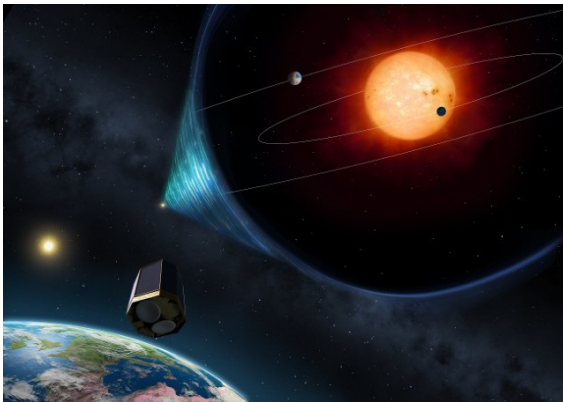


The Need of Precise Planetary Parameters: How To Get Radius with PLATO

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ESTEC, Noordwijk, The Netherlands

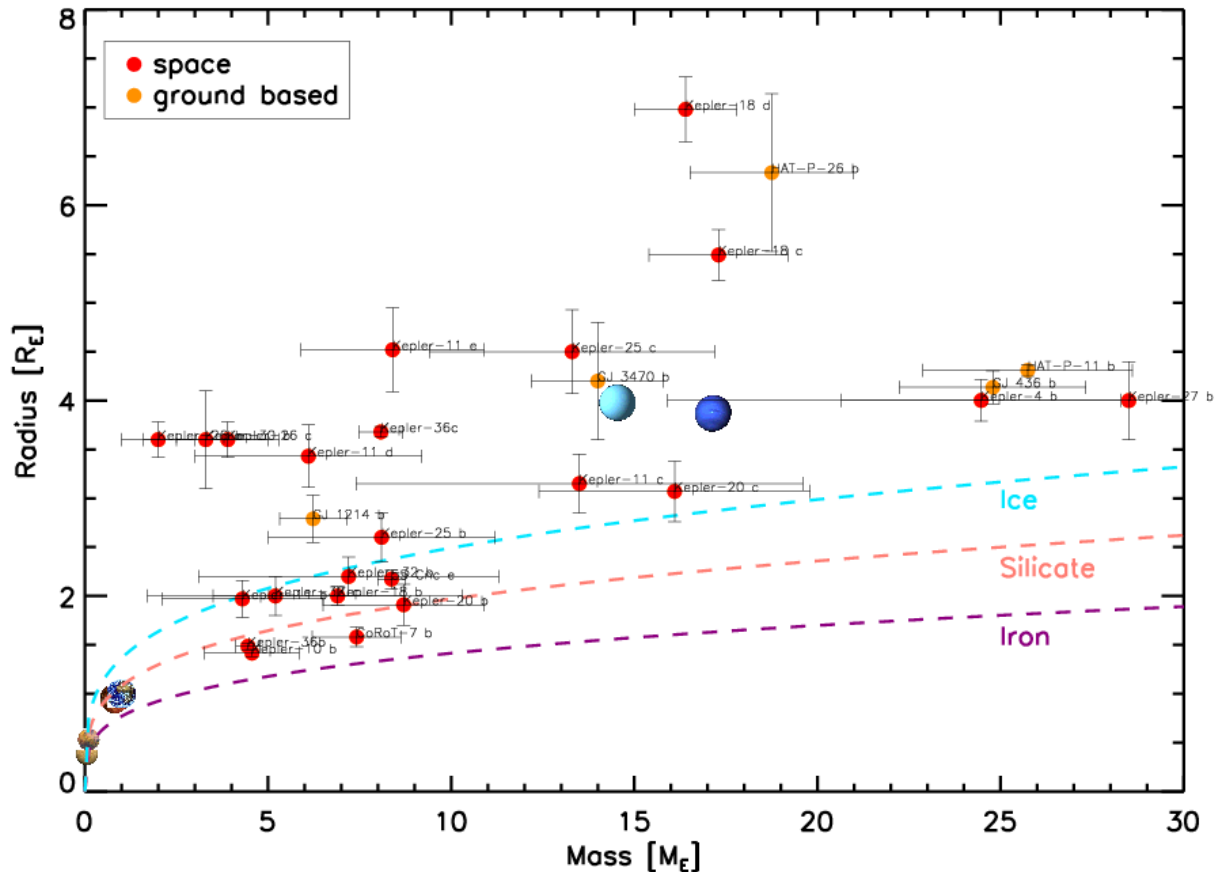
Wissen für Morgen



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Berlin

motivation: parameters for transiting planets to which precision?

