

# Comparison of dust polarization properties in the submillimeter and visible domains

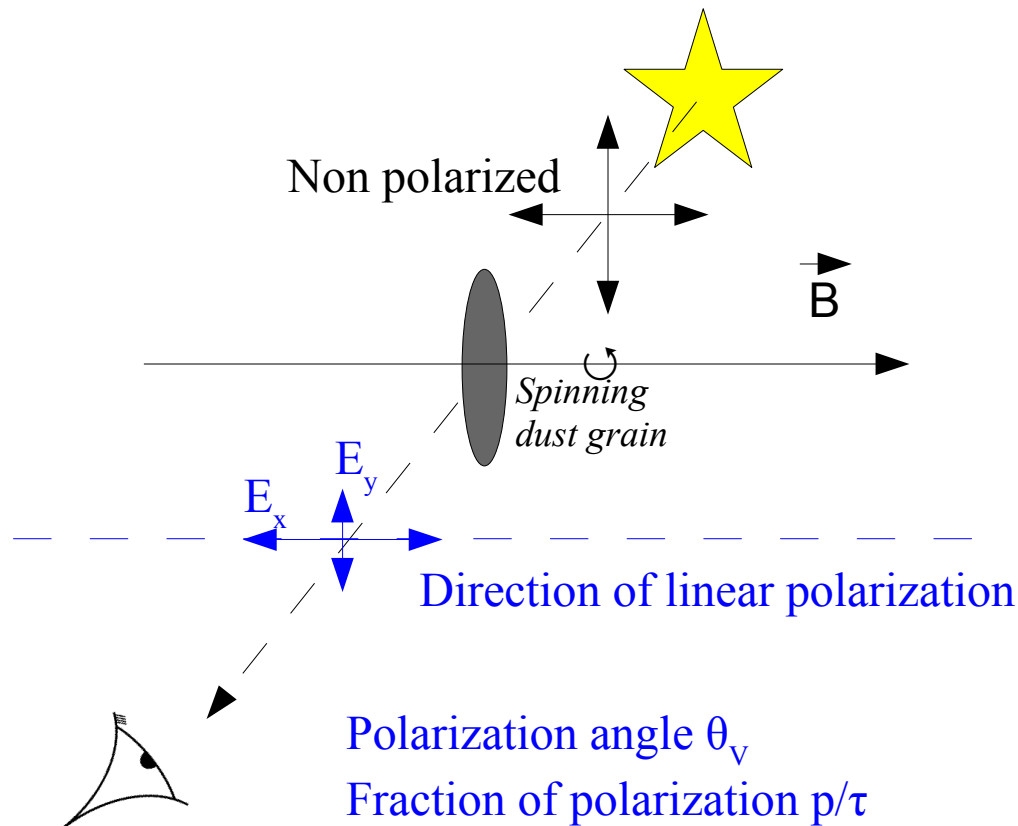


**The Planck Collaboration**  
Presented by V. Guillet (IAS, Orsay, France)

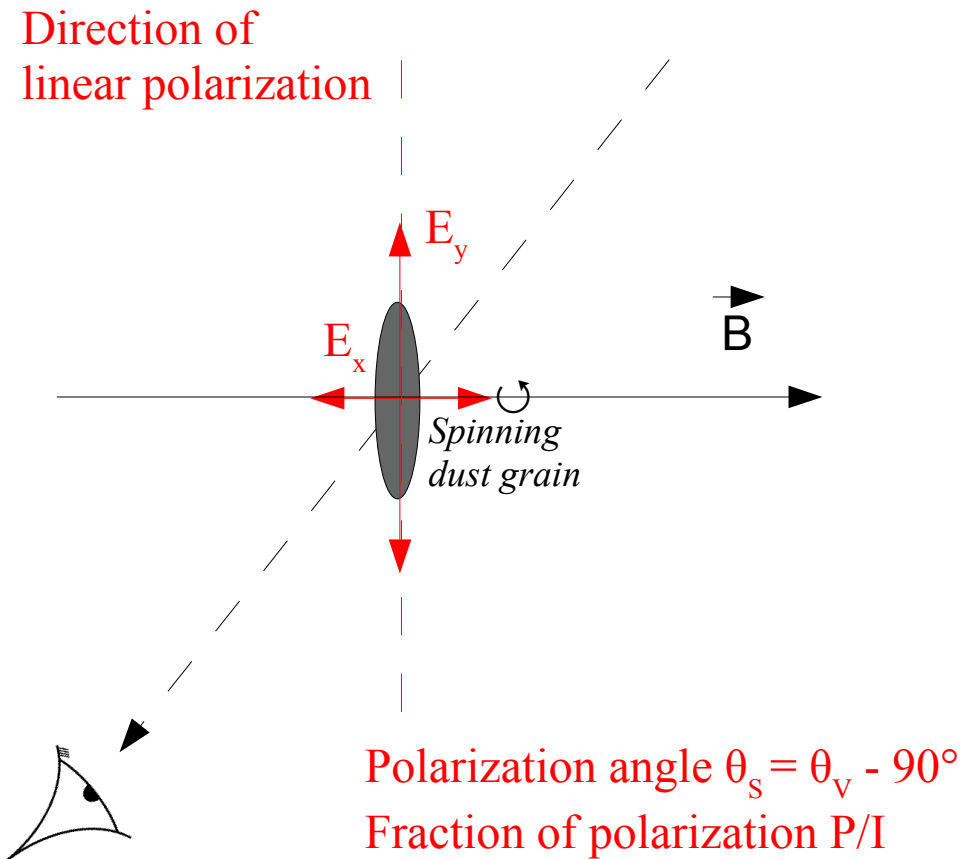


# Polarization by dust is observed in 2 ways

## Polarization in the visible (starlight extinction by dust)



## Polarization in the submm (dust emission)

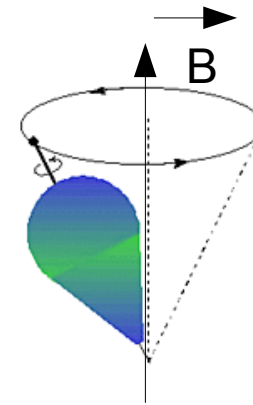


# Basic physics of grain alignment



## Competition between

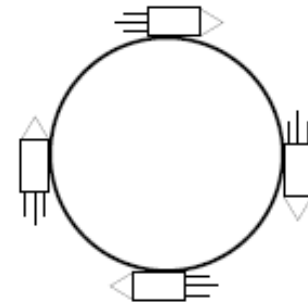
- alignment processes : various torques (magnetic, radiative, mechanical)
- disalignment processes : mainly gas collisions



