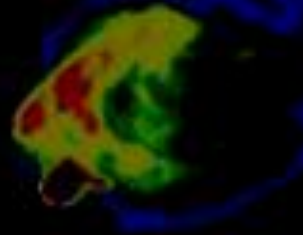
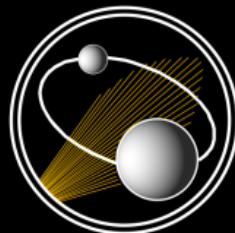


# An Internal Shock Model for the Variability of Blazar Emission



Markus Böttcher  
*Ohio University*  
*Athens, OH, USA*

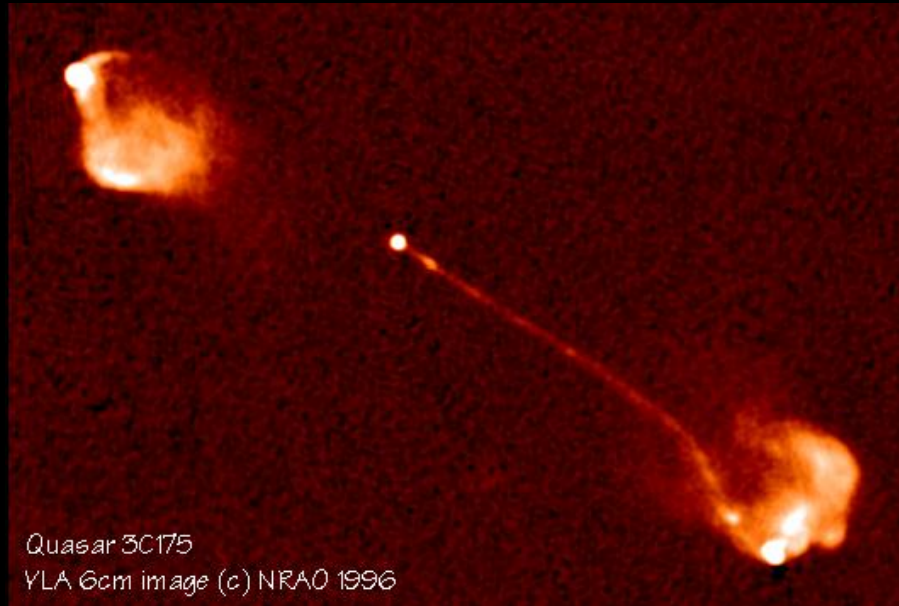


**ASTROPHYSICAL  
INSTITUTE**

OHIO UNIVERSITY

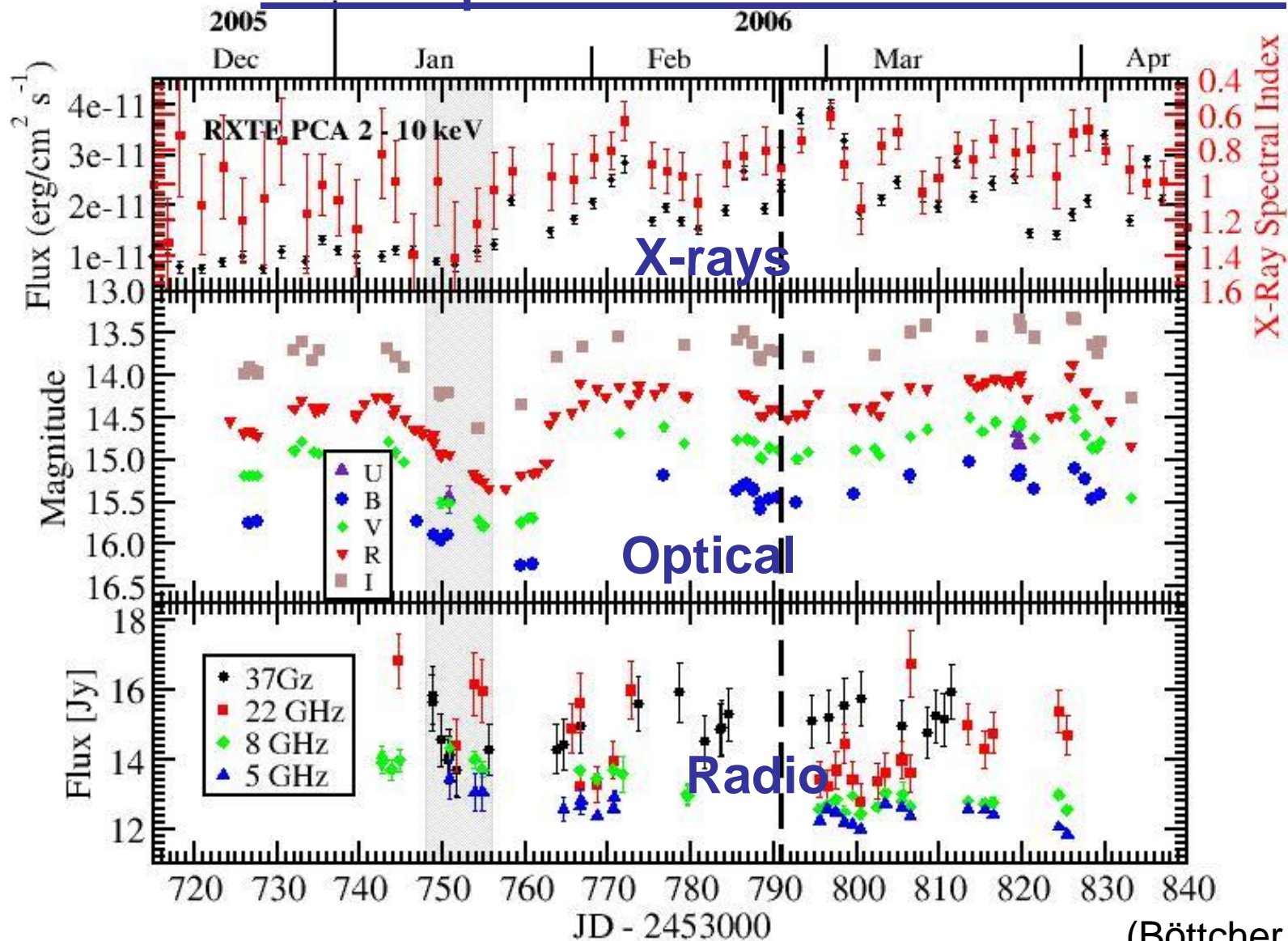
ESAC, Villanueva de la Cañada, Spain, Feb. 4, 2010

# Blazars



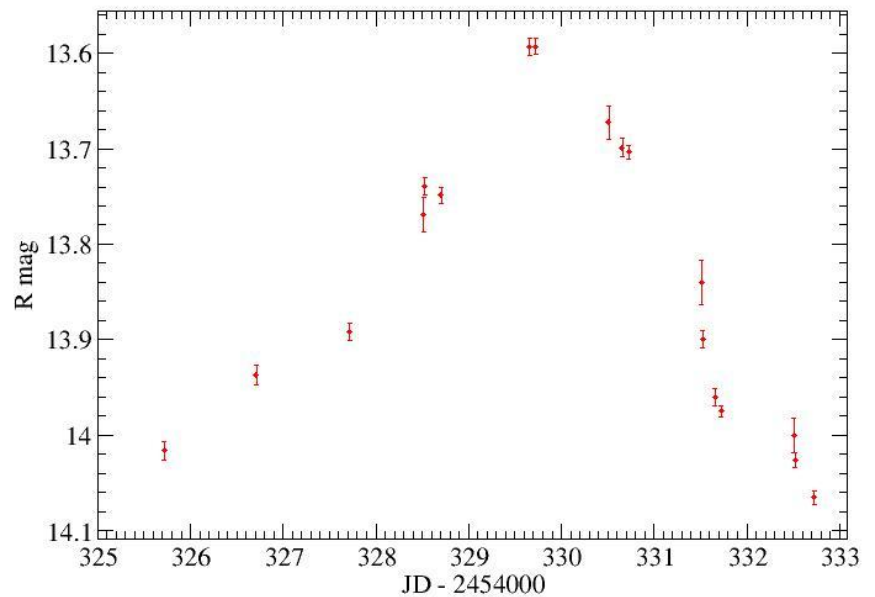
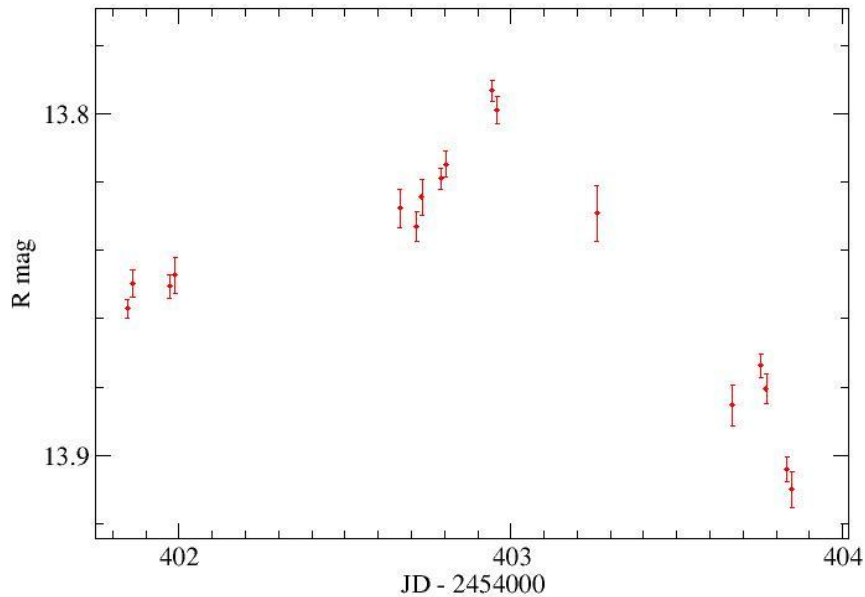
- Class of AGN consisting of **BL Lac** objects and gamma-ray bright **quasars**
- Rapidly (often intra-day) variable

# Blazar Variability: Example: The Quasar 3C279



(Böttcher et al. 2007)

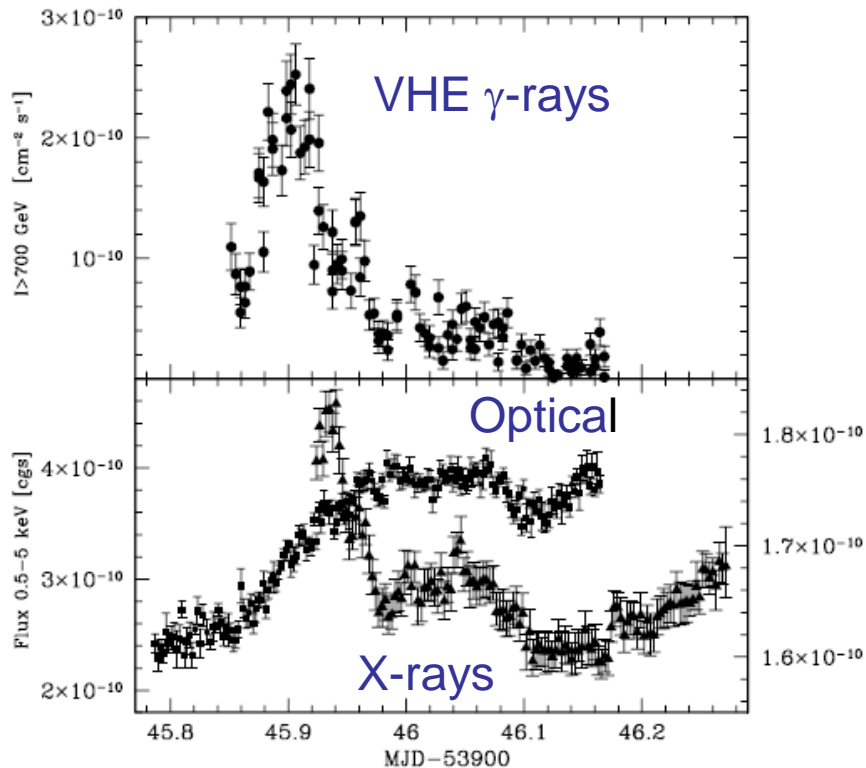
# Blazar Variability: Example: The BL Lac Object 3C66A



