

All-sky reconstruction of the primordial scalar potential & implications

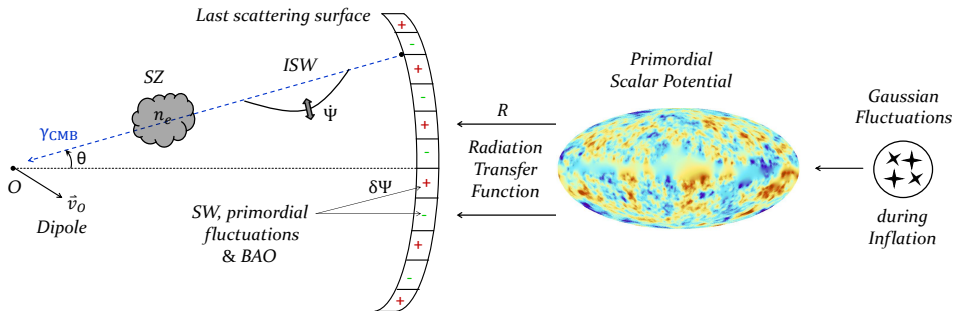
Sebastian Dorn

with Maksim Greiner and Torsten A. Enßlin

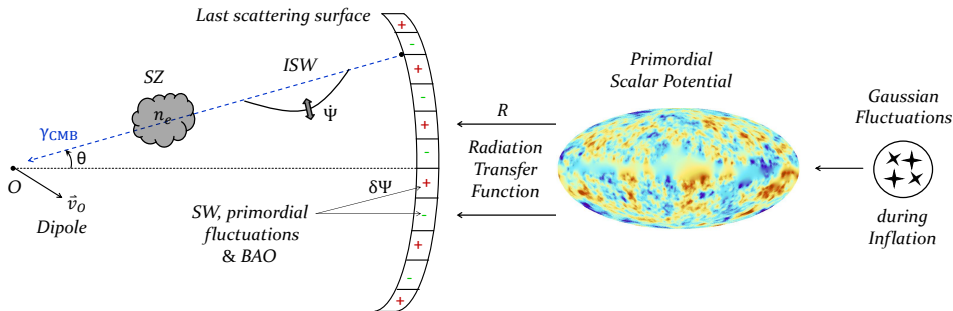
Max-Planck-Institut for Astrophysics
Honolulu, August 2015



Motivation



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$\Rightarrow$ So why actually don't we infer these properties directly from Φ ?

Data model:

$$d_{\text{CMB}} = R\Phi + n$$

The naive ansatz:

$$\hat{\Phi} = WF(d_{\text{CMB}})$$

(WF : Wiener filter operation)

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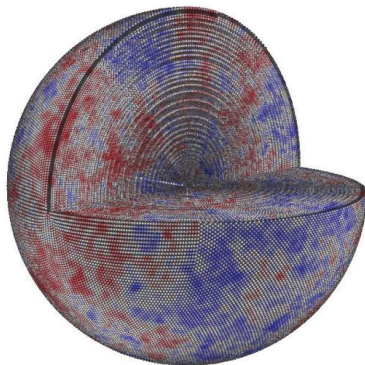
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Φ inference hardly numerically feasible & very expensive!

The solution: Reconstruct Φ slice by slice!



[Yadav & Wandelt et al. '05]

Approach

- 1 slice = WF result $\hat{\Phi}$ projected onto a sphere:

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- Resulting WF for 1 slice:

$$\hat{\Phi}^{(2)} = P_{\ell}^{\Phi} R^{(2)\dagger} C_d^{-1} d$$

P_{ℓ}^{Φ} : primo. power spectrum projected onto a sphere

C_d : data (CMB) covariance

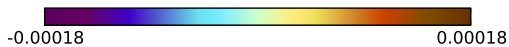
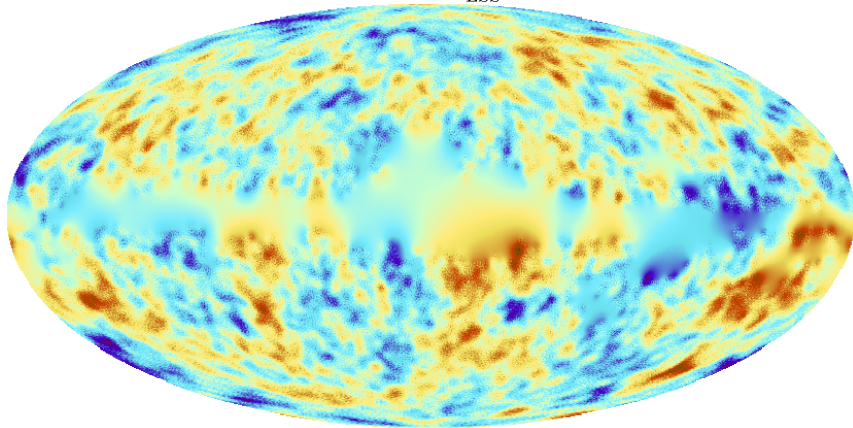
$R^{(2)}$: 2d response, includes beam, mask, convolutions, physics

Achievements

- Full parallelization of the 3d WF
- Fast & cheap reconstruction
- Inclusion of polarization data simple
- Uncertainty estimates (sampling) per slices affordable

