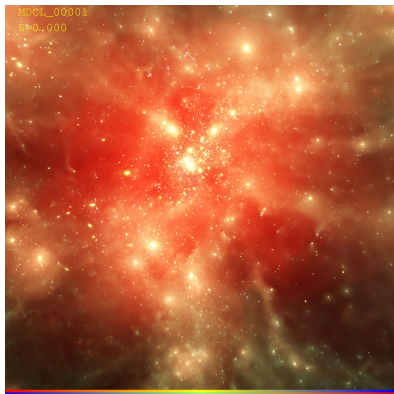




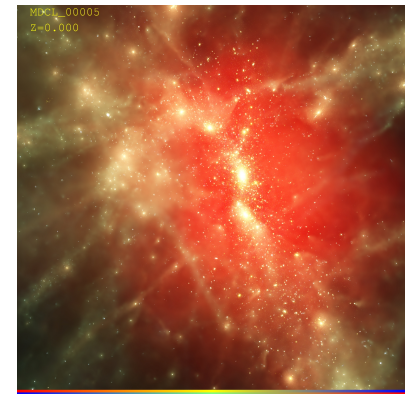
Marenostrum
Multidark
Simulations
of galaxy
Clusters



The evolution of the Y-M scaling relation in MUSIC



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OUTLINE

- The MUSIC dataset
- Baryon properties of MUSIC clusters
- SZ scaling relations in MUSIC :
 1. testing the self-similar model
 2. impact of the gas fraction on Y-M
 3. cluster evolution in the Y-M scaling relation
- Conclusions



THE MUSIC DATASET

MARENOSTRUM (MUSIC-1) resimulated clusters

- 164 (82 relaxed clusters – 82 ‘bullet-like’)

Only few objects with $M > 10^{15} h^{-1} M_{\text{SUN}}$



**cooling + SFR
resimulations**

(model: Springel & Hernquist, 2003)

MULTIDARK (MUSIC-2) resimulated clusters

- 283 lagrangian regions
- > 500 clusters $M > 10^{14} h^{-1} M_{\text{SUN}}$
- > 2000 objects $M > 10^{13} h^{-1} M_{\text{SUN}}$



**cooling + star formation
(CSFR) & non radiative
(NR)resimulations**

Many objects with $M > 10^{15} h^{-1} M_{\text{SUN}}$

$m_{\text{DM}} = 9.01 \times 10^8 h^{-1} M_{\text{SUN}}$ - $m_{\text{SPH}} = 1.9 \times 10^8 h^{-1} M_{\text{SUN}}$

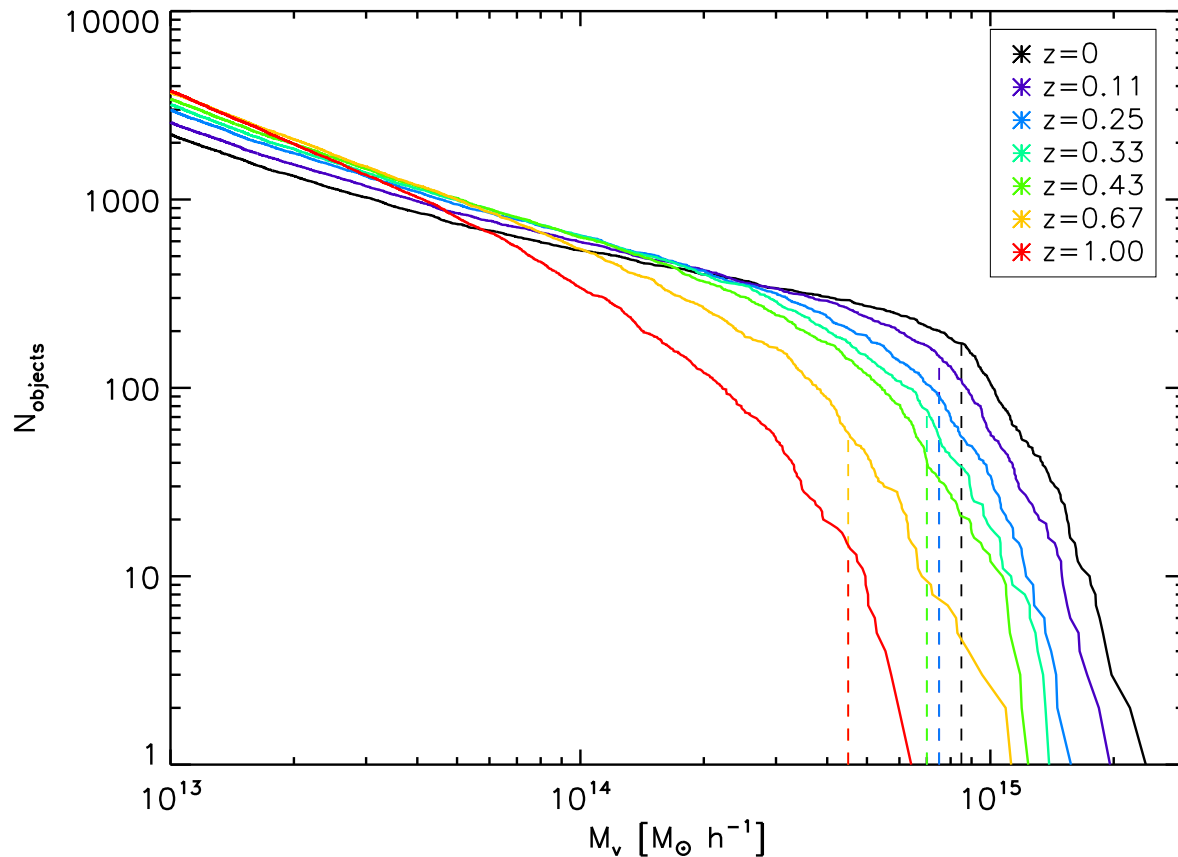
Each cluster described by several millions of particles

700 resimulated clusters with $M > 10^{14} h^{-1} M_{\text{SUN}}$



Large statistics to study baryonic properties and calibrate
scaling relations

MUSIC-2 is a complete mass-limited volume sample:
 all objects beyond a (redshift varying) mass limit formed in the
 $1h^{-1}\text{Gpc}$ DM-only simulation have been resimulated