(Böttcher et al. 2009)

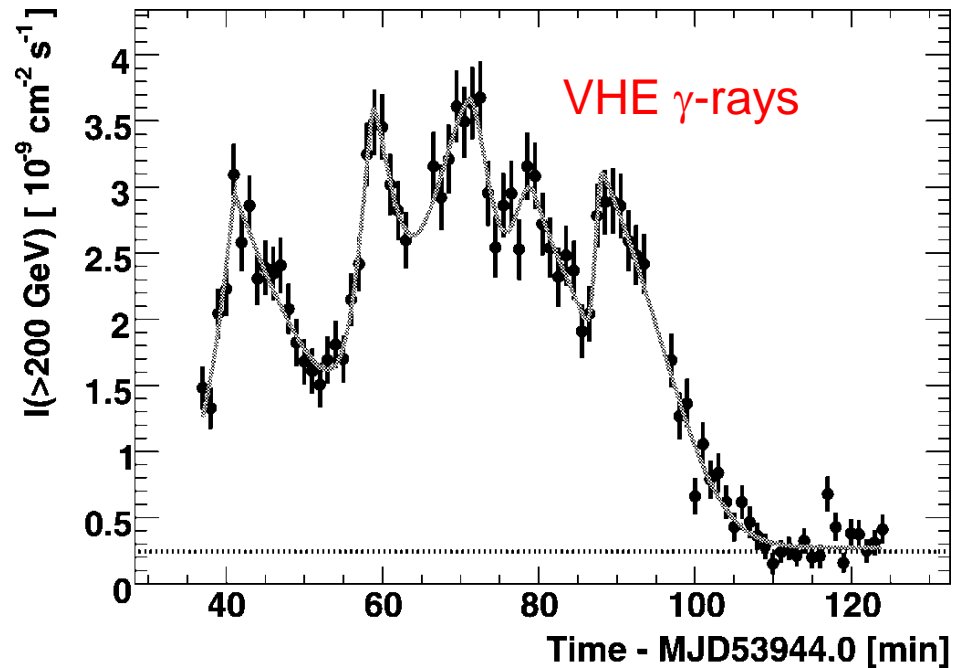
Optical Variability on timescales  
of a few hours.

# Blazar Variability: Variability of PKS 2155-304



(Costamante et al. 2008)

VHE  $\gamma$ -ray and X-ray variability  
often closely correlated

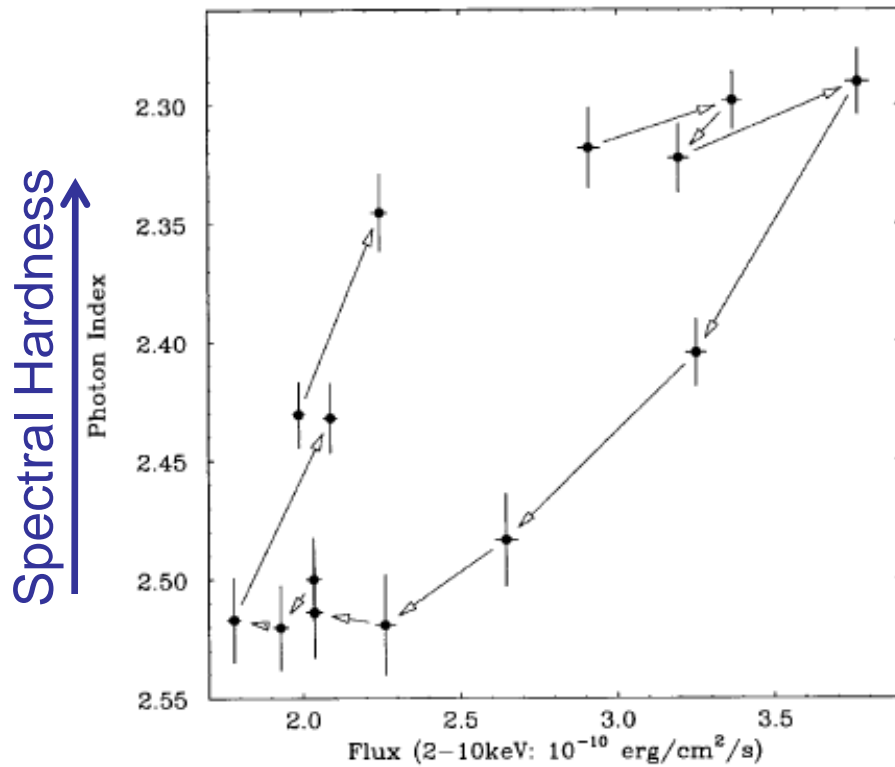


(Aharonian et al. 2007)

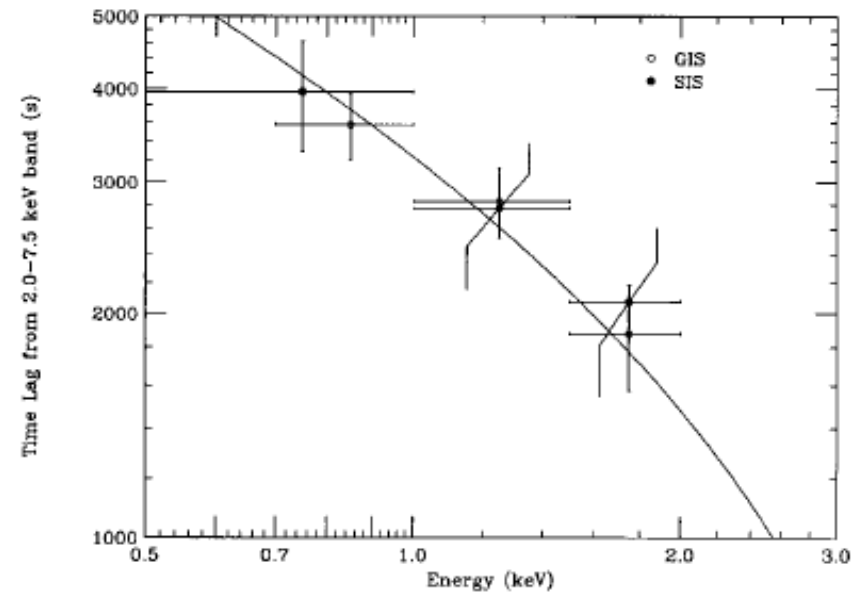
VHE  $\gamma$ -ray variability on  
time scales as short as a  
few minutes!

# Spectral Variability

## Hardness-Intensity Diagrams

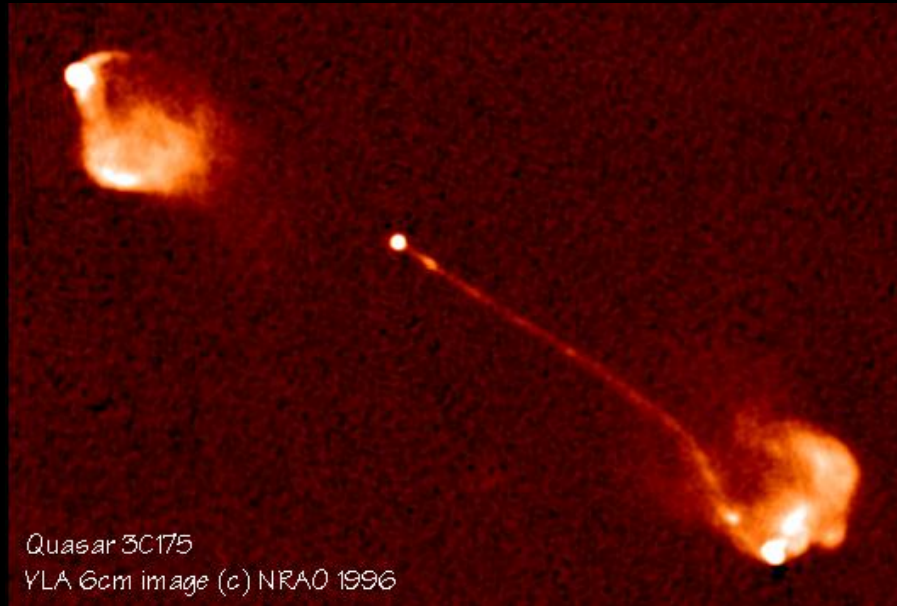


## Spectral Time Lags



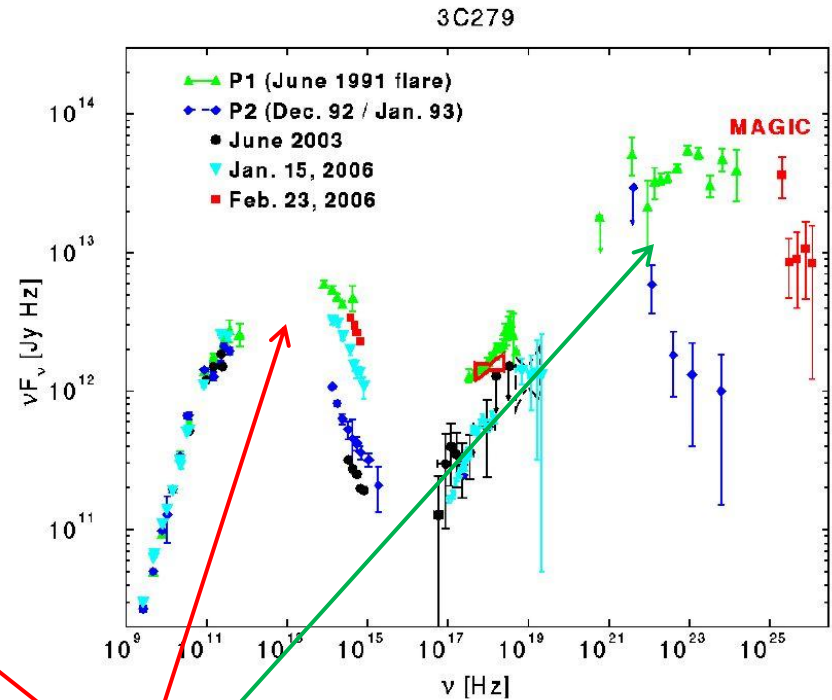
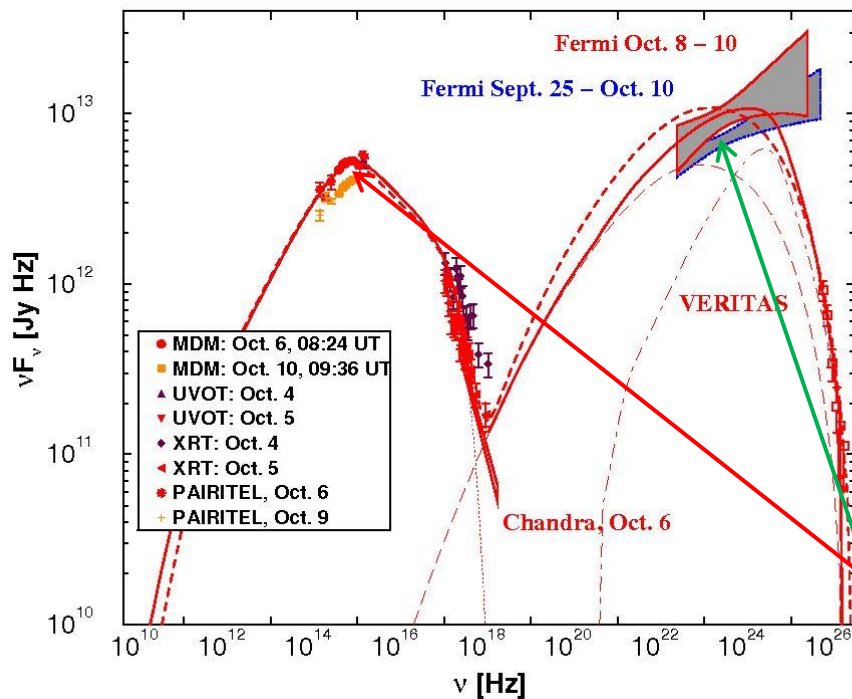
(Mrk 421; Takahashi et al. 1996)