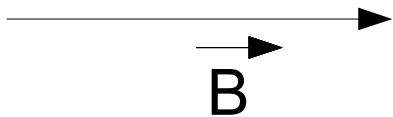
## Suprathermal rotation (=> gyroscopic effect)

- H<sub>2</sub> formation on the surface of grains drive grain rotation to suprathermal velocities (rocket thrust)
- Radiative torques

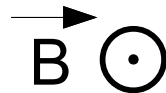
=> *Andersson & Potter (2012) for a recent review*



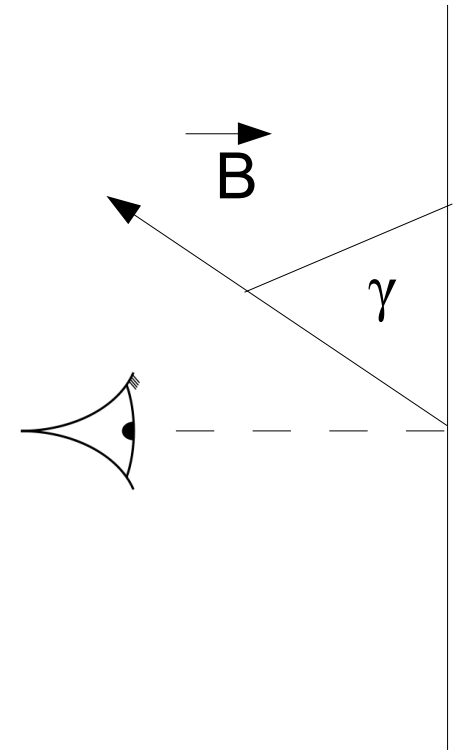
# Projection effects of magnetic field orientation



$P/I$  and  $p/\tau$  are maximal



$P/I$  and  $p/\tau = 0$



Plane of the sky

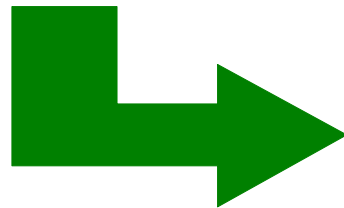
$P/I \propto \cos^2(\gamma)$

# Complexity in interpreting the fractional polarization

$$\text{Pol. fraction } (\lambda) = \int_{\text{los}} \int_{\text{beam}} f \left( \begin{array}{l} \text{dust properties}(\lambda), \quad (\text{material, size distribution}) \\ \\ \text{dust elongation } b/a, \quad (\text{shape}) \\ \\ \text{alignment efficiency} \quad (\text{local conditions, size, material}) \\ \quad \hookrightarrow \begin{array}{l} \bullet \text{ Radiation field (anisotropy, intensity)} \\ \bullet \text{ Gas density} \end{array} \\ \\ \text{3D magnetic field } ) \quad (\text{orientation, structure}) \end{array} \right)$$

⇒ At the 1<sup>st</sup> order, models show that dependencies on elongation, alignment, and magnetic field orientation are similar in extinction and in emission. This hypothesis is tested with our data.

⇒ Ratio  $R = (P/I)_s / (p/\tau)_v$  depends primarily on dust optical properties



**Existing dust models for  
the diffuse ISM**

# Catalogs in extinction : $\tau_V = A_V / 1.086$ is crucial

## Polarization catalog : Heiles (2000)

$$\Rightarrow p_V, \sigma_p, \theta_V \quad \Rightarrow q_V = p_V \cos(2\theta_V) \quad u_V = -p_V \sin(2\theta_V)$$

$\Rightarrow$  low SNR  $A_V$  : not used

## Several extinction catalogs to control systematics in $A_V$

We build independent samples from:

1. Fitzpatrick & Massa (2007) : high quality  $A_V$  &  $R_V$  (147 stars)
2. Andersson & Potter (2007) : Taurus, Musca-Chameleon translucent clouds (54 stars)
3. Valencic et al (2004) :  $\sim 300$  stars
4. Wegner et al (2002,2003) :  $> 400$  stars
5. Our own derived  $A_V$  from Kharchenko & Roeser (2009) : for the rest of stars not present in the litterature :  $> 3000$  stars

# Planck data

## Planck Map of submillimeter equivalent to E(B-V)

- $E(B-V)_s$ , to be compared with  $E(B-V)$  to the star

## Intensity I @ 353GHz

- Average CMB removed, CMB fluctuations model removed (SMICA), Offset removed
- No sensitivity to Zodiacal light removal in our study

## Polarization Q & U @ 353GHz

- Sky-Correction for spectral mismatch, CIB not polarized, CMB polarization negligible @ 353GHz
- Polarization position angle  $\theta_s = \frac{1}{2} \arctan(-U, Q)$
- Polarization intensity  $P = \sqrt{Q^2 + U^2}$

