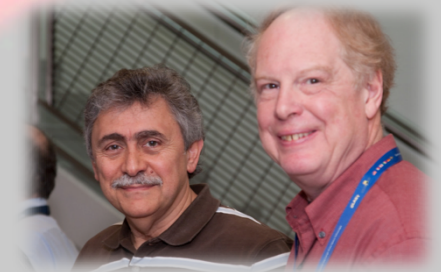


Fast Ionized X-ray Absorbers in AGNs

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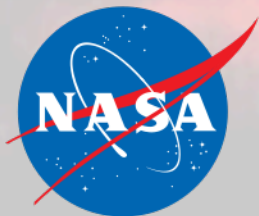


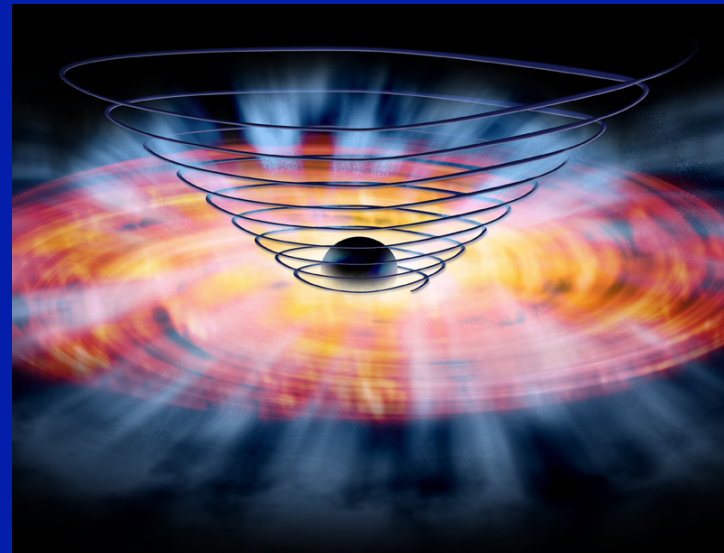
ILLUSTRATION: WIND FROM ACCRETION
DISK AROUND A BLACK HOLE

Outline

(1) **WAs** (\sim sub-pc) vs. **UFOs** ($<1000R_S$) in X-ray

(2) MHD-driven Wind Model

(3) Outlook



Ionized X-ray Winds

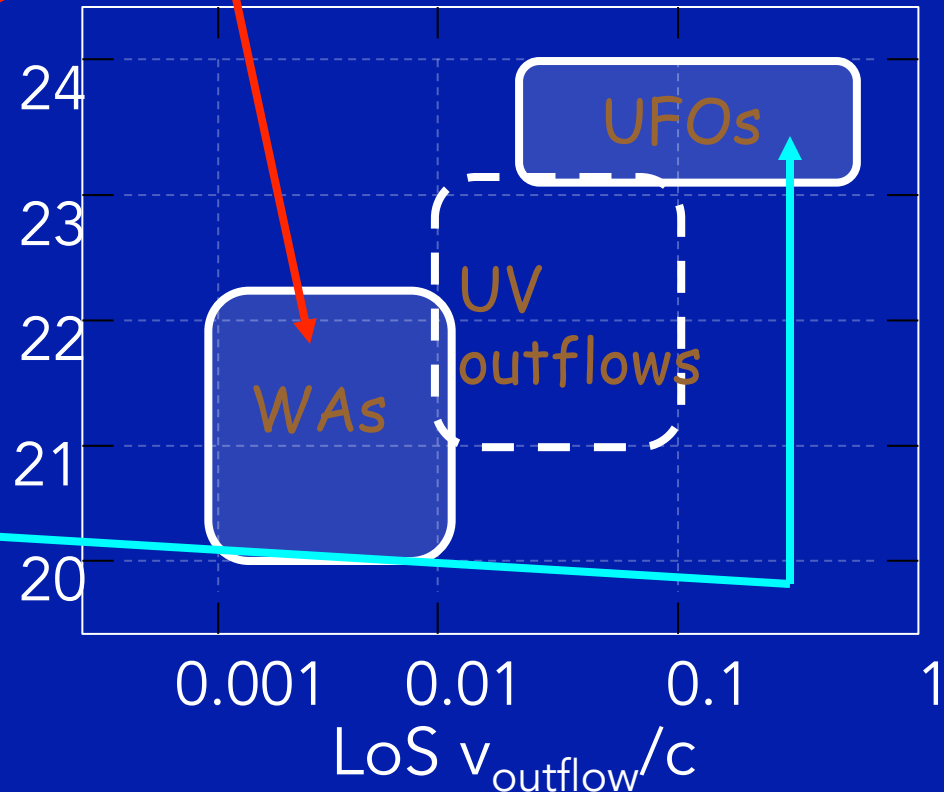
(i.e. Warm Absorbers & Ultra-Fast Outflows)