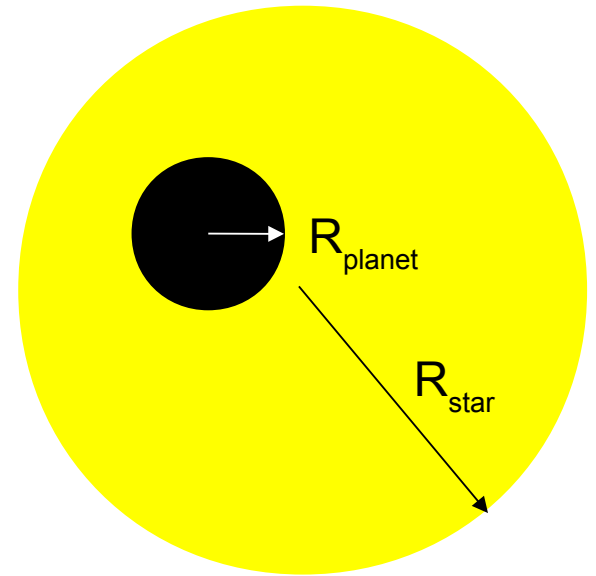


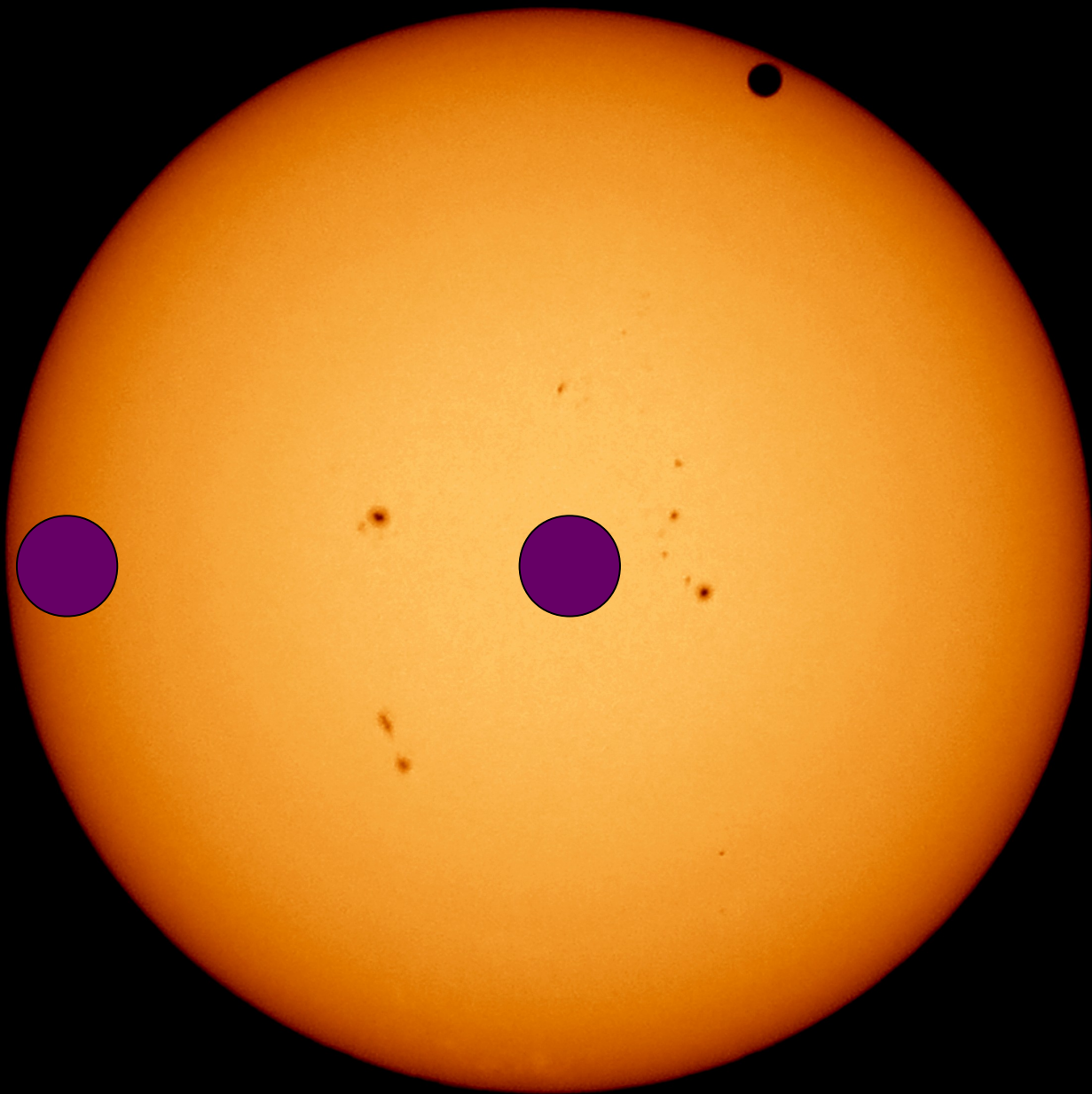
mass to **10%** and radius to **5%** to distinguish between solid rocky and water rich planets
better than **2%** in radius for further bulk characterization. Atmosphere studies: $\sim 0.1\%$.