## I, Q and U smoothed at 7' (FWHM of the smooth = 5') to increase SNR

# Comparing polarization fractions in emission and extinction

Extinction @ Vband :  $p/\tau$

Emission @ 353GHz :  $P/I$

Large grains

dependency on the column density is removed

Pencil beam measurement

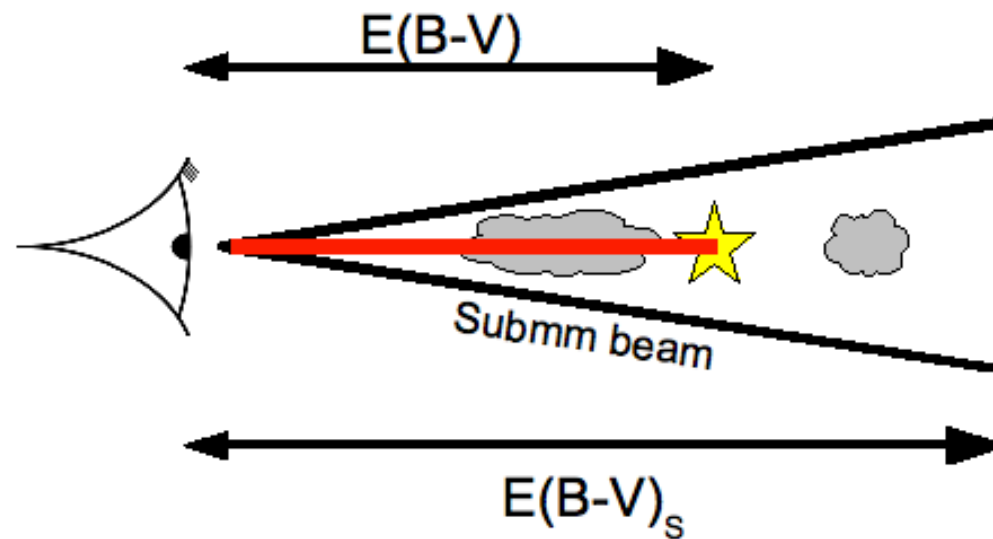
vs

Large beam integrated measurement

Foreground to the star

vs

Total line of sight emission

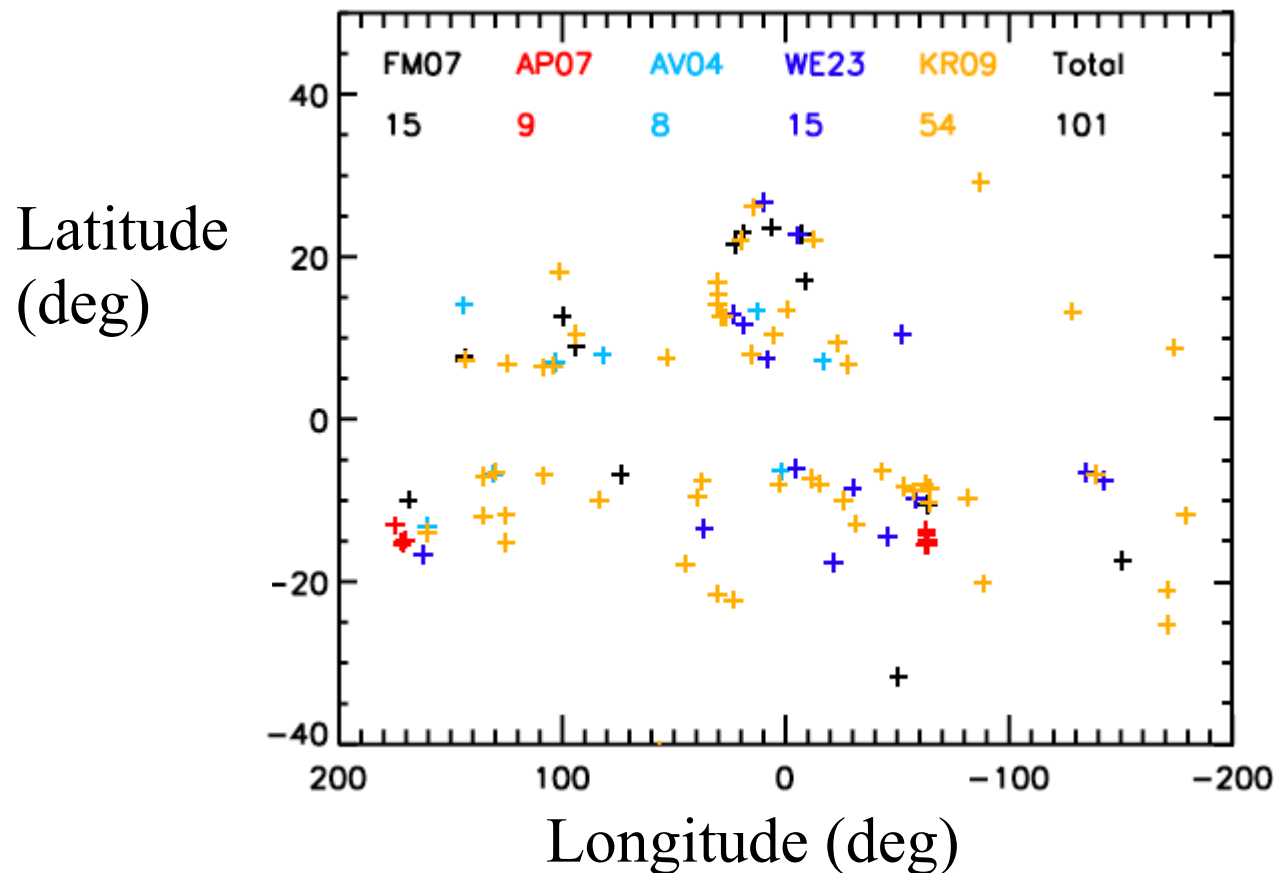


⇒ **Select lines of sight with little background**



# 4 selection criteria

1.  $\text{SNR} > 3$  for  $p$ ,  $E(B-V)$  (visible),  $P$ , and  $I$  (submm)
2.  $|b| > 6$  deg : high-latitude stars with less depolarizing background