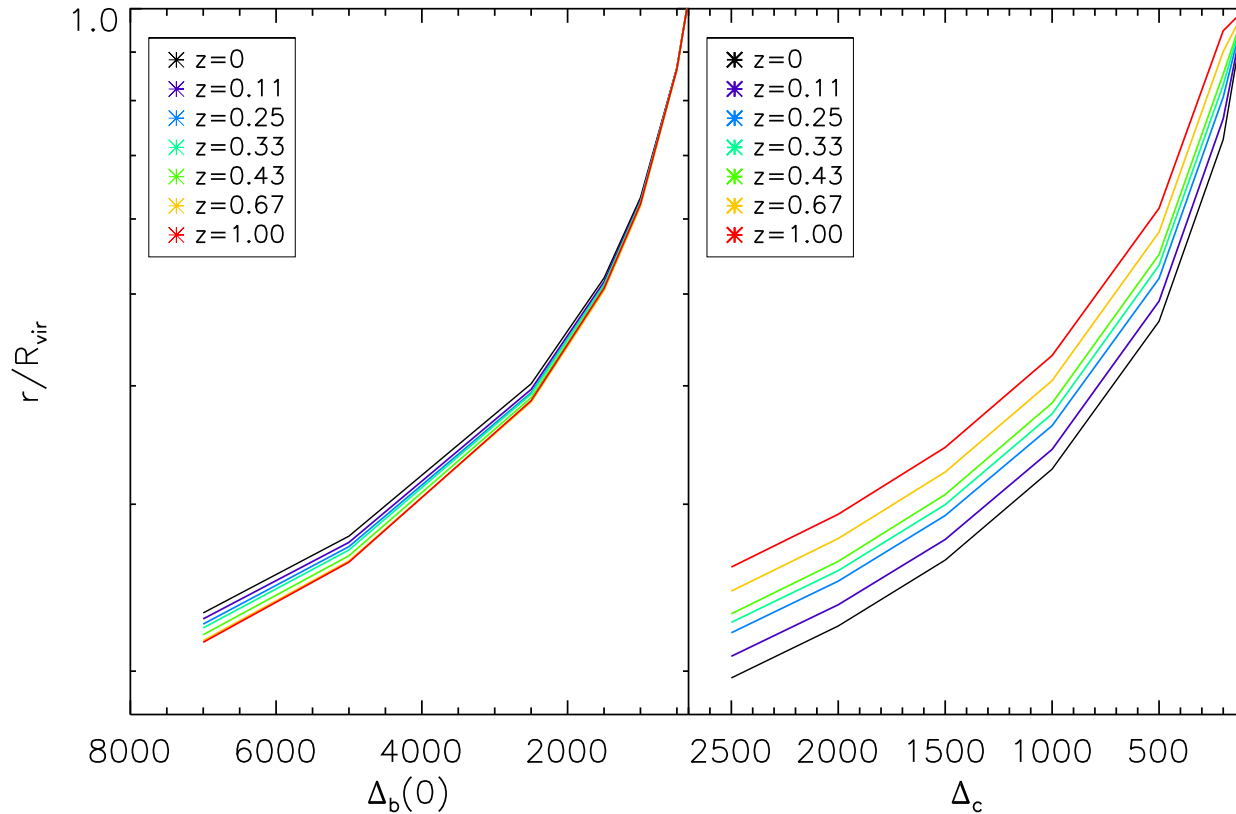


z	$M_{\text{compl}} [h^{-1}M_{\odot}]$	$N(M_v > M_{\text{compl}})$
0.00	8.5×10^{14}	172
0.11	7.5×10^{14}	147
0.25	7.5×10^{14}	90
0.33	7×10^{14}	76
0.43	7×10^{14}	41
0.67	4.5×10^{14}	57
1.00	4.5×10^{14}	14

All MUSIC data (X-rays, SZ,, luminosities..) will be publicly available through the website <http://music.ft.uam.es>

In this work we analyse all clusters with $M_v > 5 \times 10^{14} h^{-1} M_{\text{SUN}}$ at $z=0$ (271 clusters)

CLUSTER PROPERTIES AT DIFFERENT REDSHIFTS



Two different approaches to define the overdensity radius: a constant critical overdensity Δ_c and a redshift-dependent background overdensity

$$\frac{4}{3}\pi\rho_c(z)\Delta(z)r_\Delta^3 = M_\Delta(z)$$

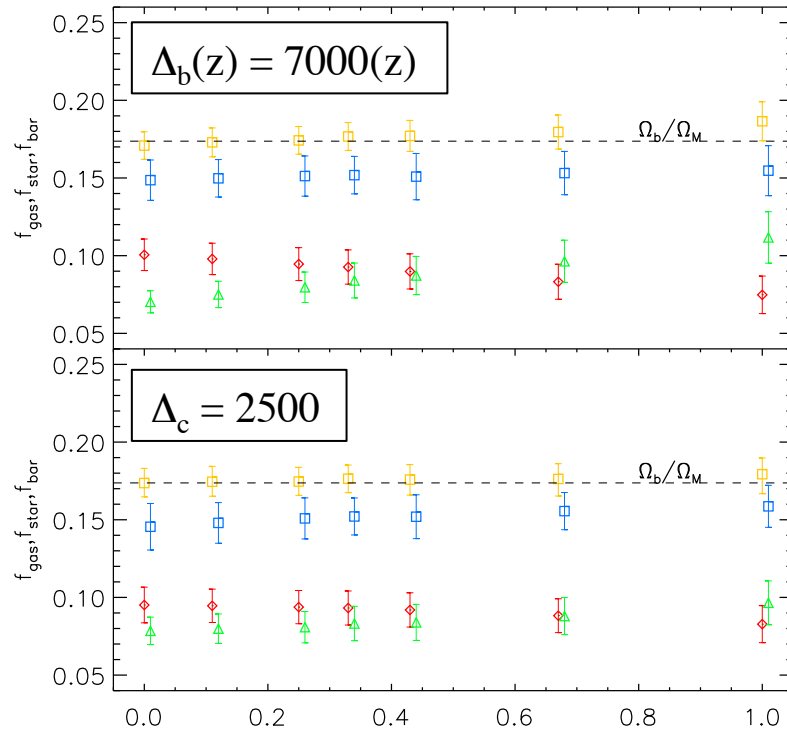
$$\Delta(z) = \Delta(0) \left[\frac{\Delta_v(z)}{\Delta_v(0)} \right]$$

$$r_\Delta \propto \rho_c(z)^{-1/3} \propto E^{-2/3}(z) = (\Omega_M(1+z)^3 + \Omega_\Lambda)^{-1/3}$$