(Valencia et al. 2009, ApJ, 665; Grasset et al. 2009, ApJ, 693; Wagner et al. 2011, Icarus, 214, 366; Bean et al. 2011, ApJ 743, 92)

Among other factors, the radius determination of the exoplanet is affected by:

$$\Delta F = k^2, \quad k = \frac{R_{planet}}{R_{star}}$$





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$$\Delta F \pm \text{dilution} = \text{factor} \times k^2, \quad k = \frac{R_{\text{planet}}}{R_{\text{star}}}$$

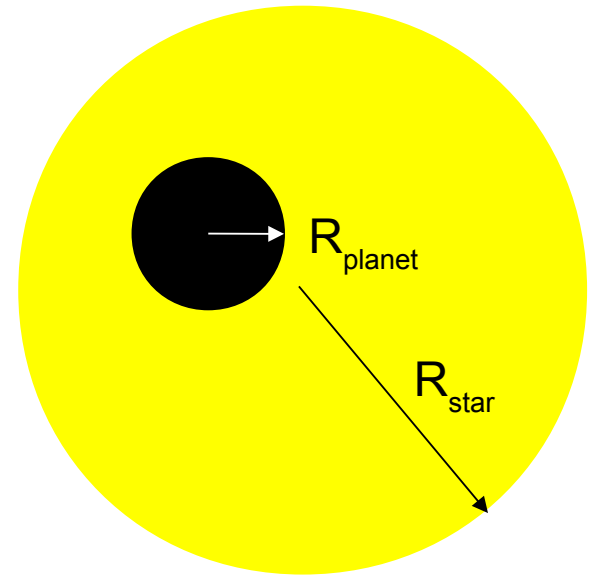
- S/N ratio
- dilution (crowding, physical companion, spots etc)
- limb darkening
- planet rotational, tidal distortion, etc.

- knowledge of stellar radius (GAIA: ~2%)
- therefore the goal is to minimize uncertainty of the radius ratio k .

Spots affect the shape and depth of transits:

Timing, so TTVs (see e.g. Oshagh et al. 2013)

Transit depth, so radius ratio determination (Csizmadia et al. 2013).



Effect of limb darkening on transit depth and shape

~50% precise approximation:

$$\Delta F = k^2, \quad k = \frac{R_{planet}}{R_{star}}$$

Precise:

$$\Delta F = k^2 L_D(T_{eff}, g, \lambda, [M/H] \dots)$$

See Csizmadia et al. (2013) for a list where theoretical and observed limb darkening coefficients disagree.