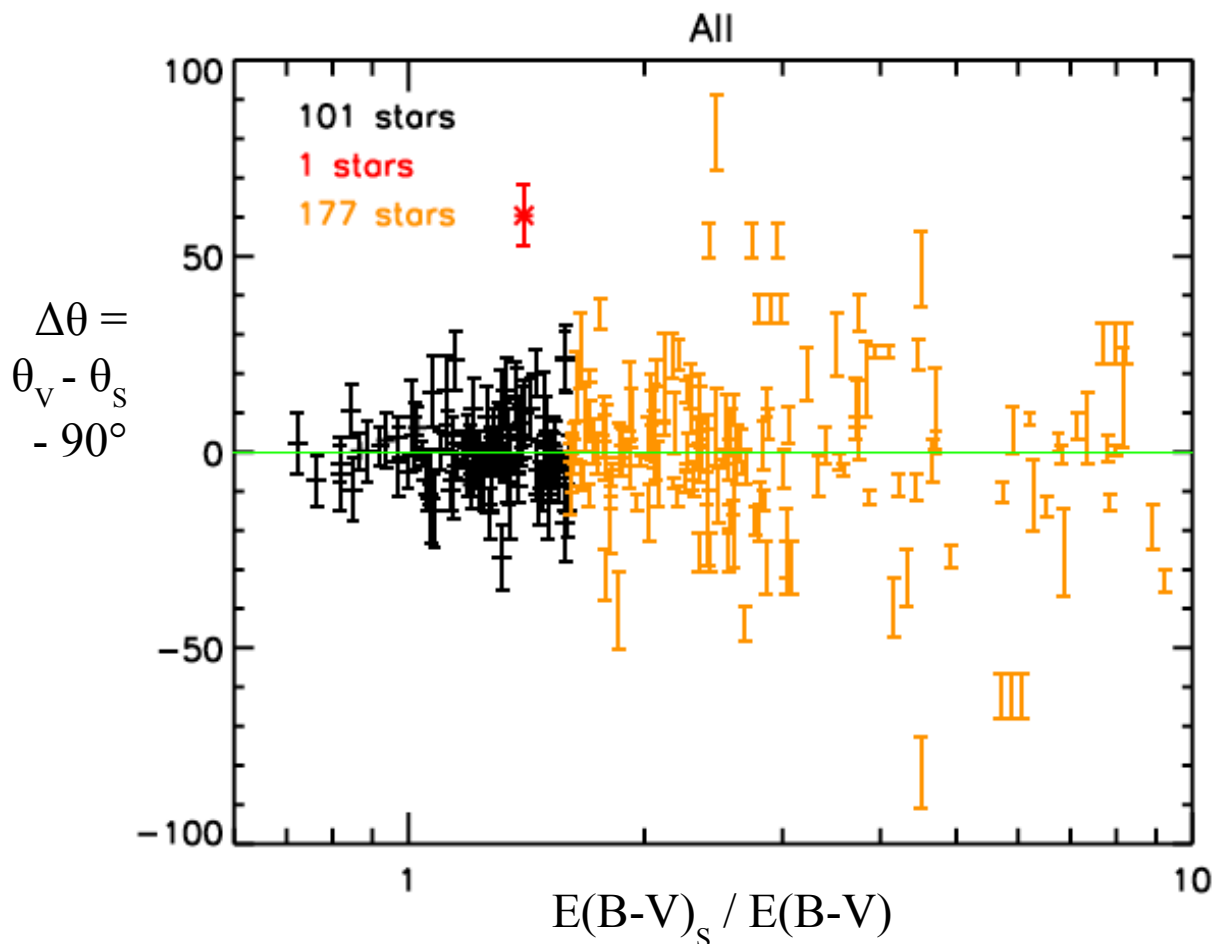
Legend indicates  
the extinction catalog

All polarization data  
is from Heiles (2000)  
except for  
Andersson & Potter (2007)

# 4 selection criteria

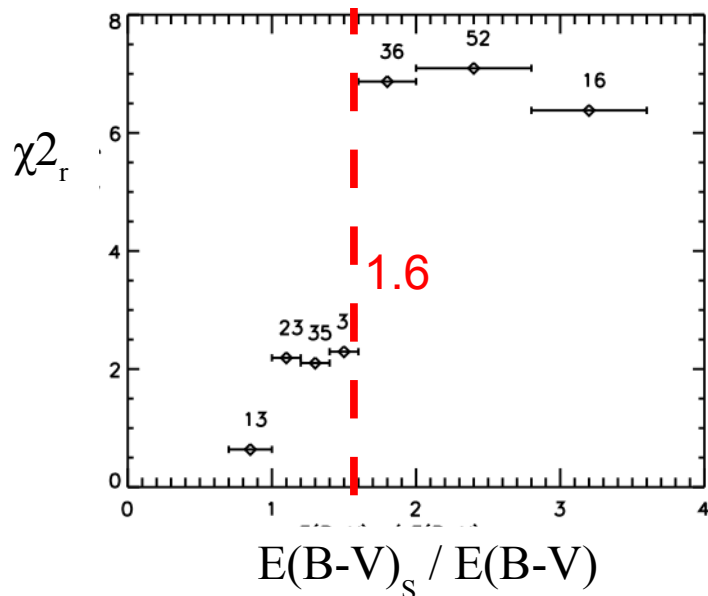
3. Agreement in column densities :  $0.7 < E(B-V)_s / E(B-V) < 1.6$

*Upper limit is our main systematics on*  $R = \frac{(P/I)_{353\text{GHz}}}{(p/\tau)_V}$



Reduced chi2 of difference in angles

$$\chi^2_r(\Delta\theta) = \frac{1}{N} \sum_{i=1}^N (\Delta\theta / \sigma_{\Delta\theta})^2$$



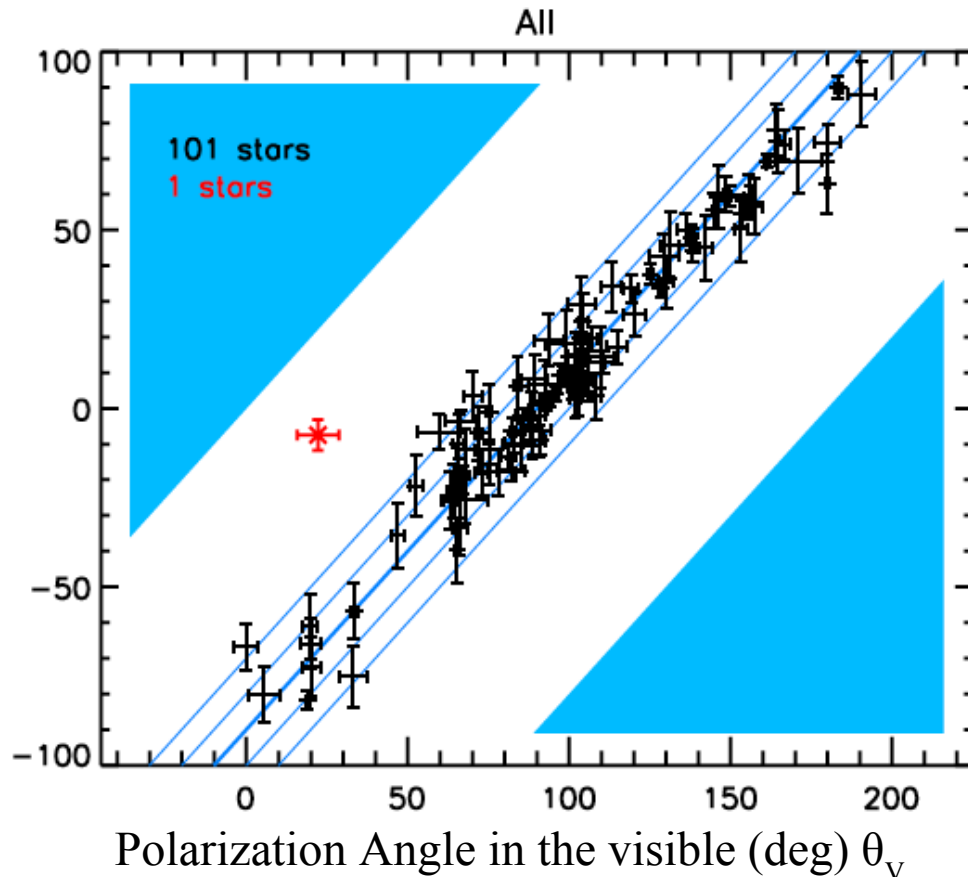
# Dynamics in angles for our selected stars