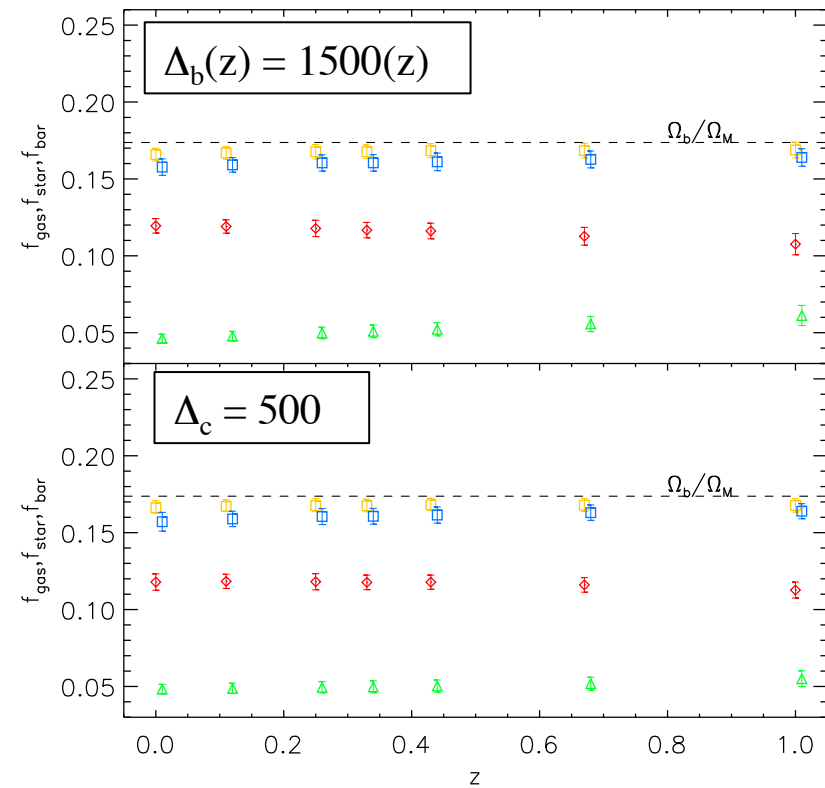
$$r_\Delta \propto \rho_b(z)^{-1/3} \Omega_m(z)^{1/3} \propto (1+z)^{-1}$$

The use of $\Delta_b(z)$ is more efficient to take into account same fractions of virial radius at different redshifts

BARYON PROPERTIES



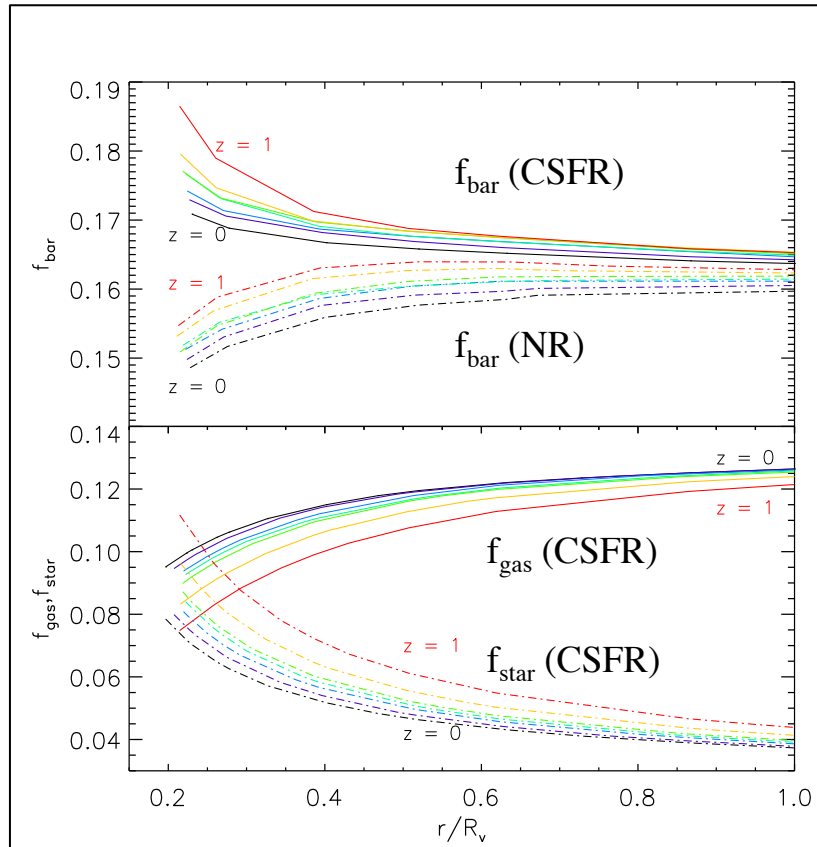
Sembolini et al. 2012, in prep.



$f_{\text{bar}}(\text{NR})$ ■
 $f_{\text{bar}}(\text{CSFR})$ ■
 $f_{\text{gas}}(\text{CSFR})$ ◆
 $f_{\text{star}}(\text{CSFR})$ ▲

- At high overdensities f_{star} increases with z , f_{gas} decreases
- The baryon fraction approaches the cosmic value at $\Delta_c=500$ ($f_{\text{bar}}(\text{CSFR}) > f_{\text{bar}}(\text{NR})$)

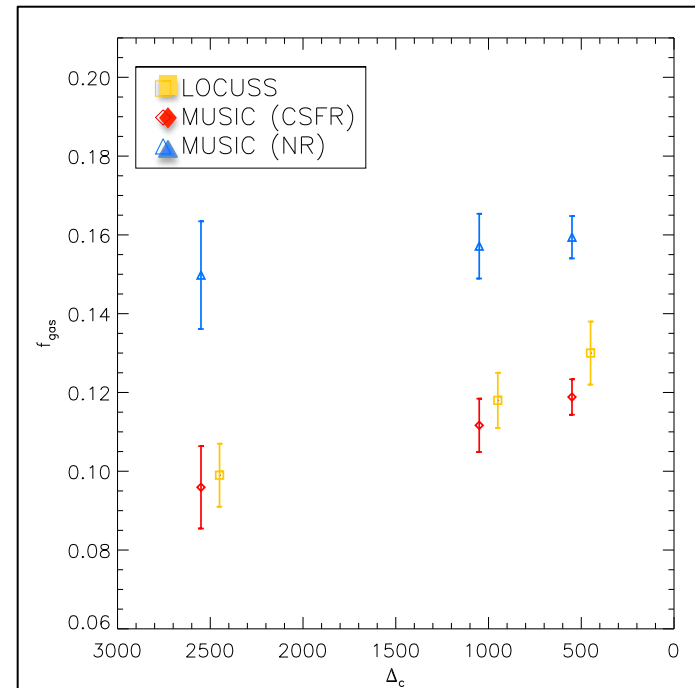
f_{gas} PROFILES & COMPARISON WITH OBSERVATIONS



- Evolution with redshift of f_{gas} , f_{star} , f_{bar}
- Inner regions and high redshifts more affected by cold flows (higher f_{star} , f_{bar})
- NR and CSFR clusters both reach $f_{\text{bar}} = \Omega_b/\Omega_m$ at R_{vir} (but with different radial profiles)

CSFR clusters:

- $\Delta_c=500$ $f_{\text{gas}} = (0.118 \pm 0.005)$
- f_{gas} compatible with observations at all overdensities (Zhang et al 2010, La Roche 2006)



Sembolini et al. 2012, in prep.