# Blazars



- Class of AGN consisting of **BL Lac** objects and gamma-ray bright **quasars**
- Rapidly (often intra-day) variable
- Strong gamma-ray sources

# Blazar Spectral Energy Distributions (SEDs)

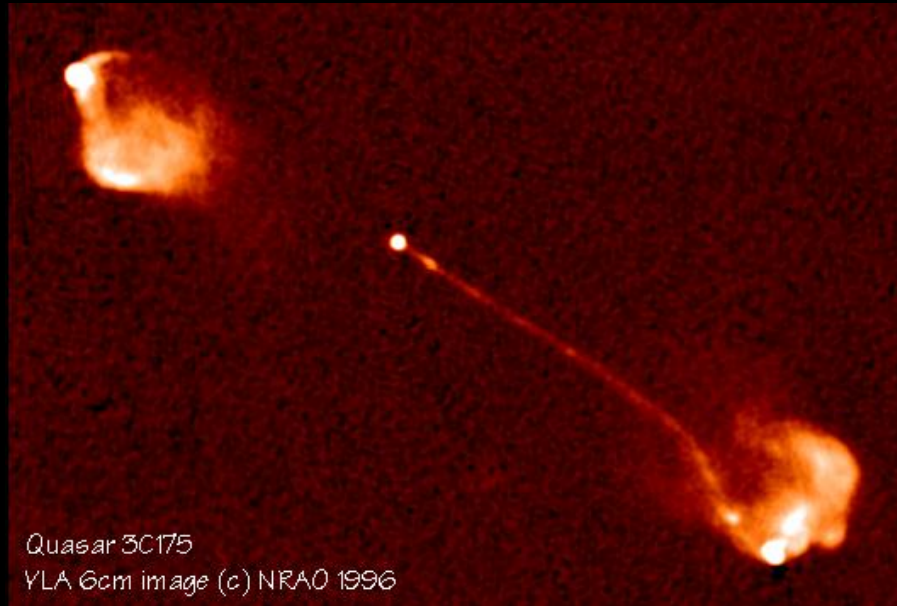


Non-thermal spectra with two broad bumps:

- Low-energy (probably synchrotron): radio-IR-optical(-UV-X-rays)
- High-energy (X-ray –  $\gamma$ -rays)



# Blazars



- Class of AGN consisting of **BL Lac** objects and **gamma-ray bright quasars**
- Rapidly (often intra-day) variable
- Strong gamma-ray sources
- Radio jets, often with superluminal motion
- Radio and optical polarization

# Blazar Classification

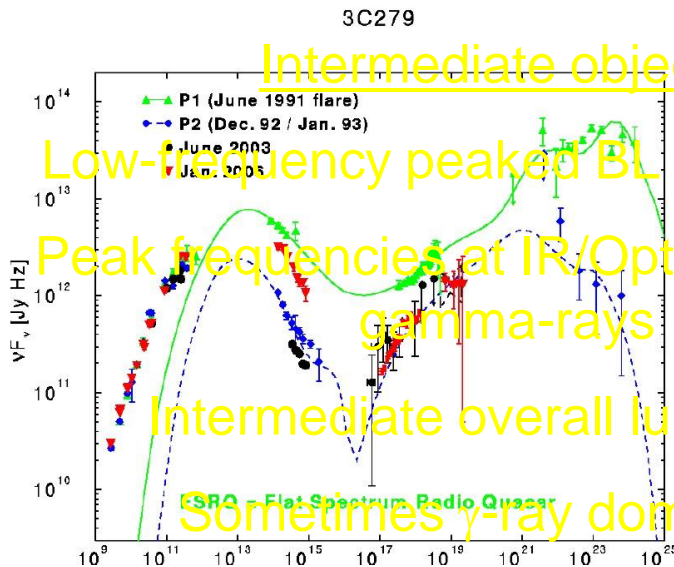
Intermediate objects:

Low-frequency peaked BL Lacs (LBLs):

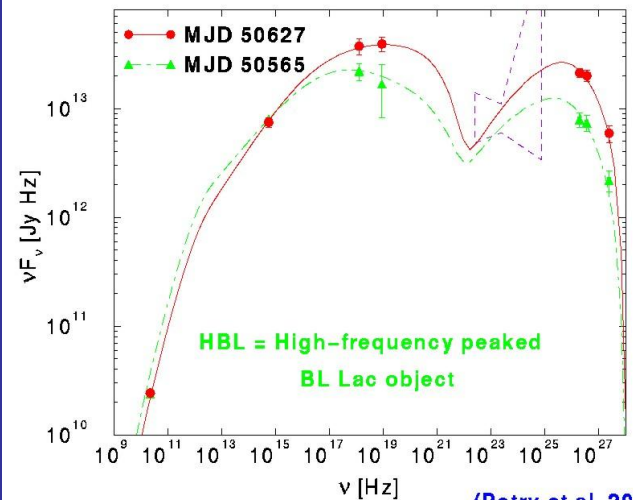
Peak frequencies at IR/Optical and GeV gamma-rays

Intermediate overall luminosity

Sometimes  $\gamma$ -ray dominated



Mrk 501 in 1997  
MJD 50565 vs. MJD 50627

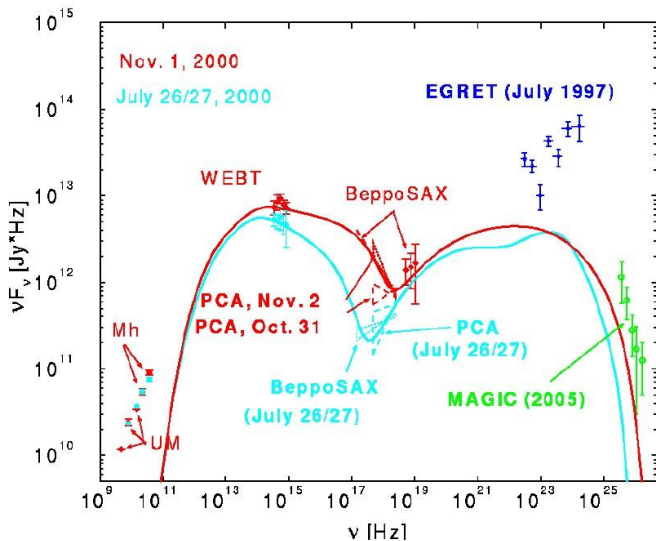


(Petry et al. 2000)

High-frequency peaked BL Lacs (HBLs):

Low-frequency component from radio to UV/X-rays, often dominating the total power

High-frequency component from hard X-rays to high-energy gamma-rays



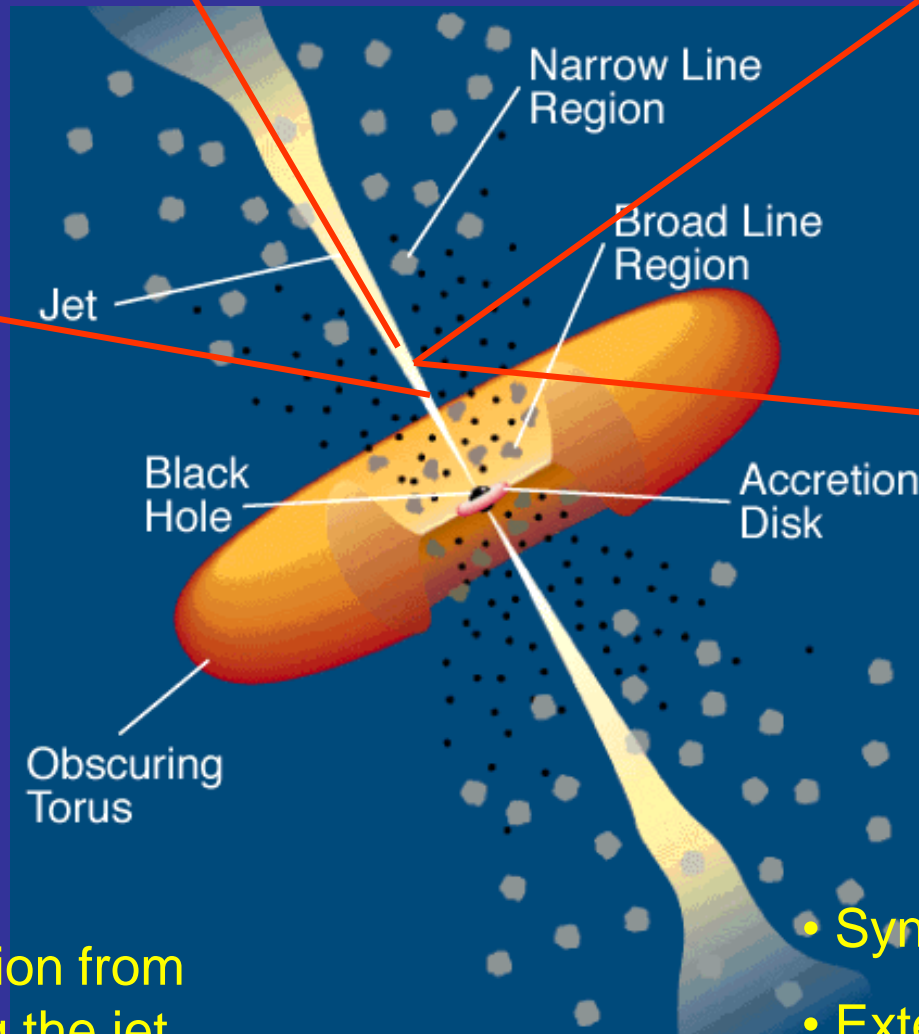
Low-fre

High-fre  
to  $\gamma$ -ray

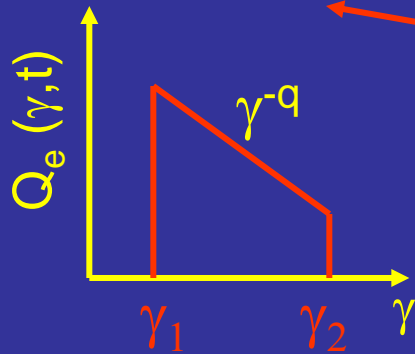
Peak fr

# Leptonic Blazar Models

Relativistic jet outflow with  $\Gamma \approx 10$



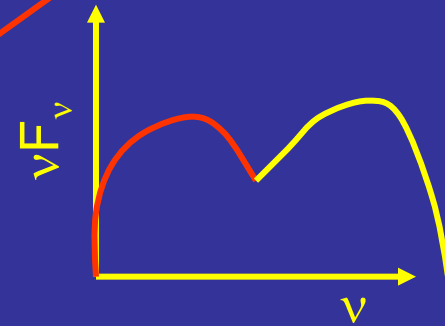
Injection, acceleration of ultrarelativistic electrons



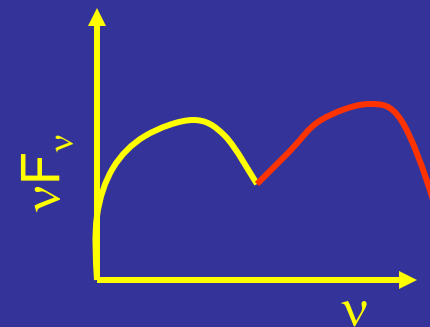
Injection over finite length near the base of the jet.