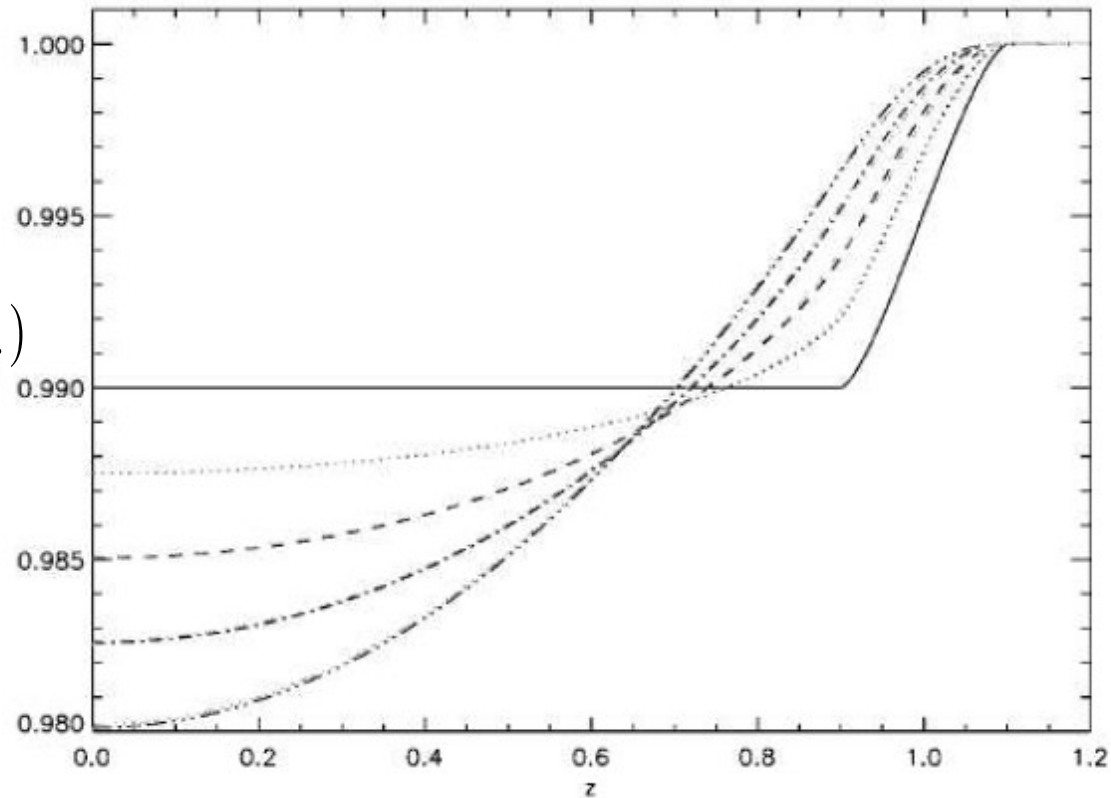


FIG. 2.—Transit light curves for $p = 0.1$ and $c_1 = c_2 = c_3 = c_4 = 0$ (solid line), and all coefficients equal zero but $c_1 = 1$ (dotted line), $c_2 = 1$ (dashed line), $c_3 = 1$ (dash-dotted line), or $c_4 = 1$ (dash-triple-dotted line). The thinner lines (nearly indistinguishable) show the approximation of § 5.



Calculation shows (Csizmadia et al. 2013, A&A 549, A9): to measure the planet-to-stellar radius ratio with 5% uncertainty, you need to know the limb darkening with at least 0.5% precision.

In general, we do not have this precision.

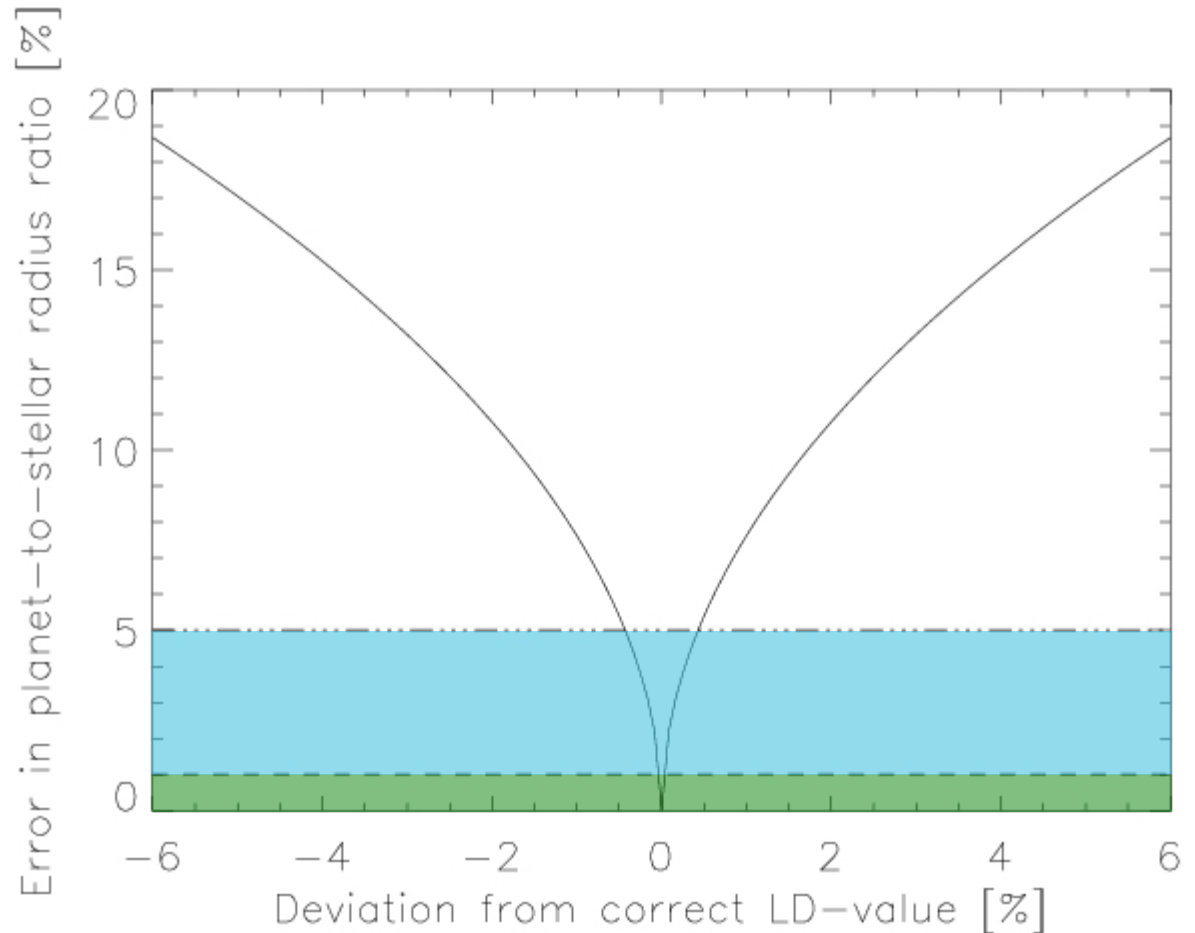
Stellar parameters:

$\pm 100\text{K}$ in T_{eff}

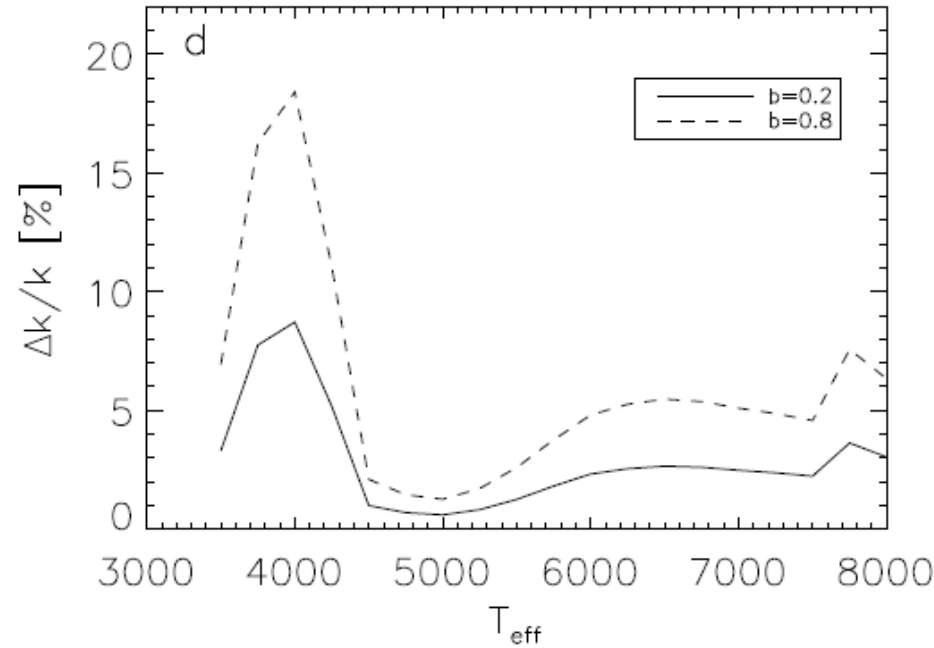
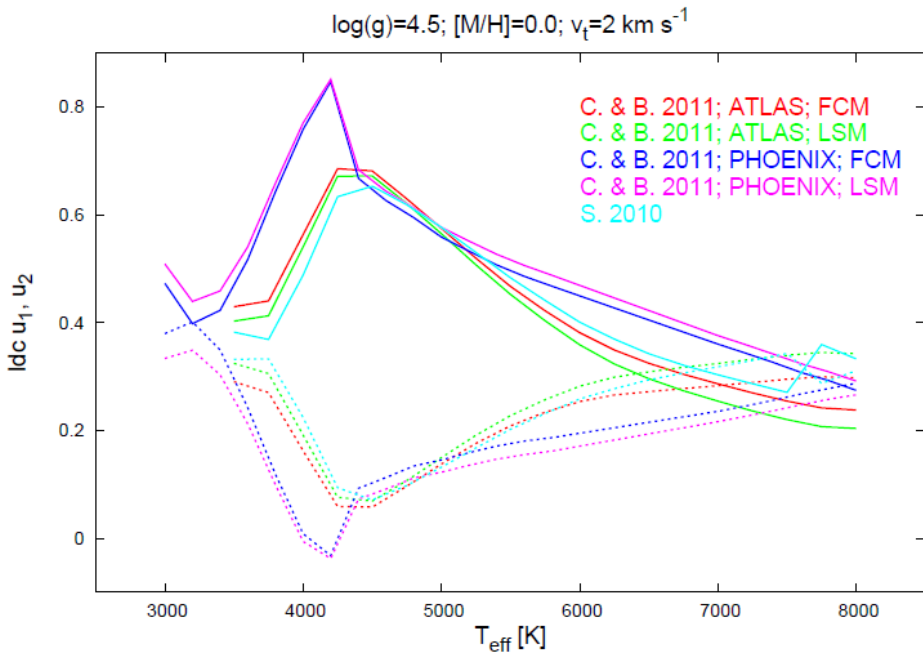
± 0.1 in $\log g$

± 0.1 in $[M/H]$:

5% in limb darkening coefficients.