Y – M scaling relation

$$YD_A^2 \propto f_{gas} M_{TOT}^{5/3} E(z)^{2/3}$$

$$Y = YD_A^2 \cdot E^{-2/3}(z) f_{gas}^{-1}$$

$$X = M_{TOT}$$

$$Y_s = \frac{\sigma_{TH}}{m_e c^2} \frac{\mu}{\mu_e} (\Delta G^2 H_0^2)^{1/3} E(z)^{2/3} f_{gas} M_{TOT}^{5/3}$$

A = 1.66

in the self similar scenario

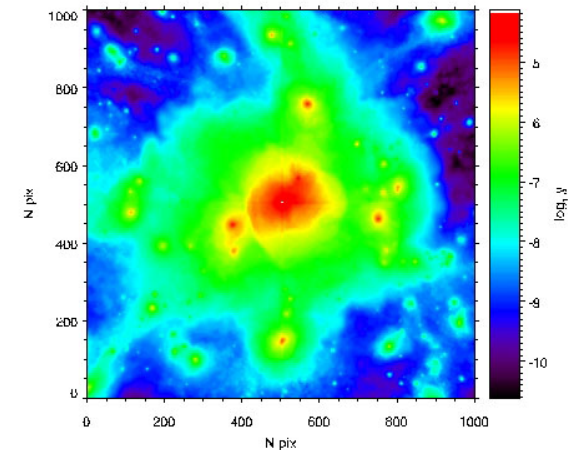
B ≈ -28

(Y in $h^{-2} \text{Mpc}^2$, M in $h^{-1} M_{\text{sun}}$)

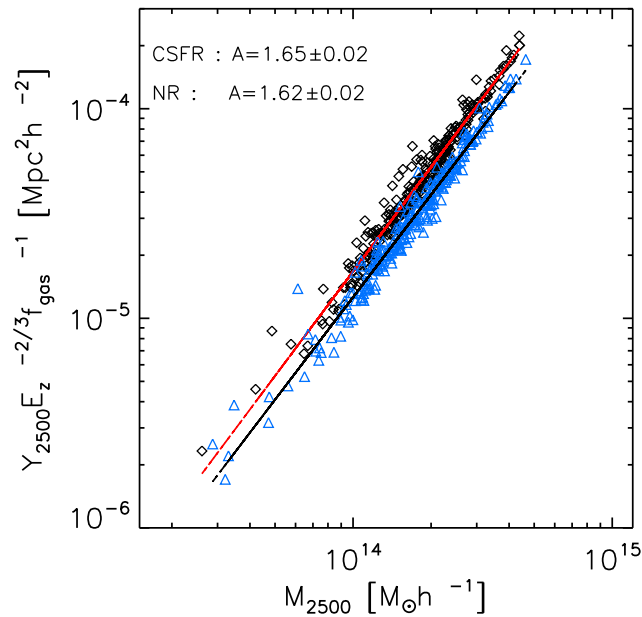
- **Y extracted from simulated maps**

(ray-tracing)

$$y = \int n_e \frac{k_B T_e}{m_e c^2} \sigma_T dl \longrightarrow y_{pix} = \sum_{\alpha} \sum_i \frac{k_B \sigma_T}{m_e c^2} T_{e,i} n_{e,i} W(r_i, h_i) dl_i$$

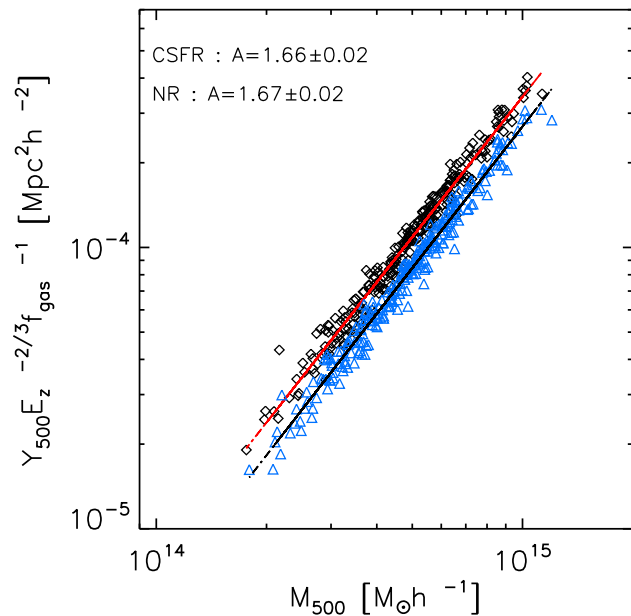


Y – M scaling relation



$$Y_{\Delta} = 10^B \left(\frac{M_{\Delta}}{h^{-1} M_{\odot}} \right)^A E(z)^{2/3} [h^{-2} Mpc^2]$$

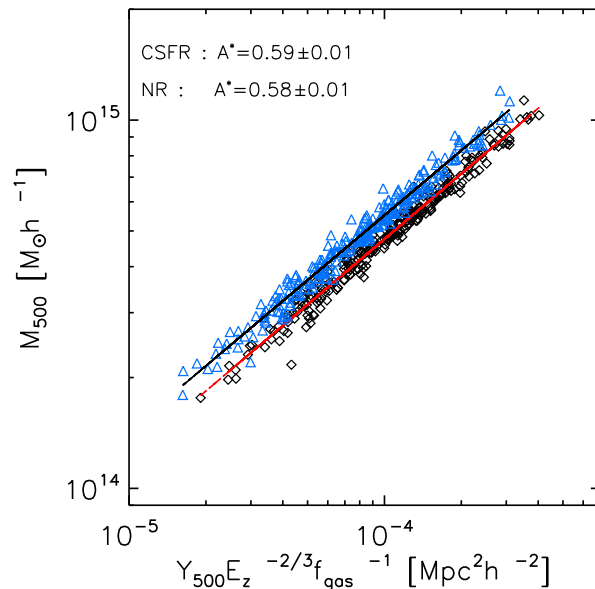
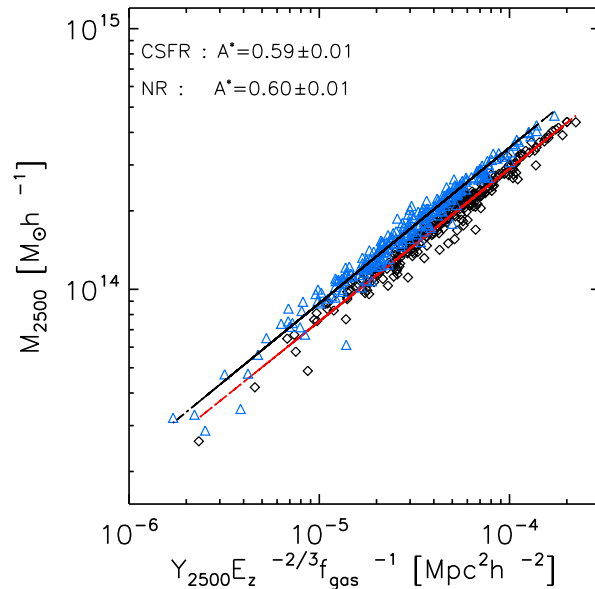
The analysis of MUSIC massive clusters Y-M scaling relation confirms the self-similar scenario



$$Y_{500} = 10^{-28.3\pm 0.2} \left(\frac{M_{500}}{h^{-1} M_{\odot}} \right)^{1.66\pm 0.02} E(z)^{2/3} [h^{-2} Mpc^2]$$