Additional contribution from  $\gamma\gamma$  absorption along the jet

Synchrotron emission



Compton emission

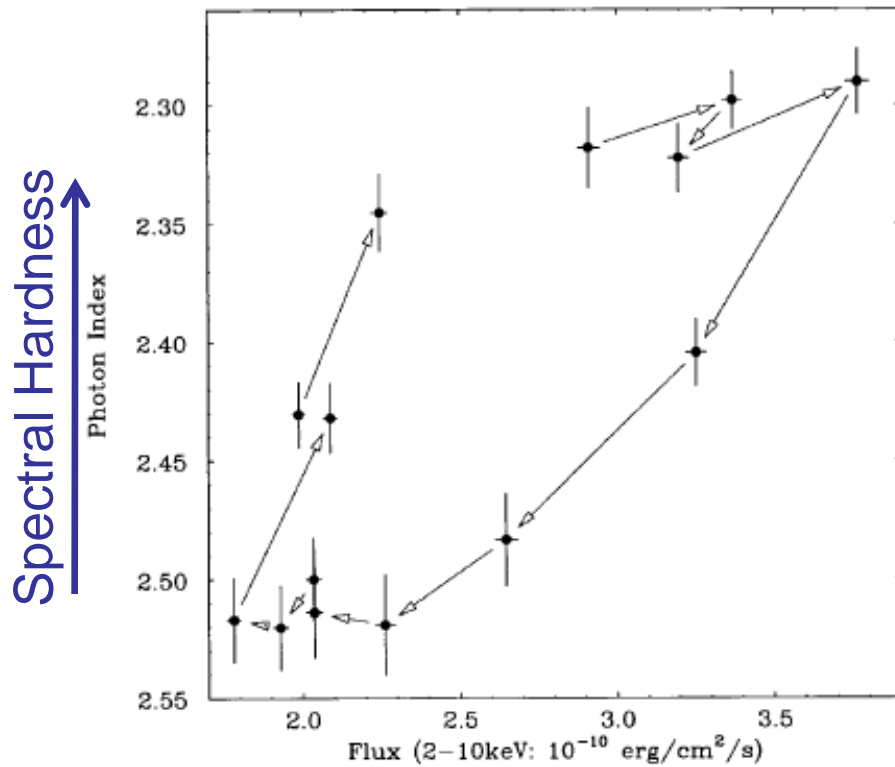


Seed photons:

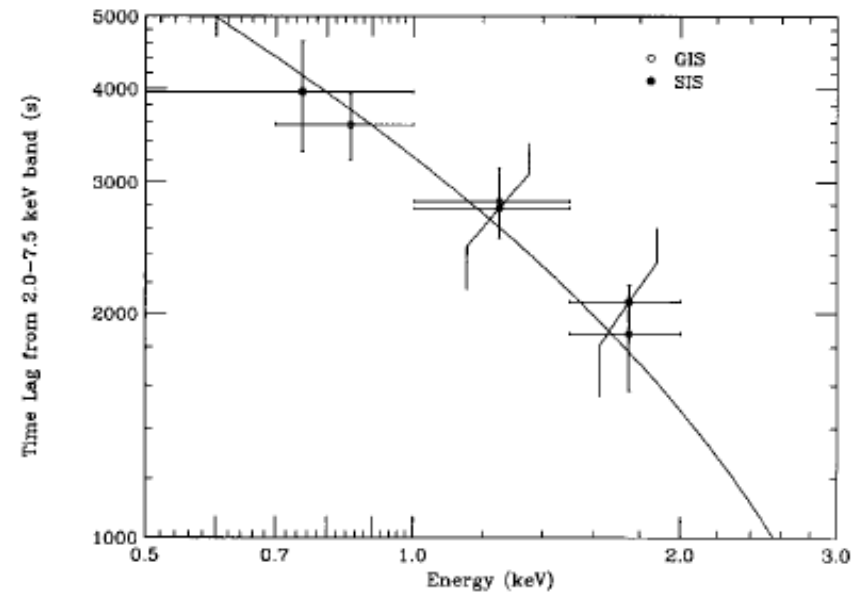
- Synchrotron (SSC)
- External Sources (EC)

# Spectral Variability

## Hardness-Intensity Diagrams



## Spectral Time Lags



(Takahashi et al. 1996)

# Interpretation of Spectral Variability in Blazars

If energy-dependent (spectral) time lags are related to energy-dependent synchrotron cooling time scale:

$$d\gamma/dt = -v_0\gamma^2 \quad \text{with} \quad v_0 = (4/3) c \sigma_T u'_B$$

$$t_{\text{cool}} = \gamma/|d\gamma/dt| = 1/(v_0\gamma)$$

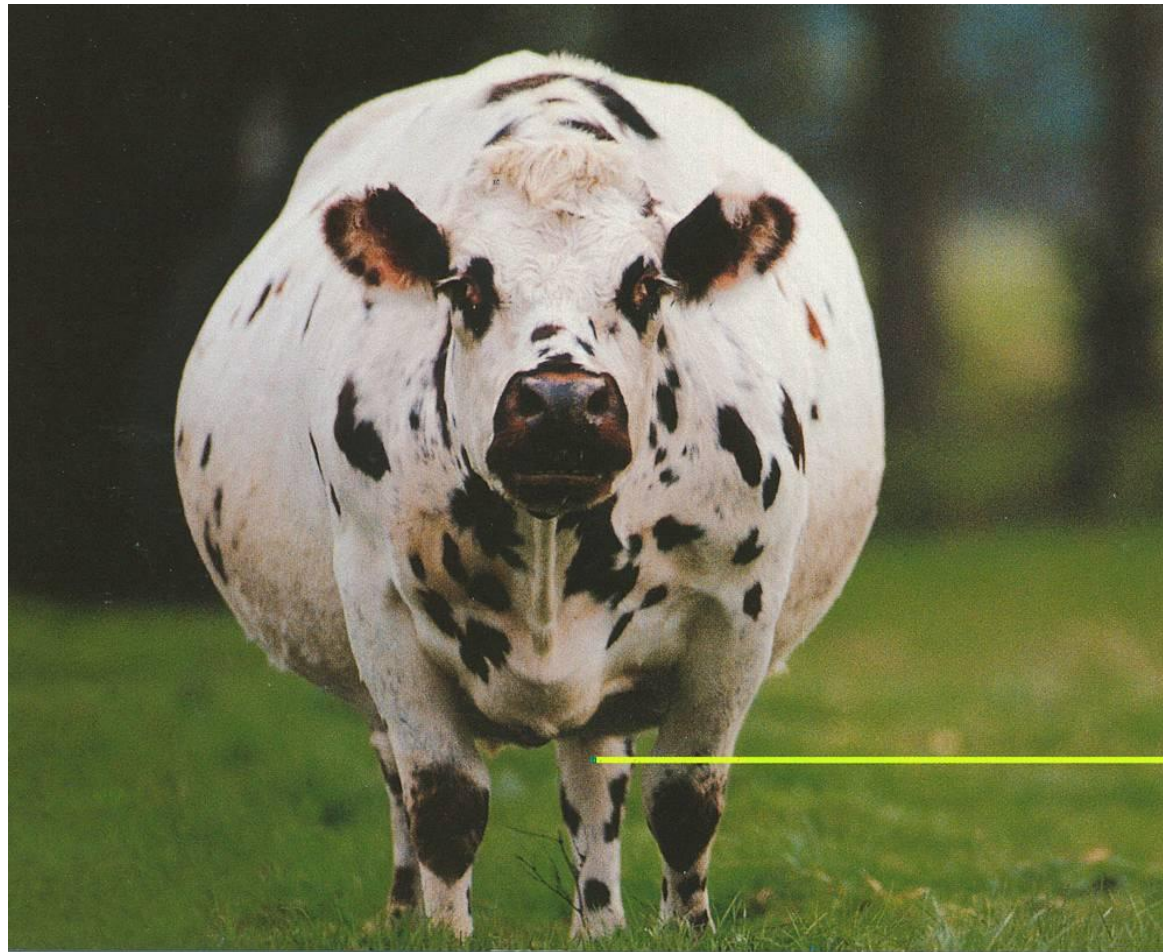
and

$$v_{\text{sy}} = 3.4 \cdot 10^6 (B/G) (D/(1+z)) \gamma^2 \text{ Hz}$$

$$\Rightarrow \Delta t_{\text{cool}} \sim B^{-3/2} (D/(1+z))^{1/2} (v_1^{-1/2} - v_2^{-1/2})$$

$\Rightarrow$  Measure time lags between frequencies  $v_1, v_2$   
 $\rightarrow$  estimate Magnetic field (modulo  $D/[1+z]$ )!

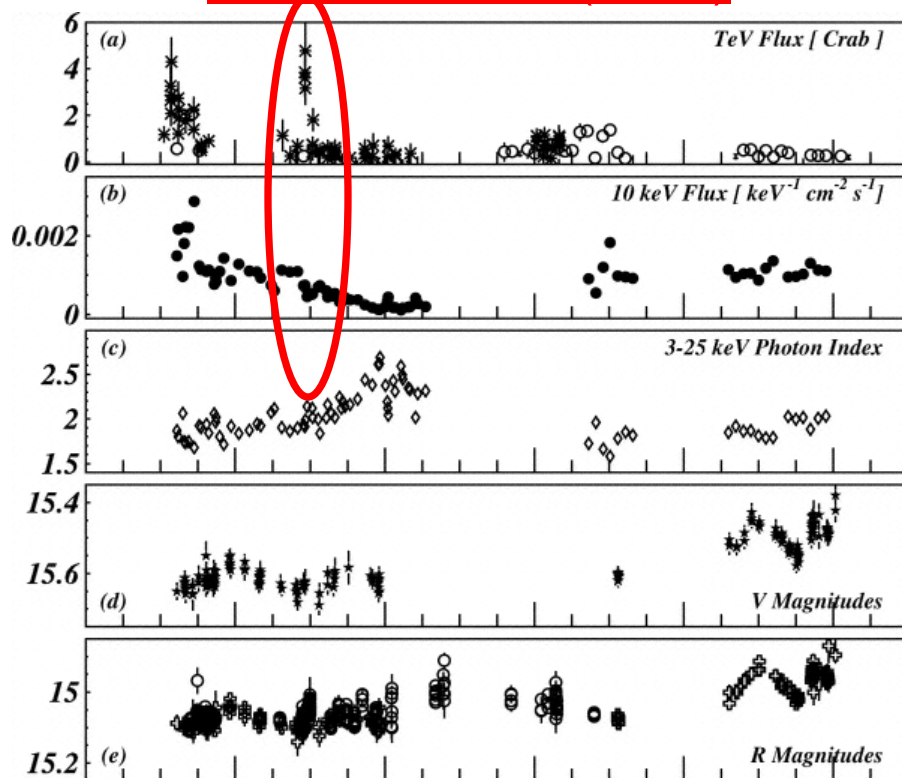
The simplest version assumes that the emission region is spherical ...



