

# The Photometric Calibration of Pan-STARRS1 (and the SDSS)

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# Photometric Calibration

## Simple picture

- ▶ Telescope CCD records counts from an object in the sky
- ▶ We want to know the flux of the object in a band
- ▶ Photometric calibration relates counts to flux in a band

# Photometric Calibration

- ▶ This simple description includes a lot:
  - ▶ overall throughput of the telescope (area, efficiency)
  - ▶ dependence on object spectrum
  - ▶ dependence on pipeline behavior
- ▶ We perform only a limited *relative* photometric calibration
  - ▶ Ignore actual relationship between counts and flux
  - ▶ Ensure only that the relationship is fixed
  - ▶ Single overall throughput per image (neglect filter shape variation and non-linearity)

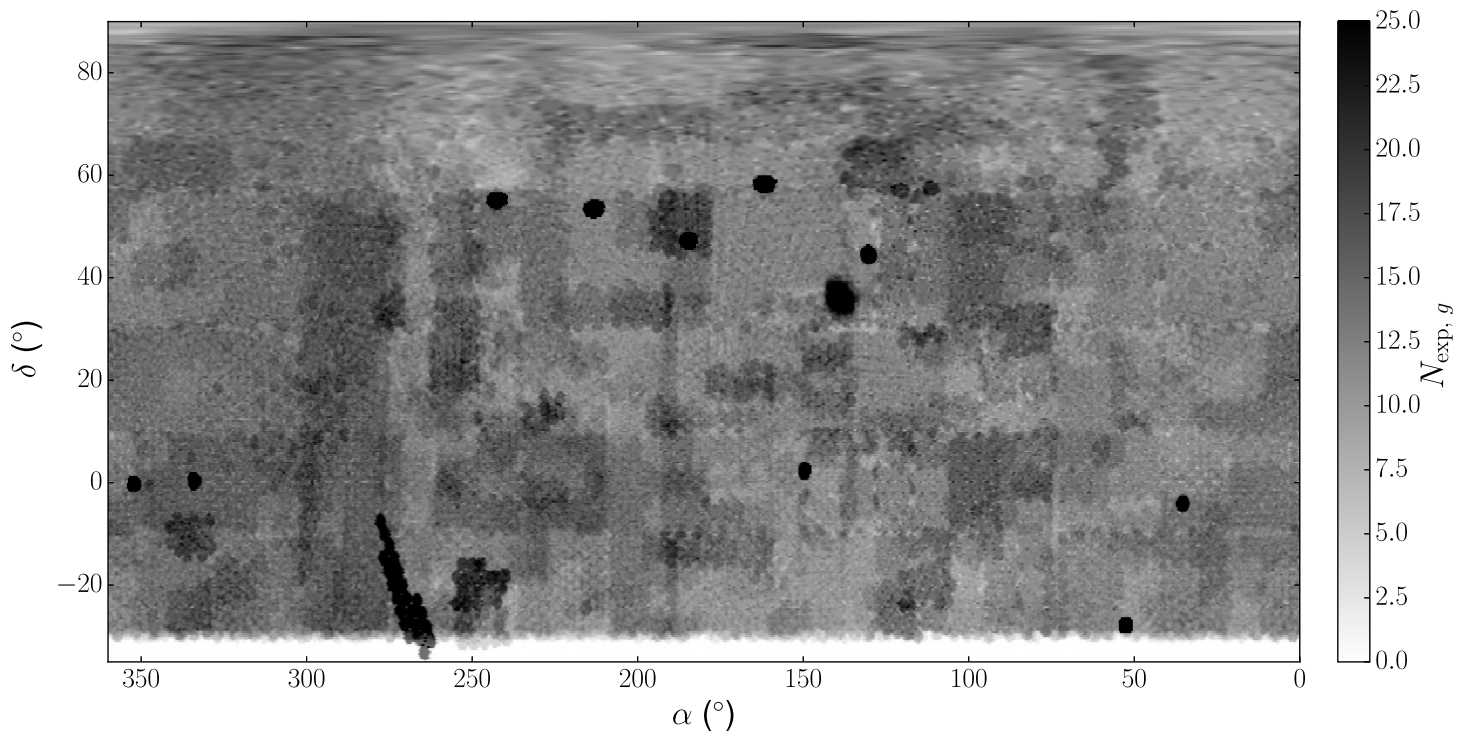
# Photometric Calibration

- ▶ The remaining problem is still hard
- ▶ The count to flux ratio can change because of
  - ▶ airmass
  - ▶ atmospheric transparency
  - ▶ detector efficiency
  - ▶ image quality
  - ▶ ...
- ▶ We model & remove these effects