As in observational scaling relations,
we assume f_{gas} constant

M-Y scaling relation



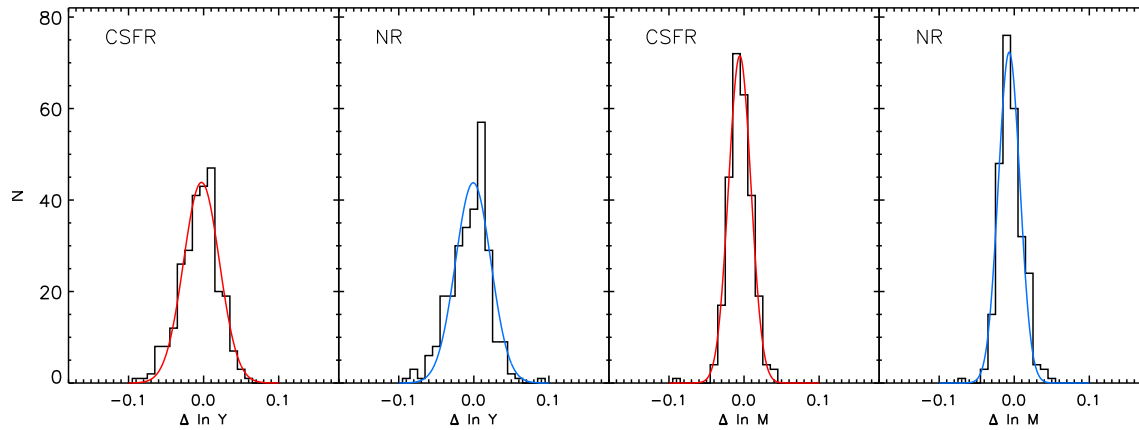
We also study the inverse scaling relation M-Y , more reliable to observational applications

$$M_{\Delta} = 10^{B^*} \left(\frac{Y_{\Delta}}{h^{-2} \text{Mpc}^2} \right)^{A^*} E(z)^{-2/5} [h^{-1} M_{\odot}]$$

According to the self-similar model, a slope $A^* = 3/5$ is expected

$$M_{500} = 10^{17.0 \pm 0.1} \left(\frac{Y_{500}}{h^{-2} \text{Mpc}^2} \right)^{0.59 \pm 0.01} E(z)^{-2/5} [h^{-1} M_{\odot}]$$

Scatter on SZ scaling relations

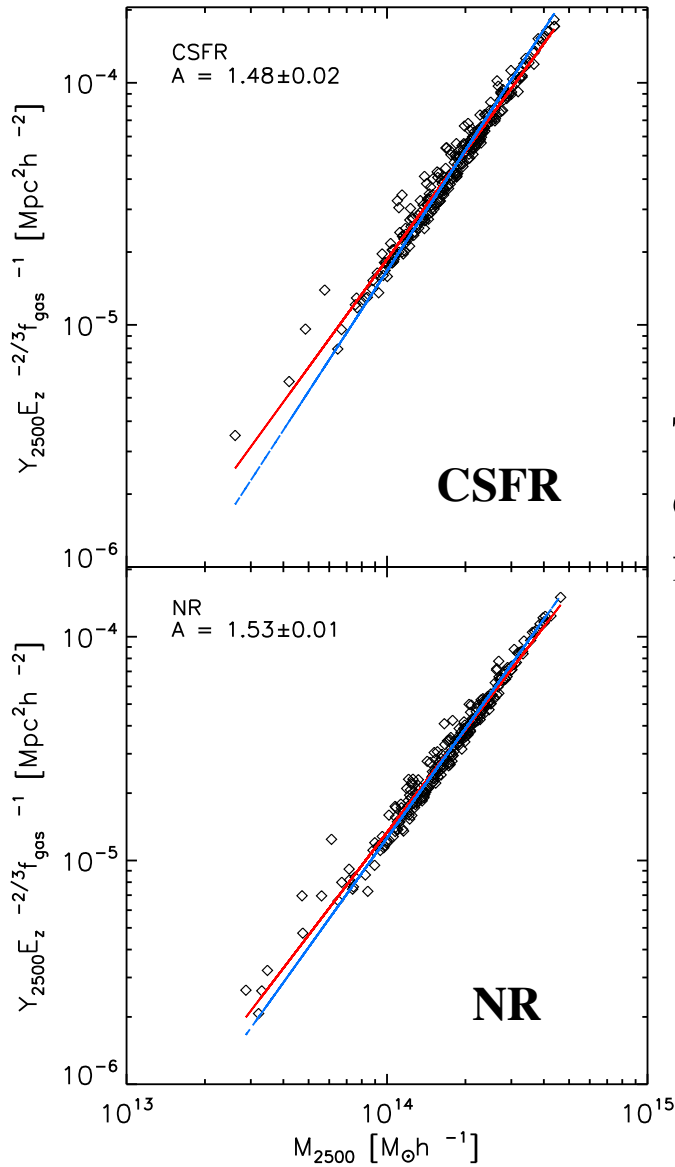


M-Y scaling relation shows lower scatter ($\sigma=0.03$) than Y-M ($\sigma=0.05$)