# Problems of spherical, homogeneous models

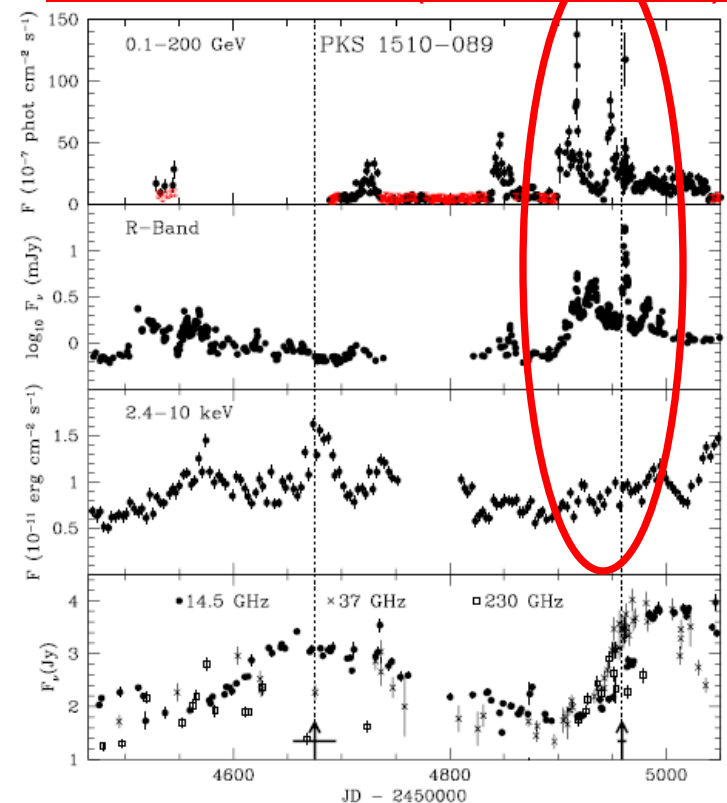
If the entire SED is produced by the same electron population, variability at all frequencies should be well correlated – but ...

1ES 1959+650 (2002)



(Krawczynski et al. 2004)

PKS 1510-089 (2008 - 2009)

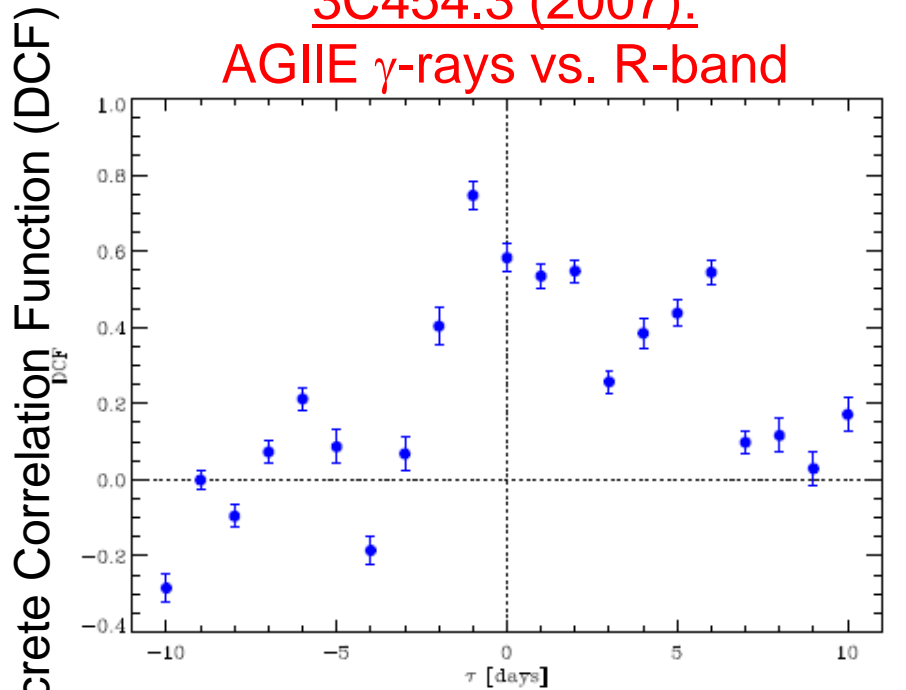


(Marscher et al. 2010)

# Problems of spherical, homogeneous models

Cross-correlations between frequency bands and time lags do not show a consistent picture

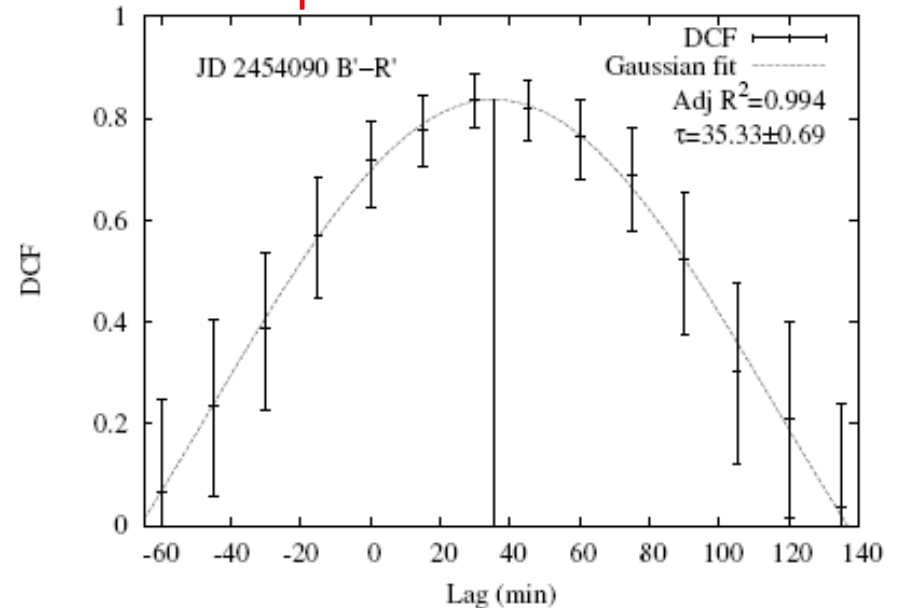
3C454.3 (2007):  
AGILE  $\gamma$ -rays vs. R-band



(Donnarumma et al. 2007)

=> Possible < 1 day delay (hard lag) of  $\gamma$ -rays behind R-band (?)

S5 0716+714 (2006):  
Optical B-vs: R band



(Wu et al. 2010)

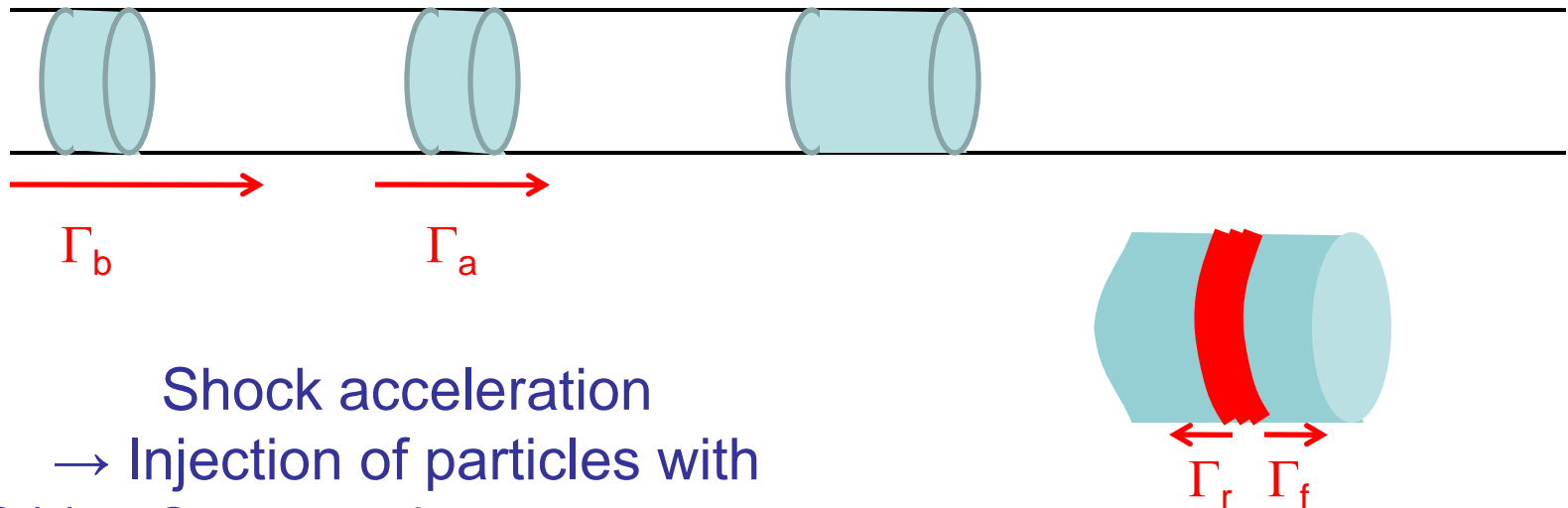
=> ~35 minute delay (soft lag) of R vs. B band



# The Internal Shock Model for Blazars

(Böttcher & Dermer 2010)

The central engine ejects two plasmoids (*a*, *b*) into the jet with different, relativistic speeds (Lorentz factors  $\Gamma_b \gg \Gamma_a$ )



Shock acceleration

→ Injection of particles with

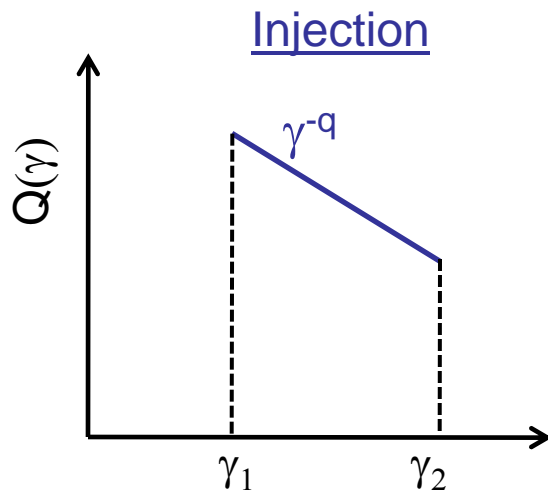
$$Q(\gamma) = Q_0 \gamma^{-q} \quad \text{for} \quad \gamma_1 < \gamma < \gamma_2$$

$\gamma_2$  from balance of acceleration and synchr. Cooling rate  
 $\gamma_1$  from normalization to overall energetics

# Time-Dependent Electron Distributions

Competition of injection of a power-law distribution of relativistic electrons with radiative cooling

At any given time  $t_{em}(x)$  = time elapsed since the shock has crossed a given point  $x$

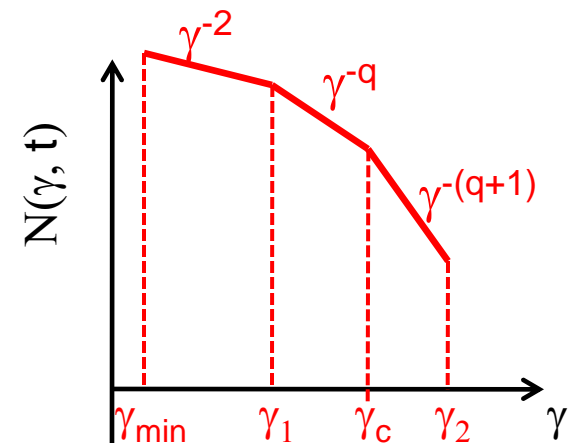


$$d\gamma/dt = -v_0\gamma^2$$

$$\rightarrow t_{cool} = \gamma/|d\gamma/dt| = 1/(v_0\gamma)$$

→ Spectral break at  $\gamma_c$ , where  $t_{em}(x) = t_{cool}$

Time-dependent electron distribution:



$$\gamma_{min} = (\gamma_1^{-1} + v_0 t)^{-1}$$

# Radiation Mechanisms

$$\nu F_\nu(\epsilon, t_{\text{obs}}) = \frac{D^4 \pi R^2}{d_L^2} \int_{\bar{x}_{\text{min}}}^{\bar{x}_{\text{max}}} \bar{\epsilon} j_{\bar{\epsilon}}(\bar{x}, \bar{t}_{x,\text{em}}) d\bar{x}$$

## 1) Synchrotron

$$B_{f,r} = \sqrt{8\pi r \epsilon_B \left( \bar{\Gamma}_{f,r}^2 - \bar{\Gamma}_{f,r} \right) n'_{a,b} m_p c^2}$$

Delta-function approximation for  
synchrotron emissivity:

$$j_{\bar{\epsilon},\text{sy}} = \frac{c \sigma_T B^2 \bar{\epsilon}}{48\pi^2 b^2 \gamma_{\text{sy}}} n_e(\gamma_{\text{sy}})$$

$\Rightarrow \nu F_\nu^{\text{sy}}(t_{\text{obs}})$   
can be calculated fully analytically!