# PS1

- ▶ 7 square degree field of view
- ▶ Billion pixel camera
- ▶ 5 band, *grizy*, 400 nm – 1000 nm
- ▶ > 12 epoch
- ▶  $\delta > -30^\circ$
- ▶ 10 “medium deep” fields with thousands of exposures

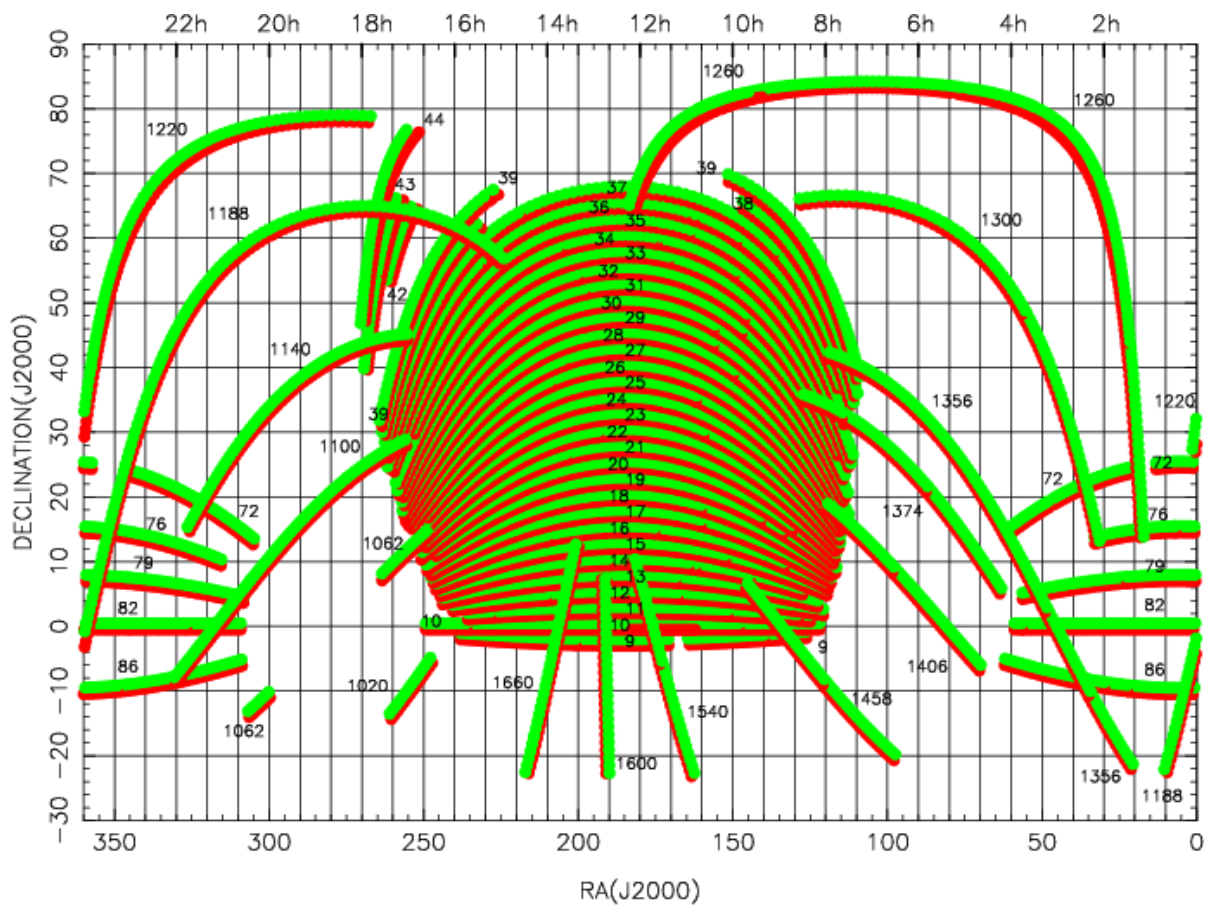
# PS1 Coverage



# SDSS

- ▶ 7 square degree field of view
- ▶ 130 million pixel camera
- ▶ 5 band, *ugriz*, 300 nm – 1000 nm
- ▶  $\sim 1$  epoch
- ▶  $\delta > -10^\circ$ , extragalactic
- ▶  $\sim 60$  epoch Stripe 82 observations

# SDSS Coverage





## Method

General technique:

- ▶ We have multiple images of many stars.
- ▶ These images are taken in different conditions, at different
  - ▶ airmasses
  - ▶ times
  - ▶ image qualities
  - ▶ locations in the focal plane
- ▶ We can then use them to determine how the system throughput changes.
- ▶ Same technique adopted in the SDSS