$$\sigma = \sqrt{\frac{\sum_i (\log Y_i - A \log X_i - B)^2}{N - 2}}$$

CSFR	A	B	σ_Y	A*	B*	σ_M
2500	1.65 ± 0.02	-27.9 ± 0.3	5%	0.59 ± 0.01	16.8 ± 0.03	3%
2000	1.65 ± 0.02	-28.0 ± 0.2	5%	0.59 ± 0.01	16.8 ± 0.02	3%
1500	1.66 ± 0.02	-28.2 ± 0.2	5%	0.59 ± 0.01	16.9 ± 0.02	3%
1000	1.67 ± 0.02	-28.4 ± 0.2	4%	0.59 ± 0.01	16.9 ± 0.02	3%
500	1.66 ± 0.02	-28.3 ± 0.2	4%	0.59 ± 0.01	17.0 ± 0.02	2%
200	1.64 ± 0.02	-28.3 ± 0.2	4%	0.59 ± 0.01	17.1 ± 0.02	3%
98v	1.64 ± 0.02	-28.3 ± 0.3	5%	0.59 ± 0.01	17.2 ± 0.03	3%
NR						
2500	1.62 ± 0.02	-27.6 ± 0.2	6%	0.60 ± 0.01	16.9 ± 0.03	3%
2000	1.65 ± 0.02	-28.0 ± 0.2	5%	0.59 ± 0.01	16.9 ± 0.02	3%
1500	1.67 ± 0.02	-28.3 ± 0.2	4%	0.59 ± 0.01	17.0 ± 0.02	3%
1000	1.68 ± 0.02	-28.6 ± 0.2	4%	0.59 ± 0.01	17.0 ± 0.02	2%
500	1.67 ± 0.02	-28.6 ± 0.2	4%	0.59 ± 0.01	17.1 ± 0.02	2%
200	1.66 ± 0.02	-28.3 ± 0.2	4%	0.59 ± 0.01	17.2 ± 0.02	2%
98v	1.65 ± 0.02	-28.5 ± 0.3	5%	0.58 ± 0.01	17.2 ± 0.03	3%

The impact of f_{gas} on Y-M scaling relation



We study the Y-M relation
assigning to each cluster
its value of f_{gas}



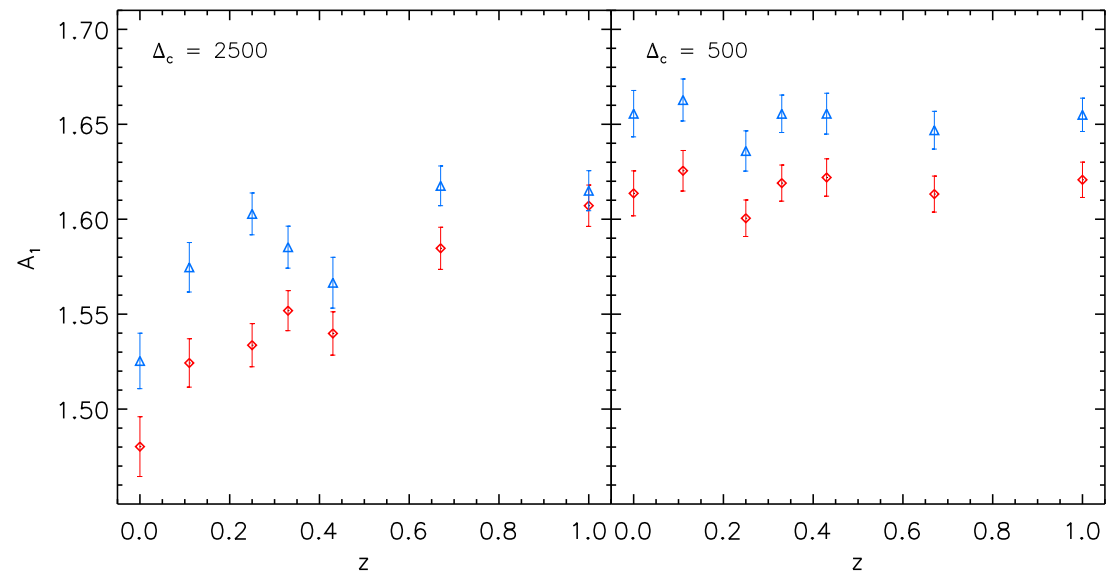
This corresponds to
study the Y- M_{gas} relation

$$Y_{\Delta} f_{\text{gas}}^{-1} = 10^{B_1} \left(\frac{M_{\Delta}}{h^{-1} M_{\odot}} \right)^{A_1} E(z)^{2/3} [h^{-2} \text{Mpc}^2]$$

The introduction of f_{gas}
deviates the Y-M relations
from self-similarity

$$A_1 = 1.64 - 0.65 \times \left(\frac{\Delta_c}{10^4} \right)$$

◆ CSFR ▲ NR



The f_{gas} -M scaling relation

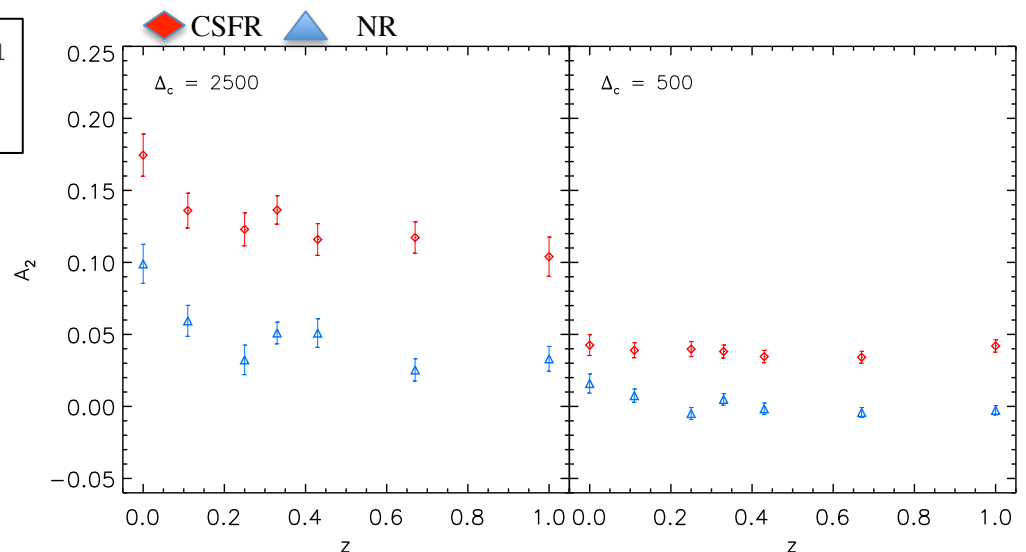
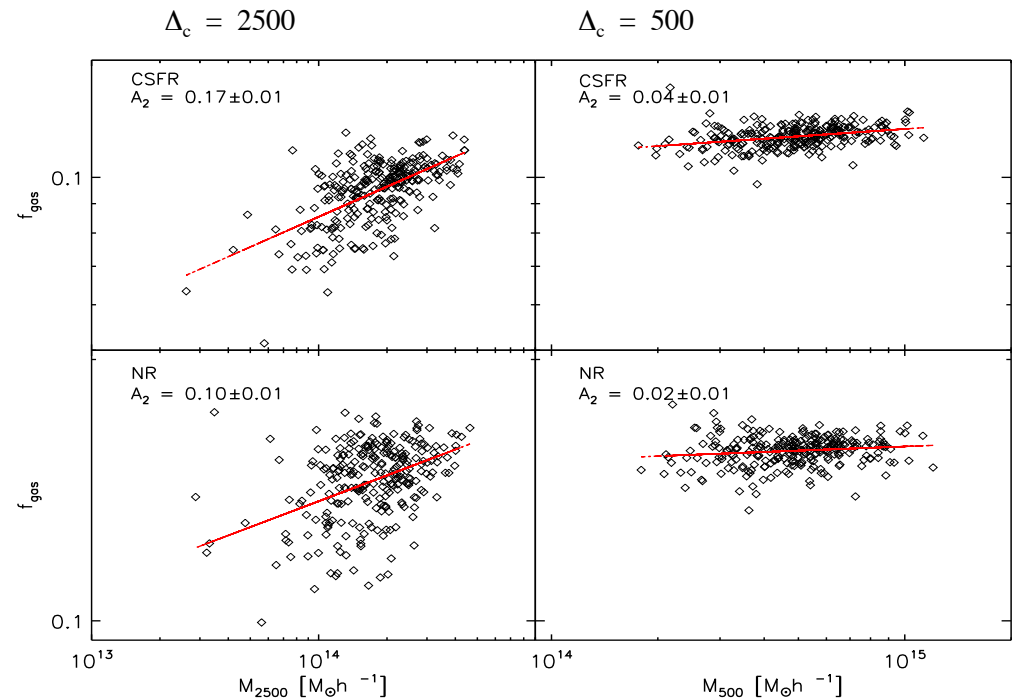
The gas fraction is linearly dependent on mass