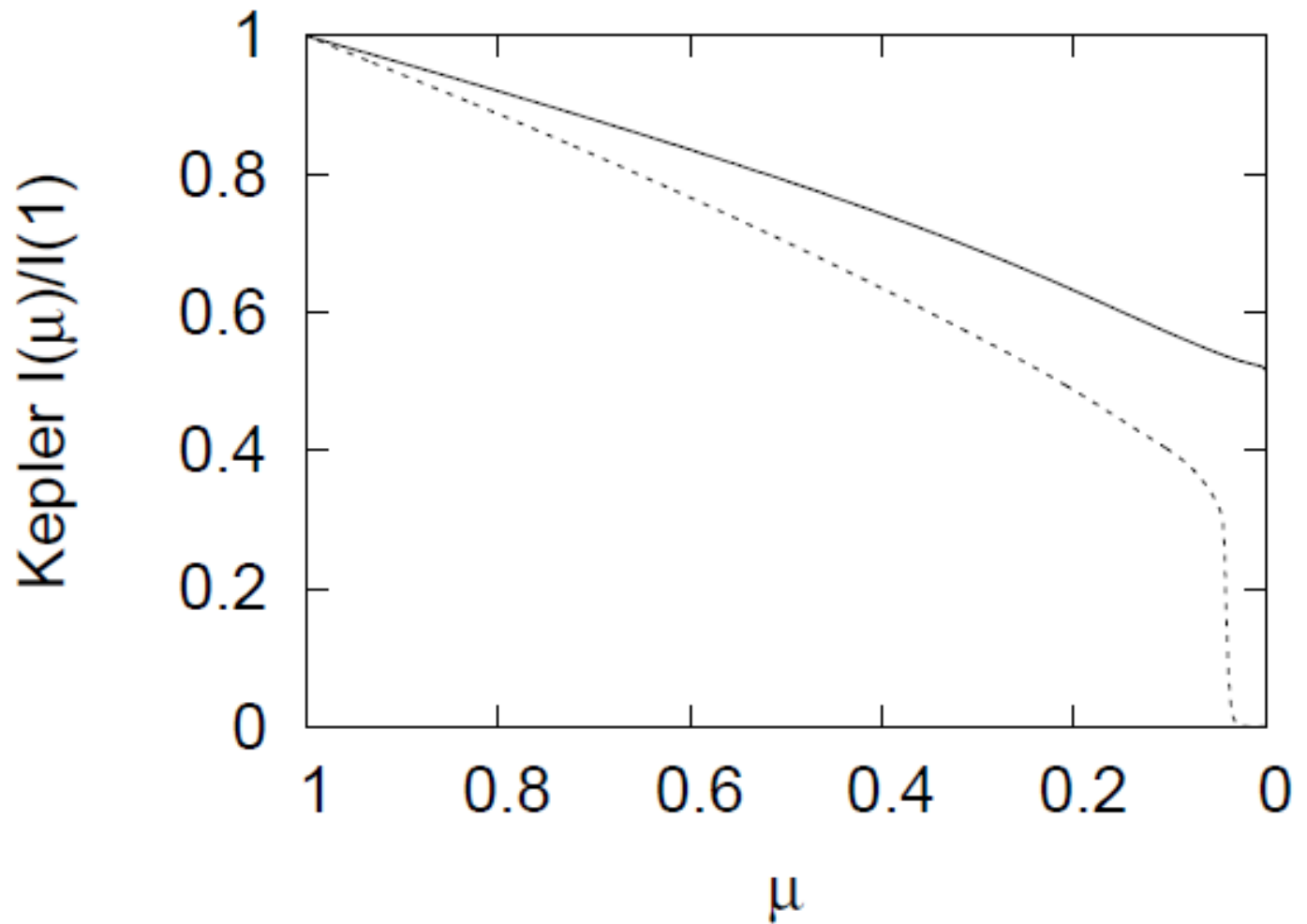
Theoretical uncertainties of 1D limb darkening



Csizmadia et al. (2013) A&A 549

{3D modeling efforts: Hayek et al. 2012, A&A, 539}





Stellar center

Stellar limb

Fig. 1. Predicted *Kepler*-band intensity profiles for plane-parallel (solid line) and spherically symmetric (dotted line) model stellar atmosphere with $T_{\text{eff}} = 5800$ K, $\log g = 4.5$ and $M = 1.1 M_{\odot}$.