- ❑ (Soft) X-ray-bright Seyfert AGNs
- ❑ Distant QSOs
- ❑ Soft X-ray & Fe K band

- ❑ $v_{\text{out}} \sim 100 - 1,000 \text{ km/s}$
- ❑ $\log \xi \sim -1 \text{ to } 4$
- ❑ $N_{\text{H}} \sim 10^{20-22} \text{ cm}^{-2}$

- ❑ $v_{\text{out}}/c \sim 0.1 - 0.8$
- ❑ $\log \xi \sim 3-6$
- ❑ $N_{\text{H}} \sim 10^{23-24} \text{ cm}^{-2}$

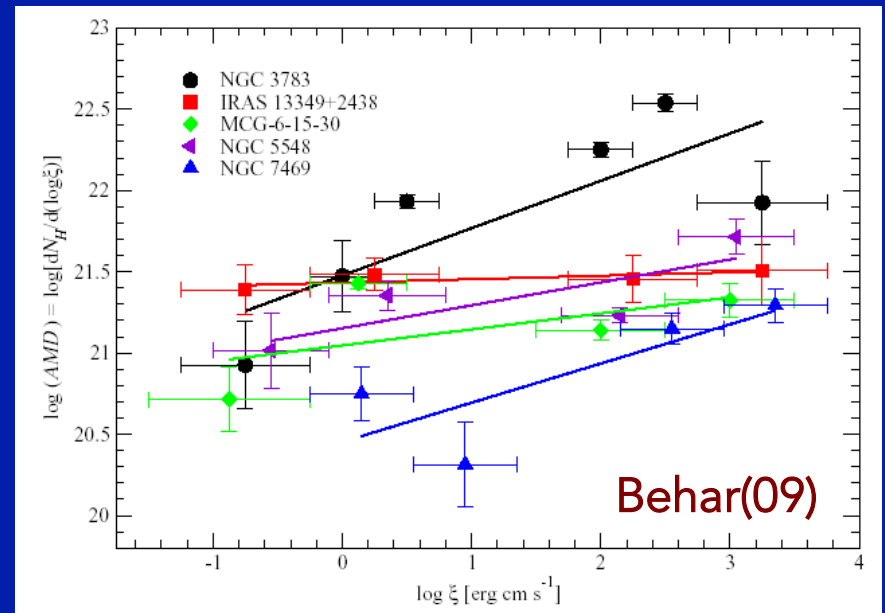
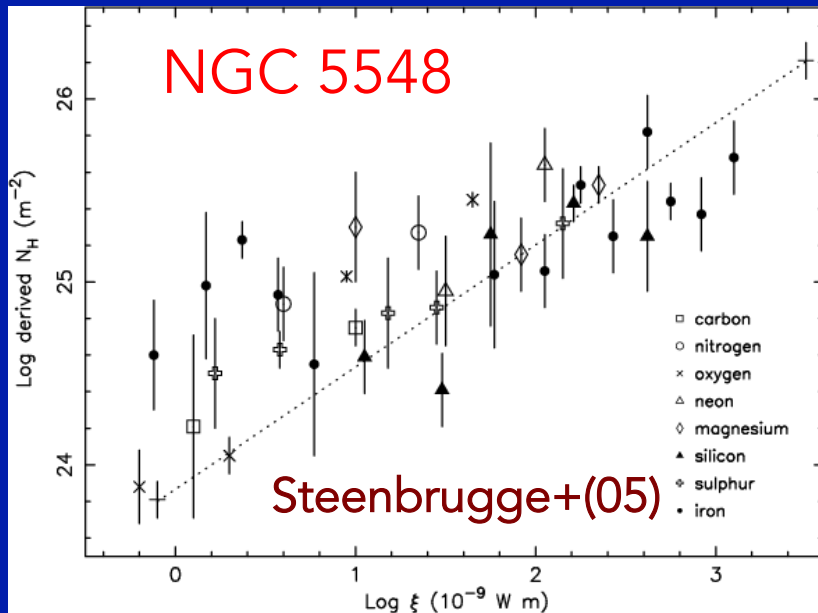
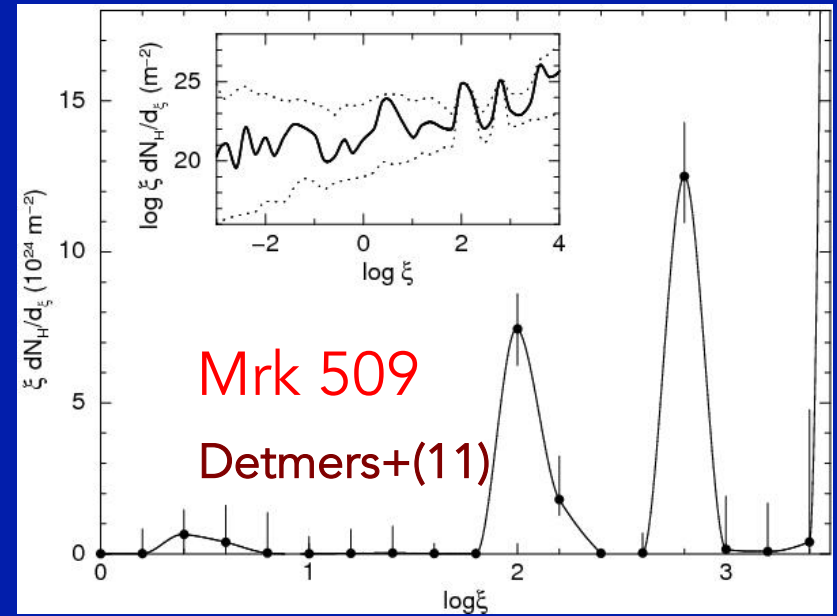
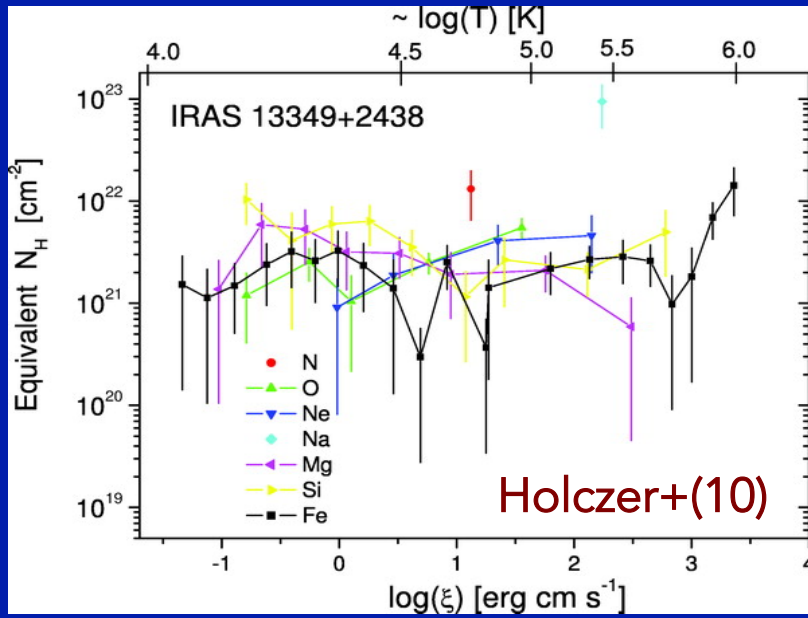
LoS
 $\log N_{\text{H}}$
[cm^{-2}]