## Method

- ▶ We calibrate PS1 instrumental magnitudes  $m_{\text{inst}}$  by finding zero points  $Z$ , that give objects consistent magnitudes  $m$ .
- ▶  $m = m_{\text{inst}} + Z$
- ▶ We adopt a simple model for  $Z$

$$Z = a_n - k_n x + f + w(F)$$

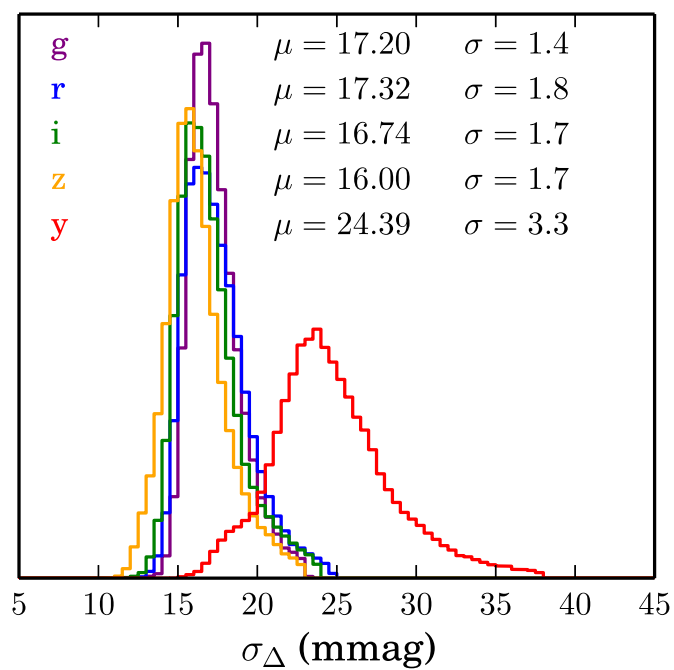
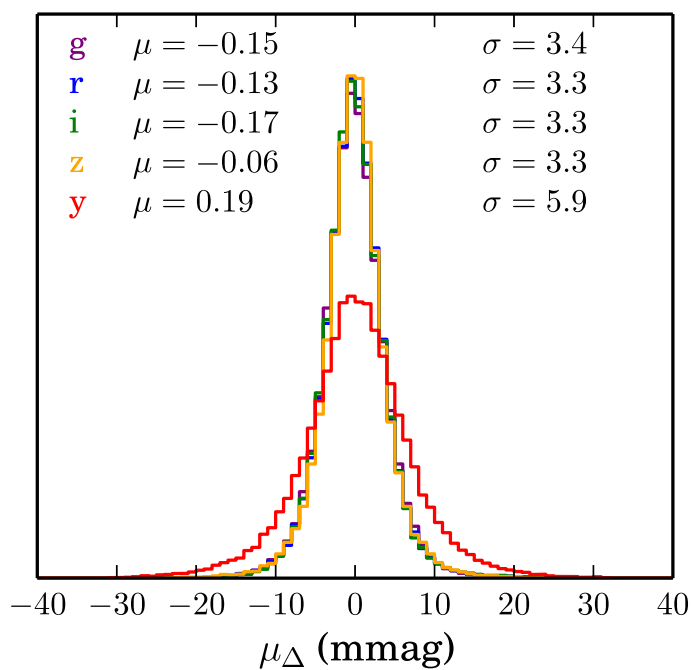
where

- ▶  $a$ : system zeropoint (one parameter per night)
  - ▶  $k$ : atmospheric opacity (one parameter per night)
  - ▶  $x$ : airmass of observation
  - ▶  $f$ : flat field (1024+ parameters)
  - ▶  $w$ : image quality correction function
- ▶ We then solve for the parameters of this model for  $Z$ , to minimize