# Radiation Mechanisms (contd.)

## 2) External-Compton

Delta-function approximation for Compton cross section:

$$\frac{d\sigma}{d\epsilon_c d\Omega_c} \approx \sigma_T \delta(\epsilon_c - \gamma^2[1 - \beta\bar{\mu}_c]\epsilon_s) \delta(\Omega_c - \Omega_e) H(1 - \gamma\epsilon_s[1 - \beta\bar{\mu}_c]).$$

Assume mono-energetic, isotropic external radiation field

$\Rightarrow vF_v^{EC}(t_{\text{obs}})$   
can be calculated fully analytically!

# Radiation Mechanisms (contd.)

## 3) Synchrotron-Self Compton

Emissivity with delta-function approximation  
for the Compton cross section:

$$j_{\bar{\epsilon}, \text{SSC}}(\bar{x}, \bar{t}_{x, \text{em}}) \approx \frac{c \sigma_T m_e c^2}{8\pi} \bar{\epsilon}^{-1/2} \int_{4\pi} d\bar{\Omega}_s \int_0^{1/(\bar{\epsilon}[1-\bar{\mu}_c])} d\bar{\epsilon}_s \sqrt{1-\bar{\mu}_c} \frac{\bar{n}_{\text{ph}}(\bar{\epsilon}_s, \bar{\Omega}_s, \bar{x}, \bar{t}_{x, \text{em}})}{\bar{\epsilon}_s^{1/2}} n_e(\gamma_c, \bar{x}, \bar{t}_{x, \text{em}})$$

$$\Rightarrow n_{\text{ph}}^{\text{sy}}(\epsilon_s, \mathbf{x}, t) =$$

Integral over the retarded synchrotron photon distributions  
from all shocked regions of the jet!

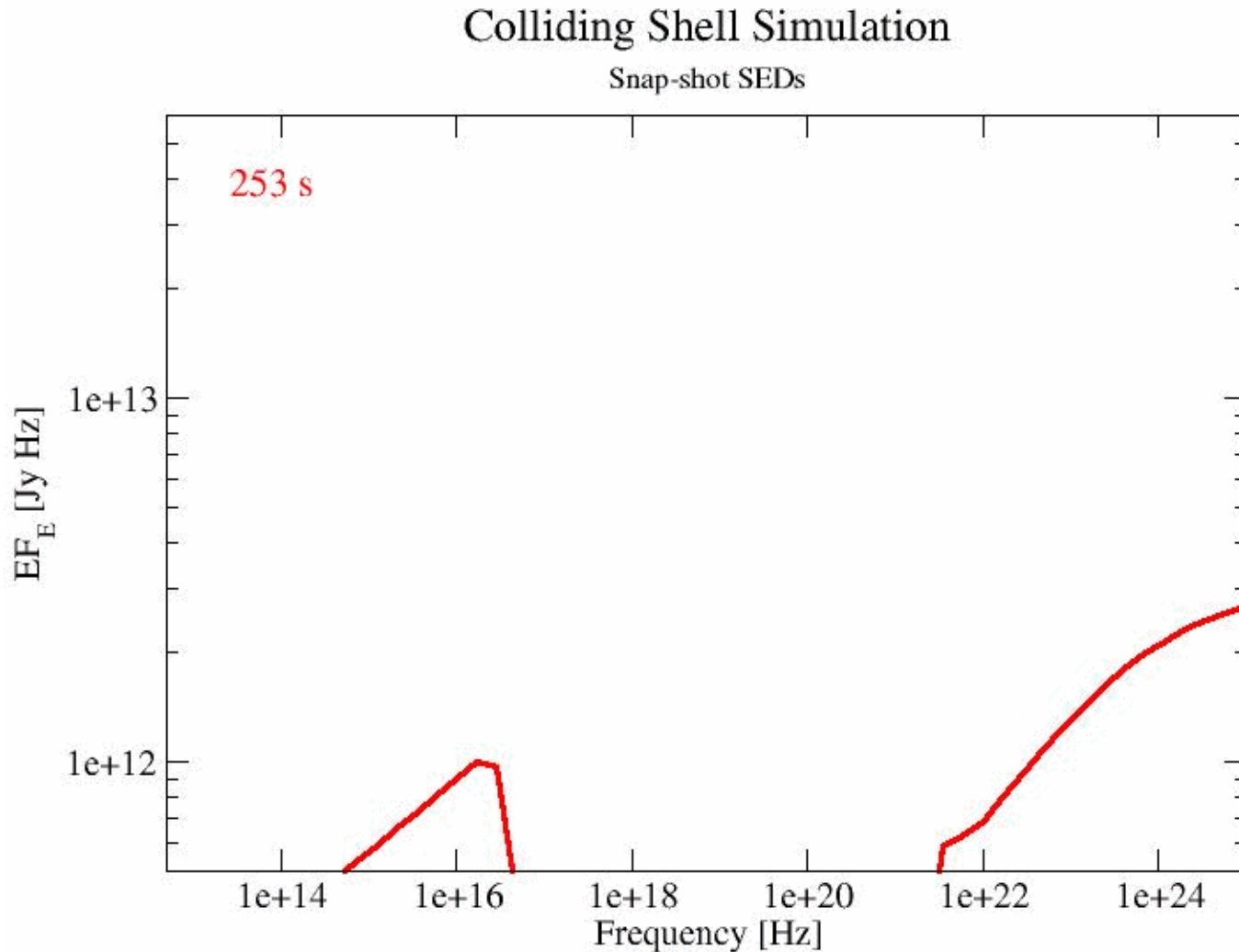
$$n_{\text{ph}}^{\text{sy}}(\epsilon_s, \mathbf{x}, t)$$

can be calculated fully analytically

$\Rightarrow$  Two integrations to be done numerically.