Outstanding Questions

- Spatial location?
- Geometry?
- Continuous/Patchy flows?
- Defining quantities?

Absorption Measure Distribution (AMD)



AMD ~ constant... So what?

$$\xi \equiv \frac{L}{nr^2} = \frac{L\Delta r}{r^2 N_H} \Rightarrow N_H = \frac{\Delta(\log \xi)}{\Delta \xi} \frac{\Delta r}{r^2} L,$$

$$AMD \equiv \frac{N_H}{\Delta(\log \xi)} = \frac{\Delta(1/r)}{\Delta \xi} L,$$

$$\therefore \frac{\Delta(1/r)}{\Delta \xi} \approx \text{const.} \Rightarrow \xi \propto \frac{1}{r} \Rightarrow n \propto \frac{1}{r}$$

Not
 $n \sim r^{-2}$!

Then

$$\dot{M} \approx nr^2 v \approx r^{-1} r^2 r^{-1/2} \approx r^{1/2}$$

$$\dot{E}_k = \dot{M} v^2 \propto r^{-1/2}, \dot{P} = \dot{M} v = \text{const.}$$

Therefore, the flow is 2D

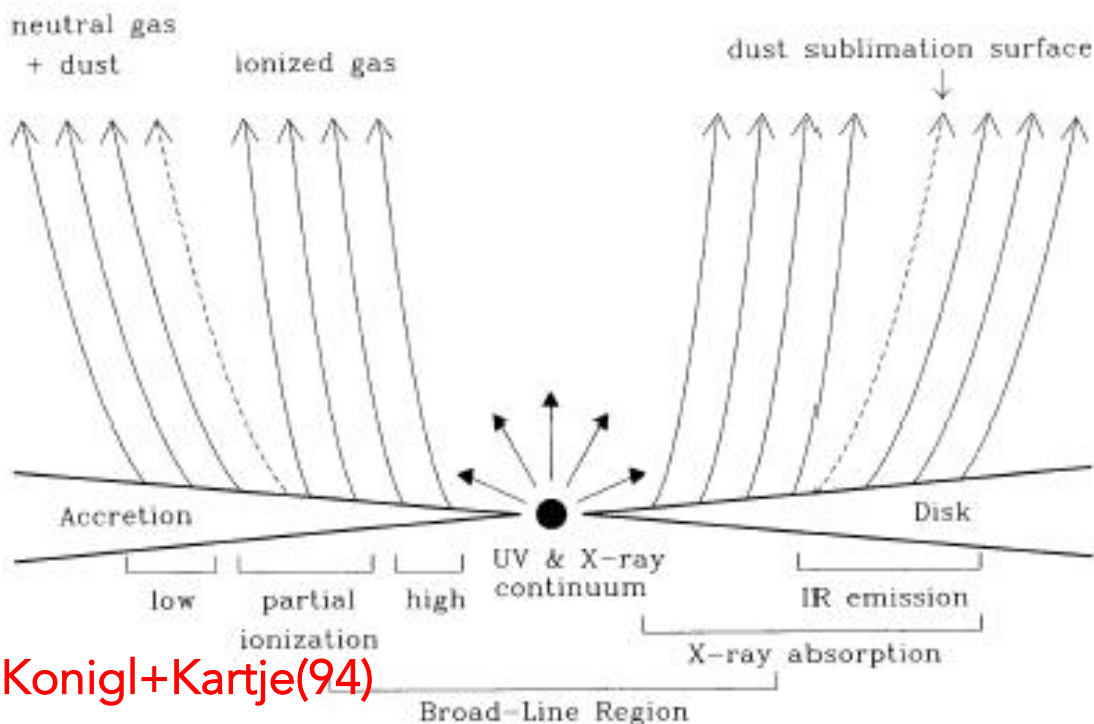
(e.g. Blandford+Payne82, Contopoulos+Lovelace94, Konigl+Kartje94...etc.)

outflow mass ← exterior
kinetic power ← interior

Absorbers as Disk-Wind

- Outflows necessary for accretion process
- Driven by "some" acceleration process(es)
- AGN X-ray photoionizing wind materials

