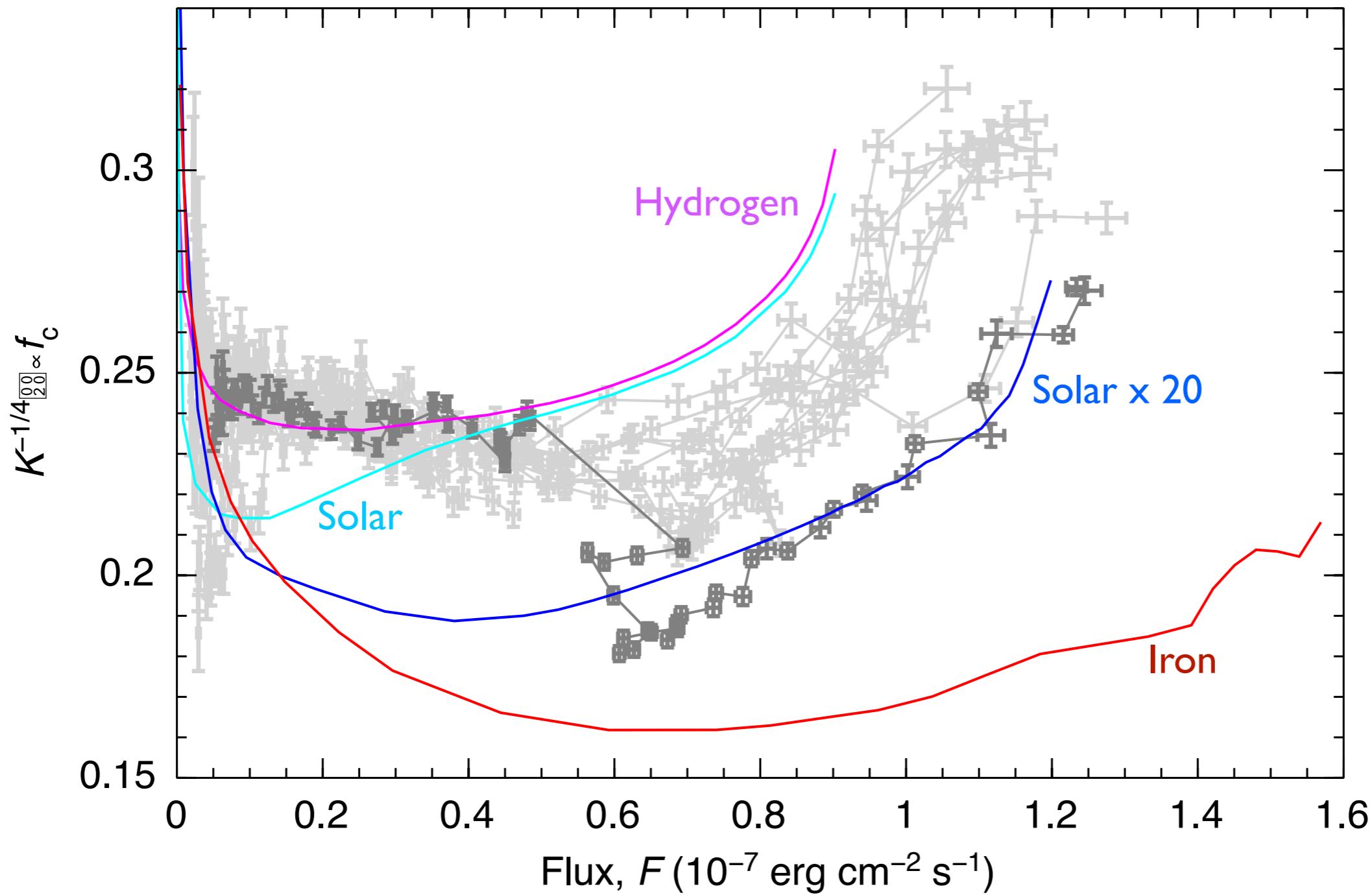


Color-correction factors f_c



Observations:

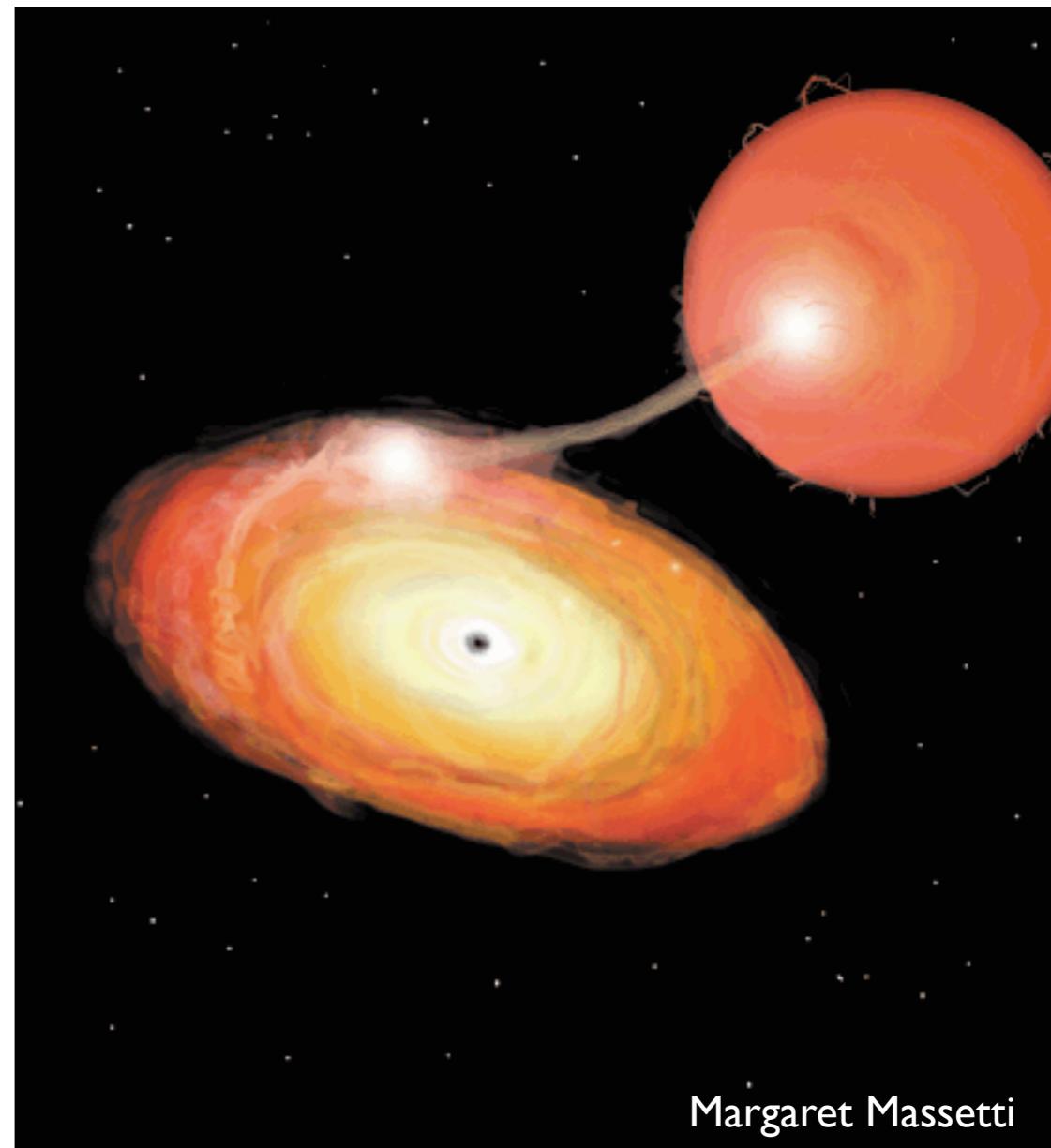
HETEJ19001-2455



Disk dynamics & pollution

Dynamic timescales of disk

New way of producing heavy metals & ejecting them into ISM



Margaret Massetti

Conclusions (1/2)

- Accretion processes affect cooling
- Hard & soft state bursts
 - Poutanen, Nätilä, Kajava, Latvala, Galloway, Kuulkers & Suleimanov 2014 MNRAS
 - Kajava, Nätilä, Latvala, Pursiainen, Poutanen, Suleimanov, Revnivtsev, Kuulkers & Galloway 2014, MNRAS
- Mass & radius estimates: 12-15 km
- Rotational effects still missing

Conclusions (2/2)

- We have computed new metal enriched atmosphere models
 - Nättilä et al 2014, A&A, *in prep.*
- Evidence found for metals reaching photosphere
 - Best example so far: HETE J1900.1-2455
 - Nättilä et al 2015, A&A, *in prep.*
 - More examples already found in the burst database we have compiled



Thanks!