4. Agreement in polarization angles :  $|\theta_s - \theta_v| < \text{systematic} + \text{noise}$

We take : systematics =  $20^\circ$  (compromise between nb of stars selected and accuracy of selection).  
Not crucial (same polarization ratio with systematics =  $10^\circ$  or  $5^\circ$ ).

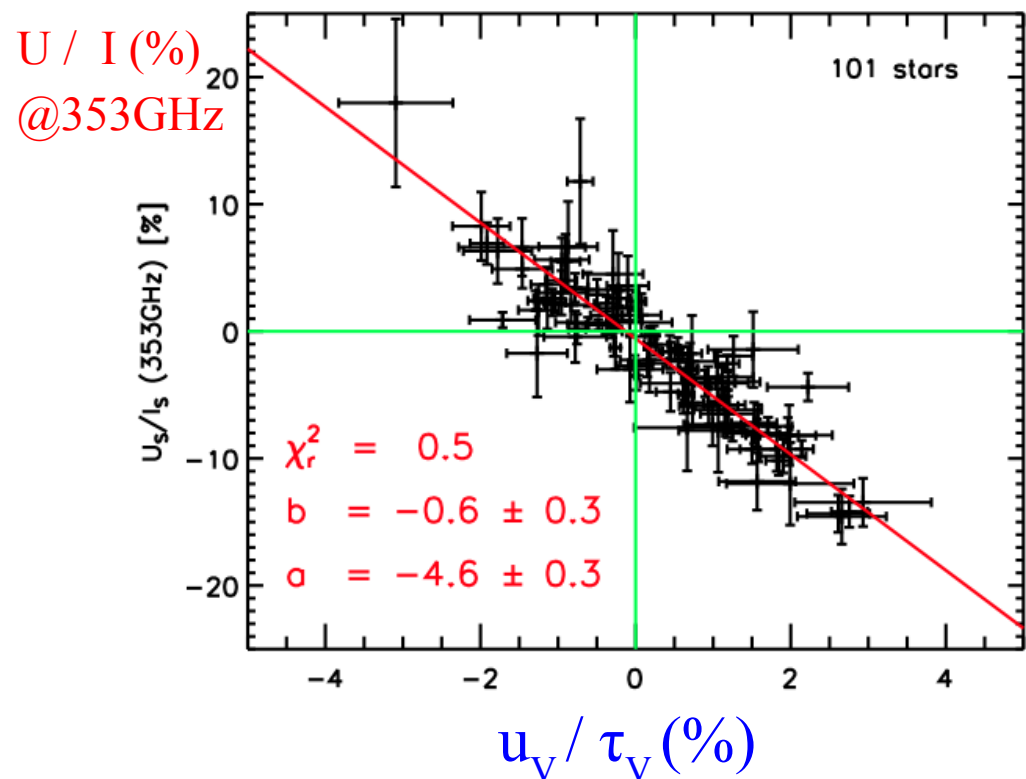
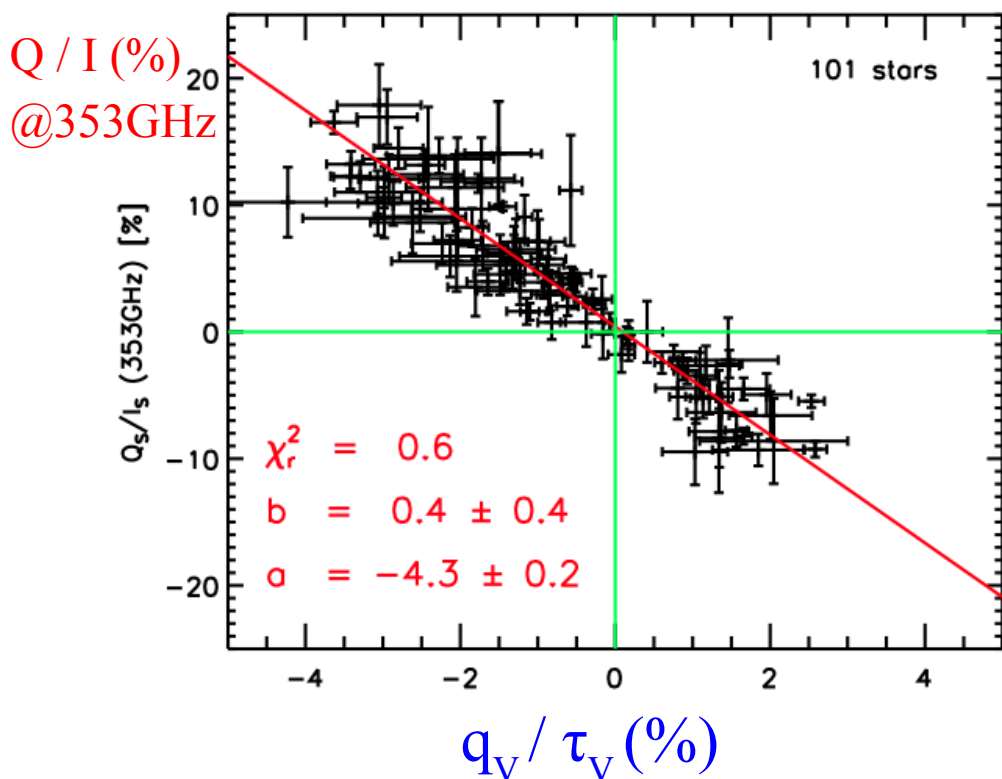
Polarization angle  
@ 353GHz (deg)