Matter (gas) + photon (AGN SED) fields
→ Absorption features



Konigl+Kartje(94)

(1) Thermal-driven models:
Begelman, McKee&Shields(83)
Proga&Kallman(02)

(2) Radiation-driven models:
Castor+(75), Murray+(95;98)
Proga+Kallman(04)
Higginbottom+(14)

(3) MHD-driven models:
Blandford+Payne(82)
Konigl+Kartje(94)
Contopoulos(95), Everett(05)
Takeuchi+(13), Ohsuga+(11)
Fukumura+(10a;b,14,15)

Others (Phenomenological):
Blandford+Begelman(99)
Schurch+Done(07,08)
Sim+(08;10)

& more...

MHD-Driven Disk-Wind Model with $n \sim 1/r$

(e.g. Fukumura+10a,b,14,15)

(1) Steady-state, axisymmetric ideal MHD eqns. ($P_{\text{rad}}=0$)

Disk treated as BC

$$\nabla \cdot (\rho \mathbf{v}) = 0 \quad (\text{mass conservation}),$$

$$\nabla \times \mathbf{B} = \frac{4\pi}{c} \mathbf{J} \quad (\text{Ampere's law}),$$

$$\mathbf{E} + \frac{\mathbf{v}}{c} \times \mathbf{B} = 0 \quad (\text{ideal MHD}),$$

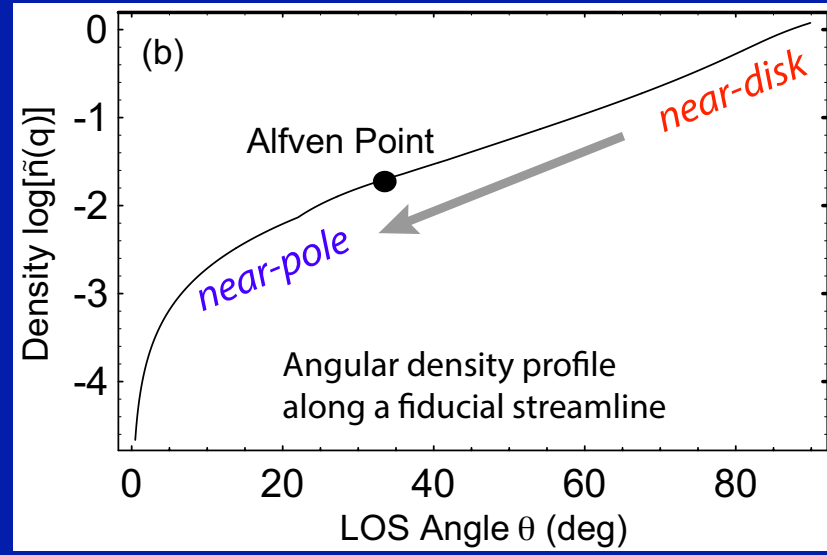
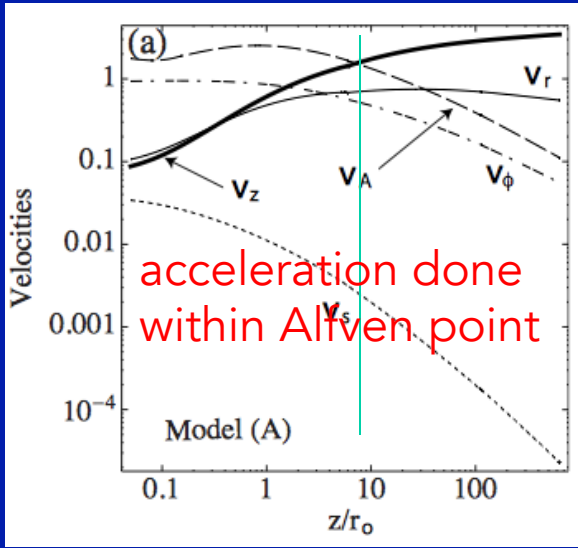
$$\nabla \times \mathbf{E} = 0 \quad (\text{Faraday's law}),$$