$$\chi^2 = \sum_o \sum_i \frac{(m_{o,i} - \overline{m_o})^2}{\sigma_{o,i}^2}$$

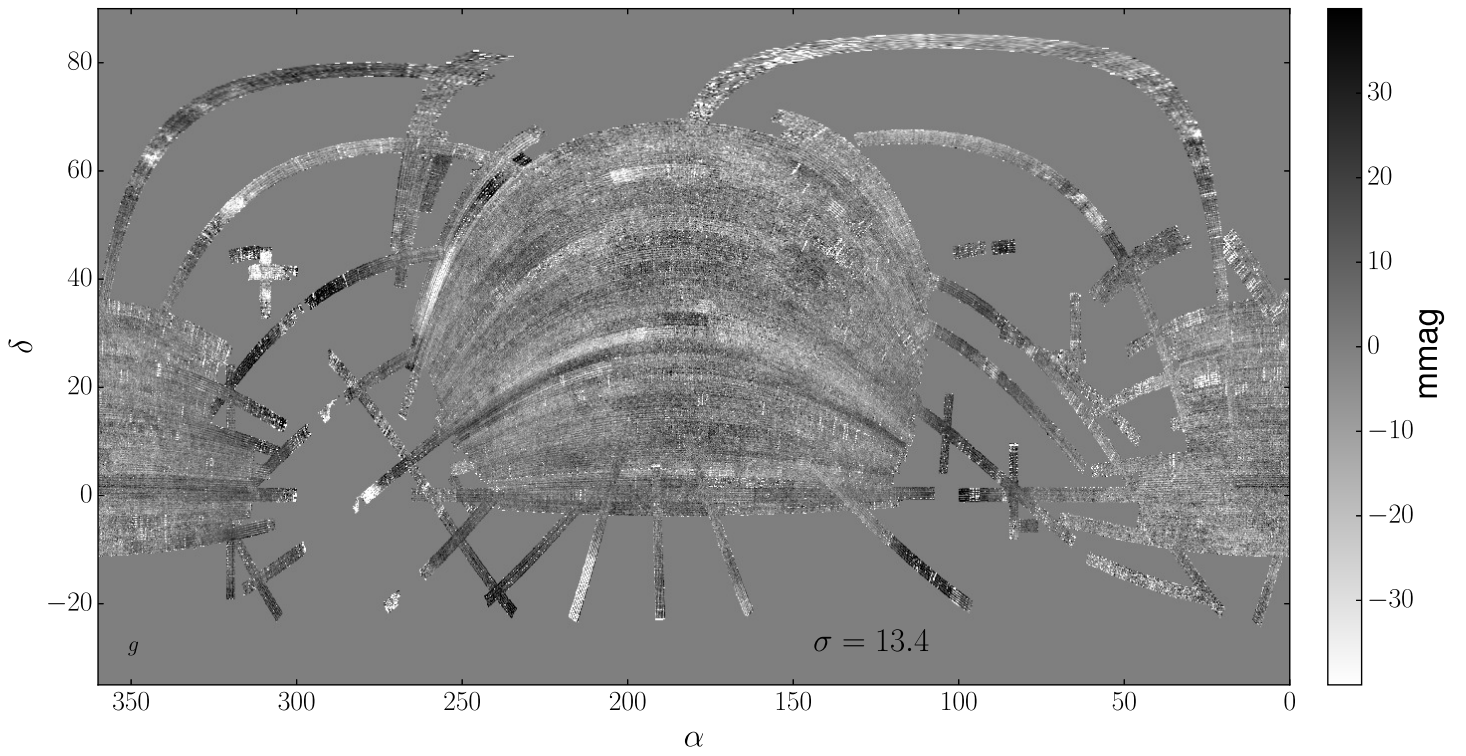
- ▶ Large (few thousand parameter) underdetermined linear least-squares problem; solve using standard SVD techniques.