$\theta_s$



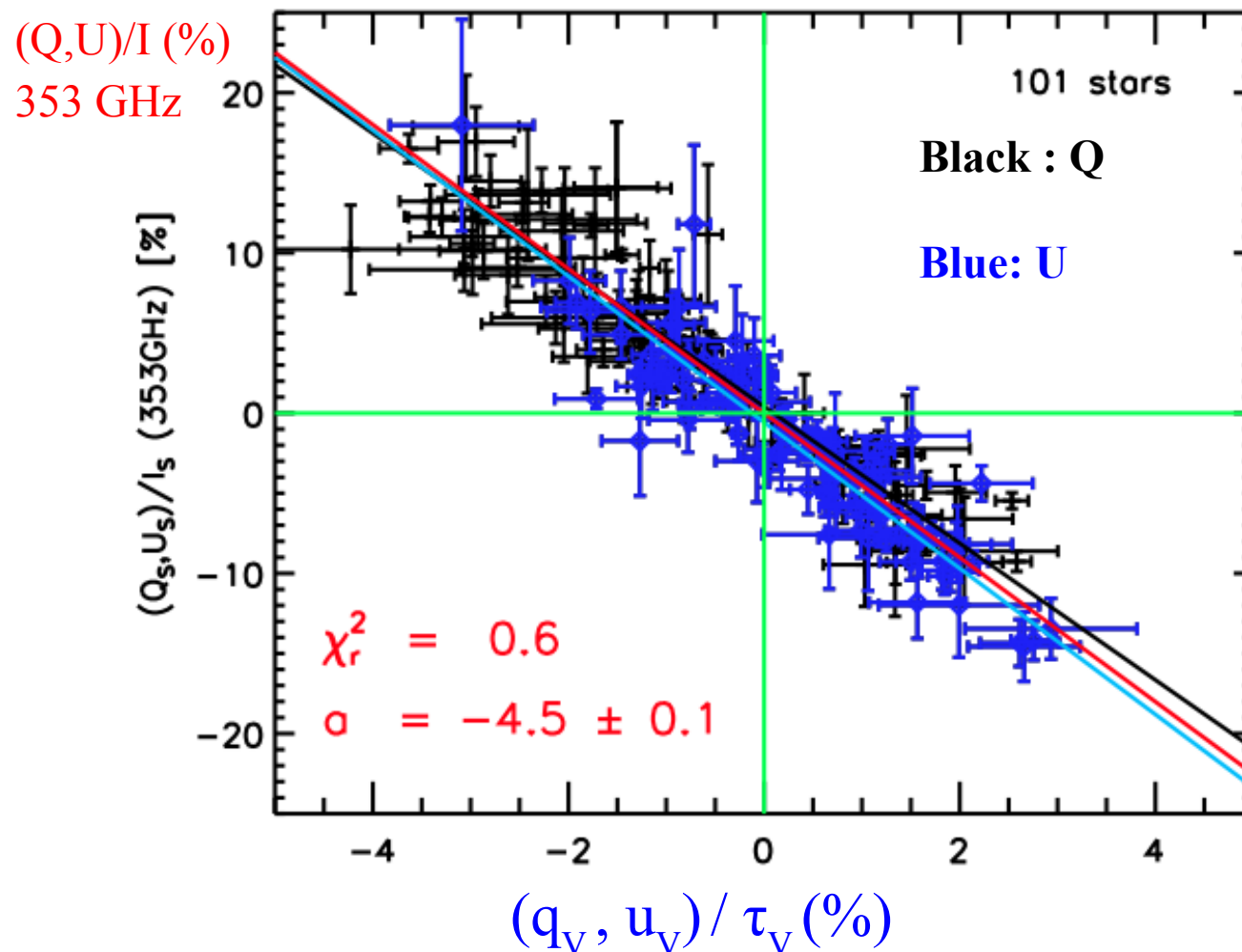
# Correlation study of $R = \frac{(P/I)_{353\text{GHz}}}{(p/\tau)_V}$

- $P = \sqrt{(Q^2+U^2)}$  and  $p_V$  are biased by noise (e.g Simmons & Stewart 1985), not Q and U.
- Q/I correlates with  $q_V/\tau$ , and U/I with  $u_V/\tau$  when polarization angles agree
- Slope is -R (orthogonality in angles is responsible for the - sign) :
- Fit with systematics added to error bars (2% in P/I, 0.5 in  $p/\tau$ )



# Correlation study of $R = \frac{(P/I)_{353\text{GHz}}}{(p/\tau)_V}$

Join fit of  $Q/I = f(q/\tau)$  and  $U/I = f(u/\tau)$  forced through the origin



$$R \sim 4.5 \pm 0.1 \pm 0.5$$

Random error : 0.1  
(from the fitting method)

Systematic error : 0.5  
(mainly from the upper limit on  $E(B-V)_s/E(B-V) : [ 1.2 - 3 ]$ )