$$\rho(\mathbf{v} \cdot \nabla)\mathbf{v} = -\nabla p - \rho \nabla \Phi_g + \frac{1}{c}(\mathbf{J} \times \mathbf{B}) \quad (\text{momentum conservation}),$$

$$n(r, \theta) \equiv \frac{\rho(r, \theta)}{\mu m_p} = n_o x^{2q-3} \mathcal{N}(\theta)$$

$$N_H(\Delta r, \theta) \equiv \int_{\Delta r} n(r, \theta) dr$$

$$\Psi(r, \theta) = (r/r_o)^q \psi(\theta) \Psi_o,$$



MHD wind is 2D!

Solving Grad-Shafranov eqns. with self-similar radial profiles in MHD framework.

→ Toroidal (Keplerian) to poloidal motion transition.

MHD-Driven Disk-Wind Model with $n \sim 1/r$

(e.g. Fukumura+10a,b,14,15)

(2) Solve radiative transfer along LoS with xstar photoionization code by discretizing wind in radius

$$L_{i+1}^{(\text{tr})} = L_i e^{-\tau(i+1)},$$

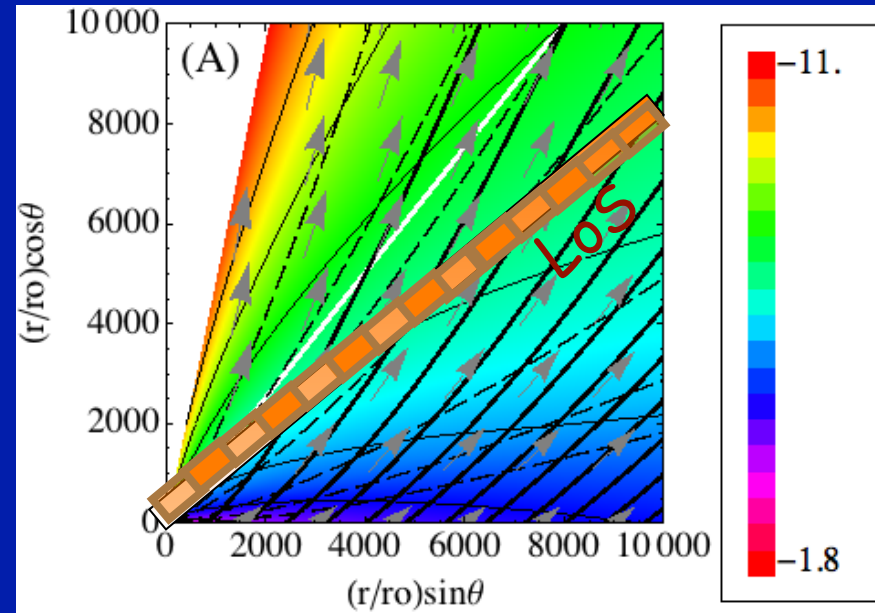
Solve ionization balance under heating-cooling equilibrium in each cell:

- Initial SED assumed
- Solve ionization balance in i^{th} cell
- Obtain transmitted SED from i^{th} cell
- Inject it to $(i+1)^{\text{th}}$ cell
- Repeat this process

while also keeping track of columns for ions in each cell.