DLR

Figure from
Neilson & Lester
(2013, A&A).

Similar curves
by Claret et al.
(2012, 2013, A&A)

modelling of planetary parameters: impact of limb darkening

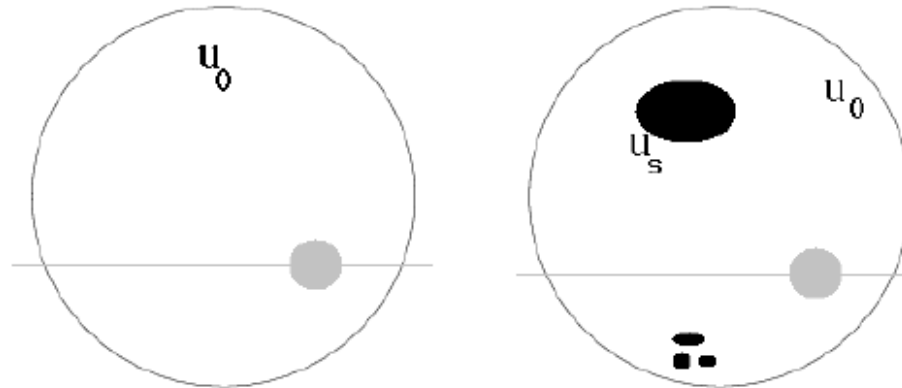


Fig. 4. Illustration of the effect of Type I spots. Left: the planet crosses an unmaculated star that is characterized with some limb darkening coefficient u_0 . Right: the planet crosses the apparent stellar disc of a spotted star, where the spots and the planet have different impact parameters, as well as the stellar photosphere and the spots have different limb darkening coefficients (u_0 , u_s). Grey area is the planet, black ellipses represent the spots.

Csizmadia et al. (2013) A&A

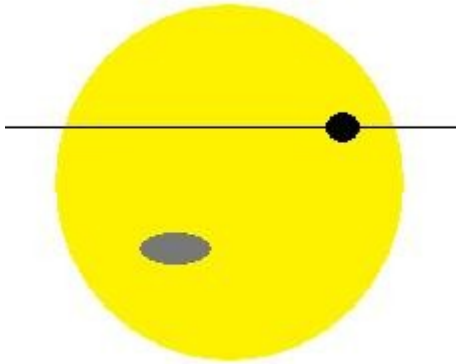
apparent stellar disk cannot be characterized with single effective temperature (and not only because of gravity darkening, von Zeipel 1924; Barnes 2009...)
surface brightness cannot be characterized with single limb darkening coefficient (associated to a single effective temperature



Stellar spots and faculae

Type I

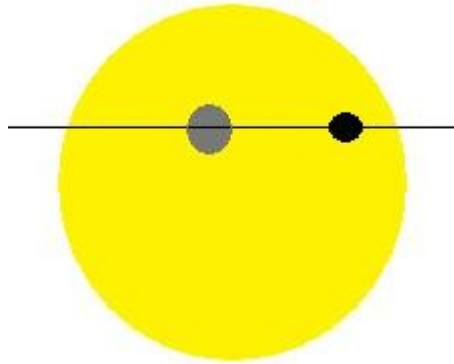
Short life-time,
not occulted



↑Can be removed by
baseline-fitting

Type II

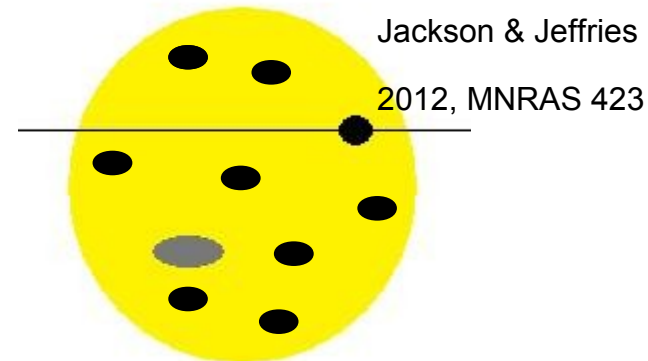
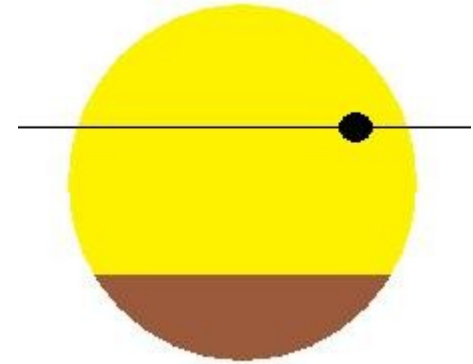
Short life-time,
occulted