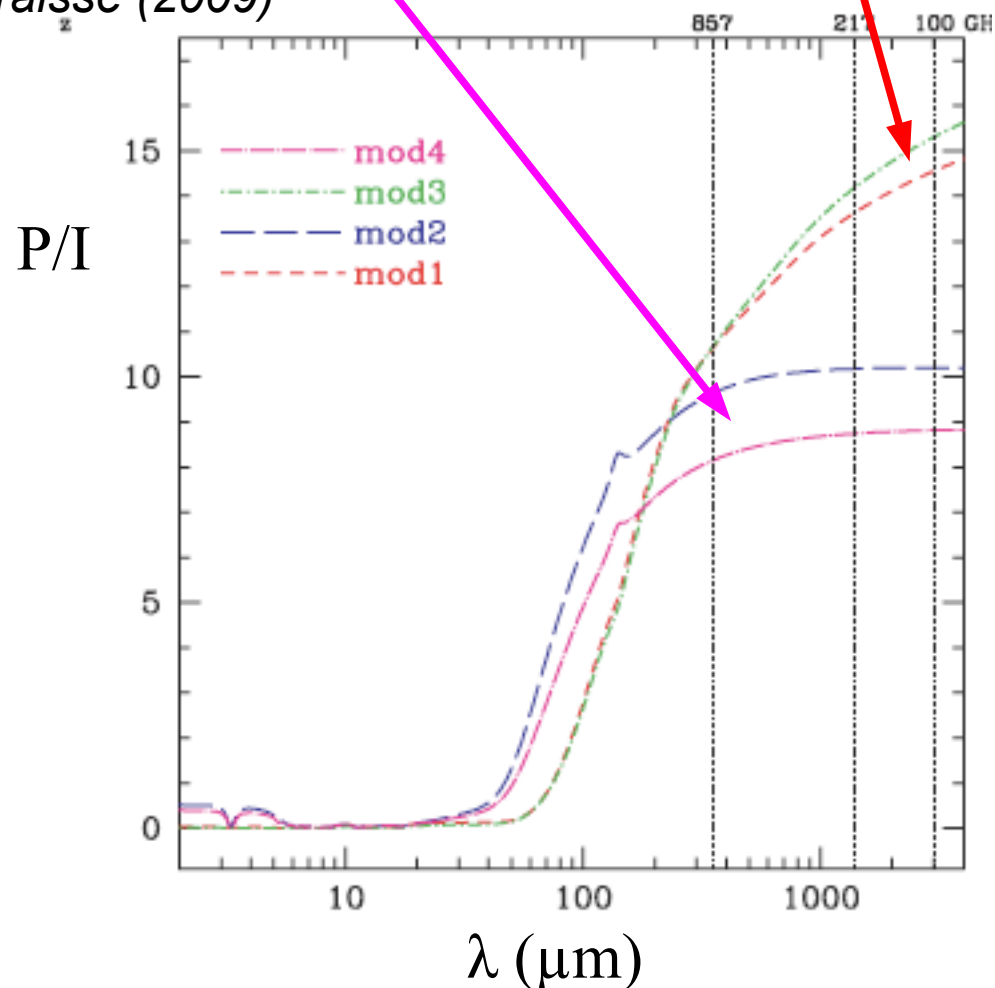
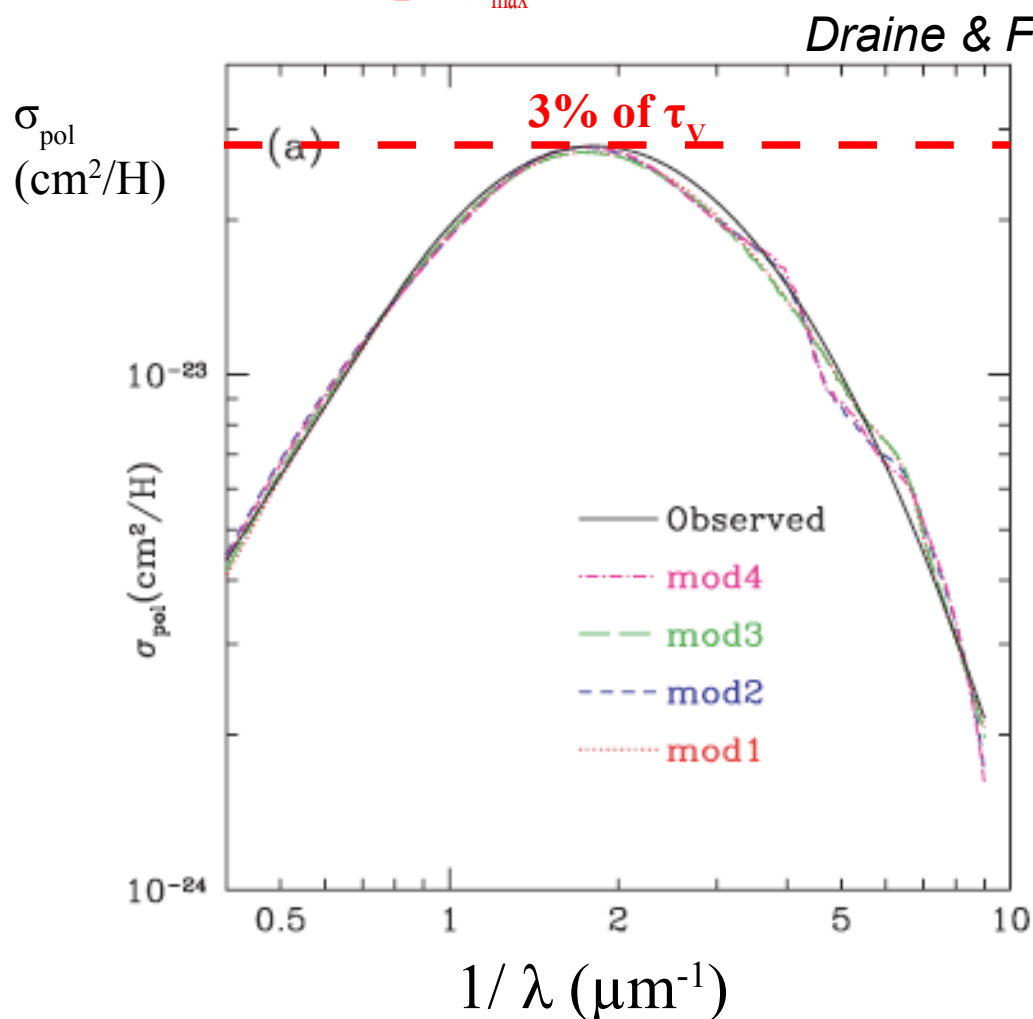
# What the models predict (Draine & Fraisse 2009, Martin 2007)

Constraints from the visible

$$(p/\tau)_{\max} = 3\%$$

$(P/I)_{\max} \sim 13\%$  (graphite not aligned)

$\sim 9\%$  (graphite aligned)