$$f_{gas} = 10^{B_2} \left(\frac{M_{\Delta}}{h^{-1}M_{\odot}} \right)^{A_2}$$

This effect is bigger at high overdensities and affects both NR and CSFR clusters

$$f_{gas}(\Delta_c = 2500) = 10^{-3.5 \pm 0.2} \left(\frac{M_{2500}}{h^{-1}M_{\odot}} \right)^{0.17 \pm 0.01}$$

$$A_2 = 0.002 - 0.7 \times \left(\frac{\Delta_c}{10^4} \right)$$



The evolution of the Y-M scaling relation

1. Fitting the evolution of A and B parameters with redshift in the form:

$$\log A(z) = \log A_0 + \alpha_1 \log(1 + z) \quad \log B(z) = \log B_0 + \alpha_2 \log(1 + z)$$

2. Generating a sample of cluster at different redshifts, looking for a possible dependence from redshift in the form

$$Y f_{gas} E^{2/3} \propto M^{5/3} (1 + z)^\beta$$

Each cluster appears in the sample only at one redshift and that the subset is populated according to the cluster abundances observed in MUSIC as a function of z

z	N($M_v > 5 \times 10^{14} h^{-1} M_\odot$)
0.00	271
0.11	237
0.25	187
0.33	147
0.43	117
0.67	44
1.00	8

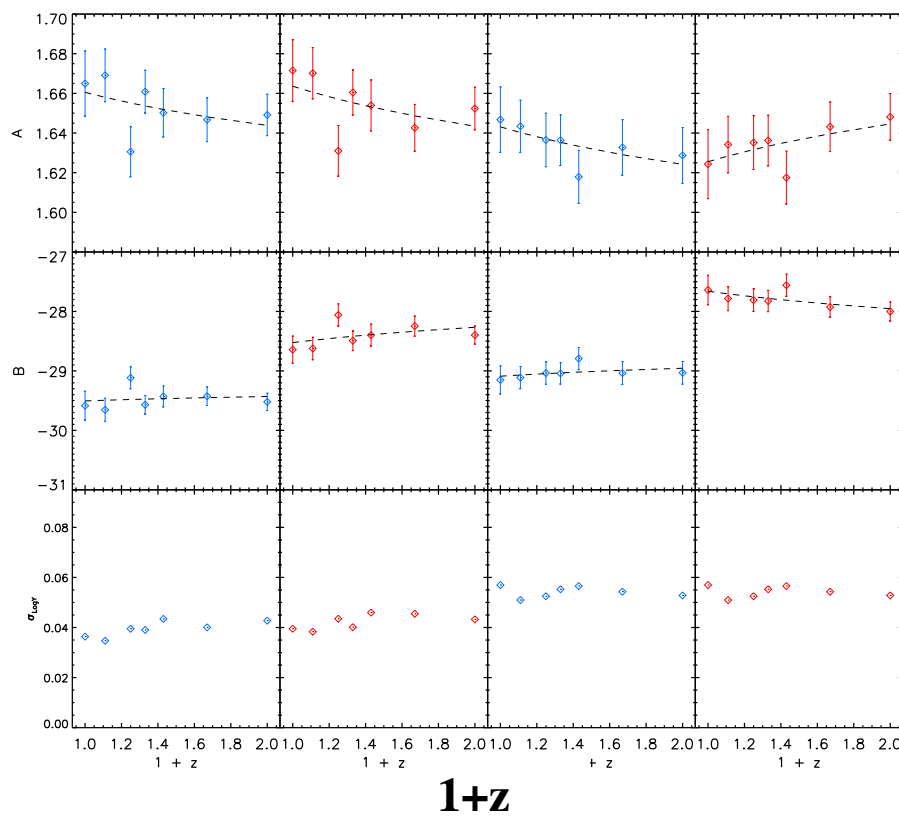
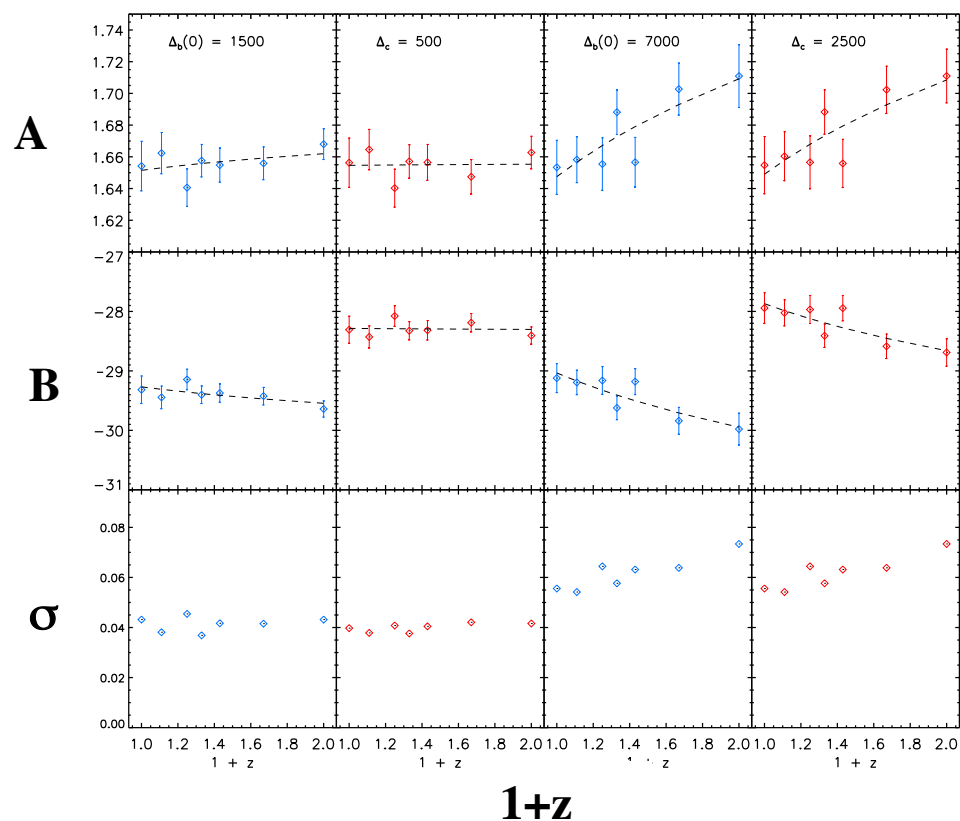
The evolution of the Y-M scaling relation (1)