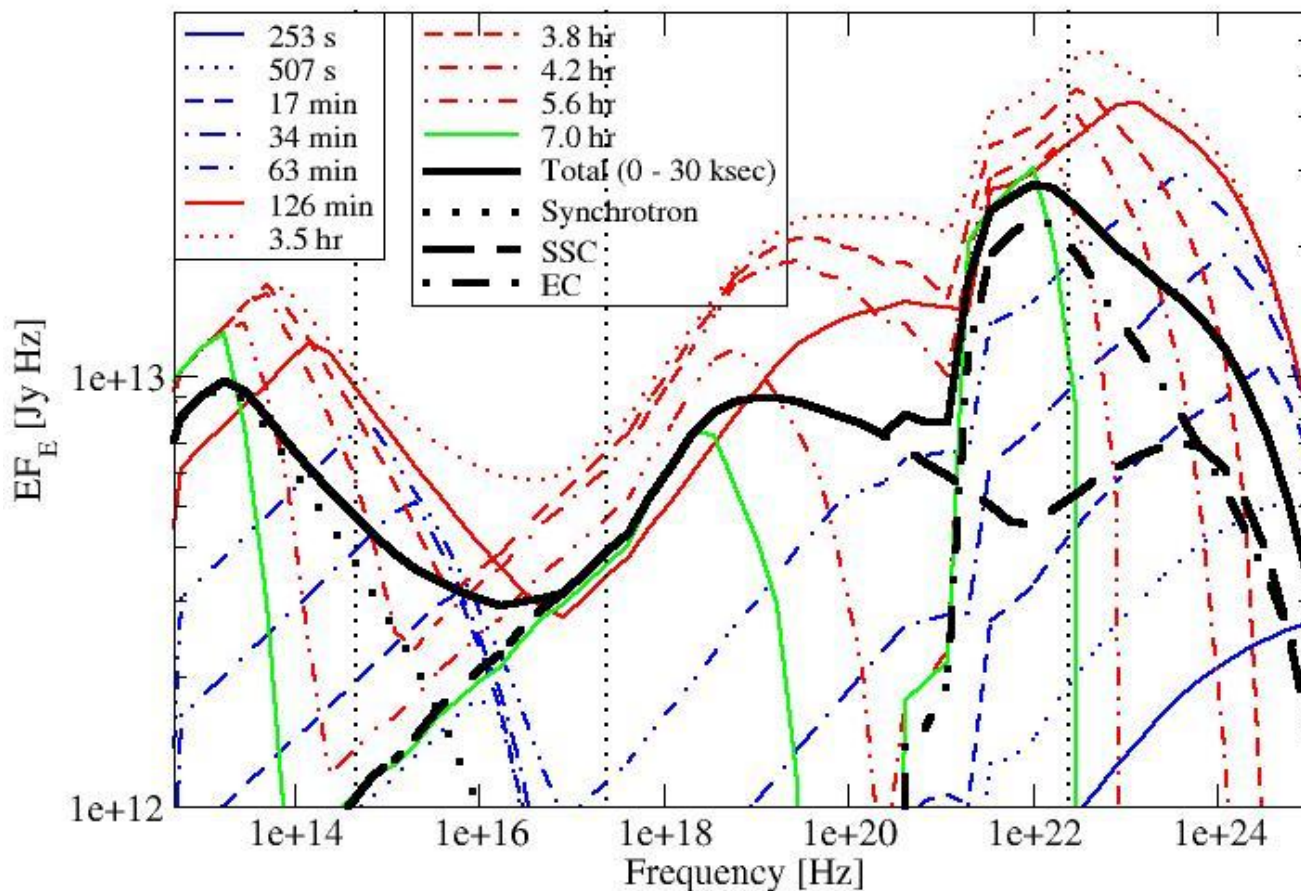
# Baseline Model

Parameters / SED characteristics typical of FSRQs or LBLs



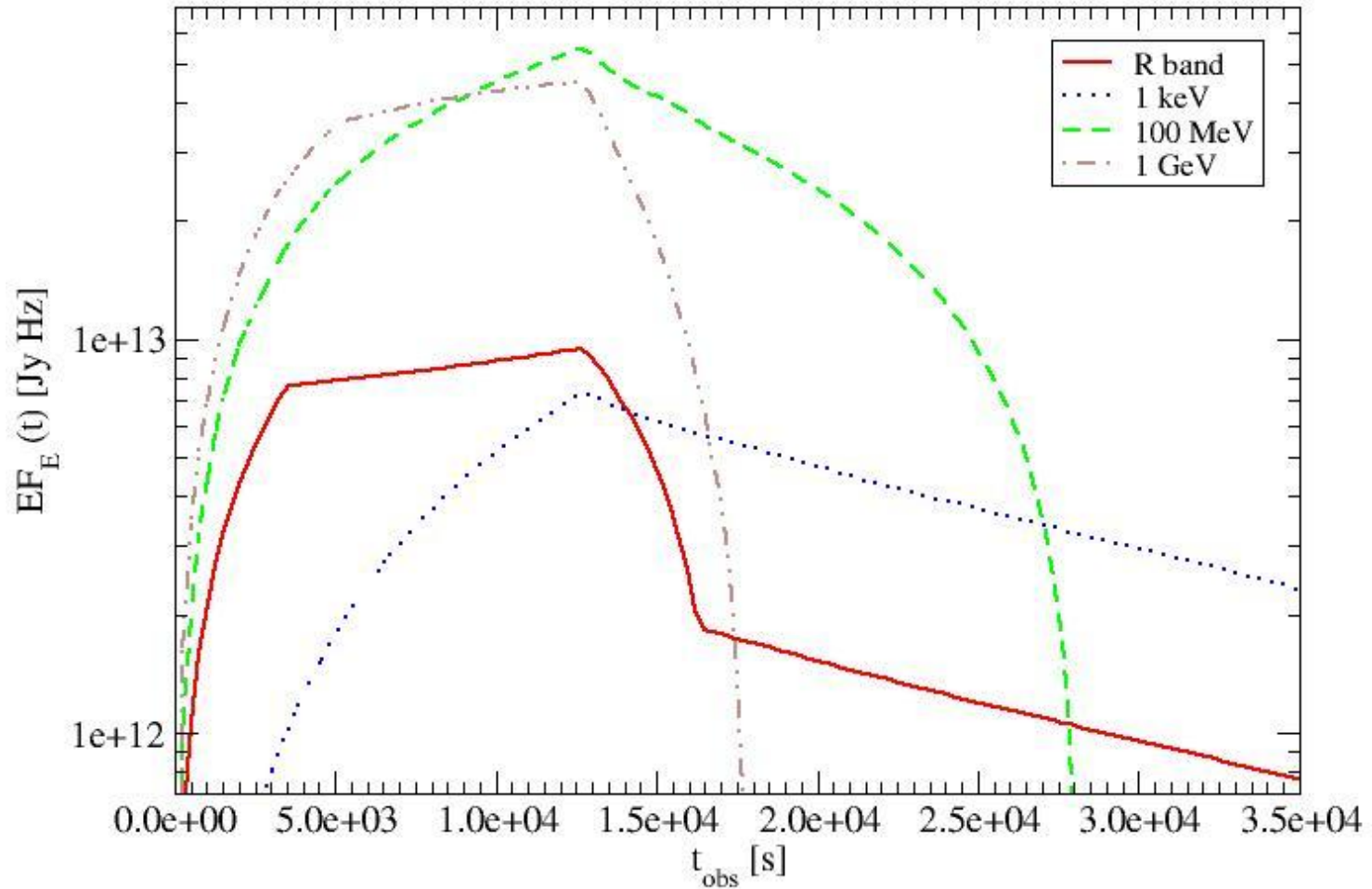
# Baseline Model

Snap-shot SEDs and time-averaged SED over 30 ksec



# Baseline Model

## Light Curves



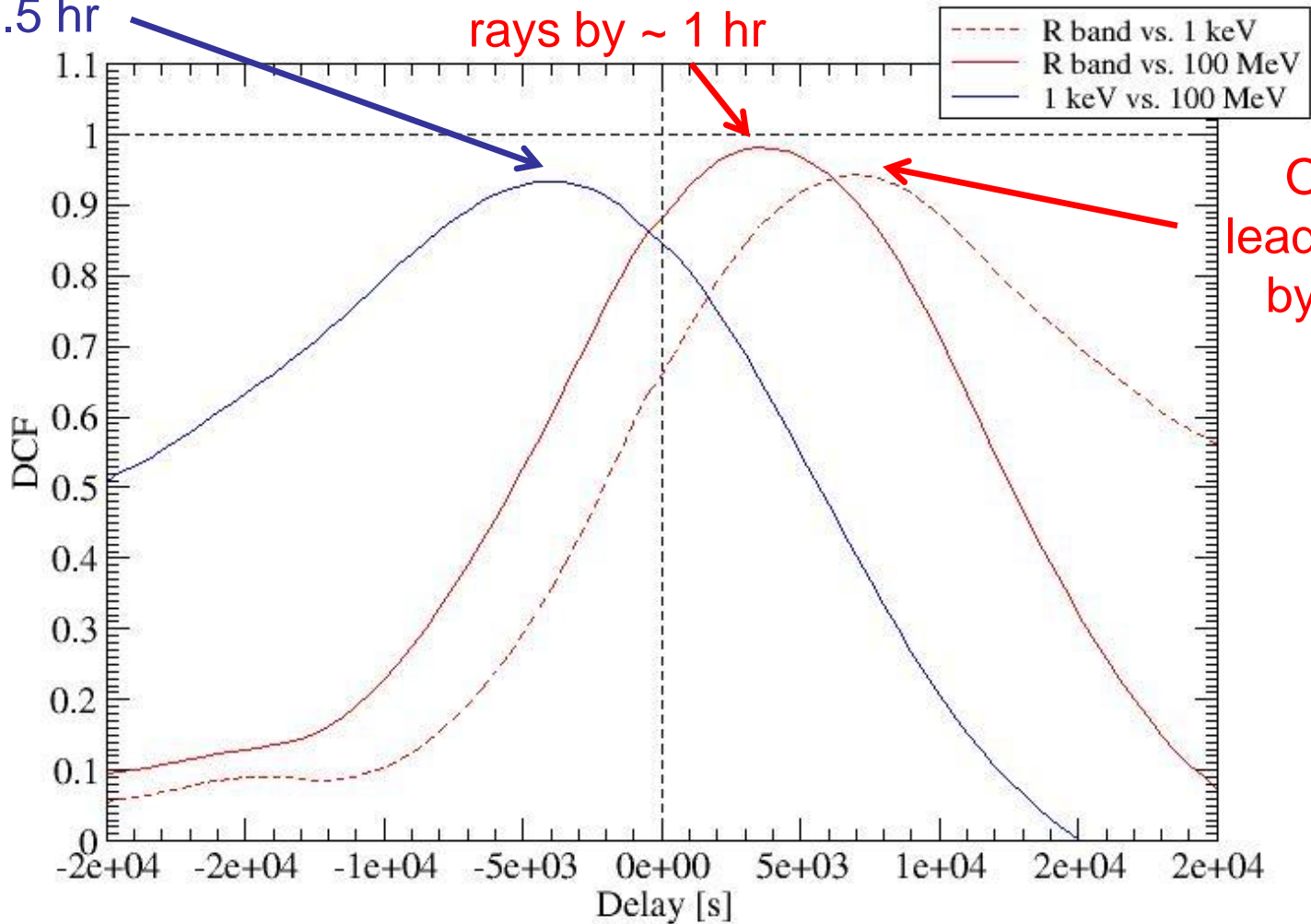


# Baseline Model

## Discrete Correlation Functions

X-rays lag  
behind HE  $\gamma$ -rays  
by  $\sim 1.5$  hr

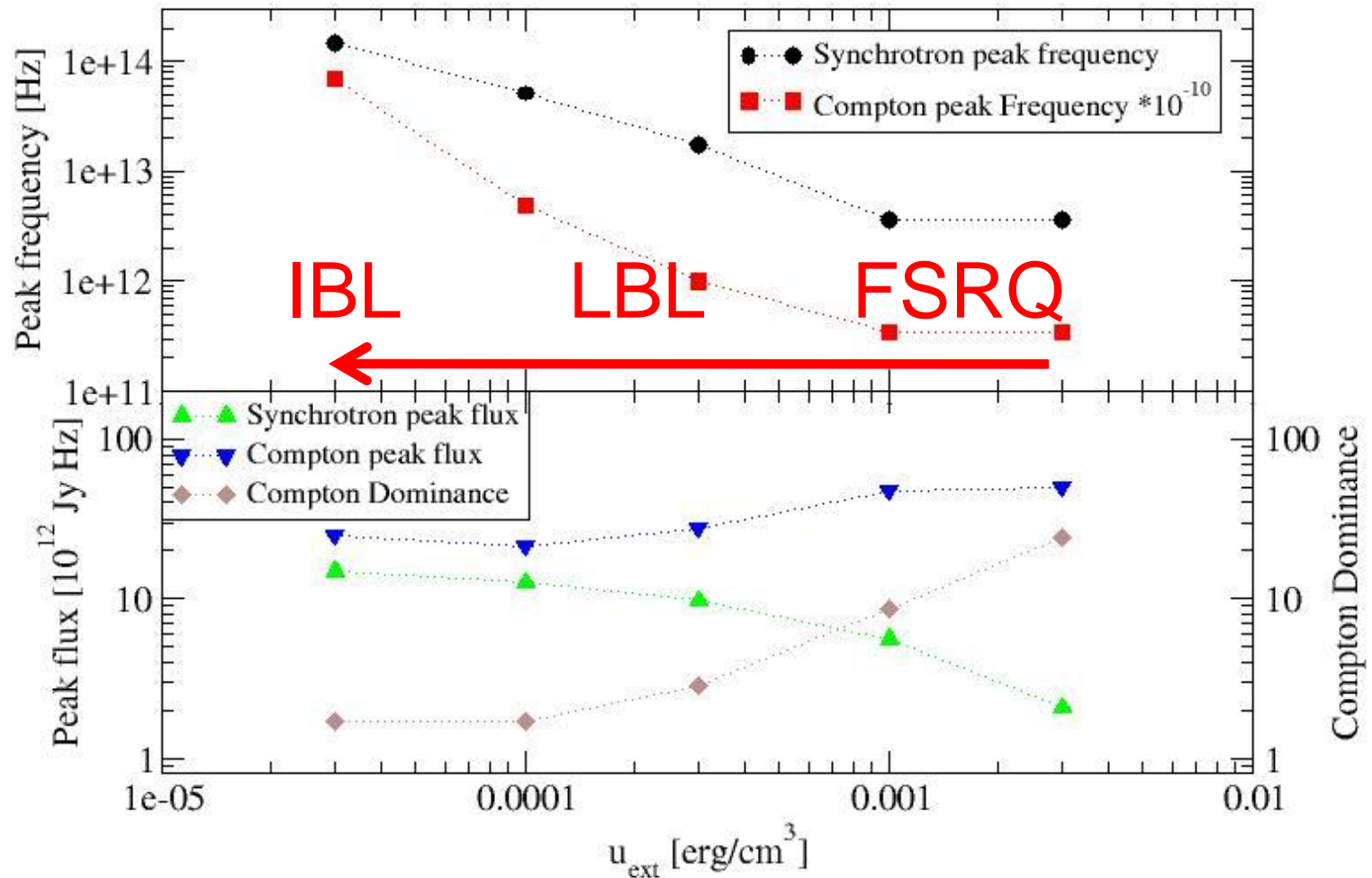
Optical leads HE  $\gamma$ -  
rays by  $\sim 1$  hr