# Internal Consistency

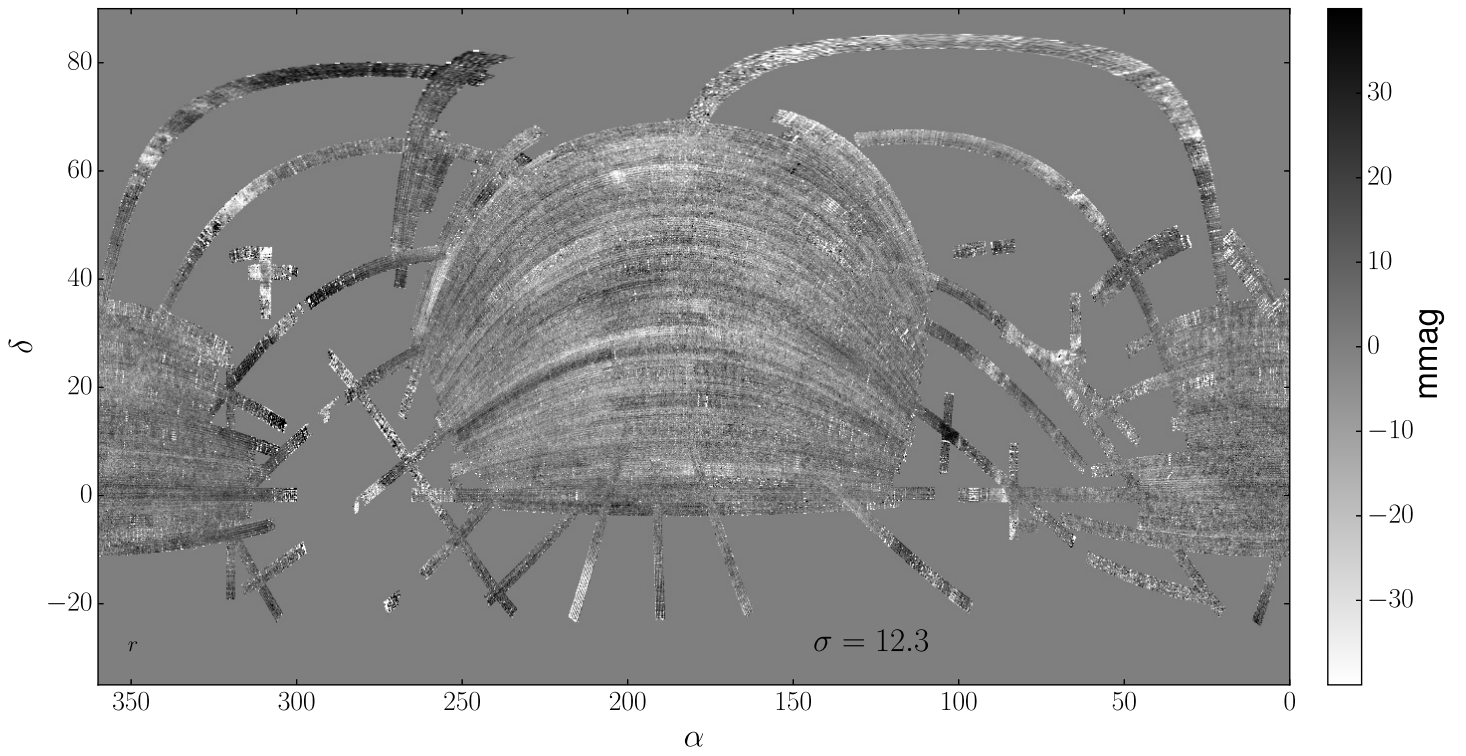


Results

# Comparison with the SDSS

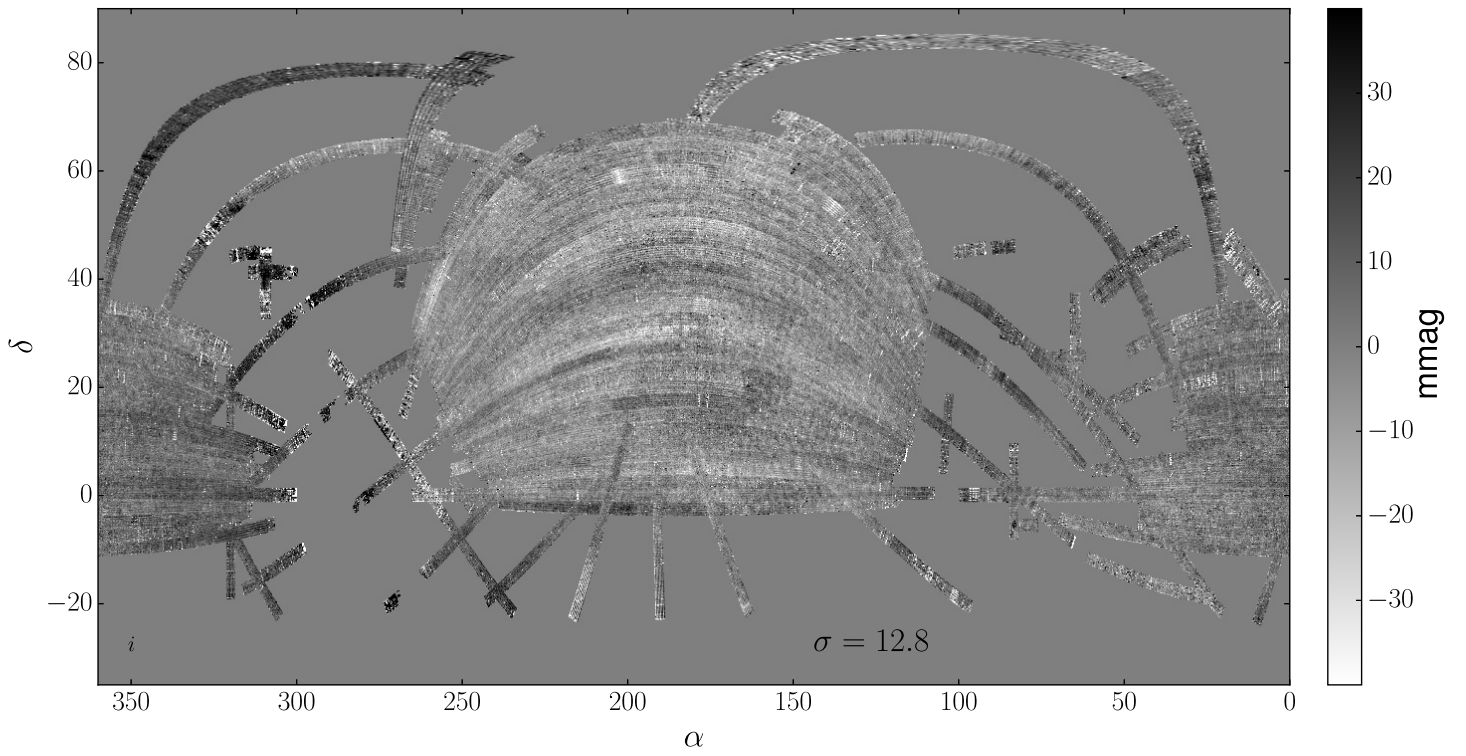


# Comparison with the SDSS

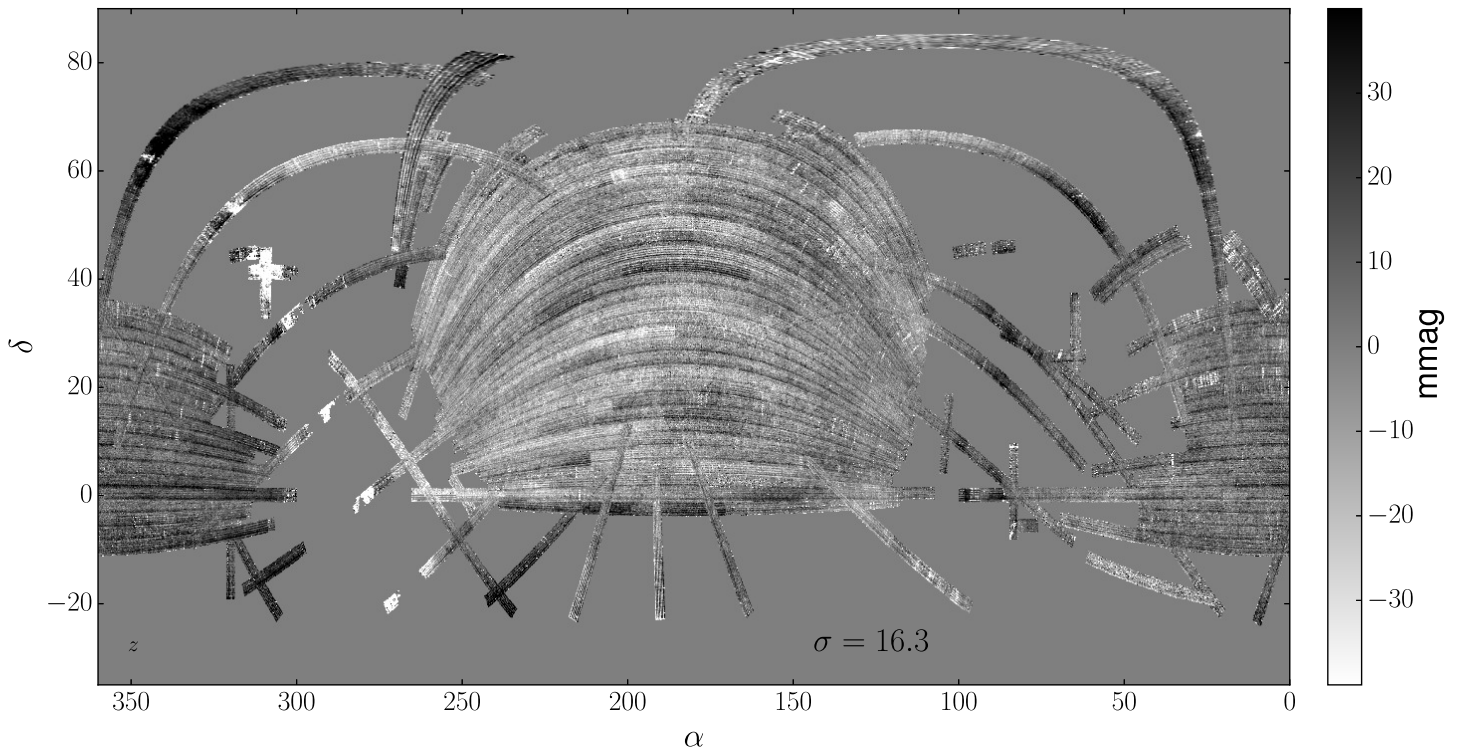