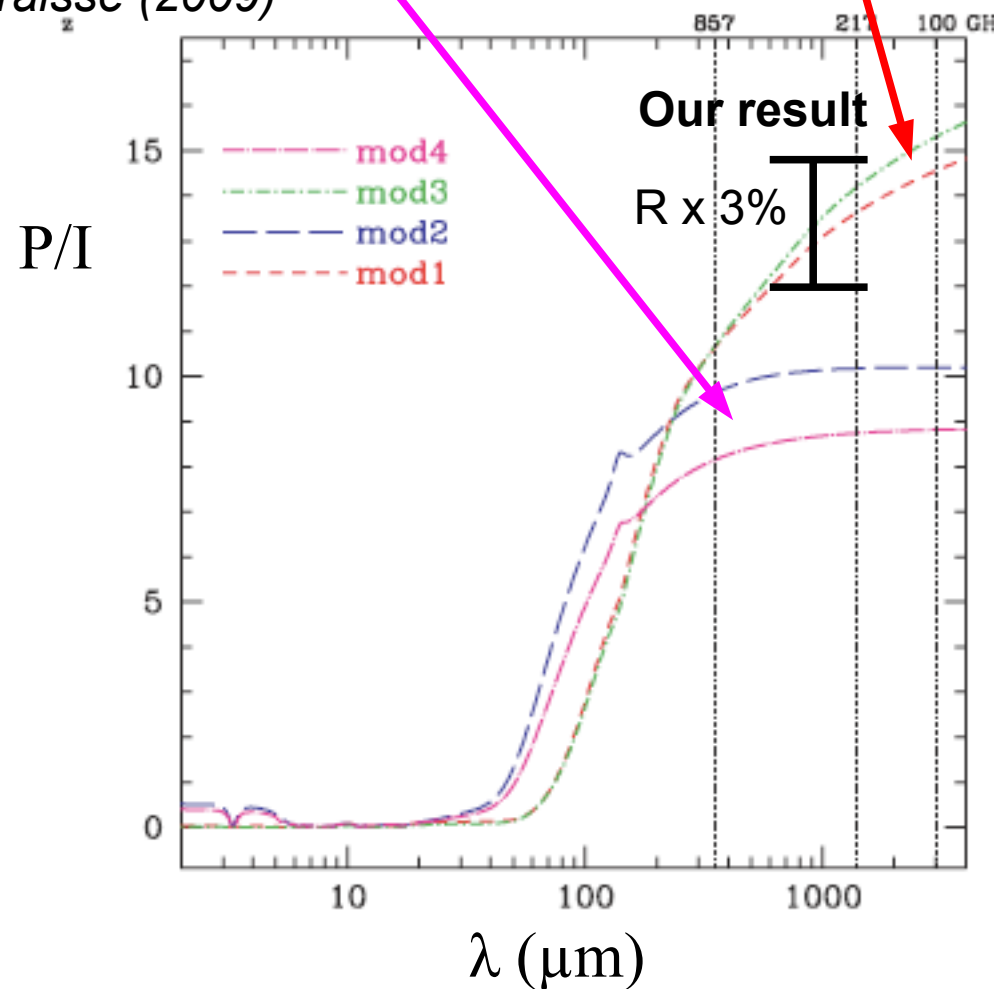
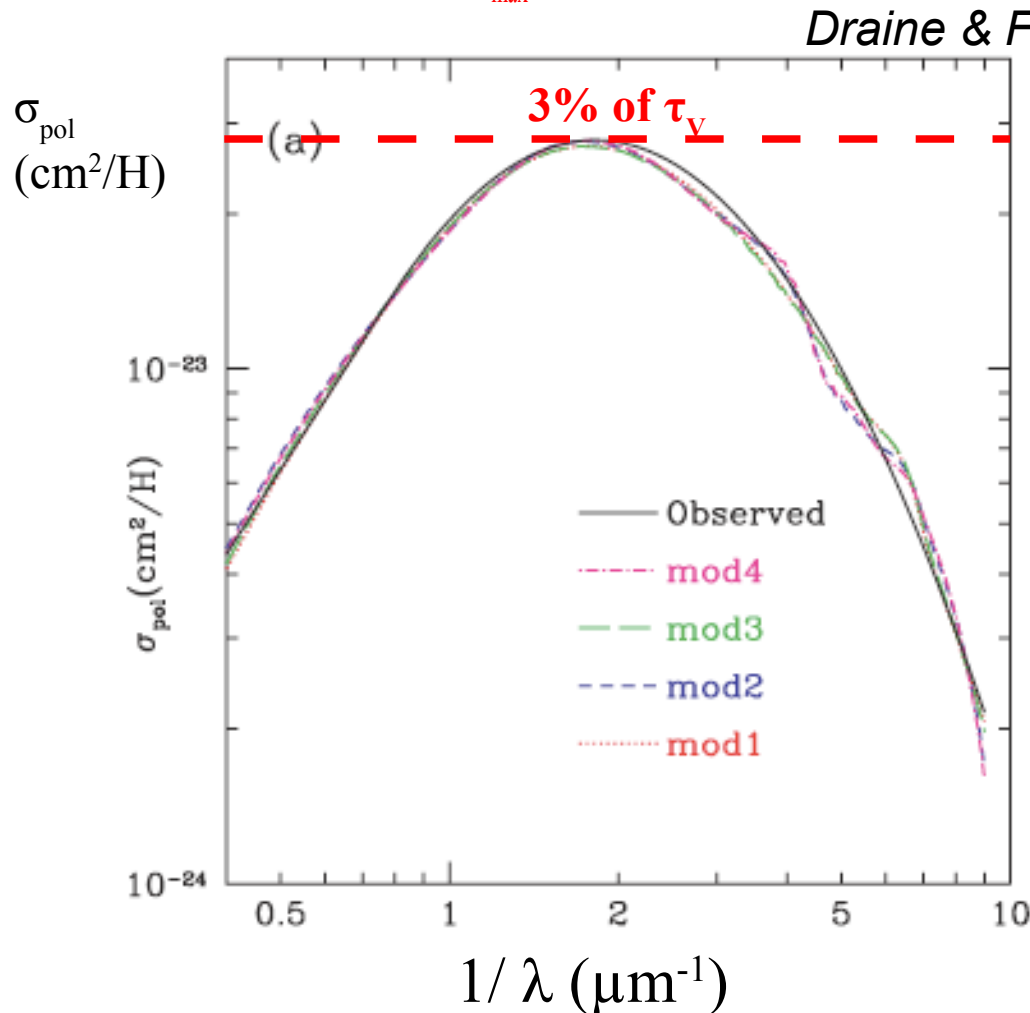
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# Conclusions



- We find a uniform polarization ratio in the diffuse ISM

$$R = \frac{(P/I)_{353\text{GHz}}}{(p/\tau)_V} = 4.5 \pm 0.1 (\text{random}) \pm 0.5 (\text{systematic})$$

- Globally consistent with existing dust models, with « tensions »
- Constraint to be completed with the spectral dependency of P/I : see Tuhin Ghosh's Poster.



The scientific results that we present today are a product of the Planck Collaboration, including individuals from more than 100 scientific institutes in Europe, the USA and Canada



Planck is a project of the European Space Agency, with instruments provided by two scientific Consortia funded by ESA member states (in particular the lead countries: France and Italy) with contributions from NASA (USA), and telescope reflectors provided in a collaboration between ESA and a scientific Consortium led and funded by Denmark.