# Parameter Study

## Varying the External Radiation Energy Density

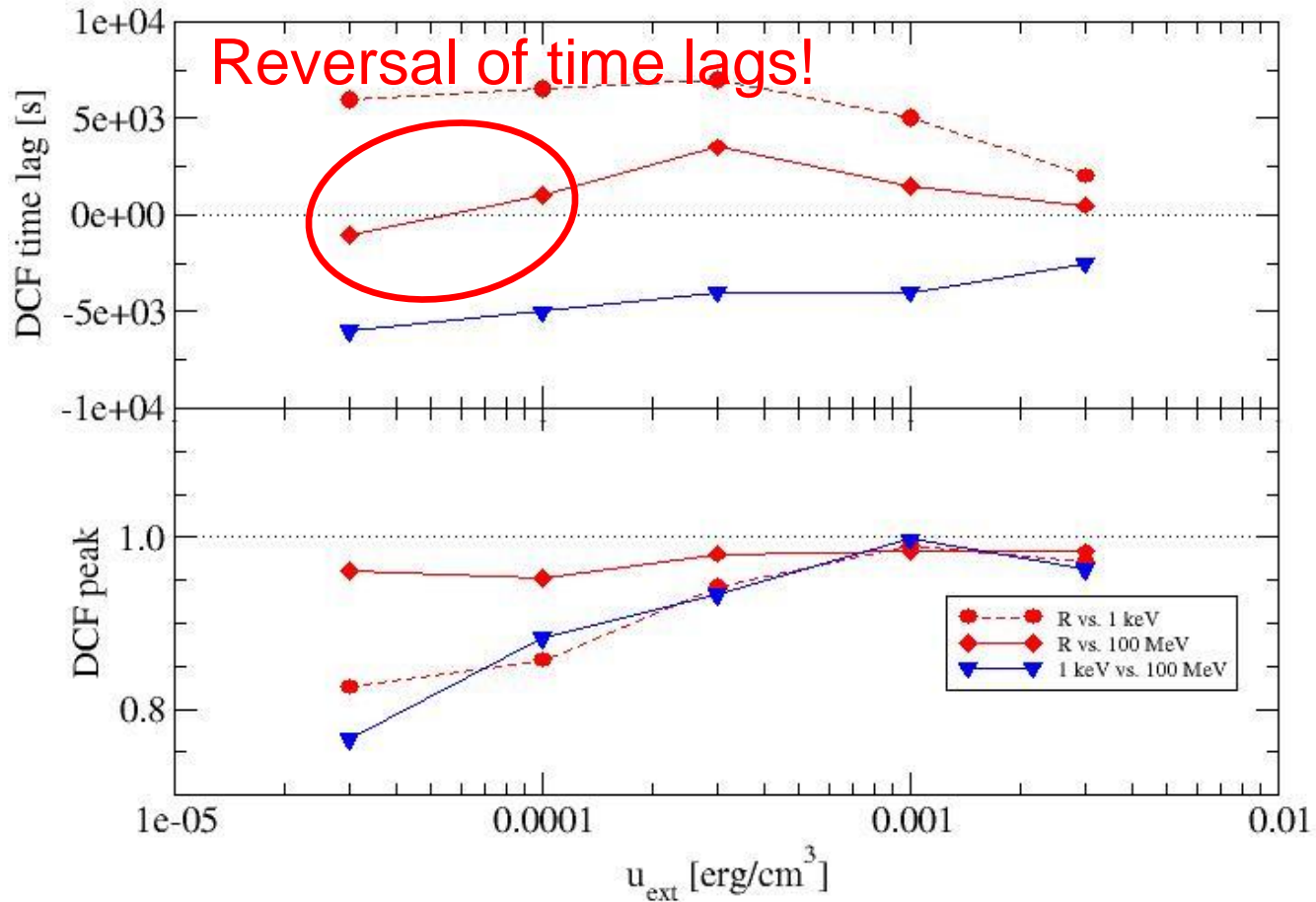
### SED Characteristics



# Parameter Study

## Varying the External Radiation Energy Density

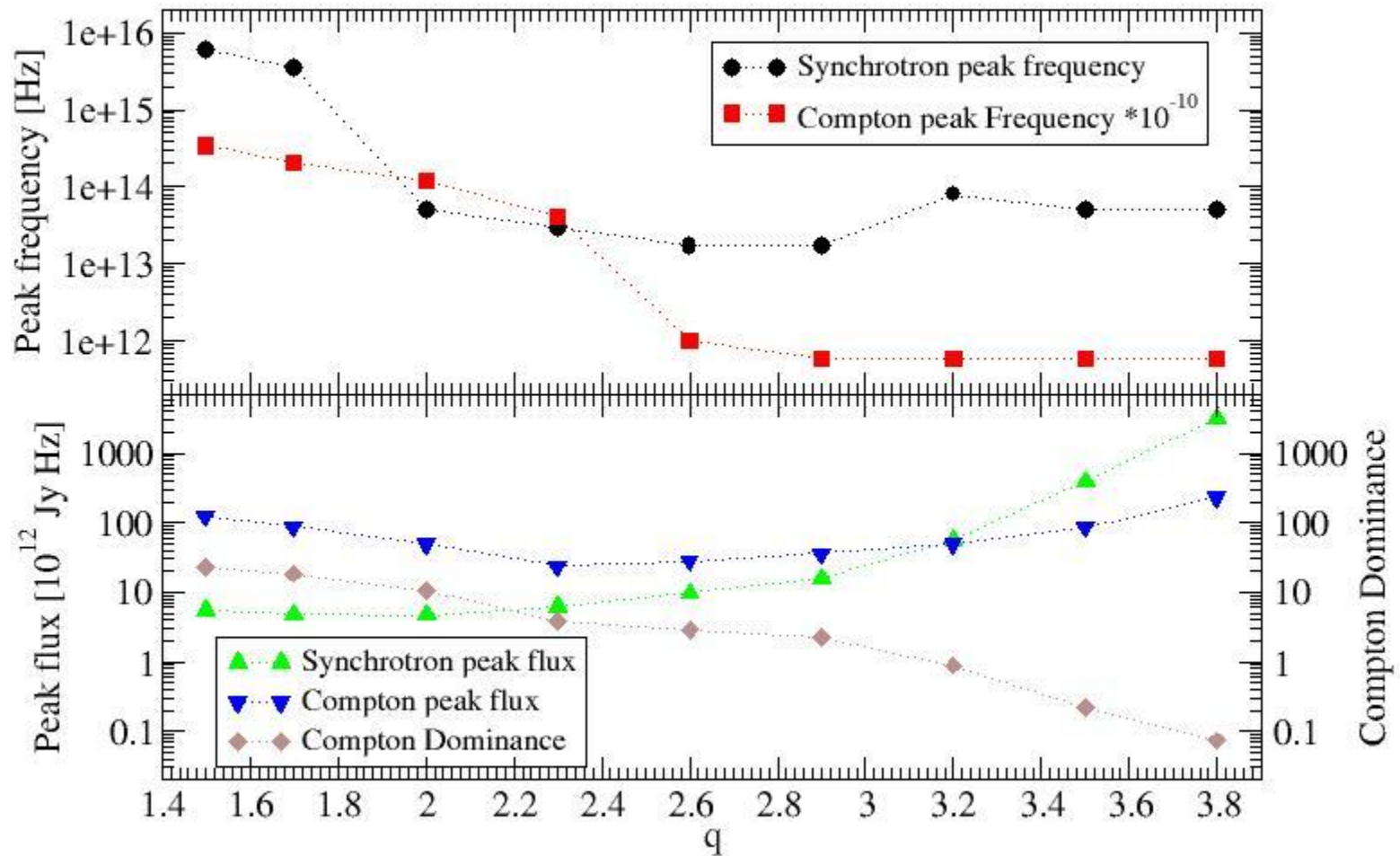
### DCFs / Time Lags



# Parameter Study

## Varying the External Radiation Energy Density

### SED Characteristics

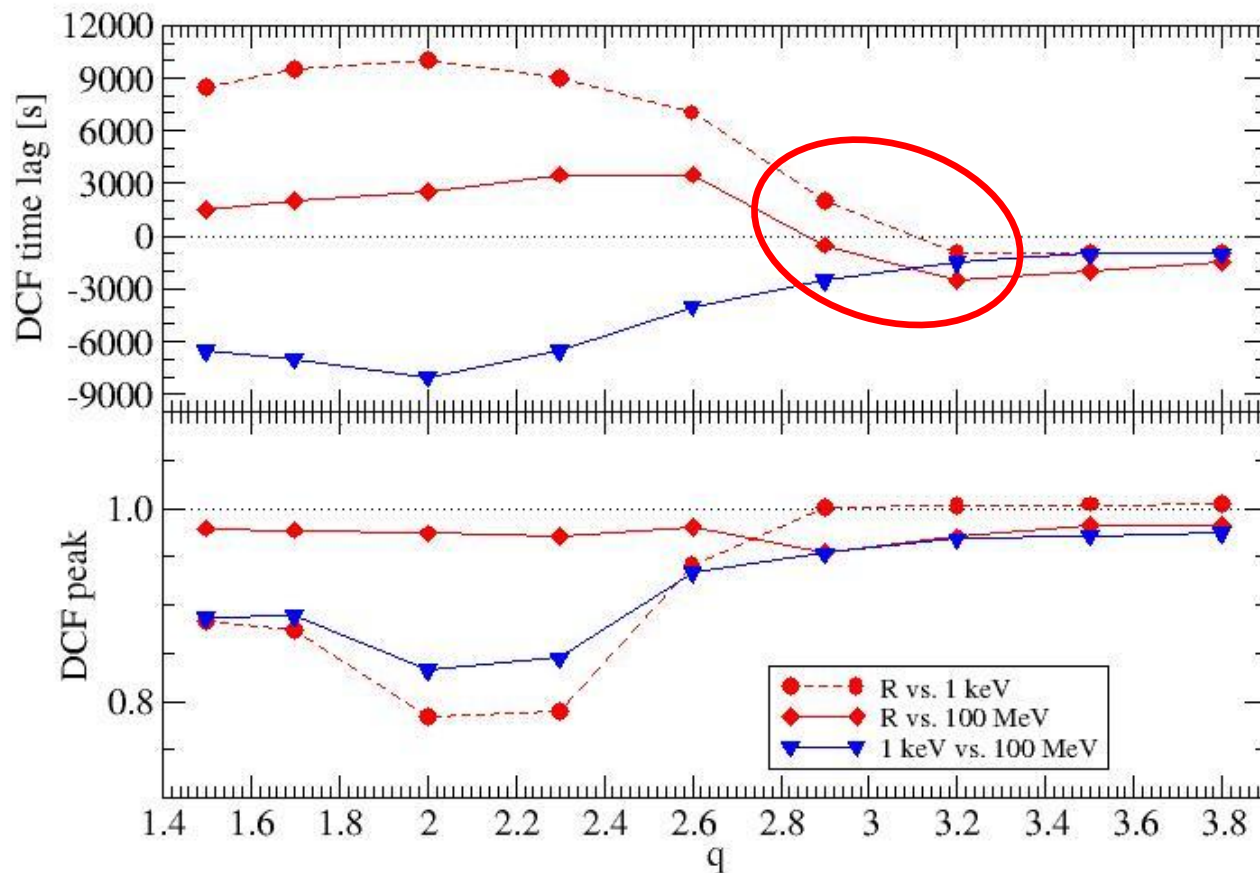


# Parameter Study

## Varying the External Radiation Energy Density

### DCFs / Time Lags

Reversal of time lags!



# Summary

- *We developed a semi-analytical internal shock model for blazars: Synchrotron + EC analytical; SSC: 2 numerical integrations.*
- *Appropriate to reproduce SEDs of FSRQs and LBLs*
- *Predicts optical lead before higher-energy emission by 1 – 2 hours*
- *Magnitude and sign of time lags sensitive to various poorly constrained parameters.*