Results

# Comparison with the SDSS

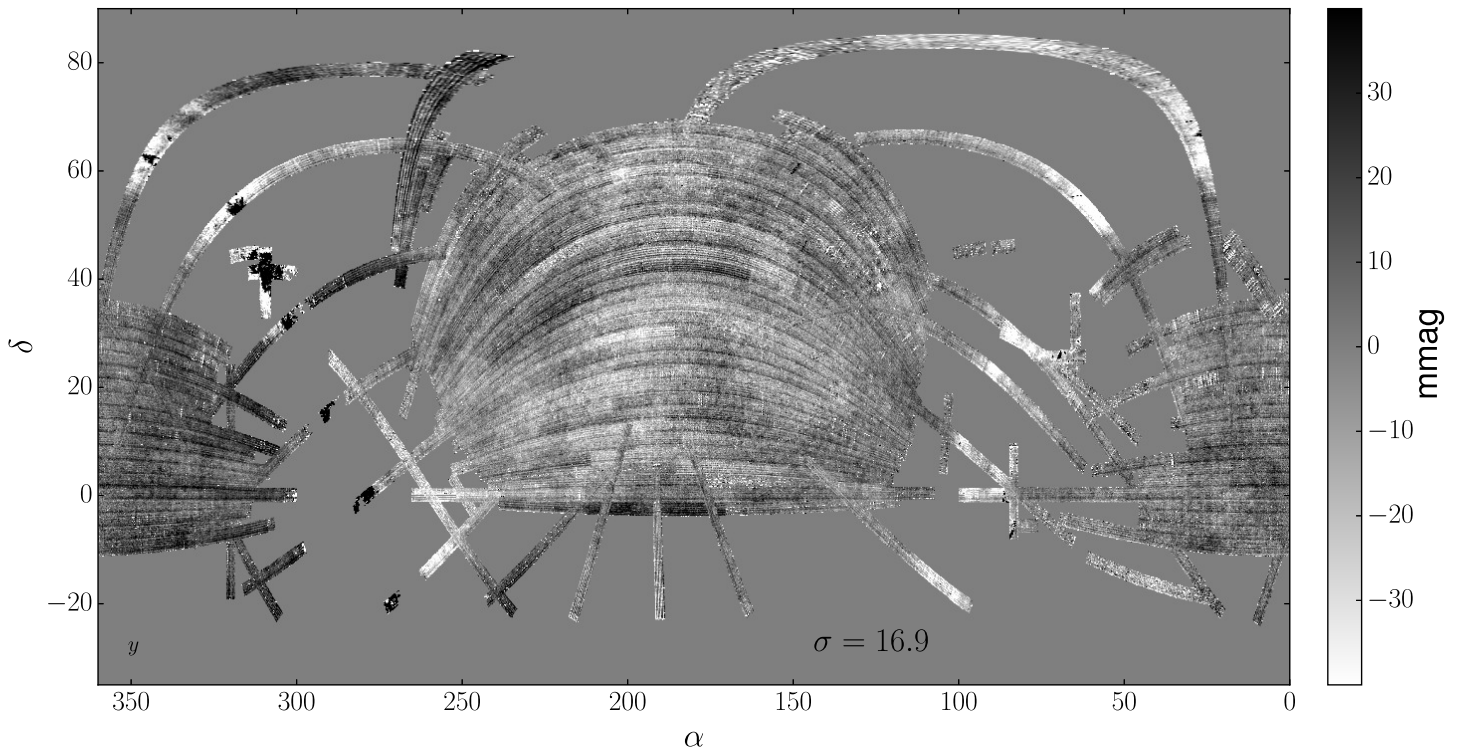


# Comparison with the SDSS





# Comparison with the SDSS

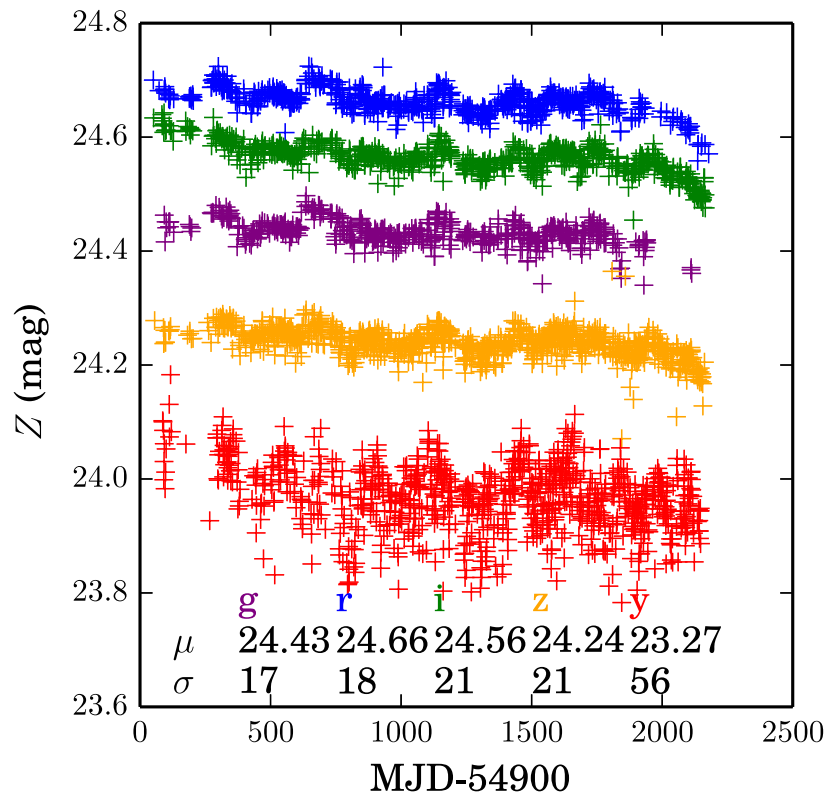




