

From GR content \Rightarrow one postulate \equiv
stage of accelerated expansion \Rightarrow

explanation of hom, isotr.
+ 2 nontrivial predictions

$$- \Omega_{\text{total}} = 1 \pm 10^{-5}$$

- spectrum of perturb.
spectrum is never HZ for
generic inflation. It is tilted

$$\Phi_{\lambda}^2 = \frac{\epsilon^{10^{-12}}}{\epsilon_{\text{pl}}} \frac{1}{1 + \frac{P}{\epsilon}} \Big|_{\lambda^{-1} = H a}$$

$$n_s - 1 = -3 \left(1 + \frac{P}{\epsilon}\right)_{\lambda^{-1} = H a} - \frac{1}{H} \left(\ln\left(1 + \frac{P}{\epsilon}\right)\right)_{\lambda^{-1} = H a}$$

$$0.9 \stackrel{?}{\lesssim} n_s < 0.96 \quad !$$

not too much grav. waves!
Gaussian perturbations

L.P. 9/6/2003:

We are writing a proposal to get money to do our small angular scale CMB experiment. If I say that simple models of inflation require $n_s=0.95\pm 0.03$ (95% cl) is it correct?

I'm especially interested in the error. **Specifically, if $n_s=0.99$ would you throw in the towel on inflation?**

V.M. 9/8/2003

The "robust" estimate for spectral index for inflation is $0.92 < n_s < 0.97$.

The upper bound is more robust than lower. The physical reason for the deviation of spectrum from the flat one is the necessity to finish inflation....
If you find $n_s=0.99 \pm 0.01$ (3 sigma) I would throw in the towel of inflation.

V.M. 3/17/2006

GREAT job. I am really impressed. The results for the spectral index are better than I expected. Just to be sure how reliable they are let me ask you the related question: **How much from your own money (say what fraction of all you have) would you bet for $n < 1$.**

I am not kidding- I guess it is a better criteria than sigma.

L.P. 4/5/2006

In terms of my own money, **I'd bet a lot (many thousands and a few beers)** that with a flat geometry 5 parameters ($n=1$, $\omega_b h^2$, $\Omega_m h^2$, h , τ , σ_8) does not describe the data.