Then, calculate a global ionization structure.

$$\xi(r, \theta) \equiv \frac{L}{n(r, \theta)r^2}$$



MHD-Driven Disk-Wind Model with $n \sim 1/r$

(e.g. Fukumura+10a,b,14,15)

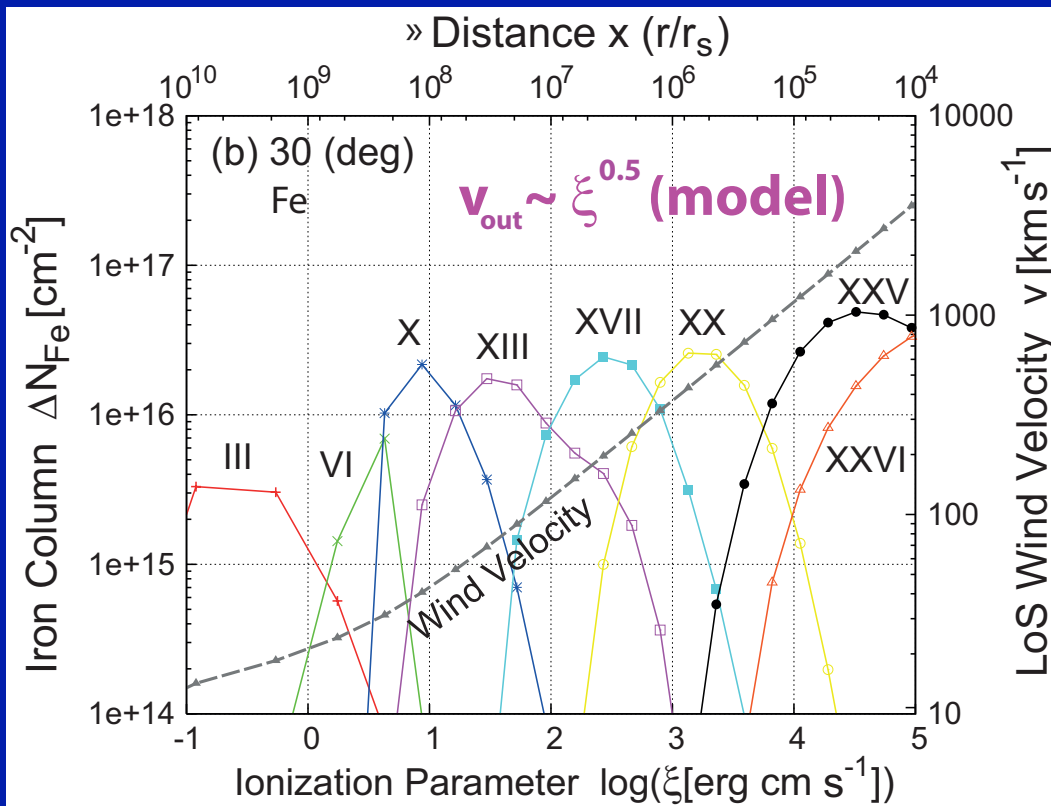
RQ Seyfert 1:

Test1:

Single PL: $\Gamma = 2$
 $L_{\text{ion}} = 3 \times 10^{42}$ erg/sec
 $M = 10^6 M_{\text{sun}}$



calculating AMD
for Seyfert WAs



- Constant AMD for 4 decades in ξ (all ions)
- Velocity profile (c.f. $v \sim \xi^{0.65}$ for WAs+UFOs)

Tombesi+13

MHD-Driven Disk-Wind Model with $n \sim 1/r$

(e.g. Fukumura+10a,b,14,15)

Test2: Applying to the UFO in PG 1211+143

PG 1211+143:

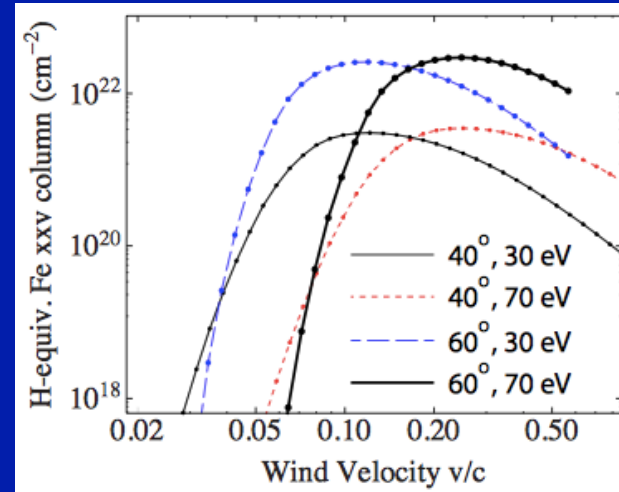
$\Gamma = 2$ and $\alpha_{OX} = -1.5$
 $L_{ion} = 1.3 \times 10^{44}$ erg/sec
 $M = 10^8$ Msun

A grid of wind model parameters

Model Grid of the mhdwind Component

Primary Parameter	Range
Viewing Angle θ (degrees)	30°, 40°, 50°, 60°, 70°
BBB Disk Temperature kT_{bbb} (eV)	10, 30, 50, 70
Disk Truncation Radius $\log f_t \equiv \log(R_t/R_o)$	0, 0.3, 0.6, 0.9, 1.2, 1.5, 1.8

1D radiative transfer along LoS for various elements



Calculated Fe XXV columns

MHD-Driven Disk-Wind Model with $n \sim 1/r$

(e.g. Fukumura+10a,b,14,15)