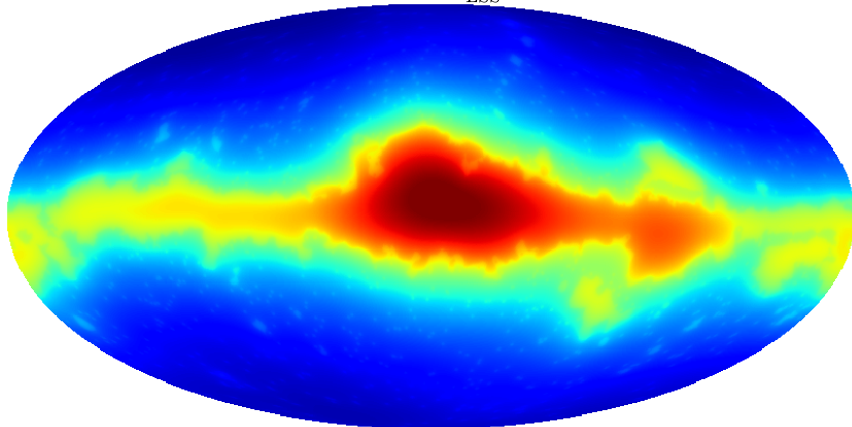
RECONSTRUCTION FROM NINE-YEAR WMAP T-DATA (V-BAND)

$$r = 1.01 r_{\text{LSS}}$$



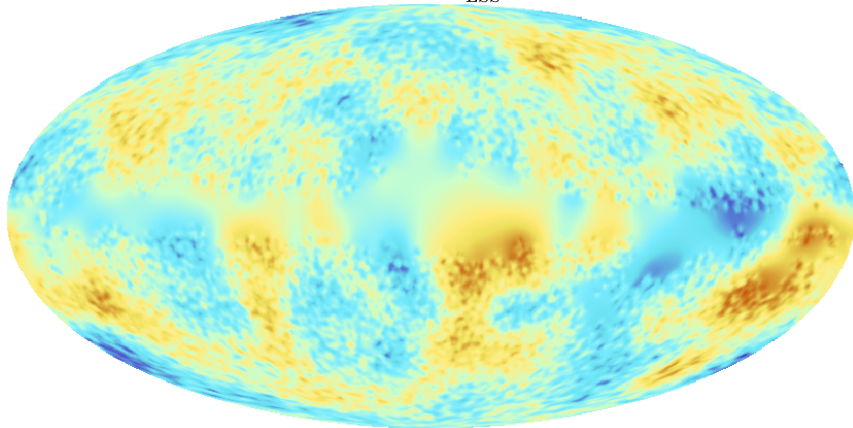
[SD et al. '14]

$$r = 1.01 r_{\text{LSS}}$$

 8.2×10^{-5} 8.45×10^{-5}

[SD et al. '14]

$$r = 0.97 r_{\text{LSS}}$$

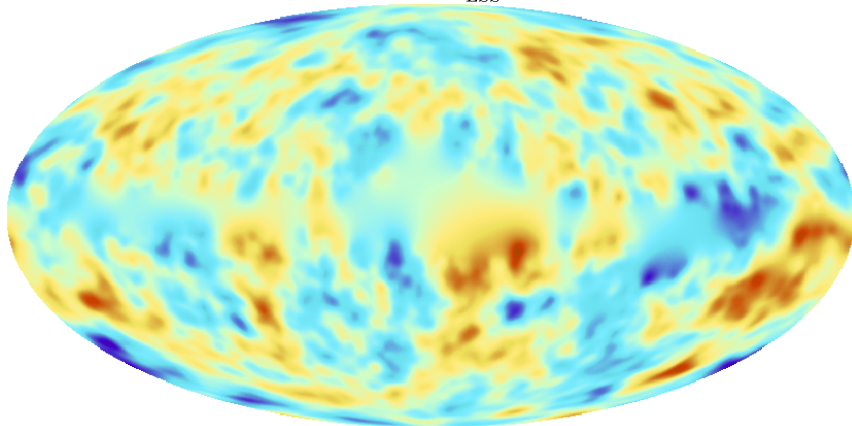


-0.00018

0.00018

[SD et al. '14]

$$r = 1.05 r_{\text{LSS}}$$

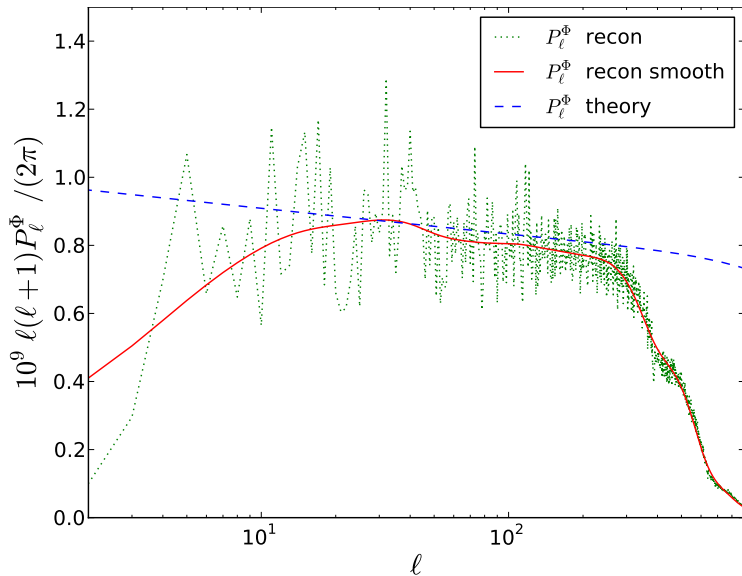


-0.00018

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[SD et al. '14]

Primordial Power Spectrum ($r = r_{LSS}$), T only [SD et al. '14]



Next:

- Planck data including polarization
- Cross-checks with LSS reconstructions
- Inference of inflationary (recombinational) parameters
- Morphology/Symmetry investigations