Results

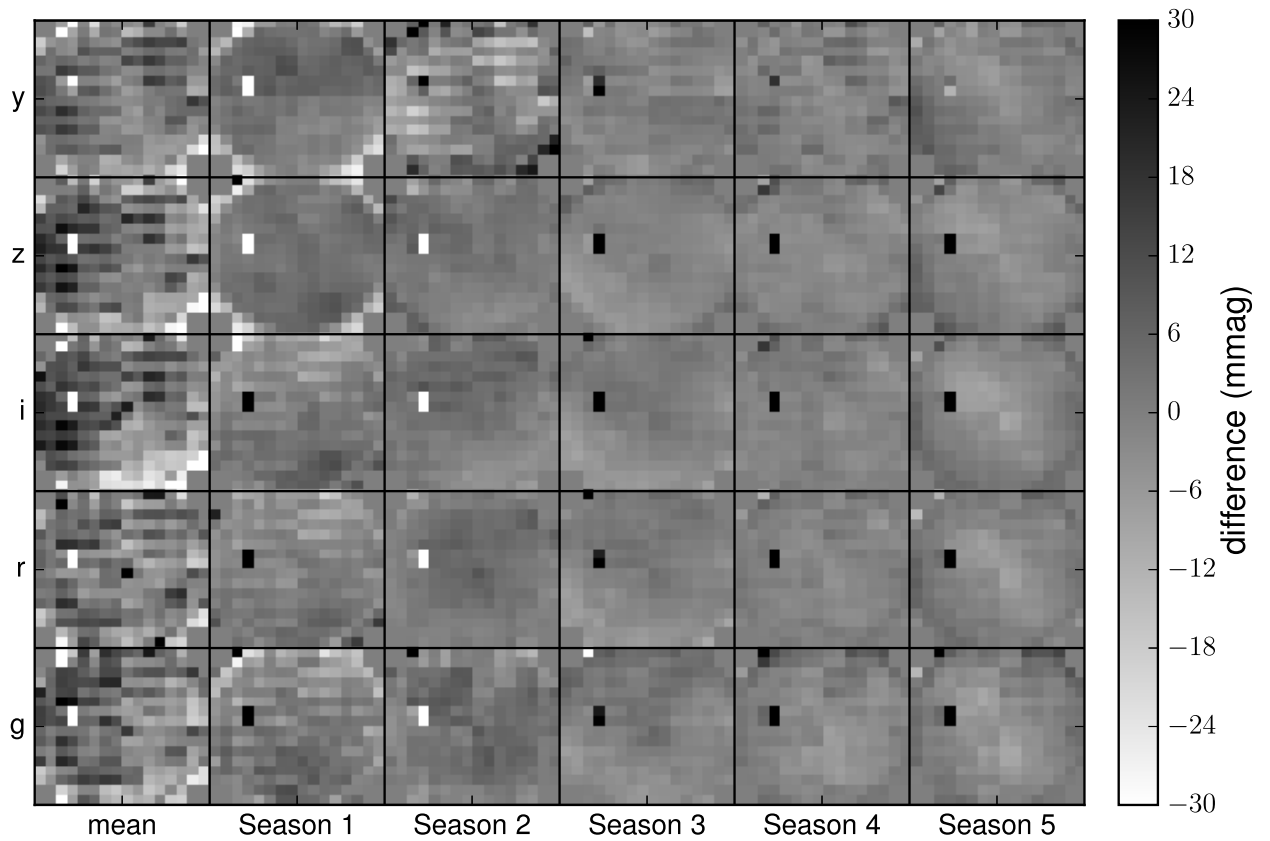
## System Stability

~ 20 mmag stability in overall throughput at 1.2 airmasses.



## Detector Stability

The detector flat field is virtually unchanged over the course of the survey.



Conclusion

## Conclusion

- ▶ Precision better than 10 mmag in all bands
- ▶ Enables wide variety of PS1 science
- ▶ Applicable to any multi-epoch survey