- ❑ From radiative transfer calculations one finds columns.
- ❑ With atomic/plasma physics one computes cross section

$$\sigma_{\text{photo},\nu} \equiv 0.001495 \frac{f_{ij}H(a,u)}{\Delta\nu_D} \text{ cm}^2$$

which yields optical depth of wind.

$$\tau_{\nu}(r, \theta) = \sigma_{\text{photo},\nu}(r, \theta)N_{\text{ion}}(r, \theta)$$

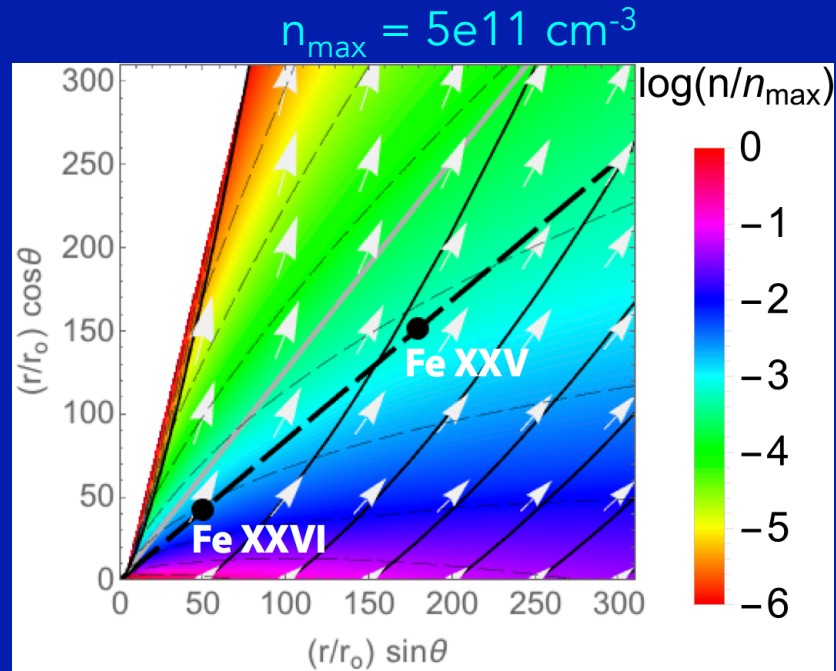
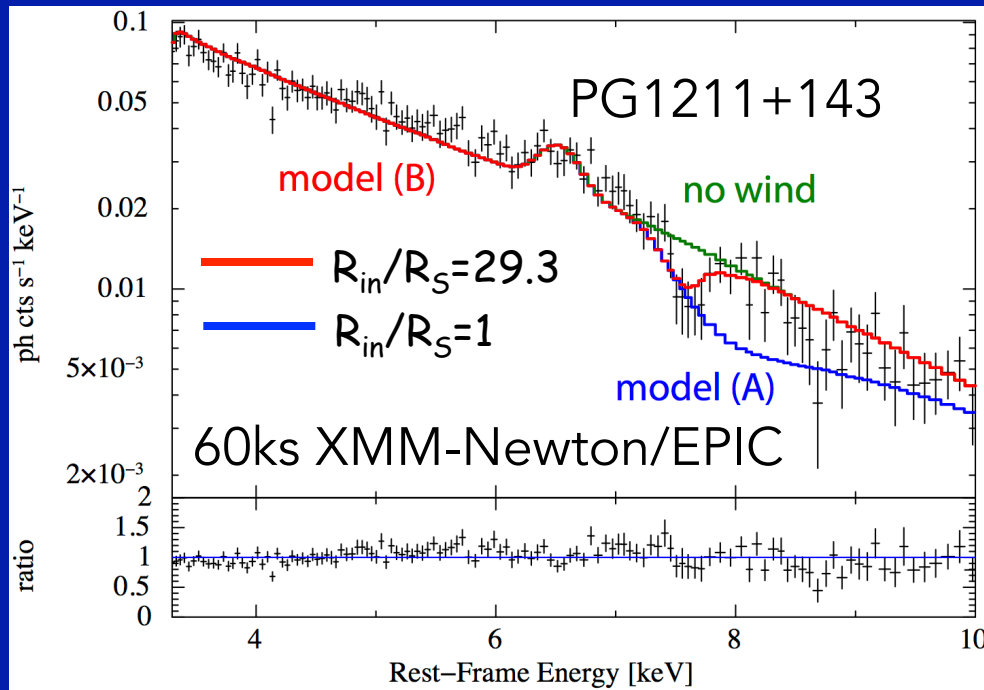
- ❑ Spectral shape is computed with Voigt profile $H(a,u)$

MHD Wind Characteristics

- ✓ There is always near-relativistic fast wind components at smaller radii
- ✓ SED will determine whether “spectroscopically” visible or not to us

MHD-Driven Disk-Wind Model with $n \sim 1/r$

(e.g. Fukumura+10a,b,14,15)



Best-fit model:

$kT_{in} = 38 \text{ eV}$ and $\theta_{obs} = 49^\circ$

$N_H(\text{FeXXV}) = 1.2 \times 10^{23} \text{ cm}^{-2}$, $\log \xi_c = 5.3$, $v/c = 0.115$

$R(\text{FeXXV}) = 235 R_S$, $R_{trunc} = 29.3 R_S$

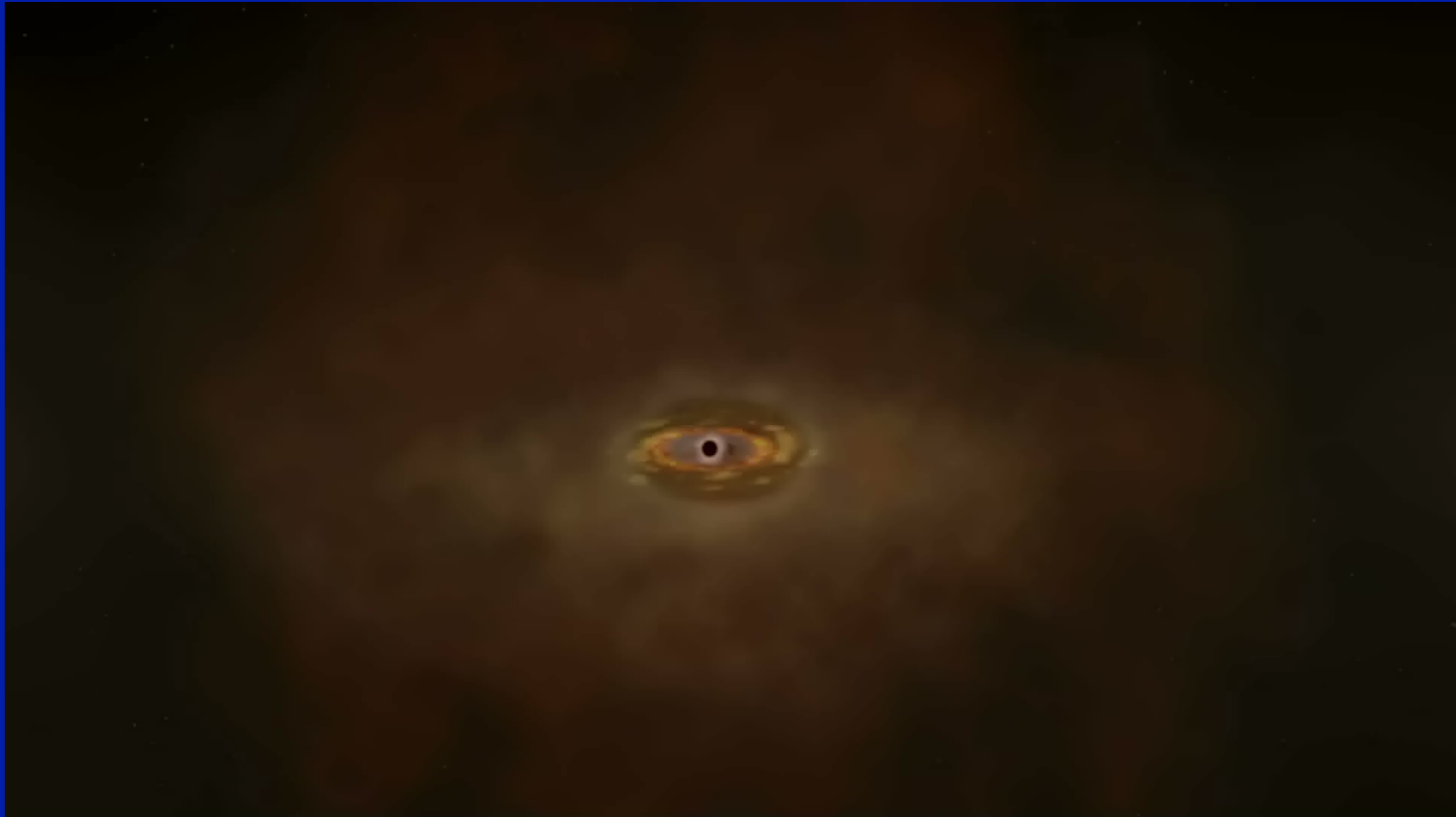
$M_{out}(\text{FeXXV}) = 2.56 M_{sun}/\text{yr}$

$\chi^2/\nu = 198.54/128$

Brief Outlook

- ❑ X-ray absorbers can tell us outflow physics phenomenology (micro) → many progress!
global perspective (macro) → ???
- ❑ Launching mechanism(s)
Thermal? Radiation? MHD?
→ need some “smoking gun” evidence...
(e.g. high- ξ & high- N_H wind → MHD?)
- ❑ Contribution to AGN feedback process
How much power can be delivered?

Thanks!



NASA's Goddard Space Flight Center