No redshift evolution at low overdensities

Only at high overdensities and at $z > 0.5$ a small deviation from self-similarity is present

CSFR

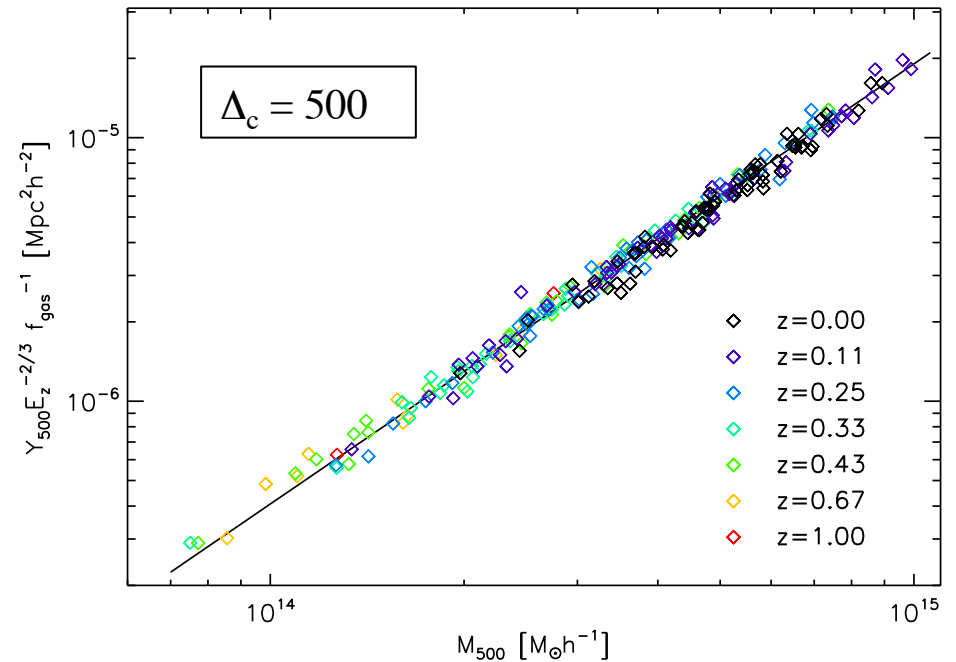
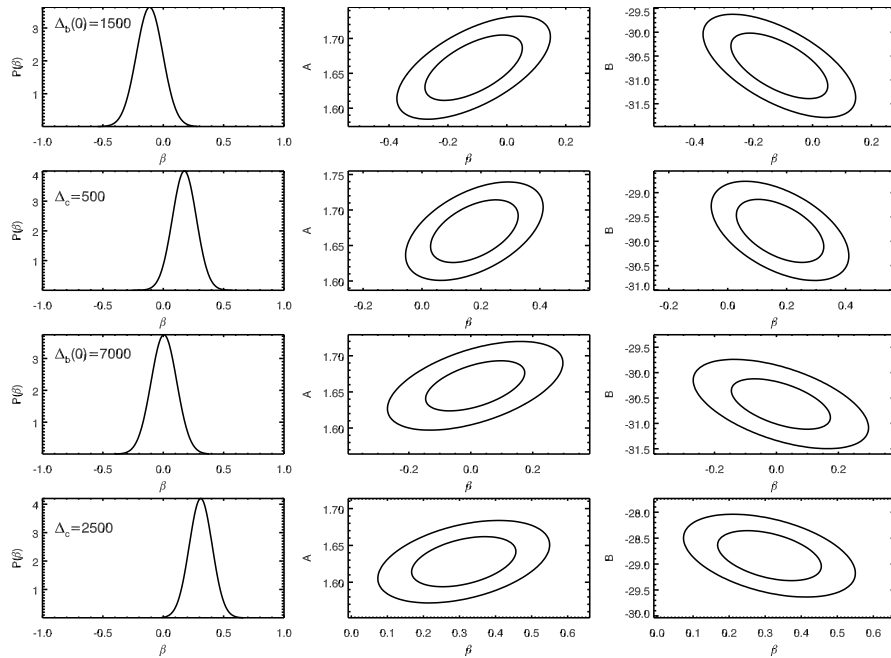
NR



The evolution of the Y-M scaling relation (2)

	$\Delta_c = 500$	$\Delta_c = 2500$	$\Delta_b(z) = 1500(z)$	$\Delta_b(z) = 7000(z)$
A	1.672 ± 0.028	1.627 ± 0.022	1.652 ± 0.028	1.656 ± 0.023
B	-29.77 ± 0.42	-28.85 ± 0.32	-30.65 ± 0.42	-30.61 ± 0.33
β	0.17 ± 0.10	0.31 ± 0.14	-0.12 ± 0.11	0.00 ± 0.11

The fit results are still fairly consistent with self similarity and no additional redshift in the Y-M scaling relation



CONCLUSIONS

- The MUSIC dataset is a large sample of clusters simulated with radiative (and non-radiative physics) and high mass resolution
 - MUSIC-2 constitutes a complete mass limited volume sample
- SZ scaling relations of massive MUSIC clusters confirm the predictions of the self-similar model
- The gas fraction depends on mass and deviates the Y-M from self-similarity at high overdensities
- The Y-M scaling relation of massive clusters is rather insensitive to redshift evolution up to $z \sim 1$