↑Can be removed
by spot-modeling
{for spot crossing, see
Silva-Valio&Lanza 2010;
Sanchis-Ojeda&Winn 2011...}

Type III

Long life-time, pole-on,
slow rotation, no modulation



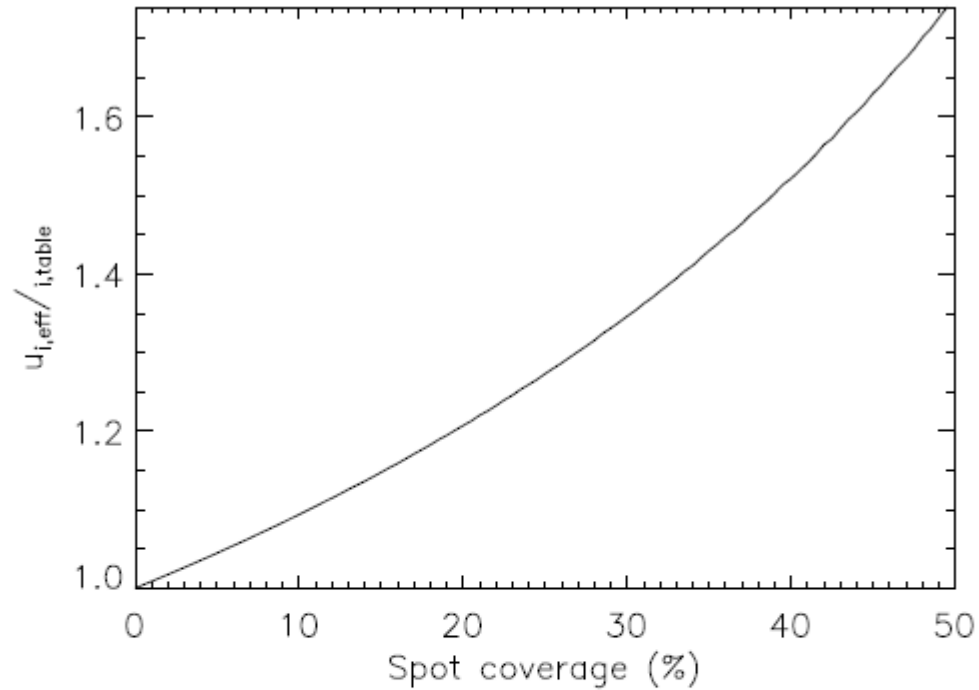
Jackson & Jeffries
2012, MNRAS 423

EXTRA ± CONTAMINATION!!



modelling of planetary parameters: impact of limb darkening

spots act as sources of contamination, but they also change the effective measured limb darkening coefficients



Csizmadia et al. (2013) A&A

Factors which affect the planetary radii determination

Clausen et al. 2009

Surface inhomogenities in T_{eff} changes local LD-coefficients

Random and systematic errors in stellar parameters

Theoretical uncertainties of LD

Uncertainty in fixing LD-coefficients

Light curve

Uncertainty in $R_{\text{planet}}/R_{\text{star}}$

Uncertainty in R_{planet} and density:
1-40%



Factors which affect the planetary radii determination

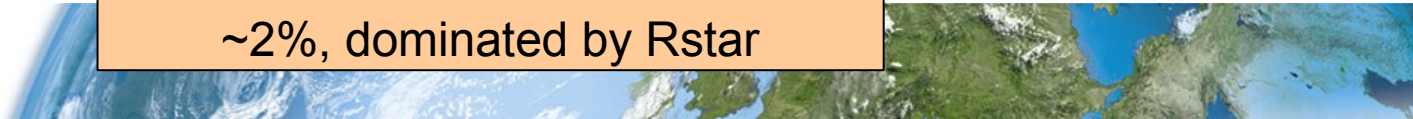
Stellar radius from GAIA
(~1-2%)

Adjusting LD-coefficients

Light
curve

Uncertainty in $R_{\text{planet}}/R_{\text{star}}$

Uncertainty in R_{planet}
~2%, dominated by R_{star}



CONCLUSIONS

1D, plane-parallel, unspotted stellar atmosphere models (poorly checked, but bad ones)



3D, spherical symmetric, spotted stellar atmosphere models
(3D+spherical exists since 2013, but observationally not checked yet
- theory of convection etc. can be improved)

The ultimate limit of precision of planetary characteristics is the precision of stellar parameters. Radius mostly will be dominated by stellar radius (~2%).

Transits light curves require careful analysis and a lot of accurate stellar physics. We learned a lot from CoRoT & Kepler and we are prepared to interpret the light curves of PLATO.

